

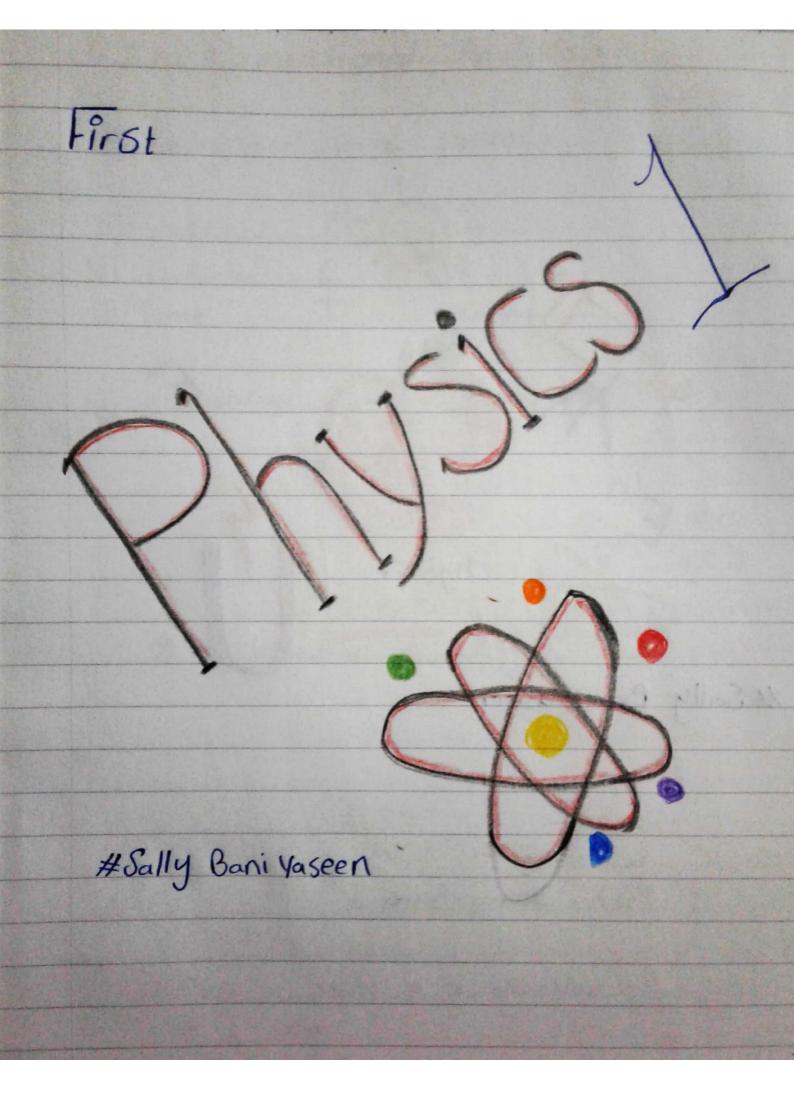
تقدم لجنة ElCoM الاكاديمية

دفتر لمادة: فيزياع عامة (1)

من شرح: **د.عادل شاهبن**

جزيل الشكر للطالبة: **سالدي بندي ياسين**





No ch 1: Dimensional Analysis :-* International units system :-I mass M Kg 2) distance L m 3 Time T secound. Ex. () awarage speed = Distance $= \frac{m}{s} = \frac{m}{s}$ 2 acceleration - speed $\alpha = \frac{s}{t} - \left[\alpha\right] = \frac{\left[s\right]}{\left[t\right]}$ $\left[a\right] = \frac{m}{5} = \frac{m}{52}$ $= m/s^2 = ms^{-2} (LT^{-2})$ 3 Force = Mass * acceleration F= Ma the provide the second [F] = [m] [a] = $Kg ms^{-2}$ $N = kg ms^{-2}$ = MLT-2 = Newton (N) *Sally Bani va Sini)e

31-1-2018 Nam @ work = Force * dis W = Fd [w] = [F][d] - [w] = N.m = Joule J J = Nm $= kg m s^{-2} .m$ $J = kg m^2 .s^{-2}$ Ex. Let F = Gmime F = Force M = mass V = distance Find [6] $G = \frac{Fv^2}{m_1m_2}$ $\begin{bmatrix} G \end{bmatrix} = \begin{bmatrix} F \end{bmatrix} \begin{bmatrix} r^2 \end{bmatrix}$ $= \frac{N \cdot m^2}{Kg^2} = \frac{N \cdot m^2 \cdot Kg^{-2}}{kg \cdot m} = \frac{1}{Kg^{-2}}$ = m3 kg1 5-2 Ex. Let A: ext Find [x] Since ext is unit lease [act] unit less S [a] = 5-1 # Sally Bani Vaseen smi)e

No 3 * For any equation to be correct [L.H.S] = [R.H.S] USURAUSANDAUS تكافر وحرات الخياس متكافئ Ex. Check be equation if correct or not :- $V = at^2$ wind the first as $V \equiv Speed$ $[V] \equiv [a][t^2]$ $a \equiv acceleration \quad \underline{m} \equiv \underline{m} \star st$ $t \equiv time$ $m \neq m$ not correct $X = v_1 E + \frac{1}{2} at^2$ Ex. $M = \underbrace{M}_{s} \cdot \underbrace{s}_{s} \cdot \underbrace{M}_{s} \cdot \underbrace{s}_{s}^{2} \cdot \underbrace{M}_{s} \cdot \underbrace{s}_{s}^{2}$ * بعن ان الحات الفاس وتكافئ M=m V correct Ex. Consider the equation =-S= t akth Find the values of K&h that fit the equation where S = distanse a = acceleration [s] = [ak] · [Eh] $m = \frac{m^{k}}{s^{2k}} \cdot \frac{s^{k}}{s^{k}} \cdot \frac{m}{s^{k}} \cdot \frac{m}{s^{2k}} \cdot \frac{m}{s^{2k}} \cdot \frac{m}{s^{k}} \cdot$ = mk. 5-2K, sh M= m. Sh-2K (K=1) (1)topio - h-2K=0 = [h=2] * Sally Boni Yasee () w smi)e 10

No. 4 Let a=vkrh a = a celevation Find K, h V = speed Y = Vadius $[a] = [r^{k}] \circ [r^{h}]$ $\frac{m}{s^2} = (ms^{-1})^K \cdot (m)^h$ $ms^{-2} = m^{k} \cdot s^{-1k} \cdot m^{h}$ $ms^{-2} = m^{k+h} \cdot s^{-1k}$ K = 2 h+K=1 $a = \frac{\sqrt{2}}{r}$ تسابع مرکزی h = -1h+2=1-2 How Let T=2TTL gk T= time L= Length $F] \equiv [L] [qk]$ $g \equiv acc elevation$ $s \equiv m^{h} \cdot (m)^{k}$ $(s) \equiv m^{h} \cdot m^{K} \cdot (s^{2})^{g}$ $1 = -\frac{1}{2} \text{ [K} = -\frac{1}{2}$ h+K=0h-1=0+1 * Sally Bani Yascen

$$F_{2} = F_{2} = F_{2$$

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5-2-2018

13 The position of a particle moving under uniform acceleration is some Function of time and the acceleration. Suppose we write this position as X = Ka^mt^m, where K is a dumensionaless constant Show by climensional analysis that this expression is satisfied if m=1 and n=2. Can this analysis give the Value of K

No.

14 @ Assume the equation X = At 3 + Bt describes the motion of a particular object, with X having the dimension of length and t dimension of time Determine the dimensions of the constants A&B $X = At^{s} + Et$

(A) dimension of m = [A][5"] + [B]S $m \equiv m \cdot s^3 + m$ [B] dimension of speed (Determine the dimensions of the derivative $dX/dt = 3At^2 + B$

EXT = FATERT + FOILET

 $\left[dx\right]\left[dt\right] = \left[A\right]\left[t^{2}\right] + \left[B\right]$

 $s^2 = m s^2 + m$

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[dx][dt] = m

dimension of speed

Sally Bani Vasespile

5-2-2018 Ch: 2 Motion in One dimension) * Displacement DX 2-1581 × الاناحة تحبرعن اقعر مسافة بين نقطين البلاية والمفاية displacement DX = change in position and it is the shortest distance between two points $DX = X_P - X_i$ إلى المفسن الحركة To positive XF=8 $DX = Xp - X_{\overline{1}}$ $\overline{(1 - 1)} \overline{(1 - 1)}$ = 8 - 2 = 6 m aill ELOIS Distance = 4+6+4 = 14m 15,5,01 milli 31 1 To negative لانه اكراق الحاليا, عك المجاه $x_{f=8}$ Dx = 2-8 = G6mX1=2 Distance = u + 6 + u = 14 m astial * Displacement has direction & magnitude it could be the , -ve or Zero abult & Distance has only magnitude and it is always + ve. # sally Danieyasa

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5-2-2018. No. * Avarage Velocity العسرعة المتحجه V = Dx = Xp - XiDt tp - tiV = displacment per unit of time • V could be +ve , -ve or zero and it has magnitude & direction * Avarage speed & annual asmell S = total distance total time (S=D & the , direction * Instantaneous velocity and with the UN V = Lim DX azimpierzi DE 70 Dt $V_{ins} = \frac{dx}{dt} = slope of tangent$ * Sally Bani Vaseen smi)e

No. * avarage acceleration &- will · change in velocity per unit of time تخبر السرعة المنسة للزحن a = Dr - vr - Vi DE DE +ve · Vr > V; - a>0 acceleration 54; Constat Velocity • re = r: -> a =0 decelerastion ispel · VP < Vi -> a <0 Flectrical | Computer | Mechatronics ELCOM-HU.com * Instantantous acceleration a = Lim Dr Dt = D Dt $\alpha = \frac{dv}{dt} \quad j \quad v = \frac{dx}{dt}$ $\alpha = \frac{d}{dt} \left(\frac{dx}{dt} \right) \quad \alpha = \frac{d^2x}{dt^2}$ المنا توق تا نده * Sally Bani Vaseen

No. 10 * equation of motion :- Essicitor سوط وطريان about I Constant accelearation Usis derie que juil & فترة زفينة * تحرف الكتلة 2) We have constant mass a = Ve - Vi tp-(i) - Zero oftigulia a trong tre -v-1 = at [WF=Vita acceleration constant Constant alulaistas معادلة في المستقيم y = mx + b slope y_inter step Ve = at + V; Ve V: 102 *Since we have constant 6/2 = 3 7012 acceleration 40 + 35 50 F=VF+Vi jbut F=DX DE 60) # Sally Bani Yaseen smi)e

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$$\Delta x = \frac{1}{2} (v_i + v_p)$$

