

تقدم لجنة EICoM الاكاديمية

دفتر لمادة:

# الالكترونيات الاتصالات

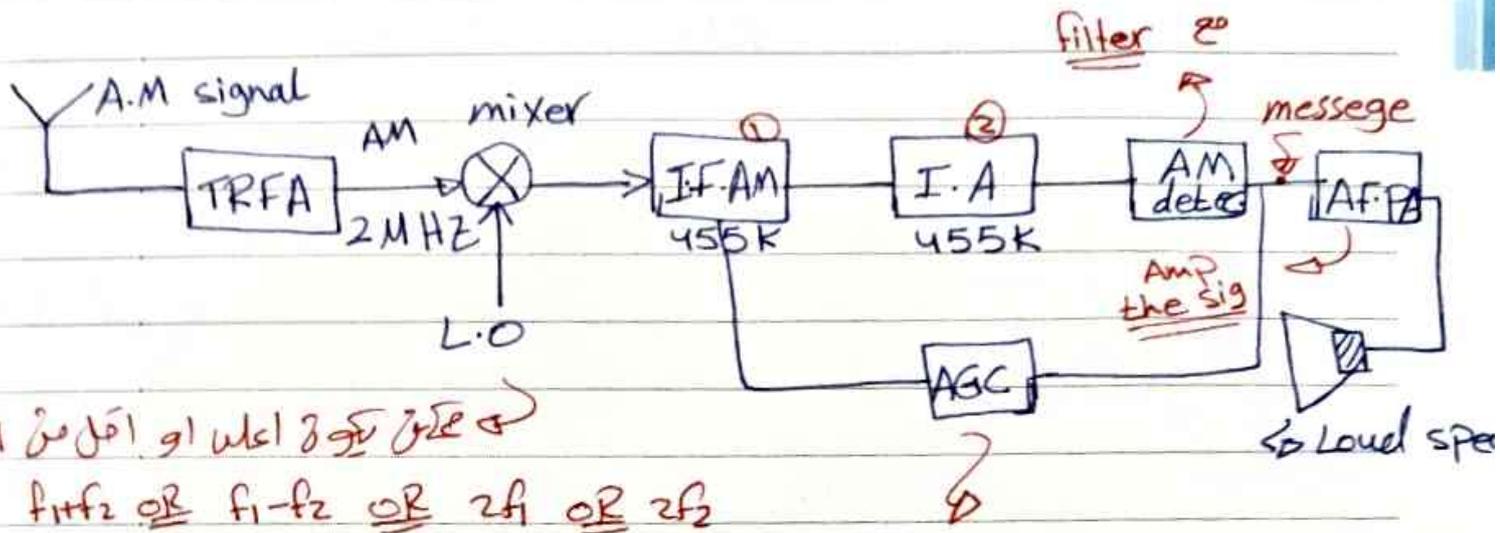
من شرح:

د. هادي العيثاوي

جزيل الشكر للطالب:

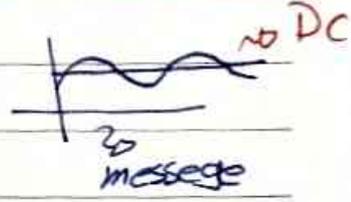
محمد صباح





Auto Gain Controller

وإذا كان mess. في كل مرة تتغير بقوة على AGC ويطلب  
 Gain في -ve Feed back ويطلب في Gain في -ve Feed back  
 وإذا كان mess. في كل مرة تتغير بقوة قليلة جدًا اقل من  
 DC



oscillators

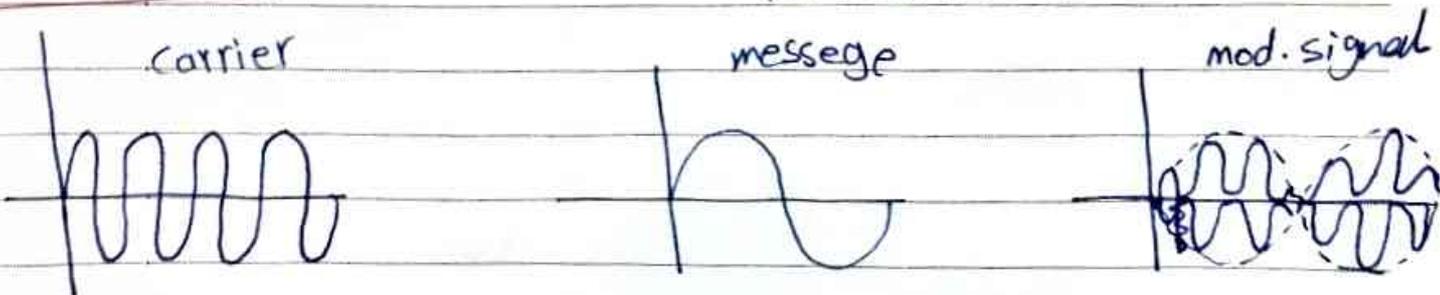
LR osci.

Rc oscill.

crystal osci.

يتأثر بدرجة الحرارة والصغر

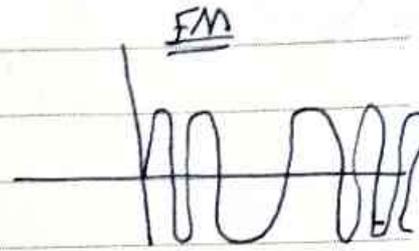
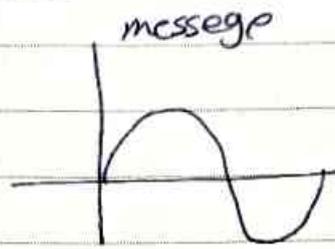
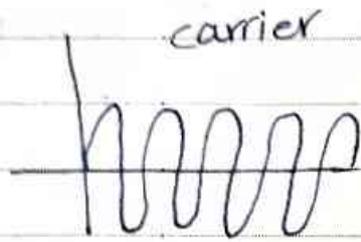
AM-modulation



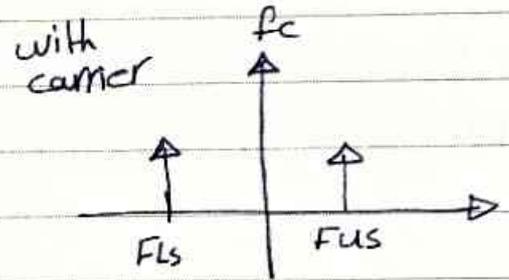
\* crystal oscillator =>

لا يتأثر بدرجة الحرارة ولا بالصغر

FM



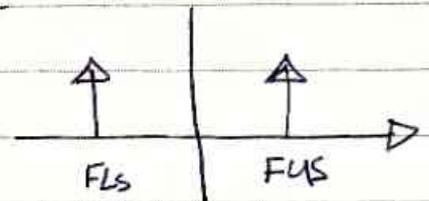
$f_c \Rightarrow 50\%$  Power  $\leftarrow$   
 $f_{ls}$  &  $f_{us} \Rightarrow 25\%$  &  $25\%$



$P_T = 60 W$

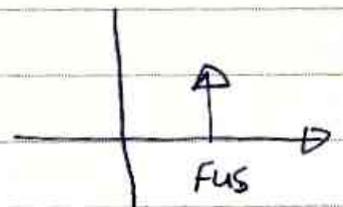
$f_{ls}$  &  $f_{us} \Rightarrow 50\%$  power  $\leftarrow$

DSSC



$f_{us} \Rightarrow 100\%$  Power  $\leftarrow$

SSB





و، لـ  $V_{in}$   $\rightarrow$  DC IP  $\rightarrow$  IP  $\rightarrow$  OR  $\rightarrow$   $V_{in}$   $\rightarrow$   $V_{out}$   
 $\rightarrow$  for biasing.

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but  $V_{O}$  cannot be 0 so  $V_{S}$  must be Zero  
i.e. the ckt will give  $V_{O}$  without  $V_{S}$  (No I/P).

\* Oscillation conditions

- ① mag. condition:  $|A(j\omega)| + |B(j\omega)| = 1$ ,  ~~$\neq 1$~~
- ② Phase condition:  $\angle A(j\omega) + \angle B(j\omega) = 0, n2\pi; n: \text{Integer}$   
 $A \rightarrow \text{gain} > 1$   
 $B \rightarrow \text{Attenuation} < 1$

\* To satisfy oscillation condition

1)  $A = \frac{1}{B}$

2)  $\angle A + \angle B = 360$

either  $A \& B \rightarrow$  Inverting (gives  $180^\circ$ )

or  $A \& B \rightarrow$  non-Inverting (gives zero)

since  $A \rightarrow A(j\omega)$ ,  $B \rightarrow B(j\omega)$

at a certain value of  $\omega$ , The oscillator condition will be satisfied. This value is called Freq of A oscillator ( $\omega_0$ )

① RC-oscillator

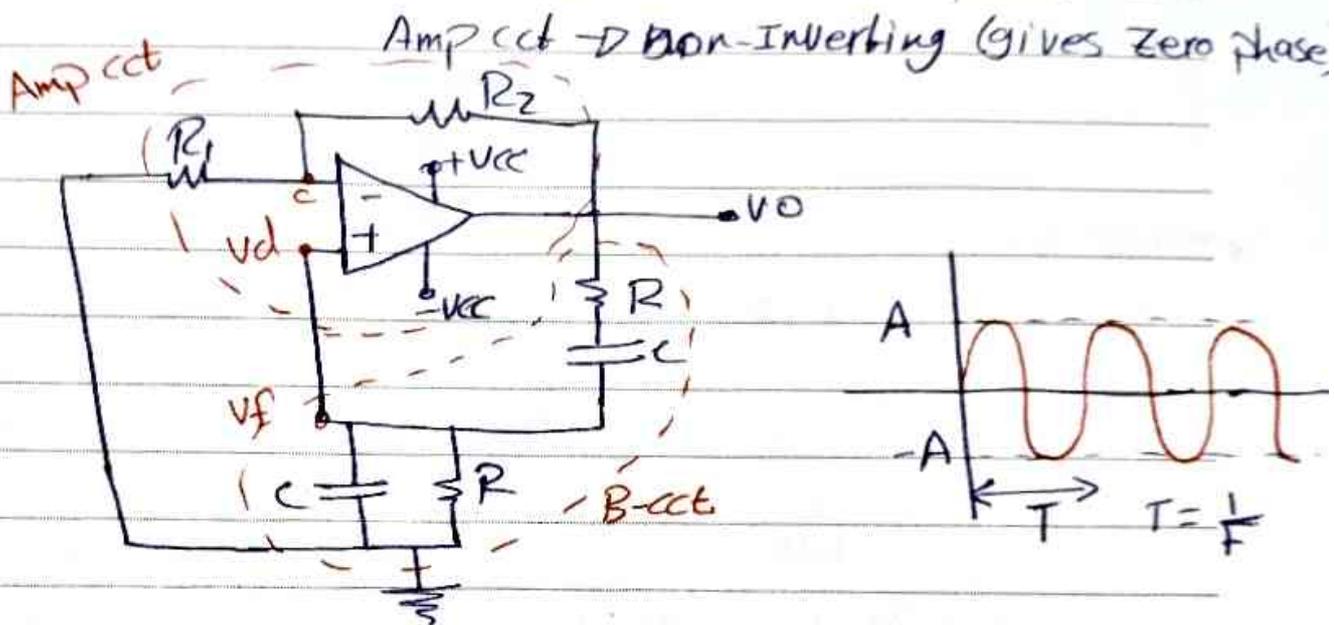
B ckt  $\rightarrow$  RC ckt

Amp ckt  $\rightarrow$  BJT Amp, FET Amp, OP-Amp  $\Rightarrow$

$\bullet$  kcl at node  $\ominus \Rightarrow I_1 = I_2 \Rightarrow 0 - V^- = \frac{V^- - V_0}{R_2}$ ,  $V^- = V^+ = V_d$   
 $\Rightarrow 0 - \frac{V_d}{R_1} = \frac{V_d - V_0}{R_2} \Rightarrow \frac{V_0}{V_d} = \left(1 + \frac{R_2}{R_1}\right) \Rightarrow$  non-inv. op-amp.  $\left[5\right]$

WIEN-Bridge oscillator:-

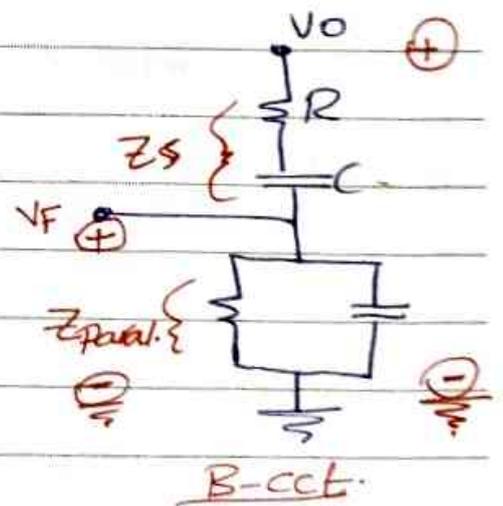
in this oscillator  $\Rightarrow$  B ckt  $\rightarrow$  gives zero phase



$B = \frac{V_f}{V_0} \approx \frac{Z_P}{Z_P + Z_S}$

$Z_S = R + \frac{1}{j\omega C}$

$Z_P = \frac{R \cdot \frac{1}{j\omega C}}{R + \frac{1}{j\omega C}} = \frac{R}{1 + j\omega CR}$



$\Rightarrow B = \frac{\frac{R}{1 + j\omega CR}}{R + \frac{1}{j\omega C} + \frac{R}{1 + j\omega CR}}$

$\frac{R}{R + \left(R + \frac{1}{j\omega C}\right) \left(1 + j\omega CR\right)}$

$B = \frac{R}{R + R(1 + j\omega CR) + \frac{1}{j\omega C}(1 + j\omega CR)}$

$\Rightarrow$

$$\text{OR } * 2 \text{ C.E} \Rightarrow 2 * 180 = 360 \checkmark$$

$$* 2 \text{ C.S}$$

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$$\Rightarrow B = \frac{R}{R+R+j\omega CR^2 + \frac{1}{j\omega C} + R}$$

$$B = \frac{R}{3R + j(\omega CR^2 - \frac{1}{\omega C})}$$

\* Since Amp is Non-inverting & gives  $\phi = 0^\circ$  so  $B$  ckt must give  $\phi = 0^\circ$ , to satisfy phase-condition

\* B-ckt will give Zero phase when J-Term = 0  
 $\Rightarrow \omega CR^2 = \frac{1}{\omega C}$

$$\omega^2 C^2 R^2 = 1 \Rightarrow \omega_0 = \frac{1}{RC}$$

$\Rightarrow f_0 = \frac{1}{2\pi RC}$ , freq of oscillator

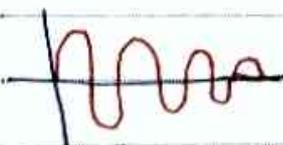
$\Rightarrow$  at this freq.  $B = \frac{R}{3R} \Rightarrow B = \frac{1}{3}$ , to satisfy  $|BA| = 1 \Rightarrow$  so  $A_{\min} = \underline{3}$ .

- For Non-Inverting Amp

$$A = 1 + \frac{R_2}{R_1} = 3 \Rightarrow \left(\frac{R_2}{R_1}\right)_{\min} = 2$$

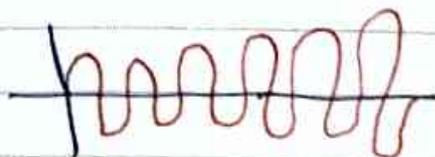
$$\Rightarrow R_2 = 2R_1$$

\* IF  $\square BA < 1$



the signal will (d.p)  
be damped

$\square BA \gg 1$



the signal will be  
out of control (unstable)

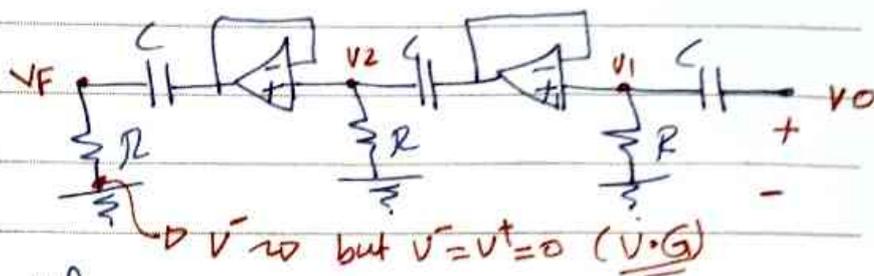
$\Rightarrow$





$$B = \frac{V_f}{V_o} = \frac{V_f}{V_2} * \frac{V_2}{V_1} * \frac{V_1}{V_o}$$

$$\Rightarrow \frac{V_1}{V_o} = \frac{R}{R + \frac{1}{j\omega C}} \quad (\text{V-D})$$



$$= \frac{1 + j\omega CR}{1 + j\omega CR} = \frac{V_2}{V_1} = \frac{V_f}{V_2}$$

$$\Rightarrow B = \left( \frac{j\omega CR}{1 + j\omega CR} \right)^3 = \frac{j^3 \omega^3 C^3 R^3}{(1 + j\omega CR)(1 + j\omega CR)^2}$$

$$B = \frac{j^3 \omega^3 C^3 R^3}{(1 - 3\omega^2 C^2 R^2) + j(3\omega CR - \omega^3 C^3 R^3)}$$

\* since Amp is inverting & gives  $180^\circ$  so B-cct must give  $180^\circ$  to satisfy  $\angle A + \angle B = 360^\circ$ ; B will give  $180^\circ$  when Real term = 0

$$1 - 3R^2C^2\omega^2 = 0$$

$$\therefore \omega_0 = \frac{1}{\sqrt{3}RC} \Rightarrow \therefore f_0 = \frac{1}{2\pi\sqrt{3}RC} \text{ } \rightarrow \text{freq. of oscillation.}$$

$$\Rightarrow \text{at this frequency } \therefore (\omega_0 = \frac{1}{\sqrt{3}RC})$$

$(-\frac{1}{3})$  answer

$$B = \frac{-\omega^3 R^3 C^3}{(3\omega CR - \omega^3 C^3 R^3)} \div \omega^3 C^3 R^3 = \frac{-1}{\frac{3}{\omega^2 R^2 C^2} - 1}$$

$$= \frac{-1}{\frac{3}{\omega^2 R^2 C^2} - 1} \Big|_{\omega = \omega_0} = \frac{-1}{\left(\frac{1}{\sqrt{3}RC}\right)^2 \cdot \frac{1}{R^2 C^2} - 1} = \frac{-1}{9 - 1} = \boxed{-\frac{1}{8}}$$

$\Rightarrow$

\* To satisfy  $|BA| = 1$

$|A|_{\min} = 8$ , For Inverting Amp:  $|A| = \frac{R_2}{R}$

$$\therefore \left| \frac{R_2}{R} \right|_{\min} = 8 \Rightarrow \underline{R_2 = 8R}$$

Ex: - Design a Phase shift-oscillator to have  
 $f_0 = 20 \text{ KHz}$ . use  $C = 0.01 \mu\text{F}$ .