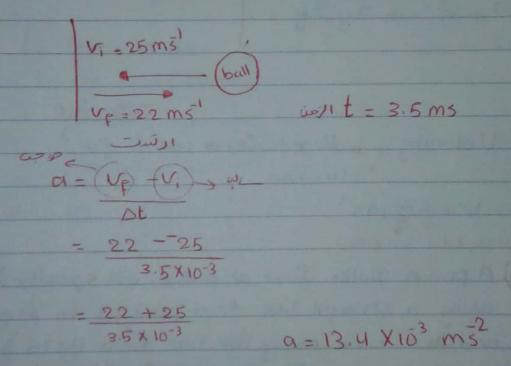
 $\Delta x = \frac{1}{2} (v_i + v_p)$
 $\Delta x = \frac{1}{2} (v_p)$
 Δx

 $a = \frac{dr}{dt}$ $\int \frac{d}{dt} = \int \frac{d}{dt}$ $V_{i} = \int \frac{d}{dt}$ $D_{i} = \int \frac{d}{dt} = D_{i} = Area \text{ under } a \ge \frac{d}{dt}$ Curve avea a Area = DU L Dr=a Dt $V_{\mathbf{F}} - V_{\mathbf{i}} = \alpha (t_{\mathbf{F}} - t_{\mathbf{i}})$ Ve= Vi + at $v_i = dx$ Bul $\frac{dx}{dt} = \frac{\sqrt{1}}{t} + \frac{dt}{dt}$ $\frac{x^{p}}{\int dx} = \int (\sqrt{1} + \alpha t) dt$ DX = J(vi+ al) dt _ DX = Area under 0 2 area v&t curve Avea = DX $DX = V_i t + \frac{1}{2} a t^2$ * Sally Bani Yaseen smile

No 13 * Free falling :-سقراحد (نسا،ع، المانية) - motion due to gravity حرحة فى عال الحاذية الأجنية $a \equiv g = q_1 g m s^2 \approx 10 m s^2 down$ Ve = Vi = gt Dy = 1 (ri+re) E g = 10 down Dy = vit + t gt2 = -10 VF2= Vi2 + 29 Dy 12-2-2018 * Velocity Magnitude = speed dirction V= G5 ms speed اتحاماليا, أوللأسط (23) A person walks first at a constant speed of 5 m/s along a straight line from point A to point B and then back along the line from B to A at a constant speed of 3m/s A 5mst B constant speed a) what is her avarage speed over the entire trip?" Average speed = total d $S = \frac{d}{t} = \frac{t_{otal} t}{t_{+L}}$ نف المافة 🛋 الوقن وصكن A-B > X=5t1 - t1 = X $= \frac{2 \chi}{t_1 + t_2}$ B -A + X=3t2 -> t2= X S= 2X = (.) m5' *Sally Bani Vasa mile

What is her average velocity over the entire trip? Average velocity = 0 ==== asul, ar b

Q14) A 50.0 -9 super Ball traveling at 25 ms' bounces off a brick wall and rebounds at 22 ms' A high-speed camera vecords this event. If the ball is in contact with the wall for 3.5 ms, what is the magnitude of the average acceleration of the ball during this time interval ?



Q21) A particle moves along the X axis according to the equation X = 2 + 3t - t² where X is in meters and t is in seconds, At t= 35, Find =a) the position of the particle ? X=2+3t-t2 -+ t=35 x = 2 + 3×3 - 32 # Sally Bani Yaseen X = 3m

(52) (22) ×

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smi)e.

No. 15 b) its velocity? yoticipite Uelocity = dX = 3-2t dt = 2-22 3-2*3-1-10 11 = (3 m 5) spred = 3 M c) Its acceleration ? Velociture Q = dV = -2 m5² Velociture de Q24) An object moving with Uniform acceleration has velocity of 12 cms' in the positive X direction when its X coordinate is 3 cm. If its X coordinate 2 s later is -5 cm what is its acceleration ? V= 12 cms', X1=3cm, t=2s, Xp=-5cm DX = -8 cm $DX = v_{1}t + \frac{1}{2}at^{2}$ -8=12×2+1a4 8 = 24 + 2a 2a = -3224 - 34 - 29= (016 cm. 5-2 * Find Ve Ve=V, +at VP = 12 + -16 × 2 Ve = -20 m3 السارع في المجاه المحاك و عان هدا في زارت عدى الرحة * Sally Bouni Yaseen smi)e tor Hite

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No. Q38) A particle moves along the x axis. Its position is given by the equation $X = 2 + 3t - 4t^2$ with x in meters and t in secounds. Determine a) its position when it vehander double changes direction b) " velocity " " returns to the position it had at t=0 $X = 2 + 3t - 4t^2$ Position when change direction V=0V= dx . V= 3-8t 0-3-8t 3 = 8t - t = 3 Sec. $X = 2 + 3 \times 3 = -4 \left(\frac{9}{6u}\right) = () m$ Q51) A ball is thrown directly downward with an initial speed of 8 ms' from a height of 30 m After what time interval does it strike the ground? اجبلامرخ Jis Vi= 8ms 30 M Dy = yp - yi Vi = -8 mi yer -30 m g = -10 $Dy = V_1 t - \frac{1}{2} gt^2$ $-30 = -8t - \frac{1}{2}10^{2}t^{2}$ 5t2 + 8t -30 = 0 * Sally Bani Vascen smi)e ter the

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12-2-2018

18 A position-time graph for a particle moving along Q7 the X axis . (a) Find the average velocity in the time interval t=1.50 to t=45 12 V = DX = XP - XiDt to t: 10. te - ti 8 -2.4 ms1 4-= 2 - 8 = -6 = -69-0 (b) Determine the instantaneous velocity t(s) at t=25 by measuring the slope of the tangent line shown in the graph $V = X = \frac{6}{2} = 4 \text{ ms}^{-1}$ (c) At what value of t is the velocity zero F-2 5 to t=55 Q19) A particle starts from rest and acceleration as shown. Determine ica the particle's speed at t= 10.0s and at t= 20.5 a, (m/s2) 2 a = DV 1 V = Da * Dt 0 5 10 15 V= (-3-0) * (20-10) V = -3 × 10 = -30 ms speed= 30-3 (b) the distance traveled in the first 205 SED D = 600 m. 30 =0 smi)e #Sally Bani Vaseen

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No. 19 Q20) An object moves along the x axis according to the equation X=3t²-2t+3 where x is in meters and t is in second. Determine. (a) The average velocity between t=2s to t=3s V= DX Xp= 3×9 -2×3+3 =24M X1= 3*4 - 2*2 +3 = 11 m $V = \frac{24 - 11}{3 - 2} = 13 \text{ m} \cdot 5^{1}$ (b) the instantaneous speed at t=2s and t=3s V= dx - V= 6t -2 at [t=2s] - = + 2 - 2 = 10 mis' - = speed = 10 mis' at (t=35) - V= BX3 -2 = 16 m.5' - Speed = 16 m.5' (c) The average acceleration between t=2s and t=3s a = Dr Dt ELCOM-HU.com d) the instantaneous acceleration at t=2s and t=3s $a = dV \Rightarrow a = 6 m \cdot 3^2$ el At what time is the object at vest? * Sally Bani Vaseen smi)e....

(Q28) A truck covers 40 m in 8.50s while smoothly slowing
down to a final speed of 2.8 ms¹
In Find its original speed
$$X = 200 \text{ m}, t = 8.5 \text{ s}, U_f = 2.8 \text{ ms}^{-1}$$

 $DX = \frac{1}{2}(v_i + U_f)t = 40 = \frac{1}{2}(v_i + 2.8) 8.5 \text{ ms}^{-1}$
 $Q.41 = v_i + 2.8)$
 $V_i = 6.61 \text{ ms}^{-1}$

(b) Find its acceleration

 $V_{\rm F} = V_{\rm I} + at$ 2.8 = 6.61 + a + 8.56.61 - 6.61 -

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a + 8.5 = -3.81 a = 0.44 m.5² 8.5 8.5

(235) The driver of a car slams on the brakes when he sees a tree blocking the road. The car slows Uniformly with an acceleration of -5.6 m. 52 For 4.25 making straight skid marks 62.4 m long, all the way to the tree. with what speed does the car then Strike the trep? X=62.4 m , a= -5.6 m.52 , t= 4.25

DX = V: E + 1 at2 = 52.4 = V: * 4.2 + 1 * 5.6 * (42)

62.4 = V; ¥ 4.2 + 49.3 13.1 = V; ¥42. Vi= 301 m5 4.2 4.2

VE = Vi + at 1 =1 311 + - 58 × 4.2

VF = (10,5 m3)

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* Sally Bani Vascen.

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Que A baseball is hit so that it travels straight upward after being struck by the bat. A fan Observes that it takes 3s for the ball to reach its maximum height Find (a) the ball's initial velocity

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(b) the height it reaches

(a) If Priction can be ignored, how high would an arrow

launched at this speed vise if shot straight up?

(b) How long would the arrow be in the air

* Sally Bani Vareen smi)e.....

No. 22 Q 53 A student throws a set of keys vertically upwould to her sorovity sister, who is in a window y.m above - The second student catches the Keys 1.5 s later t=1.55 5556 a) with what initial velocity were the keys thrown? $\Delta y = + 4m$ t = 1.5 s g = - 10 ms2 V:= 7? Dy= Vit + + gt2 $4 - U_1 \times 1.5 + \frac{1}{5} (-10) \times (1.5)^2$ Ui = 10 ms' b) what was the velocity of the keys just before they were Caught? UP=?? Up = Ui + at Up= 10 - 10 × 1.5 Up= (5 m3) بحرواوجل احقو القواع # Sally Bani yasen smi)e

14-2-2018 No. Q52 A ball is thrown upward from the ground an initial speed of 25ms' at the same instant, another ball is dropped from building 15 m high. Alter now long will the balls be at the same height above the ground 2 Vi=D (15-y) ball 2 15m y - U; = 25 ms' Dy = -(15-4) $g = -10 \text{ ms}^2$ all 15,2,2 6-109/4P V; = 0 Dy=Vit + 1 gt2 2592 2 3 15-y = Ot -5 22 ball 1 Dy=y V12 25 mi الحن 15-(251-512)=-512 Dy= Vit + 1gt2 15-25t = 0 $y = 25t - 5t^2$ 25t = 15 t=0.65 == y=25t-5E2 = 25 + 0.6 - 5 (0.6)2 = 15 - 5 + 0.35 = 15 - 1.8 = 13.2 ms' le : 5,12 ون سطرها وزن Dy= -50 U:=+90 E=?? وم للإعلى رحة $g = -10 m s^2$ 50m $U_{i} = 20 m s'$ $\Delta y = V, t + \frac{1}{2} q t^2$ رجع كم الوقت الذك استعرقة 7- تا -50 = 20t + 5 t2 -b + Nb2-yas justiles $51^2 - 20t - 50 = 0$ $f^2 - 4f - 10 = 0$ t= 1.75 S. * Sally Bani Vave -4 + NIG-4*-10, -P smi)e tur lite

j.e Ui = -20 0 80 5/ قذف للأحل $50 = -20t - 5t^2$ V; = 20m 50m -20t -5t2 +50 =0 t= 77

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 $4t + t^2 + to = 0$ t2+41 +10=0 $t = -b \pm \sqrt{b^2 - 4ac}$ 20 t = -4 = 16 - 4×1×10

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* الزفن معنود بنه ; عن الزول ?? - ٤ * الرف معنود بنه ; عن الزول ؟? - ٤ * الرون معنود بنه إلازم المزاده = ٥ الرف اللازم المح المواه = ١٥ 1-0 up, ×1 je للحودة Dy = Vit + Lagt2

$$0 = t(100 - 5t)$$

$$t = 20 \text{ sec}$$

 $0 = 100 \pm 451^2$

$$t = 20 \pm \sqrt{240}$$
 $t = 20 \pm \sqrt{400} - 4 \pm 14 \pm 40$
 $t = 20 \pm \sqrt{240}$ $\Rightarrow t = 2.25 \text{ sec}$ $\ddagger \text{sally}$

200 = 10

5

or t= 17.7 see Scanned by CamScanner

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-> t = 2.25 sec . * sally Bani Valen

$$\frac{14-2-2018}{25}$$

$$\frac{1.6}{5}$$

$$\frac{5}{5}$$

$$\frac{1}{5}$$

$$\frac{1$$

No. Ch 3 =- Vectors & Scelars - 100 برها وقدار وتحمع عدا جررا لدها وقدار واقاه * Nectors - quantities that characterized by magnitude & direction * Scelars - quantities that charactarized by magnitude only 19-2-2018 * Component method * 4 Ay Ð 3.60 Ax AY X AX $\cos \theta = Ax \Rightarrow AX = A \cos \theta$ المحادر $Sin \theta = Ay \rightarrow Ay = A sin \theta$ اعقابل وتر till tand = Ay = D = tan' Ay Ax Ax () = 1 Al = 1 Ax² + Ay² # Sally Bani Vascen smi)e

$$I = A = -32 + 43$$

$$I = A = -32 + 43$$

$$I = A = -32 + 43$$

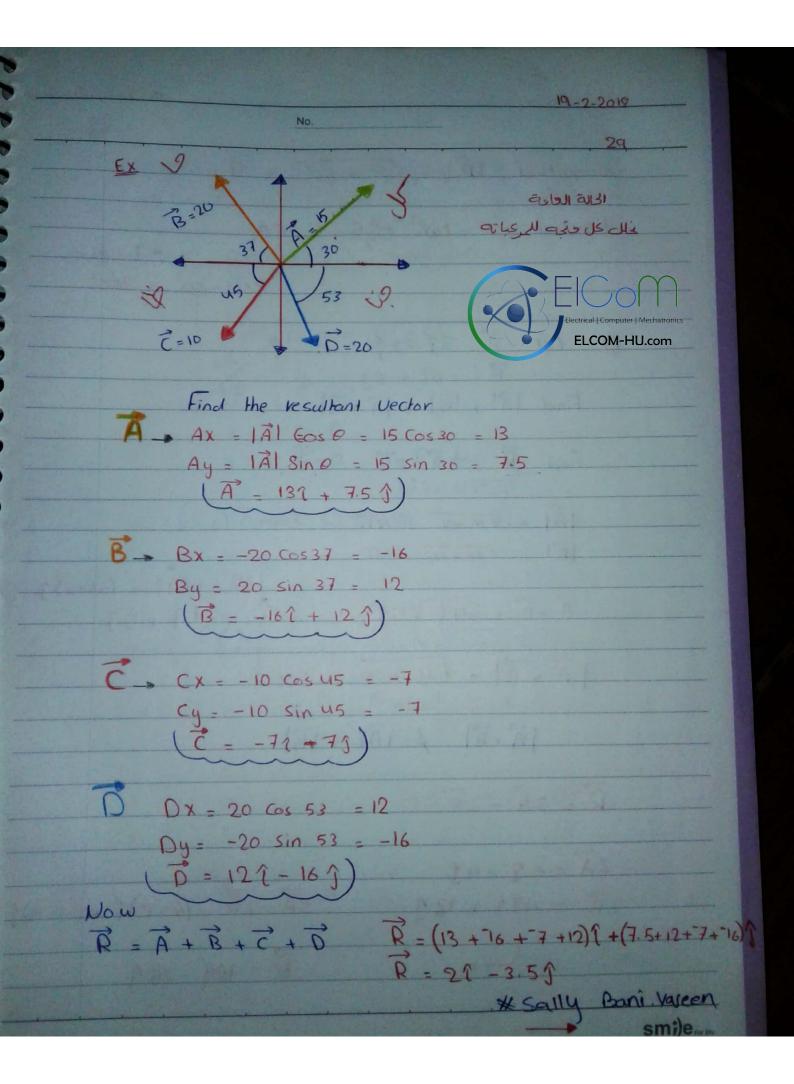
$$I = -5$$

$$I = 0 = tan^{2} + -37^{2}$$

$$I = -37^{2} + 43^{2}$$

$$I = -37^{2} + 53^{2}$$

$$I = -37^{2} + 53^{$$



$$M = \frac{30}{30}$$

$$M = gnitud |\vec{R}| = \sqrt{2^2 + 35^2} = 4$$

$$direction = \theta = tan^2 + 85 = 560$$

$$Z = 200^{\circ}$$

$$E = 1ct - \vec{R} + 22 - 35$$

$$E = -ct + 85$$

$$Find |\vec{A}| + |\vec{E}| + |\vec{A}| + \vec{E}$$

$$Fod |\vec{R}| = 3\vec{A} - 2\vec{E}$$

$$|\vec{A}| = \sqrt{440} = 10$$

$$(2 - 46)f + (-348)f$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 25 = 6.44$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 25 = 6.44$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 25 = 6.44$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 25 = 6.44$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 25 = 6.44$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 25 = 6.44$$

$$|\vec{A} + \vec{E}| = \sqrt{16} + 2\vec{E} = (6 - 10)f + (-9 - 10)f$$

$$\vec{R} = 18f - 25f$$

$$\vec{R} = 18f - 25f$$

$$\vec{R} = 18f - 25f$$

in general
$$\vec{A} = A \times \hat{1} + A \hat{1} \hat{1} + A \hat{2} \hat{k}$$

* Polar Coordinates 3- audented

No.

$$(x,y) = (R, \Phi)$$

$$x = r \cos \theta$$

$$y = r \sin \theta$$

$$G = tan^{1} \frac{y}{x}$$

$$Irl = \sqrt{x^{2}+y^{2}}$$

$$-5.6) \text{ Convert to } (r, \theta)$$

$$\theta = 180 - 50$$

 $\theta = 130$ $(-5, 6) = (7, 130^{\circ})$

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* Sally Bani Vaseen.

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19-2-2018 No. H-w I The polar Coordinates of a point are r=5.50 m and 0= 240°. What are the Cartesian ap coordinates of this point? 360 9-181 X=VCOSO y= v sin 0 X = 5.50 Cos. 0 4 = 5.50 Sin 60 X= 5.50 × 0.5 y= 5.50 × 0.86 x = 2.75 | y= 4.73 (5.50, 240) = (2.75, 4.73)Q2 The rectangular coordinates of a point are given by (2, y) and its polar coordinantes (r, 30°) Determine :a, b) the value of y and r X=Y COB D 4= V Sin 0 2 = Y Gos 30° 4=2.3 511 30 4=23+0.5 2= + + 0,86 0.86 0/85 4=1.15 r = 2.3 * Sally Bani Valeen

19-2-2018 No. H.w 33 Q3 Two points in the Xy plane have Cartesian Coordinates (2,4) m and (-3,3) m. Determine a) the distance between these points ×2 3) 4 (2,4) -3 2 112.5 Distans - ~ (X_-X,)2 + (42-41)2 = N(-3-2)2 + (3-4)2 - N25+1 = N26 = 5.09 M b) their polar coordinates (24) V= Nx2+42 120 = 4.4Y = 4.2Y = 4.2V= Jut 16 = 120 = 4.4 0 = tan 4 = 63.4° $0 = \tan^{-1} - 3 = -45^{\circ}$ 0=150-45 (4.2,135°) (4.4, 53.4") Q10 A force F1 of magnitude 6 units acts on an object at the origin in a direction 0=30° above the positive xaxis, A second force F2 of magnitude 5 units acts on the object in the direction of the positive yaxis. Find graphically the magnitude and direction of the resultant Force F1 + F2 X = V COS 0 36 = V X 0.8 F2 5 E = 61 + 3.751 6 = V COS 30 X = 7.5 F2 50 F1 = 61 + 3.751 y=rsingo $\vec{F}_{2}=0i+5j$ $R=F_{1}+F_{2}$ y=7.5 x-0.5 R = 61 + 8.751 $|R| = \sqrt{36 + 76.5}$ y = 3.75= 10.6 A= ton 8.75 = 55.5° smi)e....

19-2-2018 No. 34 Q23 Consider the two vectores A = 31 - 21 and B = - î - 4j Calculate a) A+B bA-B $C) |\vec{A} + \vec{B}|$ d) A-BI 5 e) the divections of $\vec{A} + \vec{B}$ and $\vec{A} - \vec{B}$ a) = $\vec{A} + \vec{B} = 2\hat{1} - 6\hat{j}$ $\theta = \tan^{1} \frac{-6}{2} = -71.6^{\circ} \quad \theta = 180 - 71.6^{\circ}$ 0= 108.4 b) = A - B = 41 + 21 Q= tañ 2 = 26.5 C) A+B=21-61 IA+BI= N4+36 = N40 = 6.32 a) A-B = 41-21 IA-B) = VI6 + 4 = V20 = 4.47 e) AtB 9=108.4° A-R 0= 26.50 * Sally Bani vaseen smi)e

19.2.2018

Q29 The helicopter view in Fig shows two people Pulling on a stubborn mule. The person on right pulls with a force Fig of magnitude 120 N and direction of Q=60°. The persone on the left pulls with a force Fig of magnitude 80 N and direction of Q2 = 75° Find a) the single force that is equivalent to the two forces sho

NO.

b) the force that third person would have to exert on the mule to make resultant force equal to zero

Q31 Consider the three displacement vectors A= (32-3) m B= (1-4)m and C= (-21+5)m Use the component method to determine . a) the magnitude and direction of D= A+B+C $b) " " " " " \vec{E} = -\vec{A} - \vec{B} + \vec{c}$ a) $\vec{D} = \vec{A} + \vec{B} + \vec{c} \Rightarrow \vec{D} = 2\vec{1} - 2\vec{j}$ magnitude IDI = VU+4 = TE = 2.8 Direction $\theta = \tan^{1} - 2 = -45$ 180-45 b) E=-A-B+2 == +61 +1252 0= 135° Magnitude, [E] = N36+144 = 180 = 13.4 0= 180 - 63.4 0= 116.6° smi)e.... Direction Q= tan 12 = -63.4

Q36 Given the displacement vectors A = (32-45+4)m and B = (22+3) - 7k) m find the magnitudes of Following vectors and express each in terms of its rectangular components a) $\vec{c} = \vec{A} + \vec{B}$ 6) D = 2A -B a) $\vec{c} = \vec{A} + \vec{B} \implies \vec{c} = 5\hat{c} - 1\hat{j} - 3\hat{k}$ $|\vec{c}| = \sqrt{5^2 + (1^2 + (-3^2))} = \sqrt{32} = 5.9$ b) D = 2Ã - B = D = 22 - 14 J + 22 K $|\vec{D}| = \sqrt{2^2 + (-14)^2 + 22^2} = 684$

(738 Three displacement vectors of a croquet ball a where $|\overline{A}| = 20$ units, $|\overline{B}| = 40$ units and $|\overline{C}| = 30$ units Find a) the regultant in unit vectore notation b) the magnitude and direction of the resultant displacement

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Sally Bani yaseen smi)e

Q20 A girl delivering newspapers covers her route by traveling 3 blocks west, 4 blocks north and then 6 blocks east of Et a) what is her resultant displacement

No.