Sol:

$$f_0 = \frac{1}{2\pi\sqrt{3}RC} \Rightarrow R = \frac{1}{2\pi f_0 \sqrt{3}C} = \frac{1}{2\pi * 2 * 10^4 * 10^{-8} * \sqrt{3}}$$

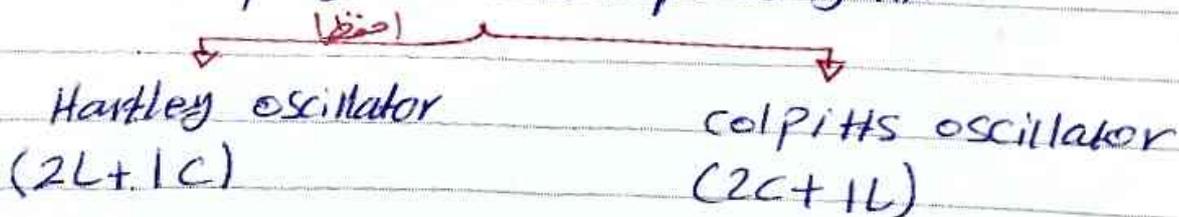
$$= \frac{10^4}{1.72 * 2\pi * 2} = 0.48 \text{ K}\Omega$$

$$|A|_{\min} = 8 \Rightarrow R_2 = 8R = 8 * 0.48 = 3.84 \text{ K}\Omega.$$

## LC-oscillators

① Use LC cct as F.B cct and Amp

② At Resonant, LC cct. gives the required Phase & the Amp. gives the required gain.



\*  $R_g \rightarrow$  we put it to protect the gate

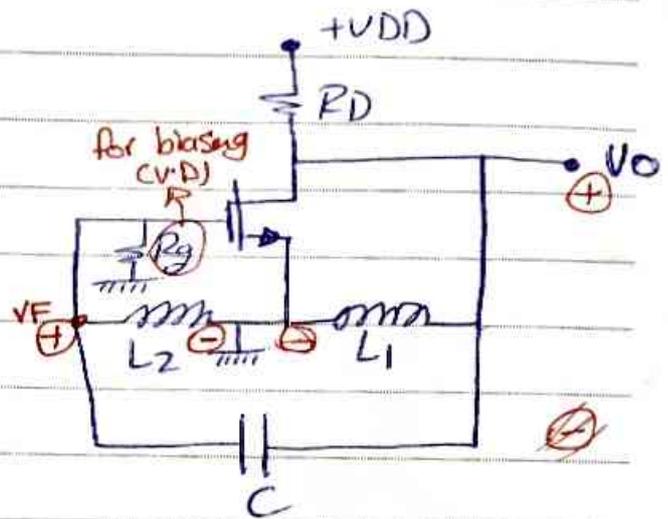
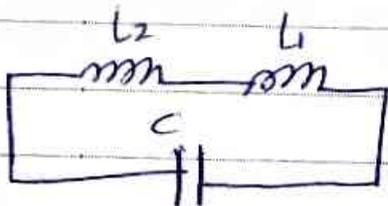
\* LC operates at higher  $f_{req}$  than RC

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(5) the Amp can be FET, BJT, op-Amp

(1) Hartley oscillator

\* at Resonant frequency  
LC-circuit gives  $0^\circ$



$$\Rightarrow j(\omega L_1 + \omega L_2) + \frac{1}{j\omega C} = 0$$

$$j\omega(L_1 + L_2) = -\frac{1}{j\omega C} = \frac{jX}{j\omega C}$$

$$V_F = V_{L_2}, \quad V_O = V_{L_1}$$

$$\Rightarrow j\omega(L_1 + L_2) = \frac{j}{\omega C} \Rightarrow \omega_0 = \frac{1}{\sqrt{C(L_1 + L_2)}}$$

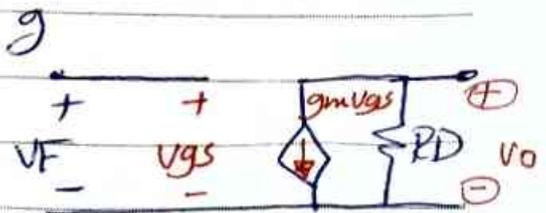
$$\therefore f_0 = \frac{1}{2\pi \sqrt{C(L_1 + L_2)}}, \quad \text{Areq of oscillator}$$

$$\text{gain of } B = \frac{V_F}{V_O} = \frac{j\omega L_2}{j\omega L_1} = \frac{L_2}{L_1} \quad \left( V_F = \frac{V_O \cdot j\omega L_2}{j\omega L_1} \right) \quad (V.D) \quad ??$$

\* to satisfy  $|BA| = 1 \Rightarrow |A| = \frac{1}{B} = \frac{L_1}{L_2}$

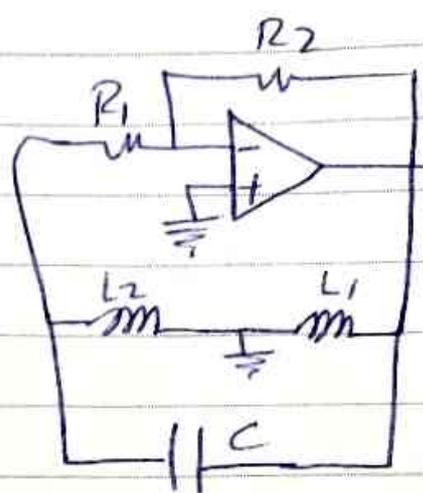
$$A = \frac{V_O}{V_{GS}} = -g_m R_D$$

$$\therefore |g_m R_D| = \frac{L_1}{L_2}, \quad g_m = 2\sqrt{k_n I_D}$$



\*  $A = \frac{V_O}{V_i} = \frac{V_O}{[V_{GS} + V_F]} \Rightarrow \boxed{A = \frac{V_O}{V_F}}, \quad \underline{V_{GS} = V_F}$

$$\Rightarrow \left| \frac{R_2}{R_1} \right| = \frac{L_1}{L_2}$$



② Colpitts oscillator

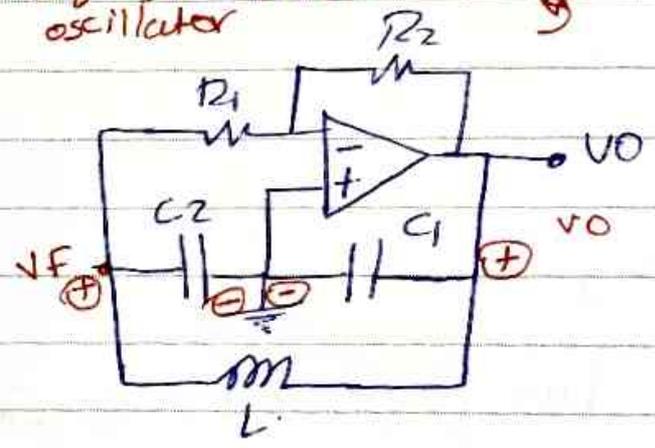
هذا هو نموذج دارة التذبذب كولبيتس  
oscillator

\* At Resonance  $\Rightarrow$  Reactive

part = 0

$$\frac{1}{j\omega C_1} + \frac{1}{j\omega C_2} + j\omega L = 0$$

$$\Rightarrow \frac{1}{j} \left( \frac{1}{\omega C_1} + \frac{1}{\omega C_2} \right) = +j\omega L$$



$$\Rightarrow \omega_0 = \frac{1}{\sqrt{L C_{eq}}} \Rightarrow f_0 = \frac{1}{2\pi \sqrt{L C_{eq}}}, \text{ Freq of oscillator}$$

$$C_{eq} = \frac{C_1 \cdot C_2}{C_1 + C_2}$$

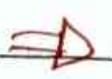
$$\Rightarrow B = \frac{V_F}{V_0} = \frac{\frac{1}{j\omega C_2}}{\frac{1}{j\omega C_1}} \Rightarrow \frac{C_1}{C_2}$$

to satisfy  $|BA| = 1$

$A = \frac{C_2}{C_1}$ , For Inv. Amp.

$$A = -\frac{R_2}{R_1} \Rightarrow |A| = \frac{R_2}{R_1}, \therefore \frac{R_2}{R_1} = \frac{C_2}{C_1}$$

هذا هو نموذج دارة التذبذب كولبيتس  
oscillator



Ex:- Design a colpitts oscillator to oscillate at 50 kHz, The Amp gain must not exceed 10. Calculate all Req. component values, & Draw v.o.(t)??

Sol:-

$$\Rightarrow f_0 = \frac{1}{2\pi\sqrt{L C_{eq}}}$$

$$\frac{R_2}{R_1} = \frac{C_2}{C_1} = 10$$

$$\Rightarrow R_2 = 10R_1, \text{ let } R_1 = 1K-\Omega$$

$$R_2 = 10K-\Omega$$

$$\Rightarrow C_2 = 10C_1, \text{ let } C_1 = 0.01 \mu F$$

$$C_2 = 0.1 \mu F$$

$$\Rightarrow C_{eq} = \frac{C_1 \cdot C_2}{C_1 + C_2} = \frac{0.001 \mu F}{0.11}$$

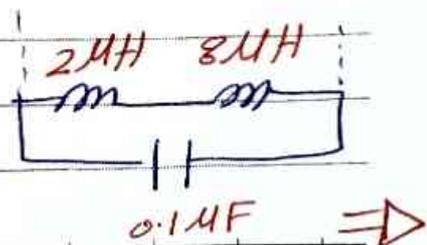
$$f_0 = \frac{1}{2\pi\sqrt{L C_{eq}}} \Rightarrow L \cdot C_{eq} = \frac{1}{4\pi^2 f_0^2}$$

$$\Rightarrow \frac{1}{4 \times 10 \times 25 \times 10^8} = L \cdot C_{eq}$$

$$10^{-11} = L \cdot C_{eq} \Rightarrow L = \dots \text{ } \checkmark$$

Ex:- Given  $K_n = 2 \text{ mA/V}^2$ ,  $I_D = 4.5 \text{ mA}$   
Determine  $A_0$ ,  $R_D$ .

Sol:-



$$f_0 = \frac{1}{2\pi \sqrt{C(L_1 + L_2)}} = \frac{1}{2\pi \sqrt{10^{-7} * 10 * 10^{-6}}}$$

$$= \frac{10^6}{2\pi} = \frac{1000}{2\pi} \text{ KHz} \approx 160 \text{ KHz}$$

$$\Rightarrow |A| = \frac{L_1}{L_2} = 4 \quad \Rightarrow g_m R D$$

$$\Rightarrow g_m = 2\sqrt{f_0 I D} = 2\sqrt{4.5 * 2} = \frac{6 \text{ mA}}{V}$$

$$\Rightarrow R D = \frac{4}{6 * 10^{-3}} = 0.666 \text{ K}\Omega$$

### crystal oscillator

- In RC & LC oscillators  $f_0$  depends on  $L, C, R$  & since these elements are affected by Temp & aging so  $f_0$  of these oscillator are NOT stable or has poor freq. stability. - X-tal

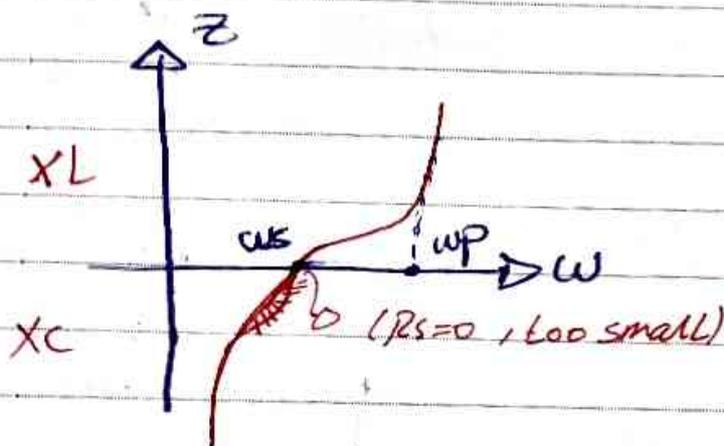
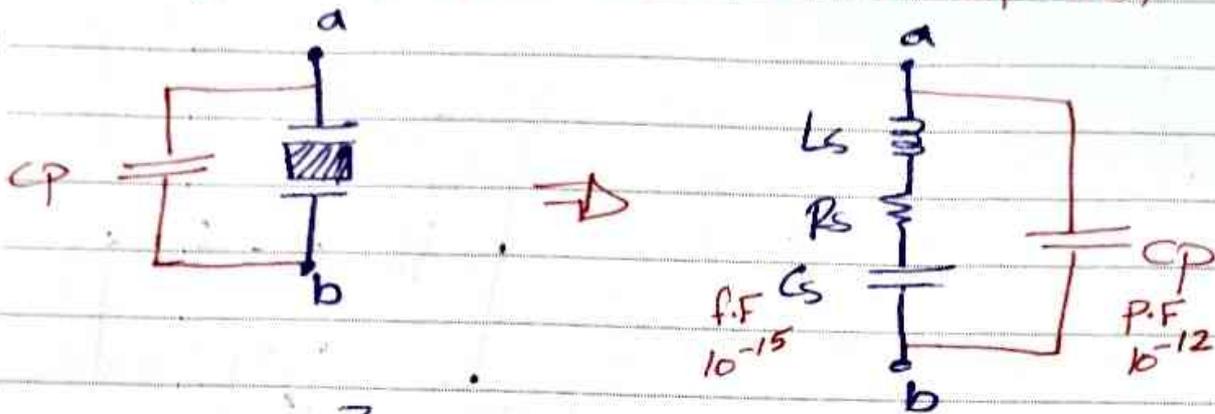
- to have high freq. stability  $\Rightarrow$  oscillators are used.  
 $\Rightarrow$  advantage

\* use the piezoelectric material such as Quartz and it is based on inverse piezoelectric effect. (when Quartz is subjected to E-field from the ckt. it will generate an AC o/p signal), with freq. determined by the parameter of the Quartz crystal ( $C_s, L_s$ ) due to series Resonance ckt.

\*  $C_p \gg C_s \Rightarrow$  practically

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$C_p$ : - no physical existence (atmosphere)



\*  $\omega_0$  (series)  $\Rightarrow R_s$  (too small  $\approx 0$ )

\*  $\omega_0$  (parallel)  $\Rightarrow \infty \Rightarrow 0 \cdot C$

$\Rightarrow$  for  $\omega < \omega_s \rightarrow$  CAP

$\omega_s < \omega < \omega_p \rightarrow$  inductive

$$\omega_s = \frac{1}{\sqrt{L_s \cdot C_s}} \Rightarrow f_s = \frac{1}{2\pi \sqrt{L_s \cdot C_s}} \text{ (series-Resonance freq)}$$

$$\omega_p = \frac{1}{\sqrt{L_s \cdot C_{eq}}} = \frac{1}{\sqrt{L_s \cdot \frac{C_s \cdot C_p}{C_s + C_p}}}$$

$$\Rightarrow f_p = \frac{1}{2\pi \sqrt{L_s \cdot \frac{C_s \cdot C_p}{C_s + C_p}}}$$

- but  $C_p \gg C_s$  (practically) ,  $C_{eq} \approx C_s$

$$\therefore f_0 = f_s = \frac{1}{2\pi \sqrt{L_s \cdot C_s}} \Rightarrow$$

دیسادوانتاجات کریسٹال اوسیلایٹر  
 disadvantages of crys. oscillator

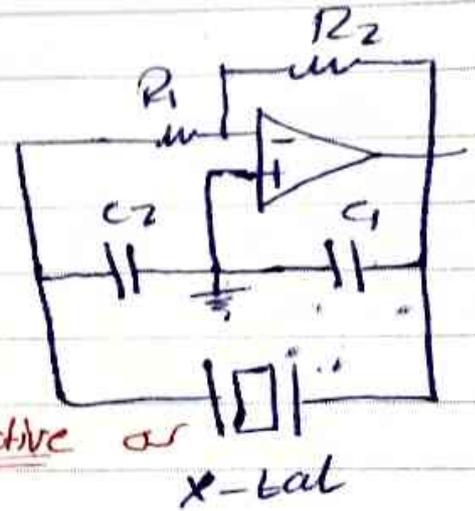
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$$f_0 = \frac{1}{2\pi\sqrt{L_5 C_5}}$$

(Crystal Colpitts Oscillator)

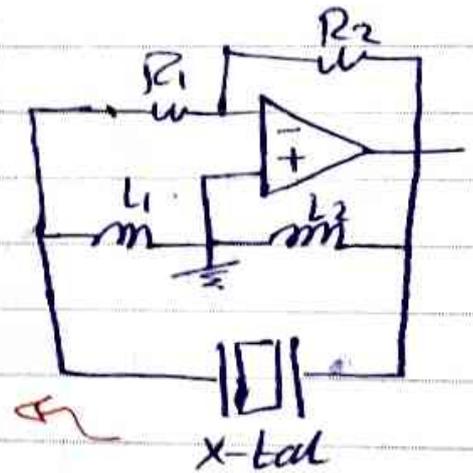
$C_1, C_2 \rightarrow$  +ve feedback

X-tal  $\rightarrow$  Inductive or Capacitive



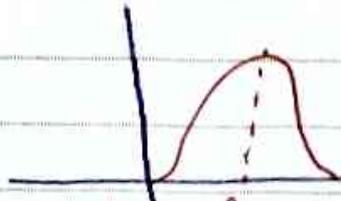
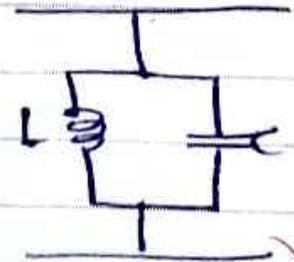
(Crystal Hartley Oscillator)

acts as capacitors



\* Freq multiplier  $\begin{cases} \rightarrow \text{doubler (II)} \\ \rightarrow \text{tribbler (III)} \end{cases}$

$\rightarrow$  I choose L/C to increase the desired Resonance Freq.