 $\vec{v}_2 = um$ $\vec{v}_1 = 3m$ $\vec{v}_1 = 3m$ $R = \vec{r_1} + \vec{r_2} + \vec{r_3}$ $V_1 = -31 + 01$ $\vec{r_2} = O\hat{i} + u\hat{j}$ V3 = B2 + 03

 $\vec{R} = 3\hat{i} + 4\hat{j}$ $direction \quad \theta = tan^{1}\frac{4}{3} = 25.3$ $direction \quad \theta = tan^{1}\frac{4}{3} = 25.3$

Distans = 4 + 3 + 6 = 13 m

Q 32 Vectors \vec{A} has x and y components of -8.70 cm and 15.0 cm respectively vector \vec{B} has X and y components of 13.2 cm and -6.6 cm respectively IF $\vec{A} - \vec{B} + 3\vec{c} = 0$ what are the components of \vec{C} ? $\vec{A} = -8.7(1+155)$, $\vec{B} = 13.2(1-6.63)$ $\vec{A} - \vec{B} + 3\vec{c} = 0$ $3\vec{c} = \vec{R} - \vec{A}$, $\vec{c} = \frac{1}{3}(\vec{R} - \vec{A}) = \frac{1}{3}[(21.9)(1 + (21.6))]$ $\vec{C} = 7.3(1 + 7.25)$ Hw $\vec{A} - \vec{B} + 3\vec{c} = 4(1+6)$ Hw $\vec{A} - \vec{B} + 3\vec{c} = 4(1+6)$ $\vec{Solly Bani Yaseen smile ...}$

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37

$$\frac{Q37}{B} = \frac{1}{A} = 6\hat{1} - 8\hat{1}$$
$$\frac{1}{B} = -8\hat{1} + 3\hat{1}$$
$$\vec{C} = 26\hat{1} + 19\hat{1}$$

if aA+bB+C=0 where a, b constants Find a,b

38

$$aA = 6ai - 8ai$$

 $bB = -8bi + 3bi$
 $c^{2} = 26i + 19i$

QA+ bB+ C=0 (6a - 8b + 26) (+ (-8a + 3b + 19) J =0

6a -8b +26 =6 -8a +3b +19 =0 $3b = 1(8\alpha - 1\alpha)$

 $b = \frac{1}{2} (8a - 19)$ 6a -8b+26=0

6a - 8×12 (8a-19) +26 =0

666666444 6a - 2.6 (8a -1a) +26=0 6a - (20.8 - 49+4) + 26 =0 6a - 20.8a + 49.4 + 26 =0 -14.8a + 75.4 =6 -14.8 a = -75.4 -14.8 -14.8 6*5.09-86+26 =0 [q=5.09] 30.54-86+26=0 -8b = - 56 . 54 . -8 smi)e.... b=7.06

39 $H = \omega \vec{A} + \vec{b} \vec{B} + \vec{c} = 6(1 + 10)$ a(62-83) + b(-82+33) + (262+193) = (62+103)a(62-83)+ b(-82+33) + (202-93)=0 $\frac{6a-8b-20}{6a-8b-20} + \frac{(-8a+3b-q)}{5} = 0$ 6*022-810-18 601-86-20 =0 -84+36-9=0 36=89+9 b= 1 (8a+9) 6a-8b-20 =0 6a - 8 × 1 (8a+a) -20=0 = 6a - 2.6(8a+a) -20=0 6a - 20.8a + 23.4 - 20 =0 -148 q +3.4 =0 h:-4 Motion in 2-0)-14.8 a = -3.4 a = 22 Dosition Vector R'O (XF, YF) $\vec{Y} = X\hat{1} + Y\hat{1}$ Displasment Dr Dr = re -ri X $= (Xe_1 + Ye_1) - (Xi_1 + Yi_1)$ $= (x p - x i) \hat{\tau} + (y p - y i) \hat{J}$ Displasment Vector Dr= DX1 + Dy J # Sally Bani Laseen

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21-2-2018

40

· Velocity Vector V

 $\vec{V} = \vec{D}\vec{V} = \vec{D}\vec{X}(t+Dy)$ $\overline{V} = V_{x} \hat{I} + V_{y} \hat{J} \quad \text{or } \vec{V} = d\vec{r}$

· acceleration vector

a = DV $\vec{a} = a_{\chi} \hat{i} + a_{\gamma} \hat{j}$

* So equations of motion

IVF = Vi + at

 $2 Dr = L (V_1 + V_p) L$

3 Dr = Vit + 1 at

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#Sally Bani Yaseen

21-2-7018 91 GG A particle initially located at the origin has an acceleration a=3 jm/s2 and an initial velocity of Vi=51 ms' Find Vr , speed $\vec{a} = 0\hat{i} + 3\hat{j}$, $\vec{V}_i = 5\hat{i} + 0\hat{j}$, $\vec{r}_i = 0\hat{i} + 0\hat{j}$ at t=2 $Dr = v_1t + \frac{1}{2} dt^2$ rp= 101+61 Ve=Vi+at $V_{F} = (151+01) + (01+31) + 2$ $Ve = 5\hat{l} + 6\hat{j}$ Speed |VF = 125+36

* Sally Bani valeen

42

P2 A fish swimming in a horizontal plane has Velocity $\overline{U}_i = u_i^2 + 1j$ ms' at a point in the Ocean where the position relative to a certain rack is $\overline{r}_i = 10\hat{i} - u_j^2 m$. After the Fish swims with constant acceleration for 205 its velocity is approximation $\overline{V}_p = (20\hat{i} - 5\hat{j})$ ms'

a) What are the components of the acceleration of the fish & the $\overline{V_F}$ $\overline{V_i} = u(i+1)$, $\overline{V_F} = 20i-5j$ $\overline{V_F} = \overline{V_i} + \overline{a}t$ $\overline{V_F} = \overline{V_i} + \overline{a}t$ $\overline{20i-5j} = (u(i+1)) + \overline{a} + 20$ $\frac{16i-6j}{20} = \frac{20\overline{a}}{20}$ $\overline{a} = 0.8i - 0.3j$ χ \overline{y} $\overline{V_F} = 250i - uuj$

b) What is the direction of motion all direction of the velocity Up t-25 sec

$$V_{f} = V_{i} + \alpha t$$

divection
$$V_{f}^{2} = (4i + 1j) + (0.81(-0.3j) + 25)$$

$$V_{f}^{2} = (4i + 1j) + (20i - 7.5j)$$

$$V_{f}^{2} = (24i - 6.5j)$$

$$V_{f}^{2} = (24i - 6.5j)$$

$$V_{f}^{2} = (24i - 6.5j)$$

$$V_{f}^{2} = \sqrt{576 + 43.56} = 24.8$$

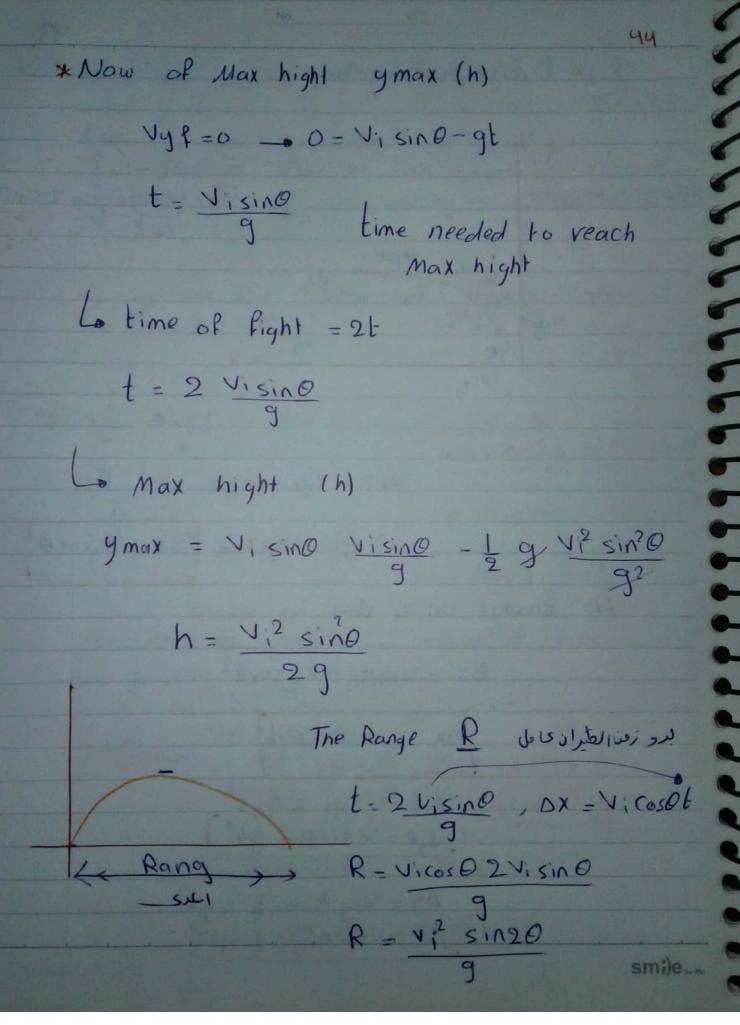
$$\Theta = \tan^{-1} 6.5 = \sqrt{800} = 24.8$$

$$\Theta = \tan^{-1} 6.5 = \sqrt{800} = 24.8$$

$$\Theta = \tan^{-1} 6.5 = \sqrt{800} = 24.8$$

26-2-2018 No. 43 $\vec{a} = 0\hat{l} - 10\hat{j}$ $\vec{v_i} = v_i \cos\theta \hat{l} + v_i \sin\theta \hat{j}$ $v_i \chi$ 3 Vig vi vx vy vx vx quei (X-axis) VxP=Vyi + axt Vxp = Vyi => Vxp = Vicos0 No change on Vx the Vx ax =0 :ep DX = Vixt + Lax12 DX = V; CosOt y-axis) Vyf = Vyi + ayt2 Nyf = Visino - gt2 10 Dy = Viy = + & ayt2 [Ay = Visinot - + gt2 smile ...

26-2-2018



No. 45 R max -> sin 20=1 20=90 -> 0=45° -> Usedela 0=75 0=60 ا کبر- ایلی 0=45 وری 0=30 9=15 DX = Vi Cosot Now t= DX Vicoso Dy = Visinot - f gt2 $\Delta y = V_{i} \sin \theta \Delta x - \frac{1}{2} g \Delta x^{2}$ $y = x \tan \theta - g X^{2}$ $2 V_{i}^{2} \cos \theta$ ووارلة #Sally Bani Yaseen

Q13 In a local bar, a customer slides an empty beer muy down the counter for a tefill The height of the counter is <u>1.22m</u> The mug Slides off the counter and strikes the floor 1.4 m from the base of the counter.

a) with what velocity did the mug leave the counter?

 $DX = V_i X t + \frac{1}{2} \alpha X t^2$

1.4m

1.4 = Vit 0

 $-1.22 = -\frac{1}{2}10$ t^2

 $-1.22 = -5 t^2$

t= 0.5 sec

Vi= 2.8 m3

50 1.4 = Vi * 0.5

but Dy = Vigt + 1 ayt2

aX = 0 ay = -9

Vix = Vi Viy = 0

counter

Vi=?

1.22M

PY

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* Sally Bari Yasan

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6

0

0

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b) what was the direction of the mugi velocity just before it hit the floor?

No.

$$\vec{v}e = ??$$

 $\vec{a} = 0\hat{1} - 10\hat{1}$
 $\vec{v}i = 2.8\hat{1} + 0\hat{1}$
 $t = 0.5$ sec

at the short of these

$$\nabla \vec{e} = \vec{v} + \vec{a} t$$

 $\vec{v} \vec{e} = (2 \cdot 8(1 + oj) + (0(1 - 10)) \times 0.5)$

$$V_{e} = 2.8(1 - 5)$$

$$|\sqrt{p}| = \sqrt{7.84 + 25} = \sqrt{32.84} = 5.7$$

$$\theta = \tan \frac{-5}{2.8} = -60.7$$

H.w Q1 A motorist drives south at 20 ms for 3 min then turns west and travels at 25 ms for 2 min and finally travels northwest at 30 ms' for I min For this 6 min trip find. a) the total vector displacement Displacement vector DY = DX (+DY)

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* Sally Bani Yaseen

b) The avarage speed

c) The average velocity

1 . 11- 7 - 2

Suppose the position vector for a particle is given as a function of time by r(t) = XILII + Y(H) with X(t) = at +b and Y(t) = Ct² +d where a = 1 ms², b = 1 m concentration, c = 0.125 m s² and d = 1 m
and d = 1 m
a) Calculate the average velocity during the time interval from t=2s to t=4 s

V=(at+b1)+(ct2+d) 3

J=(1*2+1)[+(0.125*16+1)]

Vadr To Jal+Ves

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#Sally Bani yaseon

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49 b) Determine the velocity and the speed at t=25 Electrical | Computer | Mechatronic @7 The vector position of a particle varies in time according to the expression r= 31-6t2 j where F is in meters and t in second. a) Find an expression for the velocity of the particle as a function of time b) Determine the acceleration of the particle as a function of time c) Calculate the partices position and velocity at t= 1 see.

Sally Borni Yaseen smi)e....

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Q10 A snowmobile is originally at the point with position vector 29 m at 95° counterclockwise From the X-axis, moving with velocity 4.5 m5' at 40° It moves with constant acceleration 1.9 m5² at 200° After 55 have elapsed Find

a) its velocity

b) its position vector

 Q_{12} An astronaut on a strange planet finds that she can jump a maximum horizontal distance of 15 m if her initial speed is 3ms' what is the free fall acceleration on the planet? $V_1 = 3ms'$ V = 15m

*Sally Bani Vascen

15 A projectile is fired in such a way that its horizontal range is equal to three times its maximum height. What is the angle of projection ?

No.

Q33 The athlete rotates a 4.0 kg discus along a Circular path of radius 1.06 m The maximum speed of the discus is 20 m.3' Determine the magnitude of the maximum radial acceleration of the discus

* Sally Bani Yaseen smi)e....

51

Q38 An athlete swings a ball, connected to the end of a chain in a horizontal circle. The athlete is able to votate the ball at the vate of 8 vev. s' when the length to 0.9 m he is able to votate the ball only 6 vev 15' a) Which vate of votation gives the greater speed

for ball ?

b) What is the centripetal acceleration of the ball at 8 rev. 5'?

c) What is the centripetal acceleration at 6 ver. 5'?

& Sally Bani Valeen smi)e

26-2-2018

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$$\frac{1}{12} = 10 \text{ m}^{10}$$

$$\frac{1}{12} = 10 \text{ sc}$$

$$\frac{1}{142} = 10 \text{ sc}$$

$$\frac{1}{142} = 10 \text{ sc}$$

$$\frac{1}{14} = 0 \text{ f}^{-10} \text$$

Dy=27

DX

Ex

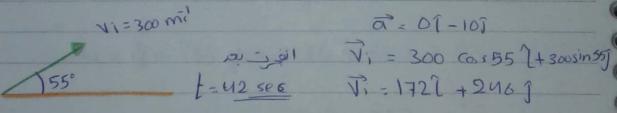
 $a = 0\hat{i} - 10\hat{j}$ Vix = Vix GS 0 = +10 GS37 = 8Viy = Viy Sin0 = -10 Sin = -6

54

 $\overline{V}_{1} = 8[-6]$

 $Dy = -6 \times 10 -5 \times 100 = -560 \text{ m}$ $Dx = 8 \times 10 = 80 \text{ m}$ $\overline{Dr} = 80[-560]$

Q16 To start an avalanche on mountain slope an artillery shell is fired with an initial velocity of 300 m.3' at 55 0° abothe the horizontal It explodes on the mountainside 42 s after firing what are the X & y coordinates of the shell where it explodes relative to its firing point



 $\vec{DY} = \vec{V}_1 t + \frac{1}{2} \alpha F^2$ $\vec{D}\vec{v} = (172 (+246)) \times 42 + \frac{1}{5} (0(-10)) \times (42)^2$ الحسر، الحرب الحن حرق ومن الحرب - رجمن الحرب DY = VP = V, + at = VP = (1721+246j) + (01-10j) * 42 Ne=(1721 - 1741) Dx by smi)e.... سابه الغرب وهر تازلة

No. .55 923 A placekicker must kick a football from a point 36 m (about 40 yards) from the goal. Half the crowd hope the ball will clear the crossbar, which is 3.05 m high. when Kickeel, the ball leaves the ground with a speed of 20 ms' at an angle of 53.0° to the hovizantal a) By how much does the ball clear or fall short of cleaning the crosshar Vi=20m? 3.05m 36m -دنس وم اذا کانی <u>ME</u> تحقق لعدف Dy = Vigt + 1 ayt2 Dy=20 sin 53 * t - 5 t2 الزون عش وحد LOCO XA Dy = 16 +3 -5 +9 DX = Vixt + 5 axF2 Dy = 48 - 45 Dy=3 m * DX = Viv E 36=20 @s 53 Xt 36= 12 t t= 3 sec * sally Bani Yasean smi)e

H.W

Q20 A ball is tossed from an upper-story window of a building. The ball is given an initial velocity of gms' at an angle of 20° belw the horizontal. It strikes the ground 3s later a) How Par horizontally from the base of the building does the ball strike the ground

56

$$v_{12} = 8m_{1}^{2}$$

 z_{20} $\overline{a} = 0(1 - 10)$

p

$$t = 3s$$

DX 72

$$5X = V_{1X} \times E + \frac{1}{2} \alpha_{X} E^{2}$$

b) Find the height from which the ball was thrown Sy = ?? $Sy = Niy + \frac{1}{2} ay t^{2}$ = 8 Sin 20 + 3 - 5 + 9 $= 8 \cdot 2 - 45$ Sy = -36.8 mc) Haw long does it take the ball to reach a point 10.Dm below the livid of launching ? - bt $\sqrt{b^{2} + 4ac}$ $Dy = Niy + t + \frac{1}{2}ayt^{2}$ $= 27 + \sqrt{72a + 455 + 76}$



Sec. 5-3-2018 No. (* Circular motion :-) الحركة الدائرية VE-VI $\overline{\alpha} = \underline{NV} \rightarrow \underline{NL} = \overline{\Omega}$ حداراً واتجاه Call V is a vector . change the magnitud (speed) Lo Changing V changing the direction Rie V=2m3' Ji= 21 تخير ف_ الاتحاه Ve=2j Lo changing the speed greats the linear acceleration (tangential acceleration) $a_t = \frac{DIVI}{Dt}$ 6 while changing the direction greats the Centratiple acceleration (radial acceleration) ar = vr- radial حركة الخيم at / ar at ابحاه المسرعة 0-480131 at

 $\alpha_{t} = \frac{D\overline{N}I}{Dt} = \frac{d\overline{V}}{dt}$ is always toward the tangent at $a_r = \frac{V^2}{r}$ 15 alway toward the center Uniform Circular motion 5 at=0 -> No change is speed only chang 5 in direction 5 Non uniform circular motion Change is speed & Change in direction ar & at حتطورتيان b ar & at is always perpendicular ar Lat (ator = arr + ar 0) ŶLÔ $\left| \overrightarrow{a}_{tot} \right| = N \overrightarrow{a}_{r}^{2} + \overrightarrow{a}_{r}^{2}$ smi)e

58

Q36 A tire 0.5 m in radius rotates at a constant rate of 200 yes/min. Find the speed & acceleration of a small stone lodged in the tread of the tire

$$V = n 2 \pi$$

t
= 200 * 2 T

× 60



$$a_r = \frac{V^2}{r} = \frac{(10.5)^2}{0.5} = 214 \text{ ms}^2$$

Quo The total acceleration of a particle moving Clockwise in a circle of radius 2.5 m at a certain instant of time, for that instant find

$$\begin{array}{c} a_{r} = a \cos \theta \\ = 15 \cos 30 = 13 \text{ ms}^{2} \\ a_{t} = 15 \sin 30 = 7.5 \text{ ms}^{2} \\ \hline a_{tot} = 13 \hat{Y} + 7.5 \hat{\theta} \\ a_{tot} = 13 \hat{Y} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{12 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{12 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{12 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13 \hat{Y}}{13} + 7.5 \hat{\theta} \\ \hline a_{tot} = \frac{13$$

Qui A train slows down as it rounds a sharp horizontal twon, going from QD. Km/h to 50 km/h in the 15s it takes to round the bend. The radius of the curve is 150m Comparte the acceleration at the moment the train speed reaches 50 km/h Assume the train continues to slow down at this time at the same rate