دیس ل/C کے ذریعے  
 resonant freq. بڑھانے  
 (دوبل) کے لیے

فریکوئنسی بڑھانے کے لیے

\* to increase the desired Freq  $\Rightarrow$  Freq. multiplier  
 \* to decrease  $\Leftarrow \Leftarrow \Leftarrow \Rightarrow$  Down counter Freq

\* crystal osci.  $f_0$  depends on  $C_s, L_s$  which are parameter of X-tal Quartz, each crystal has certain dimension and a certain polcrization so it has certain value, for  $C_s, R_s, L_s$ , but these parameters are not affected by Temp. & time so  $f_0$  is very stable, ② high (small value of  $C_s, L_s$ ).  $\rightarrow$  advantages.

\* Disadvantages

- ① Fixed Freq.
- ② Fragile (  $\sqrt{\pi} \text{ } \mu\text{m}$  )

EX:- calculate  $f_s, f_p, Q$  for a X-tal oscillator with  $R=200\Omega, C_s=10\text{pF}, L_s=1\text{H}, C_p=10\text{pF}$ .

Sol:-

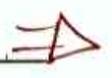
$$f_s = \frac{1}{2\pi \sqrt{L_s \cdot C_s}} = \frac{1}{2\pi \sqrt{1 \cdot 10 \cdot 10^{-15}}} = \frac{10^7}{2\pi}$$

$$Q = \frac{\omega_s \cdot L_s}{R_s} = \frac{2\pi \cdot 1.6 \cdot 10^6 \cdot 1}{200}, \quad Q:- \text{selective factor}$$

$$= 1.6 \pi \cdot 10^4$$

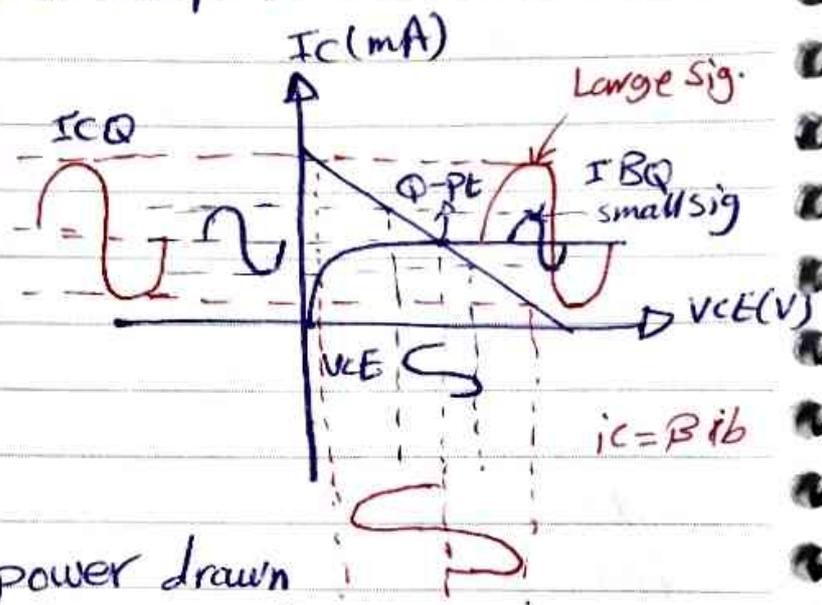
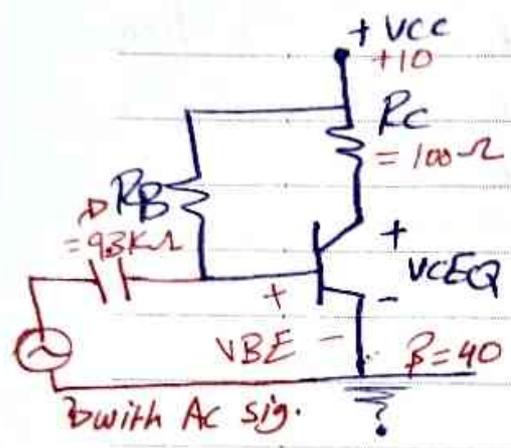
$$f_p = \frac{1}{2\pi \sqrt{L_s C_{eq}}}, \quad C_{eq} = \frac{C_s \cdot C_p}{C_s + C_p}$$

$\rightarrow$  osci. freq.  $\approx f_s$  (because  $f_p$  too small)



$\leadsto$  high P.D  $\leadsto$  Large current & volt. sig  
 $\leadsto$  the component is large  $\leadsto$   $\text{P.D} = I^2 R$  Heating sink  
 عشان تشتغل اكرارة بس بترتبه  $\text{P.D}$  واكل انا بترتبه Heating sink

## Power Amplifiers (Large signal Amps)



$\leadsto \bar{P}_S = I_{CQ} \cdot V_{CC}$  (D.C power drawn from D.C source)

$$I_{BQ} = \frac{(10 - 0.7)V}{9.3K} = 1mA$$

$$I_{CQ} = 40 * 0.1 = 40 mA$$

$$\bar{P}_S = 40 * 10 = 400 mW \leadsto \text{مقدار الطاقة التي نحتاجها}$$

$$V_{CEQ} = 10 - 0.1 * 40 = 6V$$

- without A.c  $\leadsto \bar{P}_S = \frac{I_{CQ} \cdot V_{CEQ}}{\text{for trans.}} + \frac{I_{CQ}^2 R_C}{\text{for Res (Heating)}}$

- with A.c  
 some of  $\bar{P}_S$  will be converted to A.c Load power delivered to Load

$$\leadsto \bar{P}_S = I_{CQ}^2 R_C + \bar{P}_L + P_D (\text{Trans})$$

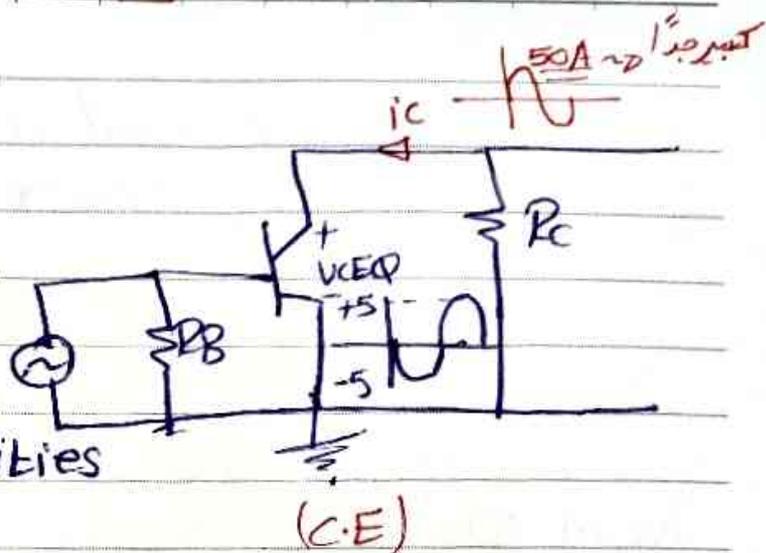
P. Dissipation  $\leadsto$   $\text{P.D} = I^2 R$   $\text{P.D} = I_{CQ}^2 R_C$   $\text{P.D} = I_{BQ}^2 R_B$   $\text{P.D} = I_{E}^2 R_E$

\* Big size trans have a high rating values  
(I, V, P)

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$$\begin{aligned} P_{avg} &= I_c \cdot V_{CEQ} \\ &= I_c^2 \cdot R_c \\ &= \frac{V_{CEQ}^2}{R_c} \end{aligned}$$

What these quantities  
are in RMS



\* compared to SS Amps.

- ① P.A deal with large current & voltage signal and use the hole D.C.L.L
- ② The size of power components are large to handle the high power dissipation.

③	SS BJT	Power BJT
$I_{cmax}$	1A	20A
$V_{CEmax}$	30V	250V
PD	1.5W	50W
$\beta$	40 → 300	20 → 50

- ④ The most important parameter in P.A is the conversion efficiency

$$\eta = \frac{\bar{P}_L}{\bar{P}_S} * 100\%$$

\* heat sink can used to distribute temp.

class A  $\rightarrow$  max efficiency = 50%  $\rightarrow$  the o/p is full wave  
 $\rightarrow$  one transistor is used  
 class B  $\rightarrow$  we use complementary.

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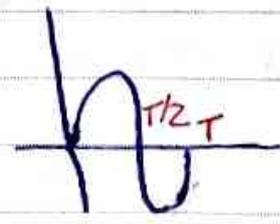
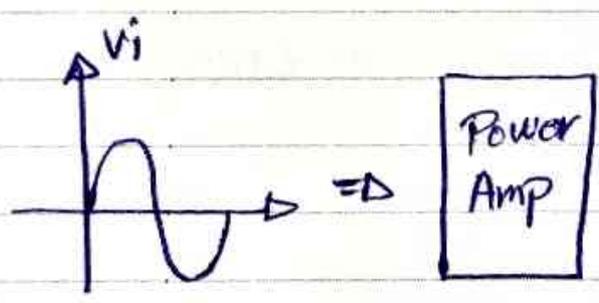
$\bar{P}_L$  :- A.C Average Load Power

$\bar{P}_S$  :- D.C Average Power draw from D.C source

\* In general P.A is used to increase the power of the A.C signal. It draws D.C power from D.C sources and converts some of these power  $\bar{P}_S$  into A.C Average Power delivered to Load.

\* classes of P.A.

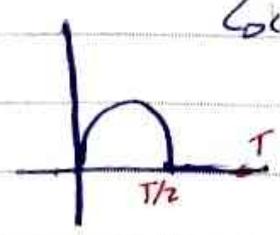
o/p power



\* class-A  $\rightarrow \phi_c = 360^\circ$

Conduction Angle

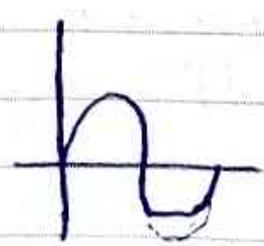
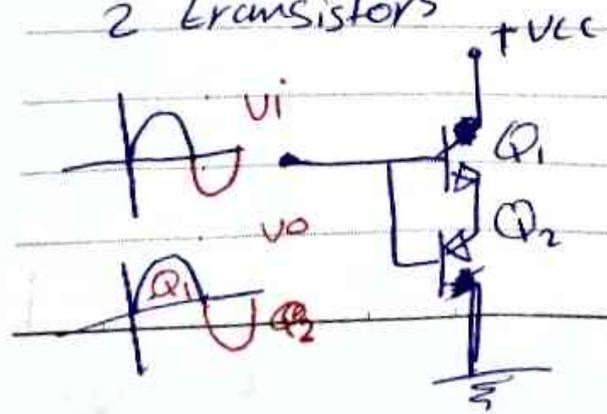
\* in class A I used 1 transistor



Audio Freq P.A

\* in class B I use 2 transistors

\* class-B  $\rightarrow \phi_c = 180^\circ$



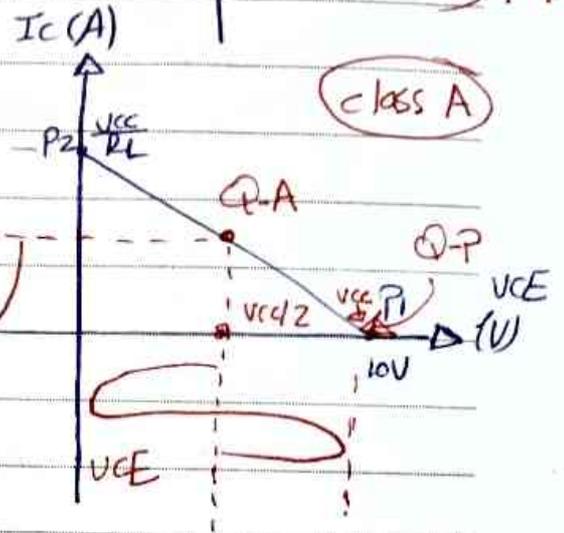
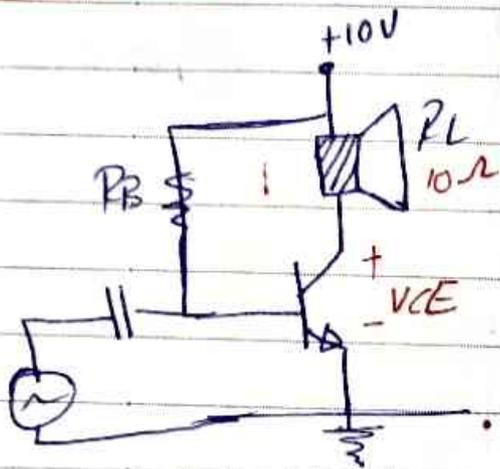
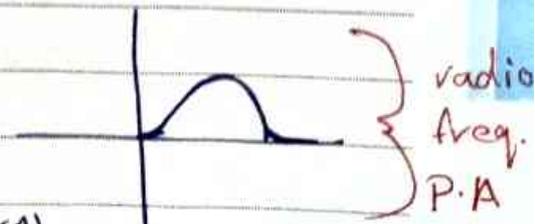
\* class-AB  $\rightarrow 180^\circ < \phi_c < 360^\circ$

class AB  $\rightarrow$  we use one transistor

class C  $\rightarrow$  high efficiency

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\* class C  $\rightarrow \phi_c < 180^\circ$



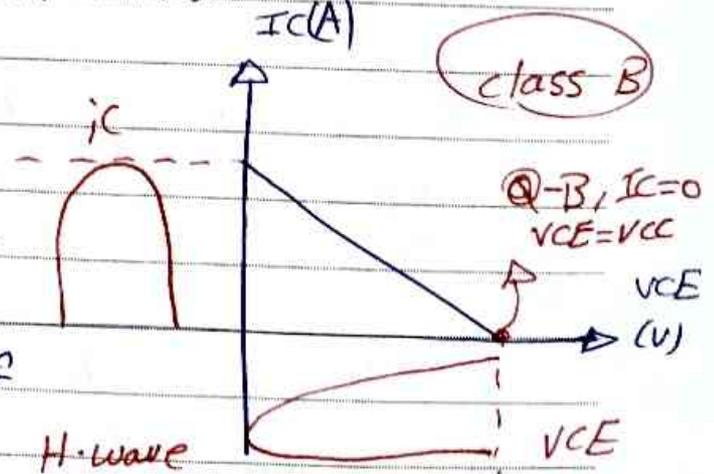
$$= 0 - 10 + I_C R_C + V_{CE} = 0$$

$$\Rightarrow V_{CE} = 10 - I_C R_C$$

① For  $I_C = 0$ ,  $V_{CE} = 10V$ ,  $P_1 (10V, 0)$

② For  $V_{CE} = 0$ ,  $I_C = \frac{10}{10} = 1A$ ,  $P_2 (1A, 0)$

① class-A: Q-pt ideally at center of D.C.L.L  
[ $I_C$  flows for  $360^\circ$  (full-cycle)].