50 km/h - vessivé 010 km رر ورکزی لماسطية تكون 50 V=150 m total t = 15 sec. at = |vel-|vil VP = 50 kml = 50 ¥ 1000m = 14 - 253600 sec NP=14) $= -0.73 \text{ ms}^2$ UI = 90 × 1000 $ar = \frac{V^2}{r} = \frac{(1u)^2}{150} = 1.3 \text{ ms}^2$ 3600 (Vi = 25) du = 1.32 - 0.730 $|a_{101}| = N (1.3)^2 + (0.73)^2$

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60

61 Chi5 Newton's laws :-1st law =-Object at rest or moving with constant velocity stay as it's unless an external force actson Uniforme Le Constant velocity constant in magnitud = speed and direction & Fext =0 if \$ Fext = 0 then the object either at vest for moving with constant velocity. Now $\sum_{s} F_{ext} = 0$ $\sum_{s} F_{y} = 0$ $\sum_{s} F_{z} = 0$ الحا ساكن أو سرية ثابية 2nd law :-18 2 Fext = +0 ??. then their is an acceleration

62 EFAL X à E Fext = Const at alistict EFext = mais * a EFext = mai quisido EFx = max / EFy = may / EFz = maz Bed law = For every action there is a reation equal in magnitude & opposite in direction D F21 F12 n m $F_{12} = \bigcirc F_{21}$ $\overrightarrow{F_{12}}$ + $\overrightarrow{F_{21}}$ = 0 EF=0 => 01=0

12-3-2018 No. 63 * Free body digram =-1 Normall force Sleer 22) Jundy W=mq + N - mg =0 N = mg Tension T-mq =0 mg mit For M, $\Sigma F x = m, a x \rightarrow T = m, a x$ mig mz EFy= miay -> N-mig=0 mzg For m2 E Fy = may -> T-m2g = -m2a

* خَلِيل العَوَة عا , لسلح إلما "ل

mgcoso

mgcoso

الزاوة y zo o, see 3

 $\Sigma \vec{F} = m\vec{a} < \Sigma \vec{F} = may$ EFX = Max

EFX= max mgsine = max = gsine = ax

19-3-2018

64

EFy= may N-mg coso = O y reasocilo

N= mgcos0

(DI2 Besides the gravitational force . a 2.8 kg object is subjected to one other constant force. The object starts from rest and in 1.25 experiences a displacement of (4.21-3.3) m, where the direction of j is the upward vertical direction. Determine the other Force

19-3-2018 No. 65 M = 2.8 Kg, $V_1 = 0$, Dr = 4.22 - 3.33t = 1.2 sec. $\overline{F_1} + \overline{F_2} = m\overline{a}^2$ $\overline{Dr} = \sqrt{E} + \frac{1}{2}aF^2$ $\vec{F}_1 = w = mg = -28\hat{J}$ $4.2\hat{I} - 3.3\hat{J} = \frac{1}{2}\vec{a}^2 \times 1.44$ - a = 5.81 - 4.6J $-28\hat{J}+F_2=2.8 \times (5.5\hat{L}-4.6\hat{J})$ $-28 \hat{J} + \tilde{F}_2 = (15.4\hat{1} - 12.88\hat{J}) + 28\hat{J} + 28\hat{J} + 28\hat{J}$ $F_2 = 15.4\hat{I} + 15.12\hat{J}$ Q18 A force F applied to an object of mass m, produces an acceleration of 3 m32. The same force applied to a second object of mass m2 produces an acceleration of 1 m32 コワフラフラフラフラフラフ $E \rightarrow m_1 \rightarrow a_1 = 3m\tilde{i}^2 / F \rightarrow m_2 \rightarrow a_2 = 1m\tilde{s}^2$ $\boxed{\square} what is the value of the ratio <math>\underline{m}_{1}$? $F = \underline{m}_{1} \alpha_{1} \Rightarrow F = 3 \underline{m}_{1} \xrightarrow{m_{2}} 3 \underline{m}_{1} = 1 \underline{m}_{2}$ $F = \underline{m}_{2} \alpha_{2} \Rightarrow F = 1 \underline{m}_{2} \xrightarrow{m_{2}} 3 \underline{m}_{2} \xrightarrow{m_{2}} \overline{m}_{2}$ $1 = 3m_1 = 2m_1 - (1)$ 2) If my and my are combind into an object find the acceleration under the action of the force F M->m, +m2/F->M->a

 $F = M \alpha$ $F = (F = (F + F) \alpha$ $F = (m_1 + m_2) \alpha$ $F = (F = \mu F \alpha$

but $F=3m_1, m_1=E_2$

 $F=m_2$, $m_2=F$

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 $\alpha = 4 ms^2$ smile

19-3-2018 66 Q29 Assume the three blocks portrayed move on a Prictionless surface and a 42N Force acts as Shown on the 3 kg block Determine the acceleration & T N3 F UZN 3Kg mzg mig M39 Take m_3 $\Xi \vec{F} = m_3 q$ $\Xi \vec{F} = m_1 q$ $\Xi \vec{F} = m_2 q$ $T - F_{21} = m_1 \alpha \quad F_{12} = 2\alpha$ 42 - T = 3a $T - F_{2} = a$ OR يجتبره كالم جسم واحر م فا رهد است من لا ZF = Ma 42 = [1+2 +3] a $\alpha = 7 ms^2$ 42 - T = 3942 -T = 3 × 7 T=63

Q33 A borg of cement weighing 325N hangs in equilibrium from three wires as suggested in fig Two of the wires make angles $\theta_1 = 60^\circ$, $\theta_2 = 40^\circ$ with the horizontal, Assuming the system is the in equilibrium find the tensions T_1 , T_2 , T_3 in the wives

No.

Equilibrum eijie ZF=0 1 T2 T3 EFX=0, EFY=0 $w = 325N \qquad T_3 - w = 0$ T3=60 W $T_{3} = 325 N$ (40 X (axis)

y(axis)

ZFX =0 T2 COS 40 - T1 SEA 60 =0

To *0,76 - Ti * 0.8 =0 0,78 T2 = T1 * 0.8 T2 = T1 + 1.05

)

0

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2

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2

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(T, ×1.05) × 0.6 + T, × 0.5 - 325=0

T2 Sin 40 + T1 Sin 60 -T3=0

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19-3-2018

67

Hw 3.5. 15, 19, 22. 32. 36. 37, 49, 55,58 19.3.208
My 3.5. 15, 19, 22. 32. 36. 37, 49, 55,58 19.3.208
My 5 T- m3 - 6
My 5 T - m3 - 6
My 5 T - m3 - 6
My 6 - -90

$$M = -90$$

 $M = -90$
 $M = -90$

21-3-2018 No. $\begin{array}{ccc} T \alpha & N - mg = m\alpha \\ N = mg + mq & \overline{\omega} \\ \end{array}$ $\int \alpha = Mg = -M\alpha$ $N = Mg - M\alpha \qquad \text{Glypsi}$ mg * Friction Porce f :- substation داغاً تكون عك ماتاه لحركة it is a resistive force always opposite to the direction of motion 3 نع الانتقال عن حديد السكون الخركة الم الما الما الما الم الما الما الم Static le Static Priction fs eriver mil N 2 st fs = MsN Ms cafficient of static friction 2. Kinatic Priction fr fr an fr = MrN cofficient of kinatic Friction smi)e.

21-3-2018 No. 71 In general f=UN ومامل الاحتكال 17M ويتمرئ طبيعة الاسطر ديماس جريساً قمته J=20N C 3 0 = ?? $\mathcal{L}_{mq} = ??$ constant speed on = -y-avis EF=ma XxxXis $N + F \sin \theta - mq = 0$ $F \cos \theta - f = 0$ 9 35 650 -20 =0 N=mg-F sind) N = 171 N $(650 = 0.57 = 35 \ Cos 0 = 20$ Q53 m = 129adupi (25m D VP=0 لرو قوة الاحتكاك 2 $\Sigma F = m(a) - v v v^2 = v_1^2 + 2 a D X$ ~ = 67600 + 50 00 q 2 -50 09 = 67600 -50 -50 f=ma アファフ P=12 × 1.352 f = 16.224 N (a $100 = 1352 \text{ ms}^2$

No. 72 Q64 TI TI m29 M1=U m3 =2 M=0.35 m39 mig m dawn $T_2 - m_3 q = \bigoplus m_3 a$ Ti-mig = Omia $O T_1 - 40 = -40$ $O T_2 - 20 = 20$ m2 $T_2 = T_1 + M m_2 g = -m_2 a$ (3) $T_2 - T_1 + 3.5 = -a$ m2=18 F=68 F+fe m= 12 kg JF=68 m2=18 kg P Ing = ?? C1=?? m29 mig M=0.1 mi SF=mia EF=ma 5 تحتبره حسم ل T-f= mia F-f=Ma T-0.1 * 12 * 10 = 12 * 1.2 F=MN = Ma T-0.1×120 = 14.4 F- MMg = Ma T= 26.4 N 68-0.1 × 300 = 309 $Q = 1.2 \text{ m} 3^2$ smi)e....

21-3-2018 0 No. 73 20 Q66 m=3Kg ās si M=0.25 2 2 t Tesso R 50° الاحتكاك FSIN50 FSINSOF 0 F Cos50 N -0 SF=0 -0 artis F Cos 50=N ma -0-0 yat Fsin 50+ f= mg . FSIN50 + MN = mg . FSIN50 + MF COS 50 = mg 0 F SINSO + 0.25 * F (0550 = 3 × 10 0 m= 4 0 M2=3 F32 >F23 083 m=2 0 FZI EJ2 0 PEISN 9 عديم الاحتكال 99999 F=ma 18= (2+3+4) q mi -> F-F21 = mpi a=2m32 18 - F21 = 4 F21 = 14N F12=14N F12-F32=M201 14 - F32 = 3 ×2 F23. - 8N F32=8N smi)e___

26-3-2018 No. (Ch1-63- Circular motion with Newtin Laws) a = Dr At $a_t = \underline{DIFI}$ change in speed $a_r = V^2$ Change in direction atoral = arr + at ê at Lar - atotal = Var + at Since SF= ma Frotal = m (arr + at 0) = marr + mat ê aj lide 1 - 1 - 2 Frotal = Frr + Frg where $fr = mar = m\frac{v}{r}$ radial force Ft = may = mdivi tangental force

Fr LFF

No. 75 • Uniform Circular motion at = 0 - Ft = 0 Non uniform at to - ar to Q6_ ABC = 235m is best Constant speed t=365 00) V= m $ar = \frac{(r^2)}{r}$ $t = ABC = 235 = 6.5 ms^{-1}$ and ABC = 1 2 TTO $235 = 1 T(r) \qquad ar = (6.5)^2$ r= 150 ar= 0.28 m 52 ar = -0.232 + 0.16) UCZI (X)e (Z)e Avarage acceleration $\vec{\alpha} = 6.5\hat{j} - 6.5\hat{l}$ a=ve-vi DF 36 Vp = 6 6.5 j a = 0.18 î + 0.18 î Vi= 6.5 1