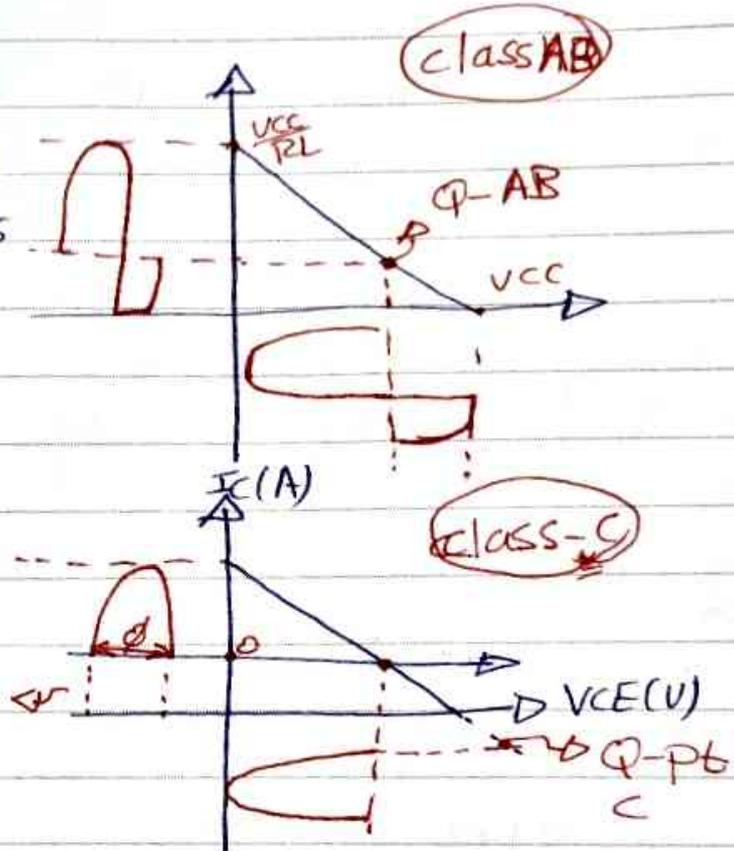
② class-B: Q-pt at cut off  
 $I_{CQ} = 0$  [ $I_C$  flows for  $180^\circ$  (half-cycle)]

③ class-AB: Q-pt between A & B position  
[ $I_C$  flows for  $> 180^\circ$  &  $< 360^\circ$ ]

\*  $I_{CQ} = 50\% \rightarrow$  class A (Ideal)  
\*  $I_{CQ} = 0\% \rightarrow$  class B

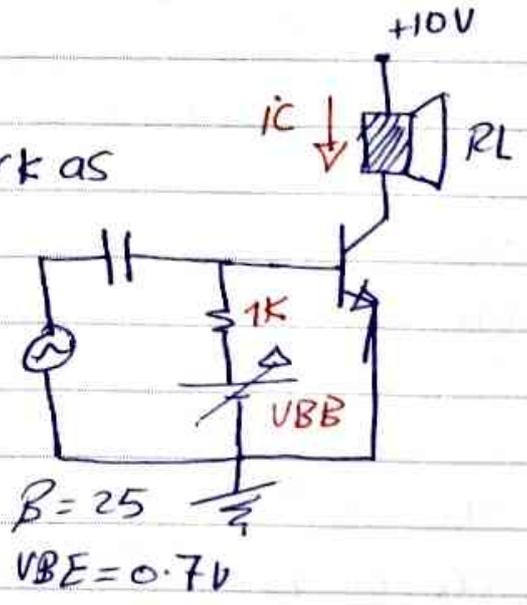
\*  $I_{CQ} \rightarrow$  between Q and 50%  $\rightarrow$  class AB

u) class-C :- Q-pt down the cutoff, i.e.  $I_{CQ}$  for  $< 180^\circ$



نقطة التشغيل لانها لا تكون في منتصف العبء

\* This ckt can be designed to work as ideal class-A, B or AB, by choosing the proper value of  $I_{CQ}$



① for ideal class-A

$$I_{CQ} = \frac{V_{CC}}{2R_L} = 0.5A$$

$$\beta = 25$$

$$V_{BE} = 0.7V$$

$$I_{BQ} = \frac{0.5}{\beta} = \frac{0.5}{25} = 0.02A$$

From D.C  $\Rightarrow -V_{BB} + I_{BQ}R_B + V_{BE} = 0$

=>

\* class-C :- the Q-pt under the cutt of.

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$$I_B = \frac{V_{BB} - V_{BE}}{R_B} = 0.02 \text{ A} \Rightarrow \boxed{V_{BB} = 8.7 \text{ V}}$$

② For ideal class-B,  $I_{CQ} = 0$ ,  $I_{BQ} = 0$

$$\Rightarrow V_{BB} = 0.4 \times 0 + 0.7 \text{ V}$$

$$\therefore V_{BB} = 0.7 \text{ V}$$

③ for class-AB

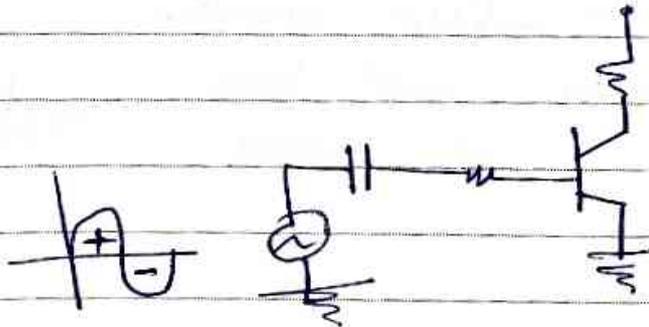
$0 < I_{CQ} < 0.5 \text{ A}$ , let  $I_{CQ} = 0.25 \text{ A}$

$$I_{BQ} = \frac{0.25}{25} = 0.01 \text{ A}$$

$$\Rightarrow V_{BB} = 0.01 \times 0.4 + 0.7 = 4.7 \text{ V}$$

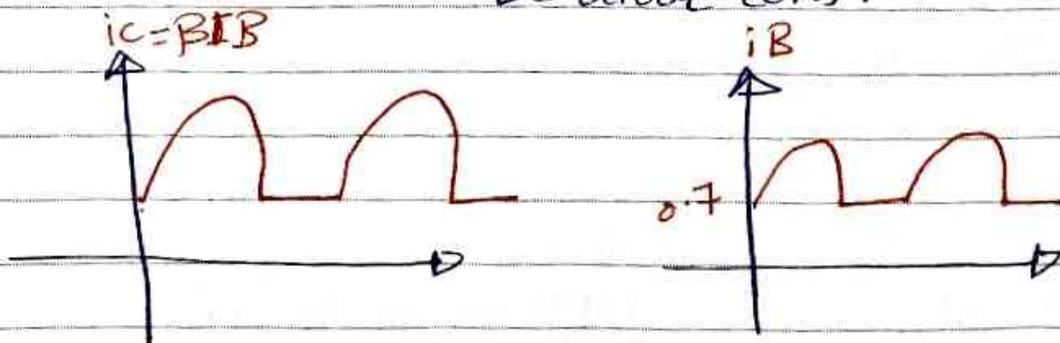
$$I_B = \frac{0 - V_{BE}}{R_B}$$

$$\Rightarrow I_B < 0 \Rightarrow \text{off}$$



$$-V_i + I_B R_B + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{V_i - V_{BE}}{R_B}, \quad V_i \text{ must be } > V_{BE} \text{ to operate the diode (on).}$$



\*  $\bar{P}_S \rightarrow$  DC source

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### class - A

o/p is present for  $360^\circ$  (full-cycle)

Direct coupled  
(Series-Fed)

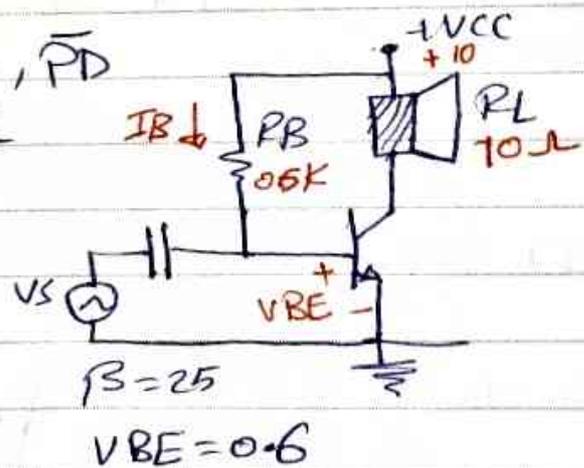
Transformer coupled

the load is connected directly between  $V_{CC}$  & collector.

EX:- ① calculate  $\bar{P}_S, \bar{P}_L, \eta\%, \bar{P}_D$

② Draw D.C.L.L & A.C.L.L with  $i_C$  &  $v_{CE}$  swings.

when the i/p signal drives a peak collector current  $i_{CQ} = 0.45A$



SOL:-

$\bar{P}_S$ :- Average D.C power drawn from D.C source

$$\bar{P}_S = V_{CC} \cdot I_{CQ}$$

$$I_{CQ} = \beta I_{BQ}$$

$$V_S - V_{CC} + I_B R_B + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{(10 - 0.6)V}{0.5K} = \frac{9.4V}{0.5K} = 18.8 \text{ mA}$$



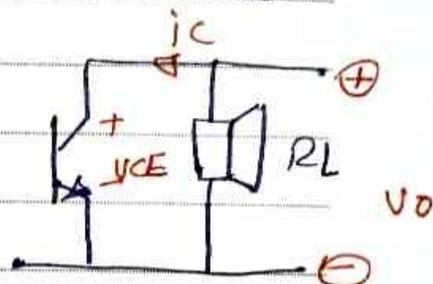
$$\Rightarrow I_{CQ} = \beta I_B = 25 * 18.8 = 0.47 A, V_{CEQ} = 5.3 V$$

$$\bar{P}_S = 10 * 0.47 = 4.7 W.$$

\*  $\bar{P}_L$  :- Average A.c power delivered to Load

$$\bar{P}_L = i_c(\text{rms}) \cdot V_{ce}(\text{rms})$$

$$= \frac{i_{cP}}{\sqrt{2}} \frac{V_{ceP}}{\sqrt{2}} = \frac{i_{cP} \cdot V_{ceP}}{2}$$



$$\bar{P}_L = i_c(\text{rms}) \cdot R_L$$

$$= \left(\frac{i_{cP}}{\sqrt{2}}\right)^2 \cdot R_L$$

$$\Rightarrow \bar{P}_L = \frac{V_{ce}^2(\text{rms})}{R_L}$$

$$= \left(\frac{V_{ceP}}{\sqrt{2}}\right)^2 * \frac{1}{R_L} = \left(\frac{0.45}{\sqrt{2}}\right)^2 * 10 = 1.0125 W$$

$$\Rightarrow \eta = \frac{\bar{P}_L}{\bar{P}_S} * 100\% = \frac{1.0125}{4.7} = 21\%$$

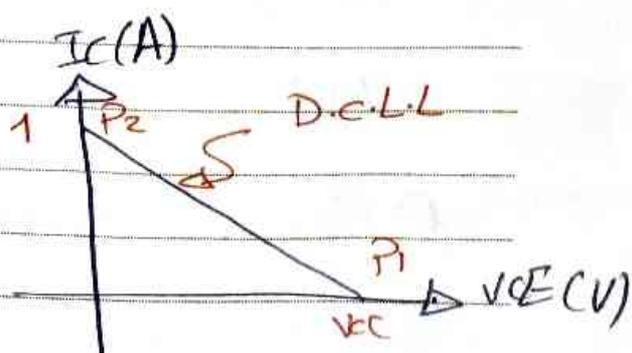
$$\Rightarrow \bar{P}_S = \bar{P}_L + I_{CQ}^2 R_L + P_{Dcr}$$

$$\Rightarrow P_{Dcr} = \bar{P}_S - I_{CQ}^2 R_L = 4.7 - (0.47)^2 * 10 = 1.47 W$$

### \* Transistor ratings

$$-V_{CC} + I_C R_L + V_{CE} = 0$$

$$\Rightarrow V_{CE} = V_{CC} - I_C R_L$$



$\Rightarrow$



\* if  $P_L = 10 \rightarrow P_S = 40$   
 $P_S = 100 \rightarrow P_L = 25$

\*  $i_{CP} \rightarrow$  given

[2]

$P_S(\text{avg}) = \text{const} = I_{CQ} V_{CC}$

(الحد الأقصى لكفاءة الطاقة)

$\eta = \frac{\bar{P}_L}{P_S} = D \quad \eta = \frac{\bar{P}_L(\text{max})}{P_S}$

$\bar{P}_L = \frac{V_{CEP}}{\sqrt{2}} \cdot \frac{i_{CP}}{\sqrt{2}}$

$\rightarrow$  for max  $\bar{P}_L$ :

$\rightarrow V_{CEP}(\text{max}) = \frac{V_{CC}}{2}, \quad i_{CP}(\text{max}) = I_{CQ}$

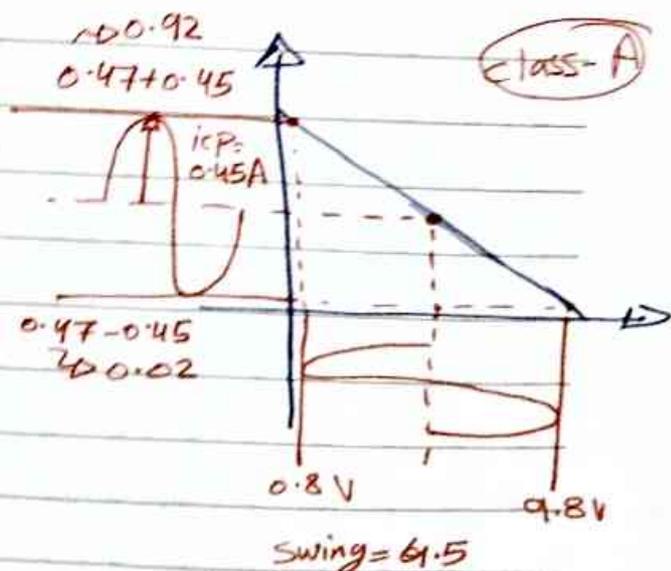
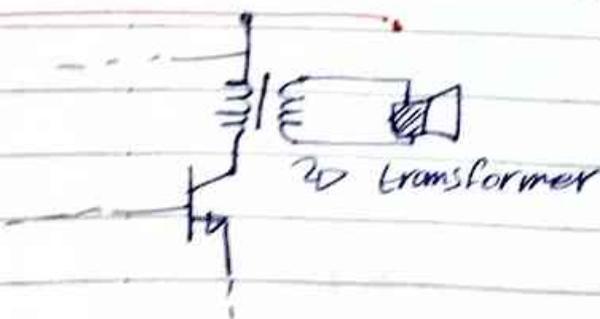
$\bar{P}_L(\text{max}) = \frac{V_{CC}}{2\sqrt{2}} \cdot \frac{I_{CQ}}{\sqrt{2}} = 0.25 V_{CC} I_{CQ}$

$\eta = \frac{0.25 V_{CC} I_{CQ}}{V_{CC} I_{CQ}} \times 100\% = \underline{25\%} \rightarrow \text{max}$

\* Draw  $i_C(\text{opp})$  &  $v_{CE}(\text{opp})$ .

$\rightarrow$  the o/p here is complete sign wave  $\rightarrow$  so this class is class A

$\rightarrow$  and it's less using

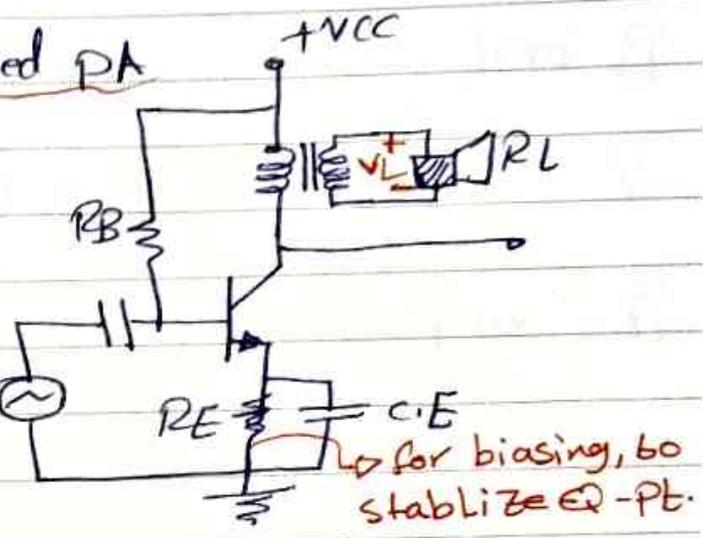


$I_{CQ}^2 + P_{R(\text{coil})} = 0$  because the  $R_C = 0$  because ideally so there is no

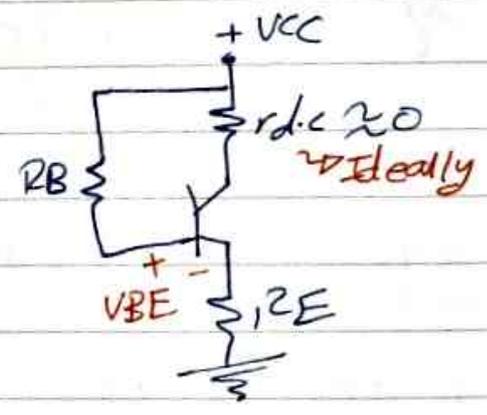
\* اذا برى Load سبب 1 watt من 2 watt direct. coup. 1 watt  
 اما في 2 Trans. coup. 2 watt 28

\* Class-A Transformer-coupled PA

In this class, the load is connected in the secondary of transformer, so there is no  $I_{CQ}^2 R_L$  dissipated in load which means less  $\bar{P}_S$  is drawn for the same  $\bar{P}_L$  (compared to direct-coupled).  
 Therefore  $\eta\%$  for this class is  $> \eta\%$  for direct-coupled P.A.



$\Rightarrow \bar{P}_S = V_{CC} \cdot I_{CQ}$   
 $I_{CQ} = \beta I_{BQ} \Rightarrow$



$\rightarrow I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1) R_E}$

$\Rightarrow \bar{P}_L = ??$

\* From secondary side.

$V_L, i_L, R_L$

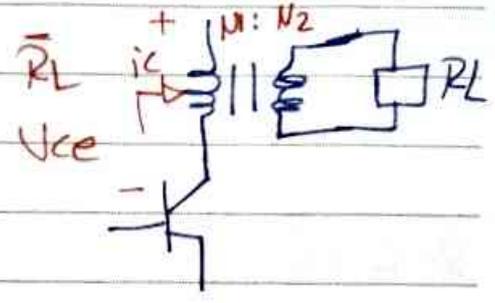
$\Rightarrow P_L = i_L(rms) \cdot V_L(rms)$   
 $= i_L^2(rms) \cdot R_L$   
 $= \frac{V_L^2(rms)}{R_L}$

$\bar{P}_L = \frac{V_{LP} \cdot i_{LP}}{2} = \frac{i_{LP}^2}{2} R_L = \frac{V_{LP}^2}{2R_L}$



\* From primary side

$$\begin{aligned} \bar{P}_L &= V_{CC}(\text{rms}) \cdot i_C(\text{rms}) \\ &= i_C(\text{rms}) \cdot \bar{R}_L \\ &= \frac{V_{CC}(\text{rms})^2}{\bar{R}_L} \end{aligned}$$



↳  $\bar{R}_L$ : A.C reflected Resistance

\* D.C & A.C.L.L

↳ D.C.L.L

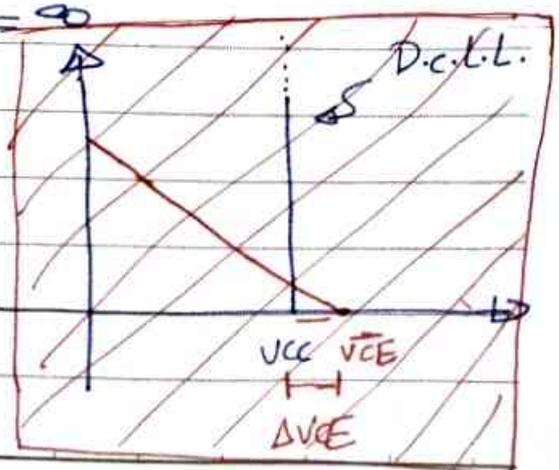
$$\begin{aligned} -V_{CC} + I_C r_{dC} + V_{CE} + I_E R_E &= 0 \\ V_{CE} = V_{CC} - I_C (r_{dC} + R_E) &= 0 \quad (I_C \approx I_E) \end{aligned}$$

↳ for ideal coil,  $r_{dC} = 0$  & for small  $R_E$   
 ->  $V_{CE} \approx V_{CC}$

$$I_C = \frac{V_{CC} - V_{CE}}{r_{dC} + R_E} = b + m x$$

↳ for  $(r_{dC} + R_E) \approx 0$ , slope =  $\infty$

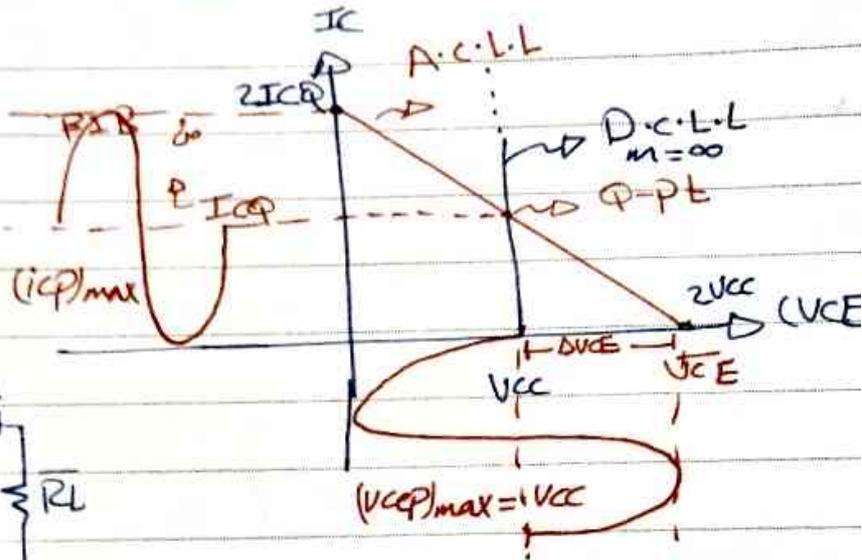
- ① For  $I_C = 0$ ,  $V_{CE} = V_{CC}$   
 $(V_{CC}, 0) P_1$
- ② For  $V_{CE} = 0$ ,  $I_C = \frac{V_{CC}}{r_{dC} + R_E} \approx \frac{V_{CC}}{0}$   
 $(0, \infty) P_2$   
 $= \infty$



Q-pt:-

$$V_{CEQ} = V_{CC}$$

$$I_{CQ} > 0$$

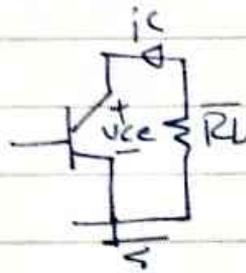


∴ A.C.L.L

$$v_{ce} + i_c \bar{R}_L = 0$$

$$V_{CC} = -i_c \bar{R}_L$$

$$\therefore \text{slope} = -\frac{1}{\bar{R}_L}$$



$$\Rightarrow \bar{V}_{CE} = V_{CEQ} + \Delta V_{CE}$$

$$|\text{slope}| = \frac{1}{\bar{R}_L} = \frac{\Delta I_C}{\Delta V_{CE}}$$

$$\begin{aligned} \therefore \Delta V_{CE} &= I_{CQ} \cdot \bar{R}_L \\ &= I_{CQ} \cdot \bar{R}_L \end{aligned}$$

\* At Q-pt:-

$$I_{CQ} = \frac{V_{CEQ}}{\bar{R}_L} = \frac{V_{CC}}{\bar{R}_L}$$

$$V_{CC} = I_{CQ} \cdot \bar{R}_L$$

$$\therefore \Delta V_{CE} = V_{CC} \Rightarrow \bar{V}_{CE} = 2V_{CC}$$

\*  $\eta_{max} \%$

$$\eta \% = \frac{P_L}{P_S} * 100\% \Rightarrow \eta_{max} \% = \frac{P_L(\text{max})}{P_S} * 100\%$$

⇒

$$\bar{P}_S = I_{CQ} \cdot V_{CC}$$

$$\bar{P}_L = \frac{V_{CC} P_{iCP}}{2} = D \bar{P}_L(\max) = \frac{V_{CC} \cdot I_{CQ}^{\max}}{2}$$

$$\therefore \xi_{\max} \% = \frac{0.5 V_{CC} \cdot I_{CQ}}{I_{CQ} \cdot V_{CC}} \times 100\% = \underline{\underline{50\%}}$$

\* BJT ratings.

$$\leadsto V_{CE \max} = 2V_{CC}$$

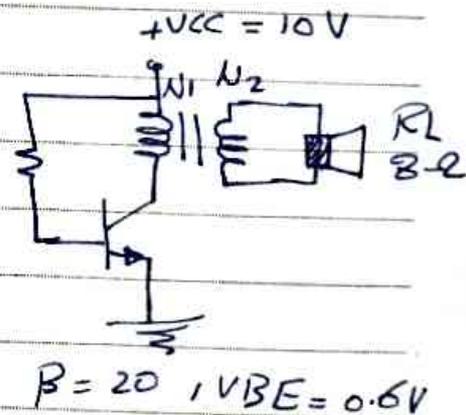
$$\leadsto I_{C \max} = 2I_{CQ}$$

EX:- Design the ckt. to give  
Load power,  $P_L = 4W$  &  $\xi = 40\%$

① Find  $(N_1/N_2)$ ,  $R_B$

② Specify the required BJT ratings

③ Sketch D.C., A.C & voltage & current swings.



SOL:-

$$\xi = 0.4 = \frac{\bar{P}_L}{\bar{P}_S} = D \cdot \frac{\bar{P}_L}{\bar{P}_S} = \frac{4}{0.4} = 10W$$

$$\bar{P}_S = I_{CQ} \cdot V_{CC} \Rightarrow I_{CQ} = \frac{10W}{10} = 1A$$

$$I_{BQ} = \frac{I_{CQ}}{\beta} = \frac{1}{20} = 0.05A$$

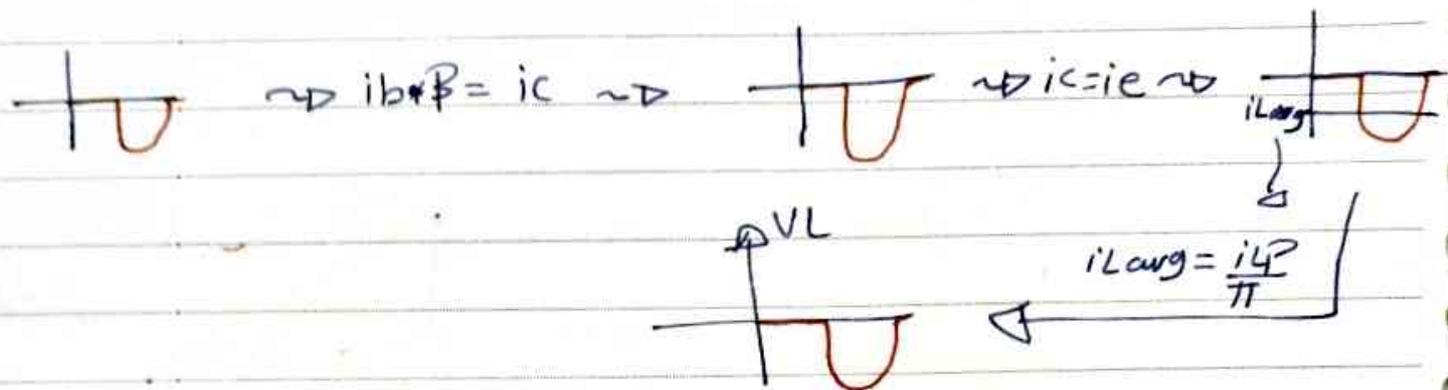
$$I_B = \frac{V_{CC} - V_{BE}}{R_B} \Rightarrow R_B = \frac{V_{CC} - V_{BE}}{I_B}$$







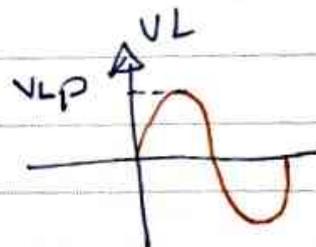
② for -ve H.c



$$\Rightarrow \bar{P}_S^- = -\frac{i_{LP}}{\pi} * (-V_{CC})$$

$$= \frac{i_{LP}}{\pi} V_{CC}$$

\*  $V_L$  during the ~~total~~ all period  $\Rightarrow$



$$\Rightarrow \bar{P}_S = \bar{P}_S(+) + \bar{P}_S(-) = \frac{2i_{LP}}{\pi} \cdot V_{CC}$$

$$= \frac{2V_{LP}}{R_L \cdot \pi} \cdot V_{CC}$$

$$\Rightarrow \bar{P}_L = \frac{V_L^2(rms)}{R_L} = \left(\frac{V_{LP}}{\sqrt{2}}\right)^2 * \frac{1}{R_L} = \frac{V_{LP}^2}{2R_L}$$

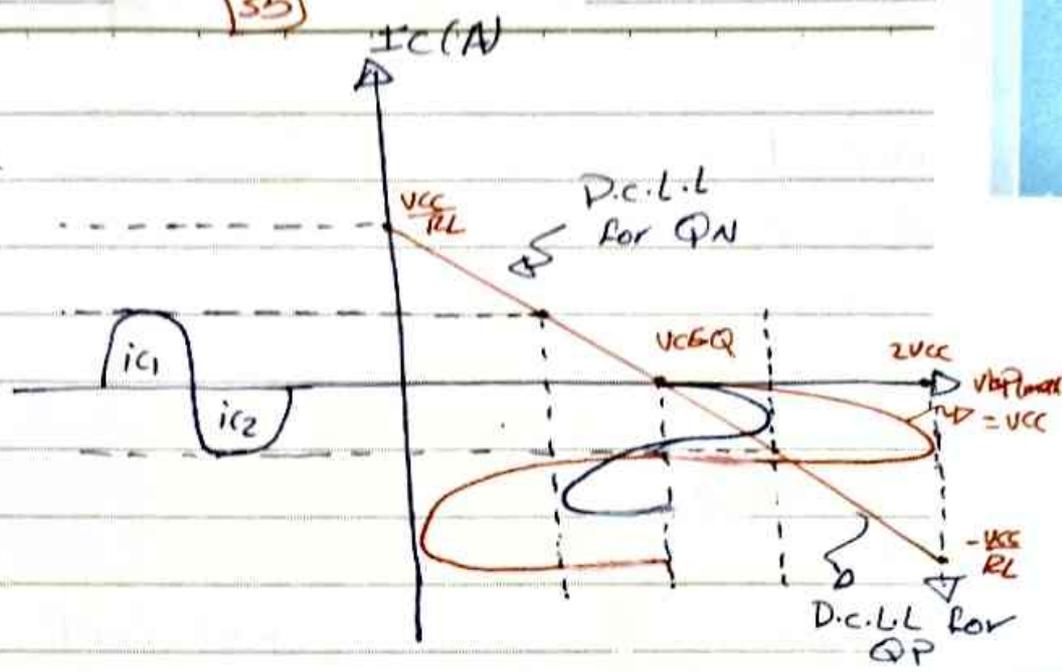
in general.

$$\Rightarrow \xi \% = \frac{\bar{P}_L}{\bar{P}_S} * 100\% = \frac{V_{LP}^2}{2R_L} * \frac{R_L \cdot \pi}{2V_{LP} \cdot V_{CC}} = \frac{V_{LP} \cdot \pi}{4V_{CC}} \% \quad \uparrow$$

$\Rightarrow$

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$i_{C1}$  up From +ve H.c  
 $i_{C2}$  up From -ve H.c



\* For  $\gamma_{max}$ ,  $V_{LP} = V_{CC}$

$$\overline{P_L} = \frac{(V_{CC})^2}{2 R_L}$$

$$\gamma_{max} = \frac{\pi}{4} \times 100\% = 78.5\%$$

① Since the ckt is emitter-follower (C.C)

For Max  $\gamma$ ,  $V_{LP} = V_{CC}$

i.e.  $V_{ip} = V_{CC}$

$$② P_D (\text{each trans}) = \frac{\overline{P_B} - \overline{P_L}}{2}$$

EX:-  $V_{CC} = \pm 5V$ ,  $v_i = 4 \sin \omega t$  (v)

$R_L = 4 \Omega$ , (Assume  $v_{be} = 0$ )



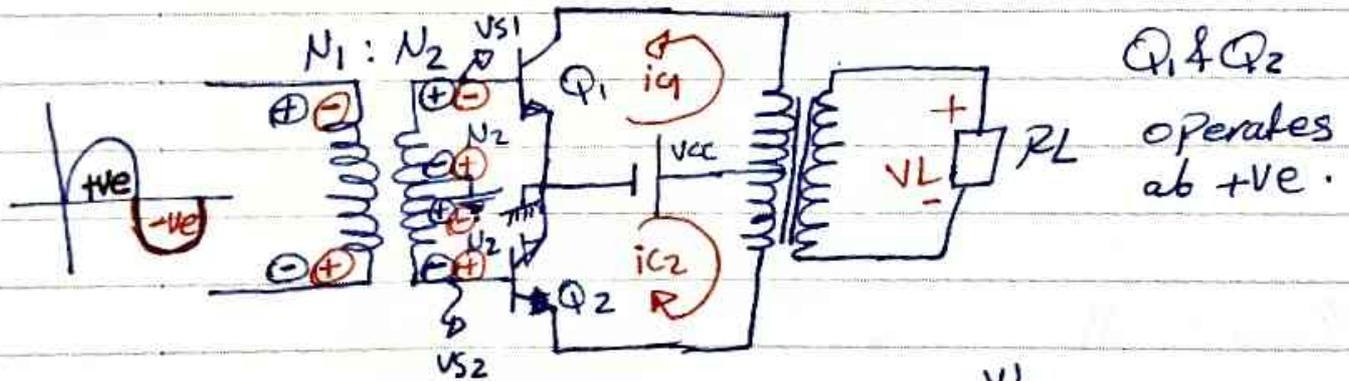
\* class-B  $\Rightarrow$   $\eta$  should be less than 78.5%

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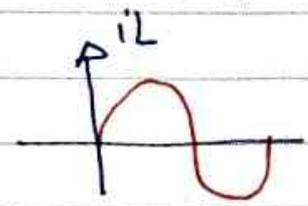
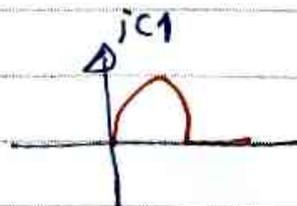
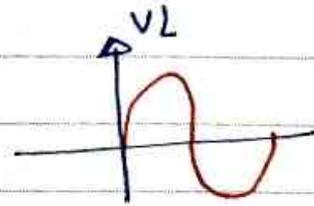
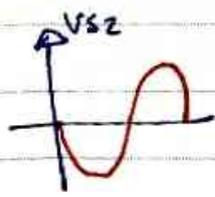
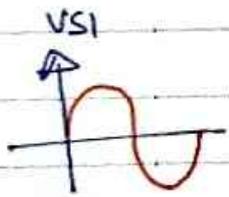
- ① Find  $P_L, P_S, P_D$  (each)
- ② sketch A.c. & D.c. L.L with  $v_L$  &  $i_L$  swing.
- ③ Find peak  $i_L$  voltage which gives max  $\eta$  %

class-B push-pull

\* using same-type of Transistor.



$Q_1$  &  $Q_2$  operates at +ve.