26-3-2018 No. 75 L=30m EF=ma rTsins m=sokg EFX = max EFy = May y-axis = Trosd-mg=0 No motion TCOS Q = mg Tcos5 = 80 × 10 T= 803 N X-axis = Tsin5=?? juichan Tsin5 = Mar $\frac{803 \sin 5}{8} = \frac{8 \text{ ar}}{8}$ $a_r = 7.7 \text{ ms}^2$ 1-10/5 Velocity - ar = V Sin 5 - 1 $\overline{7.7} = \frac{\sqrt{2}}{0.87}$ ms V² = ____ V=0.87m

$$M_{1} = 10^{M}$$

$$M_{2} = 10^{M}$$

No

$$M_{1}$$
 M_{2}
 M_{2}
 M_{2}
 M_{2}
 M_{2}
 M_{3}
 M_{2}
 M_{3}
 M_{3}

No. 79 Friction less NCOD Nsino N CosO -mg=0 N=mg Coso Nsind = MUZ $mg \tan \theta = mu^2$ V= Vrg tand V=10 $\theta = 20 \rightarrow U = 85 \text{ ms}^{\prime}$ Ch = 7 Work & Energy 28-3-2018 900 Vectors producte 000 1- Cross producte Nector * Nector = Nector 2 2 2. dot (scalar) producte 2 2 Vector * vector = Scalar リリリシ

No. 80 Dot product let A & B to be two vectors \vec{A} , \vec{B} = $|\vec{A}||\vec{B}|$ GSO O in angle between A & B $A = A_{x}\hat{I} + A_{y}\hat{J} + A_{z}\hat{k}$ B= Bx1 + ByJ + BzK $A.B = (Axî + Ayj + Azk) \cdot (Bxi + Byj + Bzk)$ = $A \times B \times \hat{l} \cdot \hat{l} + A \times B \times \hat{l} \cdot \hat{l} + A \times B \times \hat{l} \cdot \hat{k}^{-1}$ AyBy J.J + AyBx J.Z + Ay Bz JK AZBX R.I + AZBYR. J + AZBZ R.K Now 1.1 = 11/11/ (050 = | * | * (050 = [1] 1.1=121121 Coslo = | + | * (05 90 2. k = 12/1 k) cosO = 1 × 1 × Cosao = 0

Hw 7-33 No $\overrightarrow{A} \cdot \overrightarrow{B} = \overrightarrow{A} \times \overrightarrow{B} \times + \overrightarrow{A} \times \overrightarrow{B} \times + \overrightarrow{A} \times \overrightarrow{B} \times + \overrightarrow{A} \times \overrightarrow{B} \times - \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times \overrightarrow{B} \times \overrightarrow{A} \times$

$$\frac{\cos \theta}{|\vec{A}||\vec{B}|} \xrightarrow{A.\vec{B}} \Rightarrow \cos \theta = -43 = -43$$

$$\frac{-43}{\sqrt{9+16}\sqrt{25+49}} \xrightarrow{H} \frac{-43}{\sqrt{3}}$$

Q = 180

Ex let A = 51-8) + 7K Find the angle between A & @ the X-axis $\frac{\widehat{1} \cdot \widehat{A} = |\widehat{1}||\widehat{A}| \cos Q_{\chi}}{\widehat{1} \cdot \widehat{A} = \widehat{1}(|\widehat{A}|| \cos Q_{\chi})} = \frac{\widehat{1} \cdot \widehat{A} = |\widehat{1}||\widehat{A}| \cos Q_{\chi}}{\widehat{1} \cdot \widehat{A} = \widehat{1}(|\widehat{5}|-8|\widehat{1}|+7|\widehat{K})} = \frac{\widehat{1} \cdot \widehat{1} \cdot \widehat{1} \cdot \widehat{1}}{5 = 1 \cdot \frac{1}{2} \cdot \frac{1}{25 + 64 + 44}} = \cos Q_{\chi}$ = 5 + 0 + 0 [5] $\Theta_{x} = 64.8^{\circ}$

28-3-2018 No. 82 (6) the y-axis $\hat{J} \cdot \vec{A} = \hat{J} (5\hat{L} - 8\hat{J} + 7\hat{k})$ = 0 - 8 + 0 =-8 J. À = 1111 À 1 co s Oy -8 = 1+ 11.75 CosOg Qy = 1330 () the Z-axis $\hat{k} \cdot \hat{A} = \hat{k} (5\hat{l} - 8\hat{j} + 7\hat{k})$ = 71 7=1× 11.75 Cos OK OK=

* Work done by const. force

No.

Const. Force = const. in magn. & direction Fsino augela augela froid froid d=Ar Define work = Force that cuased the motion * displacment W= Froso Dr W=FDr Coso $[W = \vec{F} \cdot \vec{D}\vec{r}] = \mathcal{N} \cdot \vec{m} = \vec{T}$ Note 1-W=F Dr Cost $\frac{\partial V}{\partial t} = 0$ $\frac{\partial V}{\partial t} = 0$ work is Scaler could be + ele, - Ve, Zero

HWRE 2-4-2018 No. 84 F= 16 N 25 J Mg M = 2.5 kgd--22ma work done by force $w_{\rm F} = E \, {\rm Dr} \, {\rm Cos} 0$ = 16(2.2) Cos 25 = 24 J b work done by Normal force $W_N = N Dr Cos 0$ = N Dr Cos 0 = 0 E work done by gravity Wmg = 0 d IF the Friction Force = 10-2 Find work done by friction $W_{f} = f. pr(cos\theta)$ = 10 (2.2) cos 180 = -22 J

85 Q11 F = 6(1 - 2) $\vec{D} v = 3\hat{l} + \hat{j}$ Find w & D $\omega = F \cdot Dr$ $= (6 \times 3) + (-2 \times 1)$ = 18 + -2 = 16 TW= F. Dr Coso 16 = V 40 1, VID Co, SQ 0= 37° The Second Ji cooped



final Worke done by Vary Force Dw = F. Dr WZ ZDW = ZF. DX W= SF DX DX =0 DOVDY Integral W= F.Jx In general W= F. Jr smi)e ter litte

2 2-4-2018 No. work = Area under V F&r Curve if F = Constant Work = F. Pdr Note W=F. Dr ELCOM-HU.com $\begin{array}{c} q \\ \omega \\ 0 \rightarrow 8 = \frac{1}{2} \times 8 \times 6 = 24J \\ \Rightarrow \\ \psi \\ s \rightarrow 10 = \frac{1}{2} \times 2 \times -3 = -3J \\ c \\ = \frac{\omega}{0 \rightarrow 10} = \frac{\omega}{0 \rightarrow 8} + \frac{\omega}{8 \rightarrow 10} \\ = 24 - 3 = 21 J \end{array}$ QIU 8 810/ 4 +1.00 15

2-4-2018 No. Q26 Vary in Force $F = g \times -16 \qquad X = 0 \qquad X = 3$ $\omega = \int F d \times = \int (g \times -16) d \times$ $X = \int (g \times -16) d \times$ $4x^{2} - 16x$ W = -12J $Q^{2\alpha} = F = 4x \left(+ 3y \right) \qquad \text{only in } X = axis$ $X_{i} = 0 \quad x_{f} = 5$ Find W $\vec{F} = F \times \hat{1} + F \times \hat{1} = f(F \times \hat{1} + F \times \hat{1}) = f(F \times \hat{1} + F \times \hat{1}) = f(F \times \hat{1} + F \times \hat{1})$ 6 dr = dx [+ dy] W= JFxdx + Fydy 9 $w = \int f dr = \int (4\chi (1 + 3y) (d\chi (1 + dy))$ W= Suxdx + Sydy $\omega = 2 x^2 \int^2 = 50 T$ $r_{i} = 0[+0]$ $w = \int 4 \times dY + \int 3 y \, dy$ $W = 2\chi^2 \int \frac{0}{1 + \frac{3}{2}} \frac{0}{4} \int \frac{0}{1 + \frac{3}{2}} \frac{1}{4} \int \frac{1}{4} \frac$

 $W = \int \vec{F} \cdot d\vec{r}$

4

as a good example

No.

Spring Force

FSETTOC

Fapp X X

Fapp = KX

K = Spring Const

[k] = N/M

The spring force (FS) is always opposite to

Fapp

the displacement [Fs = -Kx] Hook low.

9-4-2018

6
No
Wapp - UP - U; Wapp = DU Wg = -DU
* IP the only change is in the
height then the work done by
the applied force is equal to the charge
in grow gravity potinitial energy

$$W = \int_{V}^{P} F \cdot dv$$

 $V_{1} = \frac{1}{2} k x^{2}$
Wapp = DUS
 $W_{2} = -DU$
 $W_{3} = -DUS$
 $U = mgy$

16-4-2018 No. * Work - Kinetic energy theorm $W = \int \vec{F} \cdot dr$ F=ma=mdr Now a=du = du dr chain voles $\omega = \int m dr \left(\frac{dr}{dt} \right) \rightarrow dr$ W= m Judy -> W= zmup²-zmv;² Define the kinetic energy K $K = \frac{1}{2}mv^2$ C W= Kp - Ki Wapp = DK if the only change is in the Velocity in the speed then the work done by the applied force is equal to the chang in the Kinetic energy.

16-4-2018

No. * Total energy (mechanical energy) E=K+U $E = \frac{1}{2}mv^2 + mgy$ if No external force No total energy change L. No energy loss or gaine DE =0 Ep = Ei CoBervative System or Porce Ketup = Kitu نظام لا يفيح طاقه KP-Ki = Ui-UP i.e Spring gravity DK = -DU DU = - DK

8

9 16-4-2018 No. aspaile m=10×4) V K E 1000 1000 0 1 DE=0 7 200 1000 008 14 IDM DE=0 0 300 700 1000 -0 DE=D 0 0 21 200 0 1000 1000 0 0 -0 • the work done by the applied force 0 . Wapp= DE C. there is a change in height and spead In general work done by applied work done by friction -DE 0 Wapp - fred = DE if fk = 0 -> DE = Wapp (IF JK=0, Fapp=0 -> DE=0 Conservative) if Fapp = 0 > DE = - 5kd

16-4-2018 10 No. * Conserivative Porce " DE = 0 DK = -DU or DU = -DK VF() DE =10 QW= JF-dr ri Work done by conseirvative force is independent on the track is depends only On dis plasminet 3 W= & F. dr = 0 calas, Lo (e the work done by conservative force on a closed track is Zero $W = \int P \cdot dr = 0$ (9) for any conservative force we can define apotential energy Function U such that WGAS = - DU

16-2-2018 11 No. Ws= -DUs Dy = -DUylig's Now -DU = Wcons U;=0 -U = SFCop dr -du = For dy $\overline{F} = -\frac{du}{dr}$ $F_{X} = -du$ $F_{Y} = -du$ $F_{Z} = -du$ dy $F_{Z} = -du$ dz $EX = (eF U(x,g,z) = 3X^2yZ^3 + 5X^2y$ to be apotential energy Punction for Smore conservative force Find F at (1,1,1) - (6× yZ3 + 10× y) Fx = - du 535Z.4 = -16 smi)e.....