$\Rightarrow i_L = i_{c1} - i_{c2}$



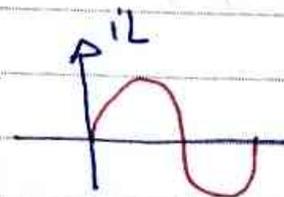
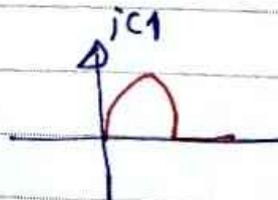
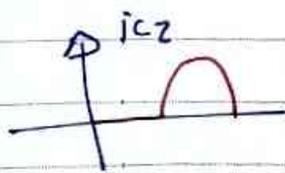
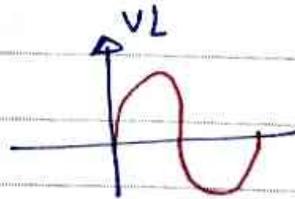
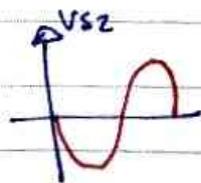
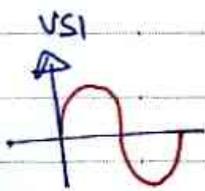
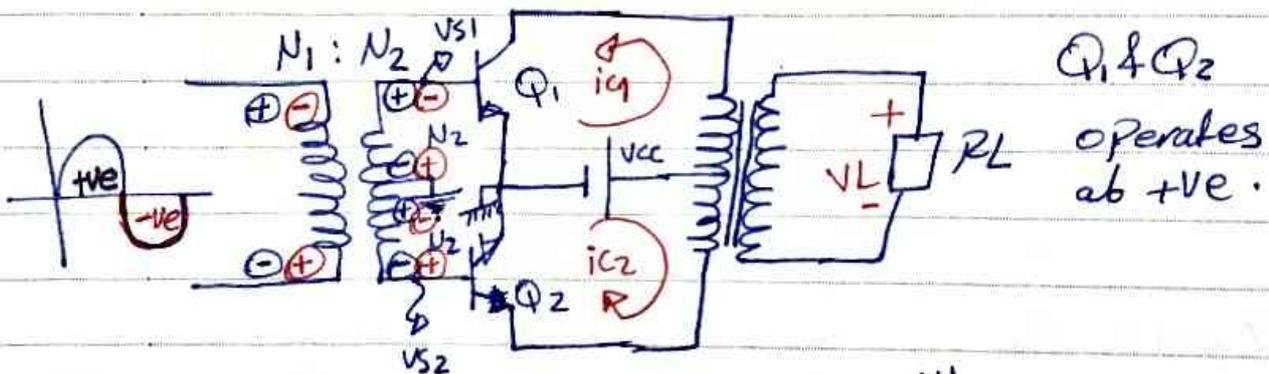
\* class-B  $\eta$  2% should be less than 78.5%

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- ① Find  $P_L, \bar{P}_S, P_D$  (each)
- ② sketch A.c. & D.c. L.L with  $V_L$  &  $i_L$  swing.
- ③ Find peak i/P voltage which gives max  $\eta$  %

class-B push-pull

\* using same-type of Transistor.

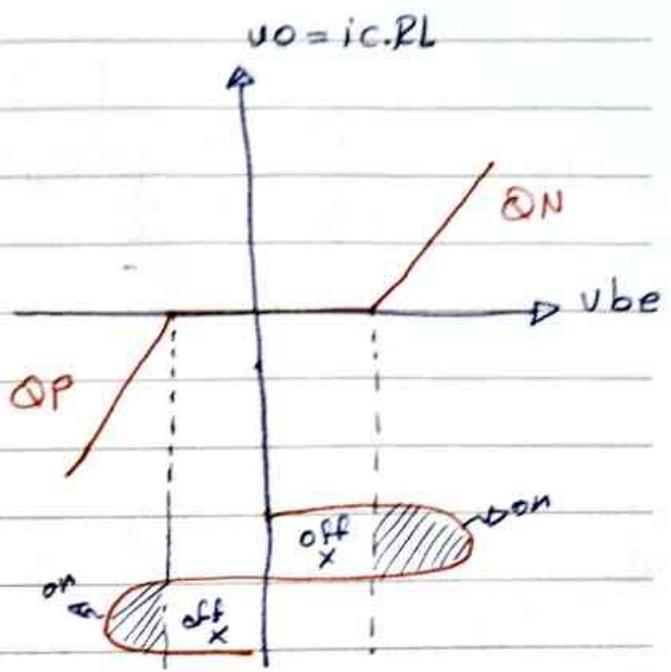
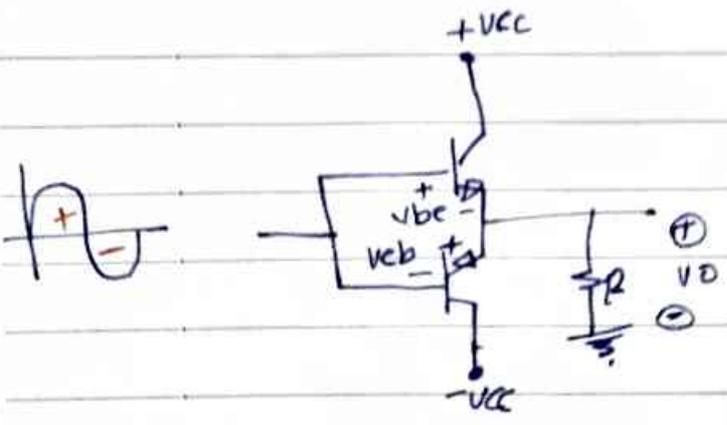


$\Rightarrow i_L = i_{C1} - i_{C2}$

\* class-AB  $\rightarrow$  class-B  $\forall$   $i^{\text{st}}$  distortion  $\rightarrow$  always

\* if  $v_{be} = 0 \rightarrow v_{i/P} = v_{o/P}$

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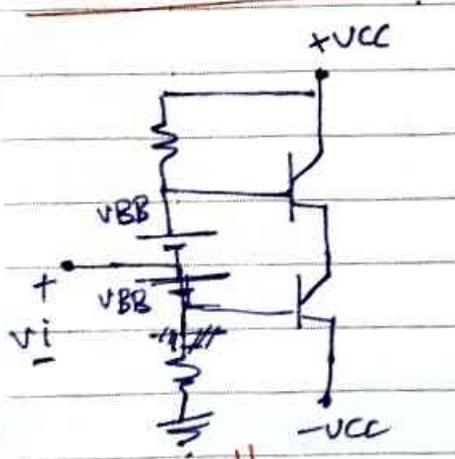
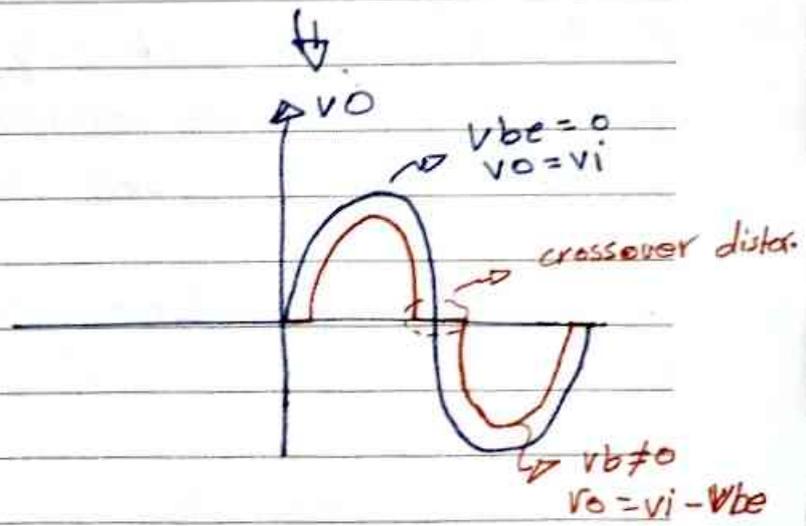


\*  $+ve \Rightarrow -v_i + v_{be} + v_o = 0$

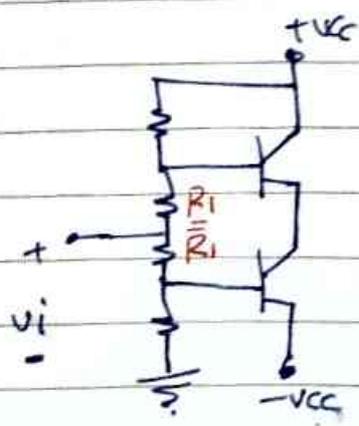
$v_o = v_i - v_{be}$

\*  $-ve \Rightarrow v_i - v_{eb} + v_o$

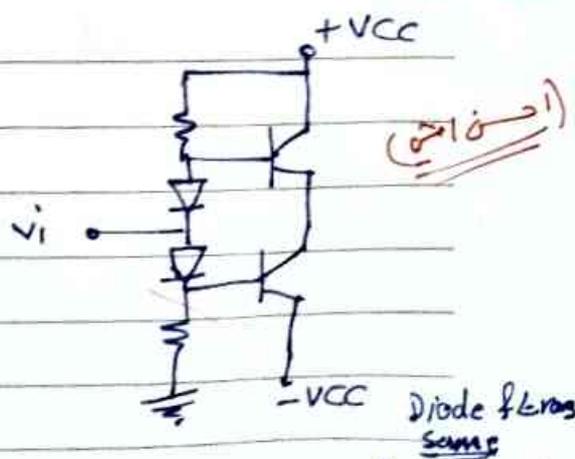
$v_o = -v_i + v_{be}$



2 voltage source (x)



\*  $R \rightarrow$  makes voltage drop, but the Res. affected by temp. & has not fixed value



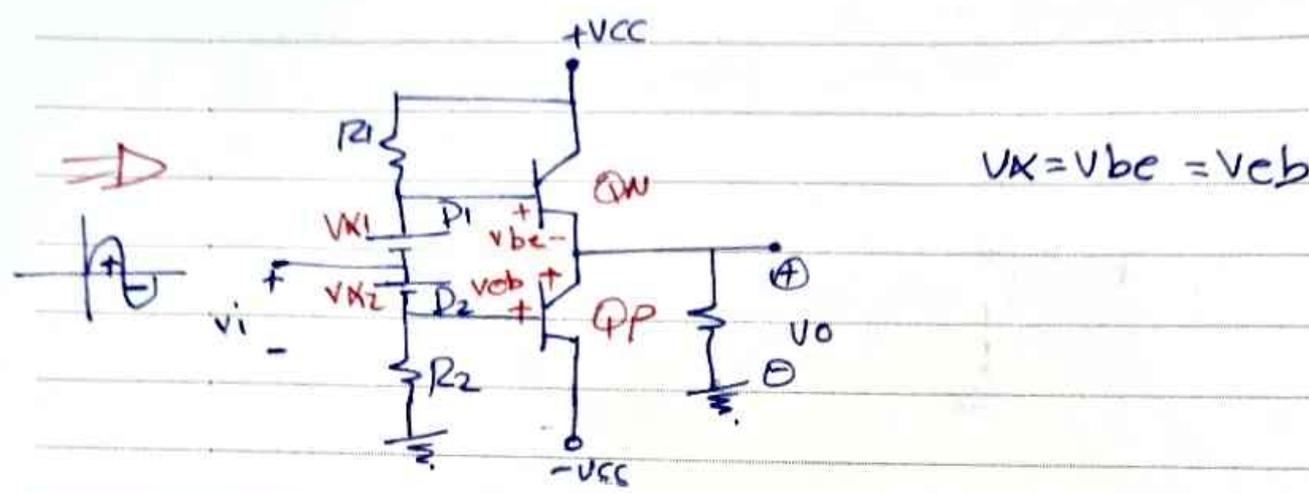
\* so here I used Diodes (because they affected equally by Temp.)

because ① finite value of  $v_{be}$  → crossover dist → class-B  $\neq$  \*

② Q-pt at cutoff → non-linear dist →  $\cos^2$  bl \*

it happens only when signal cross the X-axis

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- ① Q-pt between A & B position,  $I_{CQ} \neq 0$  (because there are  $I_B$ ).
- ② The o/p  $V_o$  &  $I_o$  flows for  $>180^\circ$  &  $<360^\circ$
- ③  $Z_{AB} > Z_A$  but  $< Z_B$  (very close to class-B)
- ④ Practically two compensating diode (of the same type of BJT) are used with  $V_x = v_{be}$

\* crossover distortion

- ① occurs only in class-B, because Q-pt at cutoff.
- ② it is due to  $v_{be}$  of the BJT which results in distortion at crossover region.
- ③ it could be canceled by applying small D.C. voltage equal opposite to  $v_{be}$
- ④

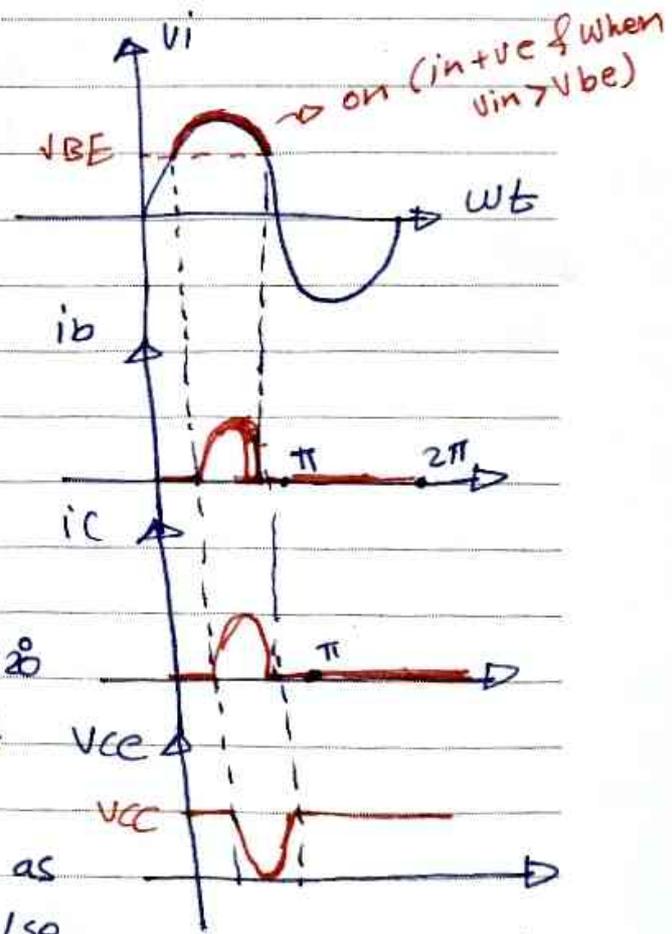
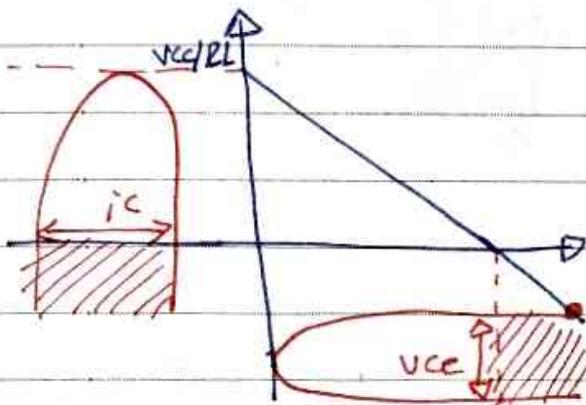
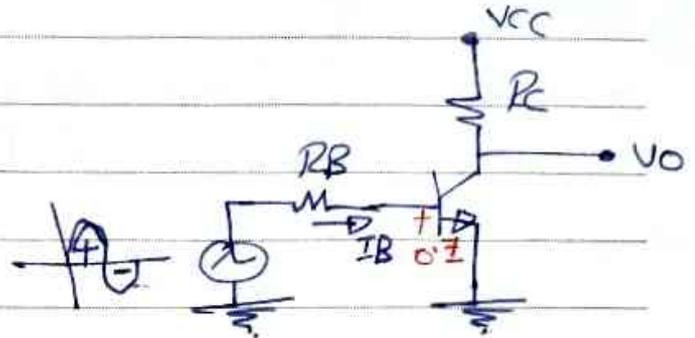
بدون  
فوق

- \* Load  $\rightarrow$  parallel Tuned ckt  $\rightarrow$  (the o/p will be a sine wave not pulse)
- \* BJT  $\rightarrow$  works as a switch
- \* Class-C works as  $\rightarrow$  P.A. 39  
 $\rightarrow$  Modulator.  $\rightarrow$  when the load is R

## Class-C P.A

$$-V_i + I_B R_B + V_{BE} = 0$$

$$I_B = \frac{V_i - V_{BE}}{R_B}$$



- Q-point down the cut-off
- Active device (BJT, FET) conducts for  $< 180^\circ$ ,  $80^\circ < \phi < 120^\circ$
- Normally the load is a parallel Tuned ckt
- the BJT ~~is on (sat)~~ will work as switch, the  $i_c$  form will a pulse form. when BJT is on (sat)  
 $I_C = I_{C(sat)}$ ,  $V_{CE} = V_{CE(sat)}$   
 when it is off  $I_C = 0$ ,  $V_{CE} = V_{CC}$
- At Resonance Freq. of LC ckt,  $f_r = \frac{1}{2\pi\sqrt{LC}}$ , the tuned ckt will produce a sine-wave o/p with Amp  $\pm V_{CC}$

switch  $\rightarrow$  on  $\rightarrow$  sat  
off  $\rightarrow$  off

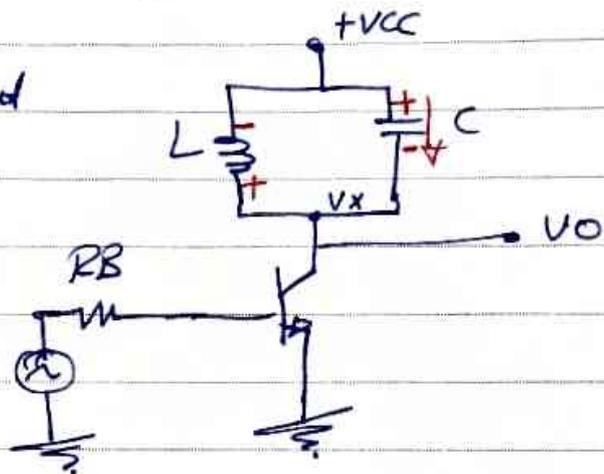
\* flywheel effect of parallel LC (self oscillating)  $\rightarrow$  happens at Resonance  $\rightarrow$  AC o/p sig. with Resonant freq.

\* high level modulation  $\Rightarrow$  mod. Jax & Power (مخرجات)

[40]

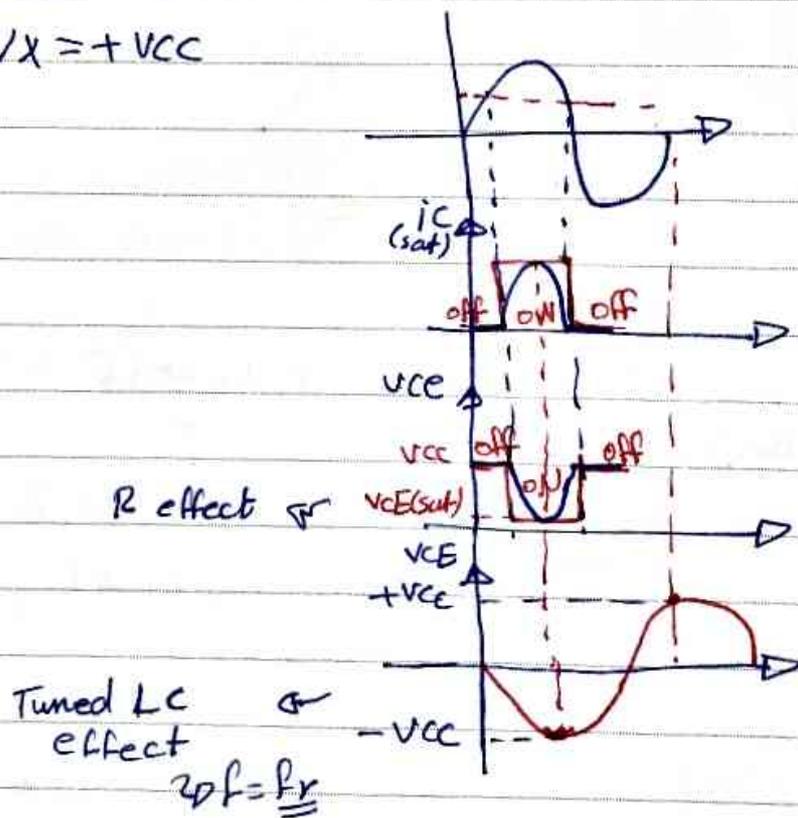
and  $f = f_r = \frac{1}{2\pi\sqrt{LC}}$ , due to flywheel effect.

\* when trans is on the current will through the cap & it will charge until max =  $V_{CC}$   
 $\Rightarrow$  trans(on)  $\rightarrow V_X = +V_{CC}$



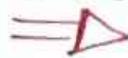
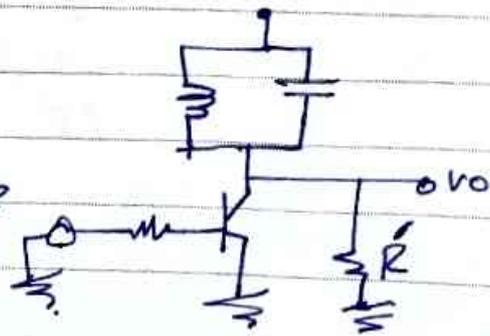
\* when trans is off the cap will discharge in L  
 $\Rightarrow$  so trans(off)  $\rightarrow V_X = +V_{CC}$

~~off~~



$$P_{Lmax} = \left(\frac{V_{CC}}{\sqrt{2}}\right)^2 * \frac{1}{R'}.$$

$\Rightarrow R'$  :- Total effective Resistance across Tuned ckt



$Q_c \downarrow \rightarrow \text{eff} \uparrow$

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$$\bar{P}_{L \max} = \frac{V_{CC}^2}{2R'}$$

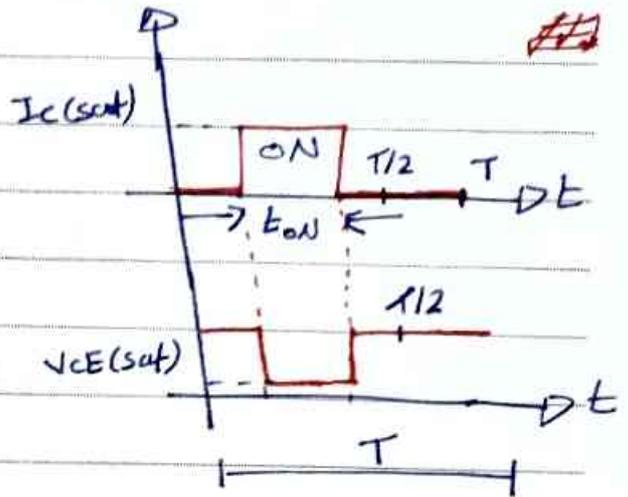
$$\bar{P}_S = \bar{P}_L + P_{D \text{ avg}} (\text{BJT})$$

$$\eta \% = \frac{\bar{P}_L}{\bar{P}_S} \times 100\%$$

$$P_{D \text{ avg}} (\text{BJT}) = \frac{P_D (\text{on}) t_{\text{on}}}{T}$$

$$P_D (\text{on}) = I_C (\text{sat}) \cdot V_{CE} (\text{sat})$$

$$T = \frac{1}{f_{\text{input}}} \rightarrow \text{OFF/ON}$$



EX:- a class-C P.A has input signal of  $f_{\text{req}} = 50 \text{ kHz}$ . The BJT is ON for  $2 \mu\text{s}$ . and has:  $I_C (\text{sat}) = 0.2 \text{ A}$ ,  $V_{CE} (\text{sat}) = 0.3 \text{ V}$ , given  $V_{CC} = 20 \text{ V}$  & the total effective  $R_{\text{es}} = 100 \Omega$ .

① calculate  $\bar{P}_L, \bar{P}_S, \eta\%$

② Design the Tuned ckt to process the i/p signal.

Sol:-

$$R = 100 \Omega$$

$$\bar{P}_L = \frac{V_{CC}^2}{2R'} = \frac{400}{200} = 2 \text{ W}$$

$$P_{D \text{ (avg)}} (\text{BJT}) = P_D (\text{on}) = \frac{t_{\text{on}}}{T}$$

$$T = \frac{1}{f} = \frac{1}{50 \times 10^3} = 20 \mu\text{s}$$

$$P_{D \text{ (avg)}} = (0.2 \times 0.3) \frac{2}{20} = 0.06 \times 0.1 = 0.006 \text{ W}$$

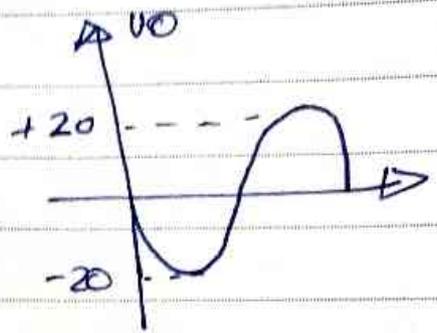
\* if we want it to give double freq or tripple  
 $\Rightarrow n \text{ freq} = \frac{1}{2\pi \sqrt{LC}} \rightarrow \text{Design}$

$$\eta = \frac{2W}{2 + 0.006} \times 100\% = 99\%$$

$$(2) f_r = 50 \text{ kHz}$$

$$f_r = \frac{1}{2\pi\sqrt{LC}}, \text{ let } C = 10 \text{ F}$$

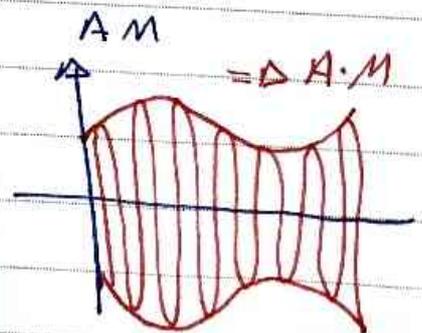
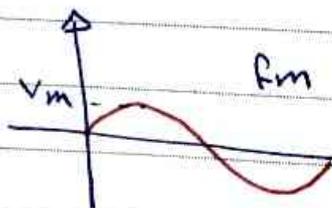
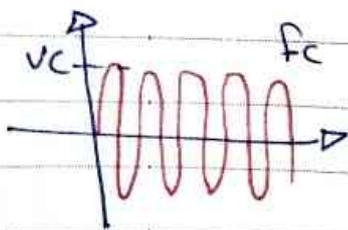
$$L = \frac{1}{2\pi^2 f_r^2 C} = \frac{1}{4 \times 10^8 \times 25 \times 10^{-9} \times 10} = \frac{1}{100} \text{ H} = 10 \text{ mH}$$



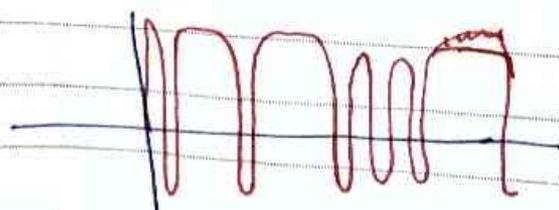
## AM Modulator

\* modulation:- changing certain char's of carrier's according to Amp. of the message signal.

1) - In AM:- the Amp of the message change the Amp of the carrier



2) - In FM:- the Amp of the message signal change the freq of carrier

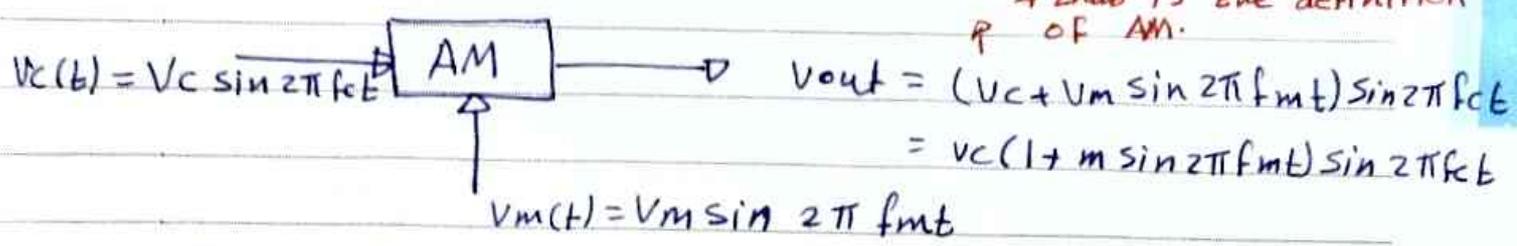


\* LSF & USB  $\rightarrow$  if  $v_m$  has a single freq  $\left\{ m=1 \right.$   $\rightarrow$   $\downarrow$  power  $\downarrow$

\* LSB & USB  $\rightarrow$  = = = a band of ...

$\rightarrow$  Band (group of freq.  $\square$ ) 43

we changed the Amp of carr. & that is the definition of AM.



- \*  $V_c$  :- Amp of carrier
- \*  $m$  :- mod index =  $\frac{V_m}{V_c}$
- \*  $f_c$  :- freq of carrier
- \*  $f_m$  :- = = message

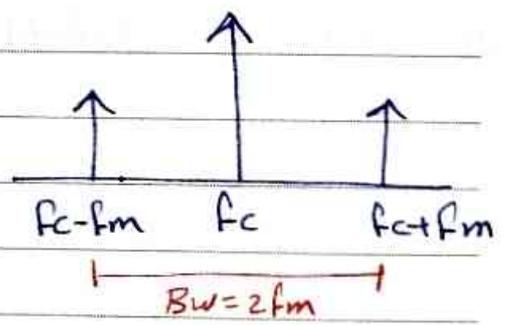
Ex:-  $V_{am} = 5(1 + 0.8 \sin 2\pi 10^3 t) \sin 2\pi 10^6 t$

$\downarrow$   $V_c$        $\downarrow$   $m$       ,  $V_m = V_c \cdot m = 4$

\* For  $m=1$

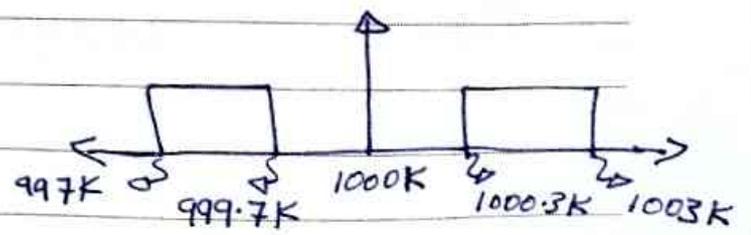
$P_{fc} = \frac{2}{3} P_T$

$P_{LFS} = P_{USF} = \frac{1}{6} P_T$

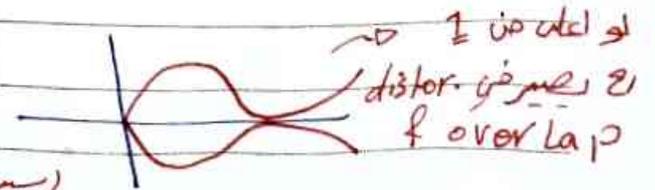


- ☐ If  $v_m(t)$  has a single freq  $f_m$  then  $V_{am}$  has LSF & USB
- ☐ If  $v_m(t)$  has a band of f-freq such as voice signal (0.3  $\rightarrow$  3) K then  $V_{am}$  has USB & LSB

Ex:-  $f_c = 1000$  K Hz  
 $f_m = (0.3 \rightarrow 3)$  K



\*  $m \rightarrow$  maximum = 1



\*  $BW_{AM} = 2f_m \rightarrow \pm f_m$  (as per ...)

$f_m$  :- max freq in message signal.

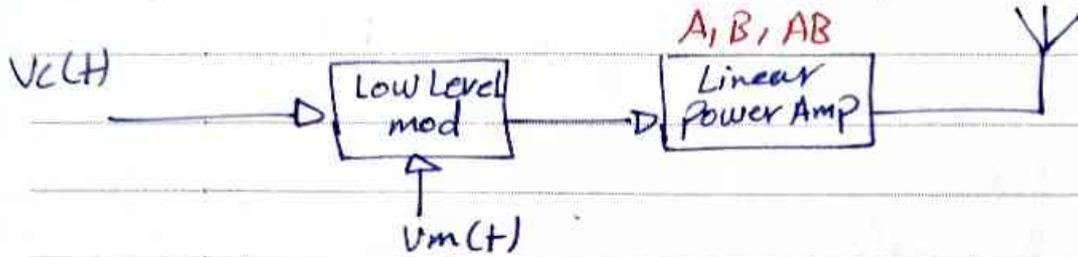
\* we use PIN Diode for High frequency.