12 16-4-2018 No. $\frac{-du}{dy} = -(3x^2z^3 + 5x^2)$ fy = FZ = -du = -(3x2y372 + 5x) T -9 Flectrical | Computer | Mechatronic ELCOM-HU.com F= -162 -83-ak X * Power الفرة L² Work (energy) done per unil of time P=W [P] = J/5 = Walt. = F. F $P = \frac{w}{t} = \frac{F \cdot r}{t}$ P.F.r = DW; Pins = dw Dt; Pins = dw avangge

13 18-4-2018 No. $\frac{H}{2} \quad ch7 \left[5, 6, 9, 10, 11, 12, 15 \\ 17, 31, 33, 42, 50, 31 \right]$ ch8 6, 12, 22 Q41 _____ @ [1.3m V=0 0 5m a) U=mgy = 0.2 × 10 × (1.3) = 2.6 T b) U= 0.2 × 10 × (-5) = -10 J c) DU= Up-U; = -10 - 2.6 = -126 T what the work done by the gravetation word Wgra = - DU = + 12.6T Wgr

$$\frac{W}{U=0} \xrightarrow{E=42008}$$

$$\frac{U=0}{U=0} \xrightarrow{E=4}$$

$$\frac{U=0}{E=0} \xrightarrow{E=2}$$

$$\frac{U=0}{E=0} \xrightarrow{E=2} \xrightarrow{E=2}$$

$$\frac{U=0}{E=0} \xrightarrow{E=2} \xrightarrow{E=2}$$

18-4-2018

= $\int (2y\hat{1} + \chi^2 \hat{1}) \cdot (d\chi\hat{1} + dy\hat{1})$ - J 2y'dx + J x2 dy =0 1. y=0 - dy=0

UCUUUUUUUUU

0

66666666

0

999999999999

15

WAC = PF. dr - Szydx + Sx2dy X=5 -> dx:0 = J25dy = 25(5-0) = 125J

 $\Theta W_{OBC} = W_{OB} + W_{AC}$ $W_{OB} = \int 2y dx^2 + \int x^2 dy = 0$ XZO dis

WAC = J 2ydx + Jx2dy y=5 dy=0

= j'idx = 10 (5-0) = 50 J

16 18-4-2018 No. Q Woc = Pzyck + fx2dy perest lestables but y=mx +b M= slope = 5-0 5-0 y=X dy=dx Wac = Jzydx + Jy2, dy = 10 (5-0) + 25 (5-0) QUA $U = 3X^3y = 7X$ Find F $F_{X} = -dv = q_{X^{2}y} - 7$ = 7 - 9 x 24 $Fy = -dv = 3x^3 - 0$ $= -3 \chi^{3}$ $(7 - 0) \chi^2 \psi \hat{1} - 3 \chi^3 \hat{1}$ Find P at (2,3)

17 18-4-2018 Ch 8 QS h= 35 p ***** Ei=EP " Uit P = Up + KP () = UP + kPMyyi = mgyf + 5 mur 10 * 3.5 R = 10 × 2 R + 1 (v2) V= VBOR ME $\frac{27}{m^{-3}kg} \int_{n=1}^{\infty} \frac{5kg}{(U_i + k_i)} \frac{1}{(U_i + k_i)$ 9 0 $(U_{i}) = (k_{P})_{i} + (U_{P} + k_{P})_{2}$ migh = Imyr + mzgh + I mzuer 50 * 4 = 1 5 (ve) + 3 * 10 * 4 + 5 3 (ve) smi)e..... UP=

18 18-4-2018 No. K = 5000 N/m QIS m=0.2 m 0000 U=mgy $U_{S} = \frac{1}{2} \times \chi^{2}$ x=5cm ¥ 10-2 X -- 6 a) smooth b) friction $E_{i} = E_{e}$ $k_{i}^{2} + u_{i} = k_{e} + u_{e}^{2}$ MK=0.35 JE. JE wapp-find=DE Usi = KP -frot = DE JKY2 - Jmu2 -UND = EF - Ei U= NK -Mmgd - KP - Usi - Mmg & - 1 m(2) - 1 k X2 U=0.8 m51 برىاباها (5=-1N Wapp - fix d = DE mg F=MN DE = FR - FI smi)e KP - Ui

19 23-4-2018 No Q18 m = 47 kg $U_i = 1.4 \text{ ms}^{-1}$ d=num h=9.6m fr = UIN UP= 6.2m3 -* work done by the motor ~ ~ ~ wapp-fkd) = DE Wapp - 41 * 12.4 = Ef - E; $= kp - (K_{i} + V_{i})$ wapp - 508.4 = $\lim_{n \to \infty} nV_{p}^{2} - (\lim_{n \to \infty} nV_{i}^{2} + mgh)$ $wapp - 508.4 = \frac{1}{2}47(62) - (\frac{1}{2}47(10)^2 + 47*10*20)$ -Wapp - 508.4 = 145.7 - (46.06 + 1.222) Wapp-508.4 = 145.7 - 1,268.06 2 Wapp = - 613.96 J

20 23-4-208 No. 029 $P = \frac{\omega}{4} = \frac{1}{820*}$ 1=85 12m Mg = 820NPower = work الوزن فقو P= Ed costo = mgd $=\frac{820 \times 12}{9} = 1230$ W=DU - UP - UTO = Mgy = 820 × 12 $P = \frac{W}{E} = \frac{820 \times 12}{8} = 1230 \text{ Walt}$ Q30 M= 0.875 Kg U;=0 Up= 0.62 m3' $P = \frac{w}{t}; \quad w = Fd$ t= 21ms ma but F= ma Up = U; tat F= 0.875 × 29.5 $0.62 = 0 + 9.21 \times 10$ = 25.8N $a = 2.9.5 ms^2$

93-4-2018 No. $D\dot{X} = \pm (v; + v_{f}) \epsilon$ $=\frac{1}{2}(0+0.62)21\times10^{3}$ $DX = 6.5 \times 10^3 \text{ m}$ $W = 25.8 \times 6.5 \times 10^3 = 0.168$ P = 0.168 = 8 watt15 m u2 OR $W = DK = \frac{1}{2} (m(v_{P}^{2} - v_{i}^{2}))$ = 0.168 T $P = 0.158\overline{B} = 8$ Walt Salone

99 23-4-2018 No. (ch9:-Momentum at collisions) F12 = -Fai $F_{12} + F_{21} = 0$ J. $m_2 a_2 + m_1 a_1 = 0$ V J $m_2 dv_2 + m_1 dv_1 = 0$ D2 $d(m_2\vec{v}_2 + m_1\vec{v}_1)=0$ Define, the linear momentum p $\vec{P} = m\vec{v}$ $\vec{P} < \vec{P} < \vec{P}$ $\rightarrow d (\vec{P}_2 + \vec{P}_1) = 0$ $\vec{P}_1 + \vec{P}_2 = Const$ $\vec{P}_1 + \vec{P}_2 = Const$ $\vec{P}_1 = \vec{P}_2$ Protal = Const

23-4-2018 No. 23 For an isolated system the total momentum is G DP =0 EP: = EPE Now P - mr $p^2 = m^2 v^2 \longrightarrow p^2 = m^2 v^2$ 2m = 2m $\frac{p^2}{2m} = \frac{1}{2}mv^2$ $K = p^2$ Now p=mv $\frac{d\vec{P}}{dt} = \frac{d}{dt} \vec{n}\vec{r}$ F = dp So Newton's 2nd EFext = dp EFext = d (mi)

24 23-4-2018 No. we can write $\vec{F} = \vec{DP}$ So FXdp PP FXdp Jdp = frdt (PP) = JF dt Impluse I المنح Define the Impluse T $\vec{I} = D\vec{p} = \int F dt$ III = Area under the carve 2, 4, 8, 13, 19, 20 H·W 23 , 25 , 33 , 34

23-4-2018 25 No. Q5 + Up=55m3' U; = 45 ms t-2ms _____ m=0.145kg デーフ F = DP DP = PP - Pi = mup - mu; vectors eletettett = 0.145 * 55 J - D.145 * 45 C DP = 8 (- 6.5 () F = 85 - 6.512 × 10 -3 F = 4000 j - 3250 C F = - 3250î + 4000 ĵ

$$\frac{26}{M} = 175 \text{ kg} \quad \text{U}_{i} = 3\text{ ms}^{i}$$

$$\frac{23}{M} = 175 \text{ kg} \quad \text{U}_{i} = 3\text{ ms}^{i}$$

$$\frac{Up}{E} = 0$$

$$\frac{Up}{E} = 0$$

$$\frac{F}{E} = \frac{AB}{DE}$$

$$\frac{F}{E} = 0$$

$$\frac{F}{E} = 0$$

$$\frac{F}{E} = -6C - M$$

$$\frac{HW}{E} = 0$$

$$\frac{34}{V_{i}} = 20\text{ ms}^{i}$$

$$\frac{F}{E} = 0$$

$$\frac{27}{16}$$

$$\frac{26}{m = 150 \text{ Kg}}$$

$$\frac{1}{m = 160 \text{ Kg}}$$

$$\frac{1}{m$$

28 25-4-2018 No. - Jose * Collisions in one dimention 1) ellastic Collisions Both K & p are conserved DK=0 -> EKi = EKP DP = 0 -> ZP = ZPP 2) in ellastic collisons K is not conserved DK =0 but p is conserved DP = 0 -> ZPi = ZPP So Pis always conserved Completly in elastic M Circico MIL ma M3

29 25-4-2018 No. Q 22 0 m.=1200 Kg m2 = 9000 Kg $U_{1} = 25 m \bar{s}^{1}$ U21 = 20m3 U, F- 18m3' الساحة عم سرعة الساحة على التعادم ZPi = Epp 27 = 271 0 $\vec{P}_{11} + \vec{P}_{21} = \vec{P}_{12} + \vec{P}_{22}$ 0) $m_{1}\vec{u}_{1} + m_{2}\vec{u}_{2} = m_{1}\vec{u}_{1}P + m_{2}(u_{2}P) -$ D 1200 +251 + 9000 + 201 = 1200 + 181 + 9000 + V2E 2 $U_{2}P = 211 \text{ ms}'$

25-4-2018 No. m3 = 3kg ums V31 = Ums 00/ ماروهم واحد سرعة الحسم (لزى نتج EPi = EPP $\vec{P}_{11} \neq \vec{P}_{21} \neq \vec{P}_{31} = \vec{P}$ $m_i v_{1i} + m_2 v_{2i} + m_3 v_{3i} = M V_P$ 4×51 + 10 × 31 + 3× (-u)1 = 17 VP 381 = 17 Vr UC = 2.2 [m] let m3 = 50 Kg 201 + 302 - 2001 = 63Ve -1502 = 63 Ve Up = -2.41 m3 1 - U