$V_C > V_m \rightarrow \text{OK } m \leq 1$   
 $V_m > V_C \rightarrow \text{distortion}$

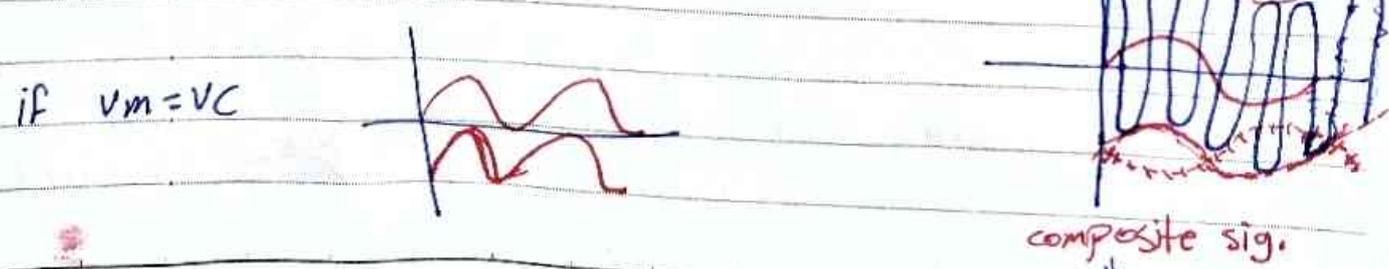
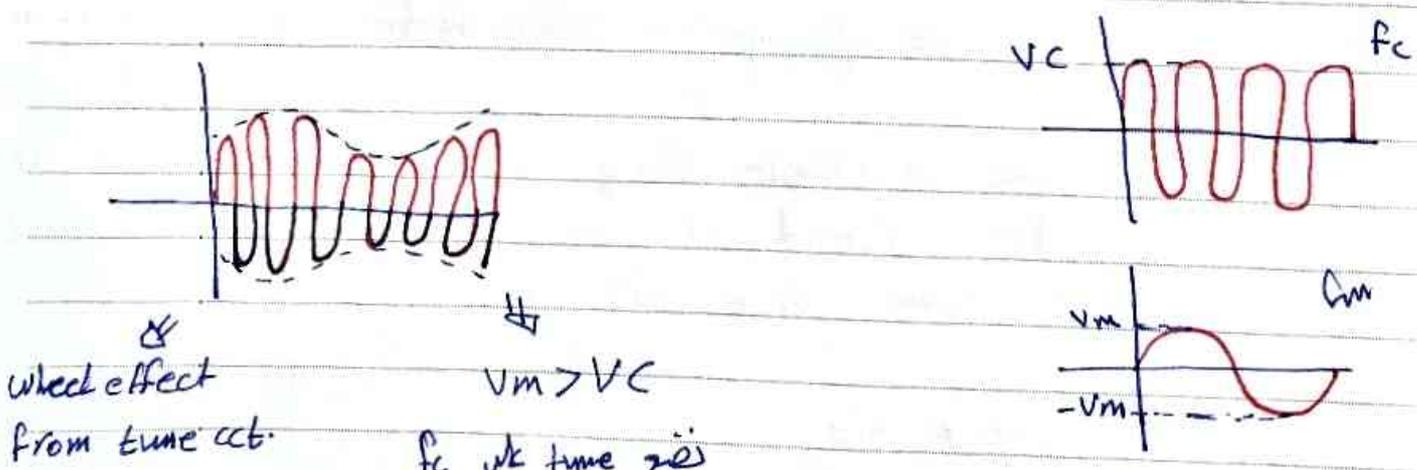
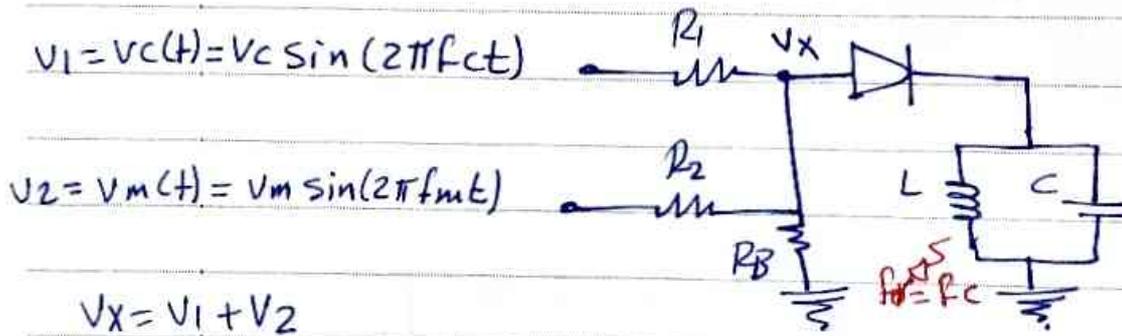
[44] ~ 100%

modulation index  $\rightarrow M = \frac{mP}{A} = \frac{V_m}{V_C} > 1$

\* Low Level modulator:- both amplit. & power of AM signal are low, so Linear power Amp is required.



### ① Diode modulator



الموجة المركبة، إشارة Pulse → إشارة مركبة Pulse

$f_c \Rightarrow \Delta$  must equal  $f_c$

$Q \Rightarrow \Delta$  gives  $2f_m$

$$\sqrt{44} \approx 0$$

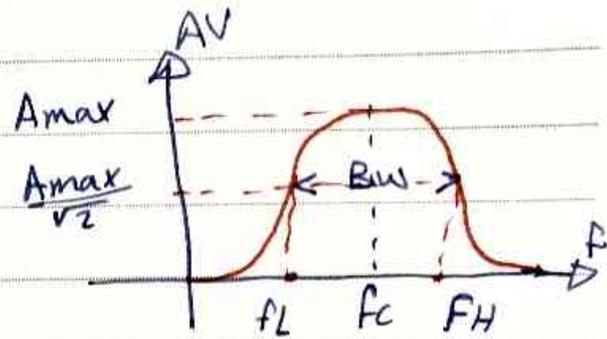
also

in AM there are  $f_c / f_c + f_m / f_c - f_m$

$f_r = \text{resonant}$

$$f_c = \frac{1}{2\pi\sqrt{LC}}$$

$$B.W. = \frac{f_c}{Q}$$



$Q$  must be chosen such that

$$B.W. = \frac{f_c}{Q} \geq 2f_m$$

if  $(B.W.) \geq 2f_m$

• for weak signal we use Diodes with small  $V_K$  as Germanium

\* if  $(B.W.)_{T.C} < 2f_m$

will be freq distortion

$$V_{O1} = A(V_2 - V_1)$$

$$V_{O1} = A(-V_1) \Rightarrow V_{O2} = A(V_1)$$

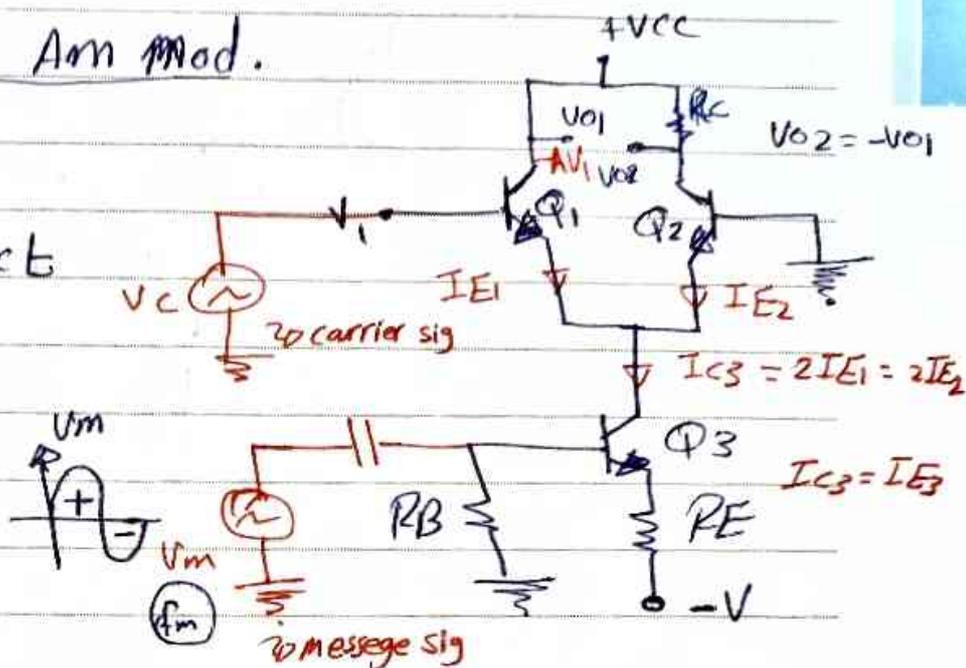
45

## ② Differential Amp Am Mod.

$$* V_{O2} = -V_{O1} = A \cdot V_1$$

$$\text{when } V_1 = V_c = \sin 2\pi f_c t$$

$$V_{O2} = A[V_c \sin 2\pi f_c t]$$



\*  $I_{B3}$  (without modulating sig.)

$$\therefore I_{B3} = \frac{V - V_{BE}}{R_B + (\beta + 1)R_E}$$

$$I_{C3} = \beta I_{B3}$$

\* when modulating sig is applied

↳ ① For +ve H.c of  $V_m$

$$I_{B3} \uparrow = \frac{V_m + V - V_{BE}}{(\beta + 1)R_E}$$

$I_C \uparrow$ ,  $I_E \uparrow$ ,  $A \uparrow$ , Amp of  $V_c \uparrow$

↳ ② For -ve H.c of  $V_m$

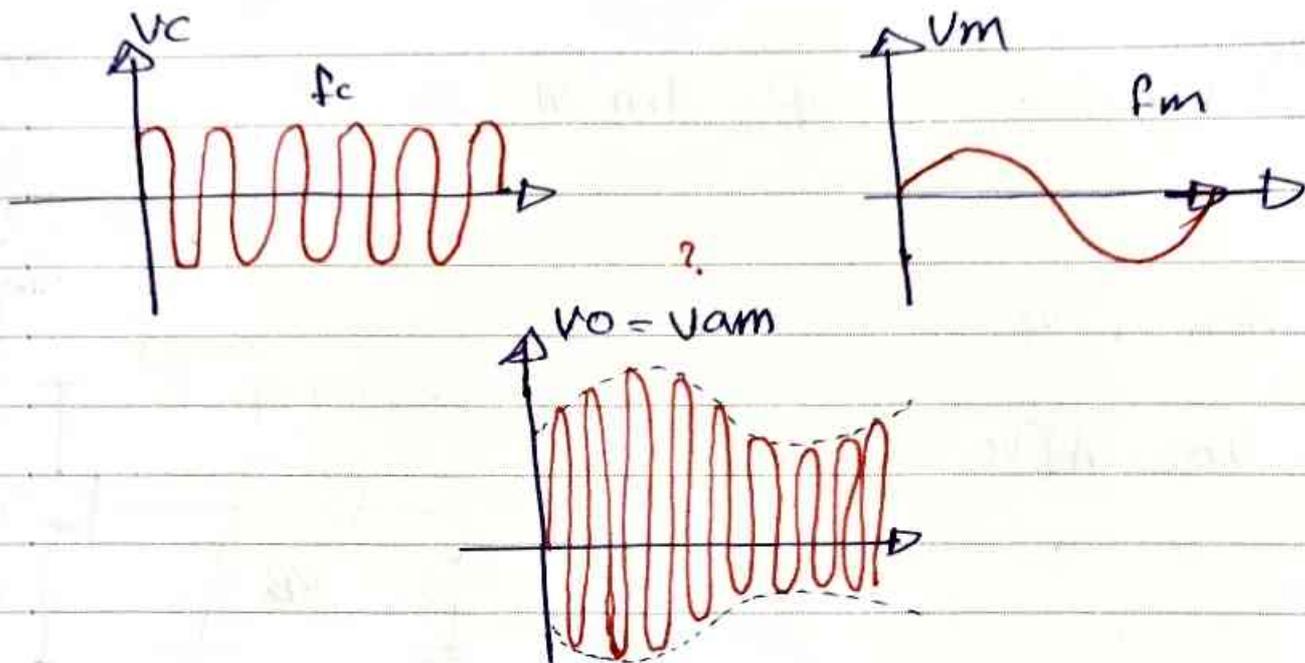
$$I_{B3} \downarrow = \frac{V - (V_m + V_{BE})}{(\beta + 1)R_E}$$

$I_C \downarrow$ ,  $I_E \downarrow$ ,  $A \downarrow$ , Amp of carrier  $\downarrow$

\*  $V_o = \text{carrier multiply by gain}$

- \* its available in IC Form
- \* it has a gain [IE change gain]

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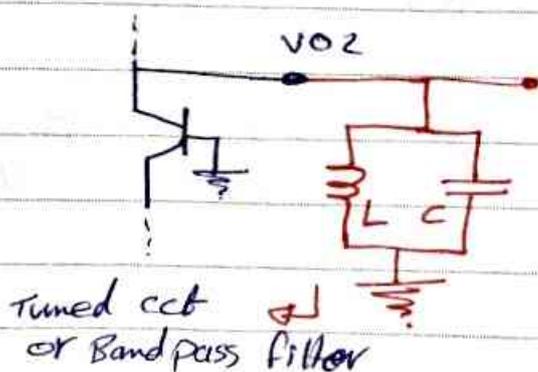
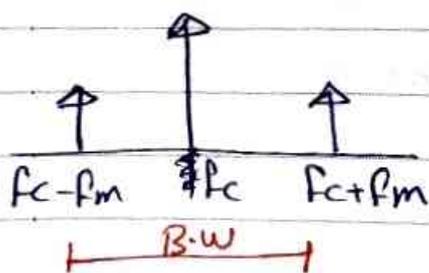


- \* compared to Diode mod, this mod has the advantages of gain & available in IC form

How

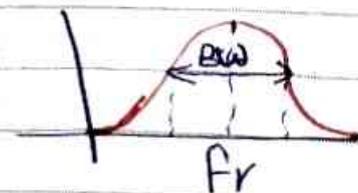
$$A = \frac{R_c \cdot I_E}{K}$$

$R_c \rightarrow \Omega$   
 $I_E \rightarrow mA$



$$f_r = f_c = \frac{1}{2\pi\sqrt{LC}}$$

$$B.W = \frac{f_r}{Q} \geq 2 f_m$$



- \* Bandwidth cutting  $\rightarrow$  causing a distortion signal (BW  $\neq$  fm)

\* Def. mod better than Diode mod.

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\* To obtain all the information a tuned ckt must be connected & designed such that

$$f_r = \frac{1}{2\pi\sqrt{LC}} = f_c$$

$$Q = \frac{f_r}{B.W} \text{ (must be chosen)}$$

such that  $(B.W)_{TC} = \frac{f_r}{Q} \geq (B.W)_{AM}$   $f_D = 2f_m$

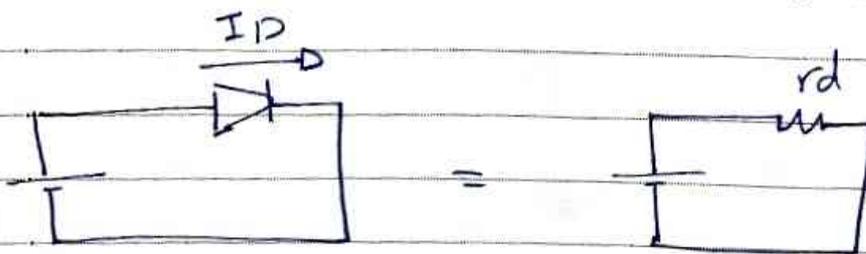
### ③ PIN Diode mod.

(Very High freq, ultra H.F, microwave freq.)  $> 100\text{MHz}$

\* PIN Diodes :- special type diode

- very high speed diode
- used as a voltage variable resistor for U.H.F.

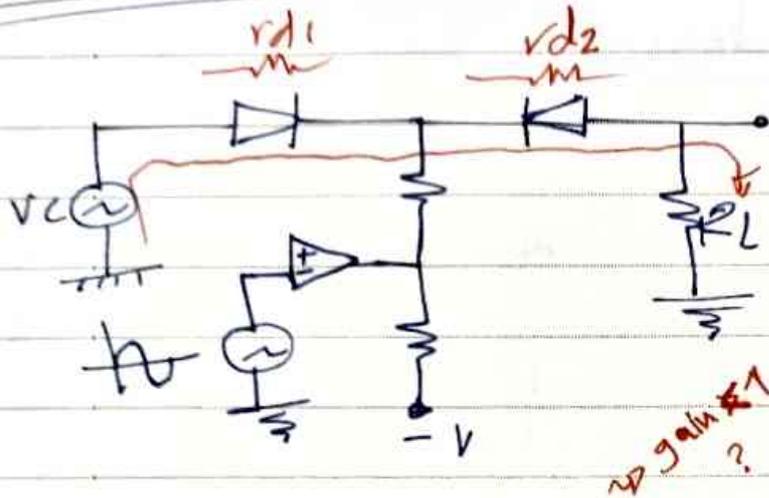
(behaves as a resistance depends on F.W current).



$$r_d \propto \frac{1}{I_D}$$

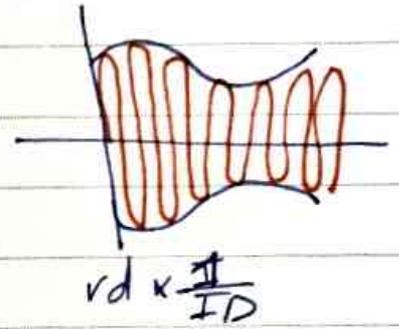


\* The mod ckt :-



(V-D)  

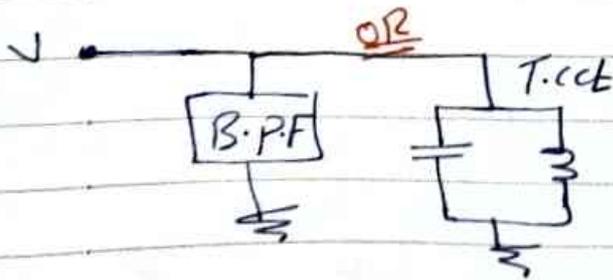
$$V_o = \frac{V_c R_L}{r_{d1} + r_{d2} + R_L}$$



\* This ckt make Attenuator, & the importance of it  $\rightarrow$  modulating

① In this mod :- the Amp of message signal change the value of  $I_D$  &  $r_d$ , so the Amp of o/p will be changed according to Amp of message

② this is an R.F Attenuator.



no can be used & in this ckt we dont need it.

why?

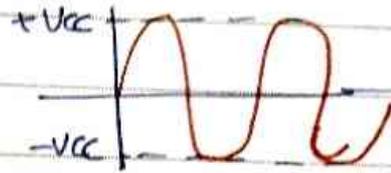
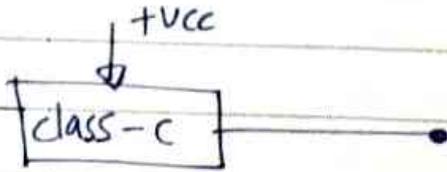
FAM  $\rightarrow f_c = f_m$  , BWAM  $\rightarrow 2f_m$

\* We don't need a linear power Amp. &

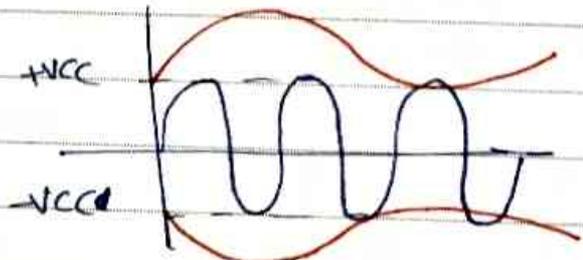
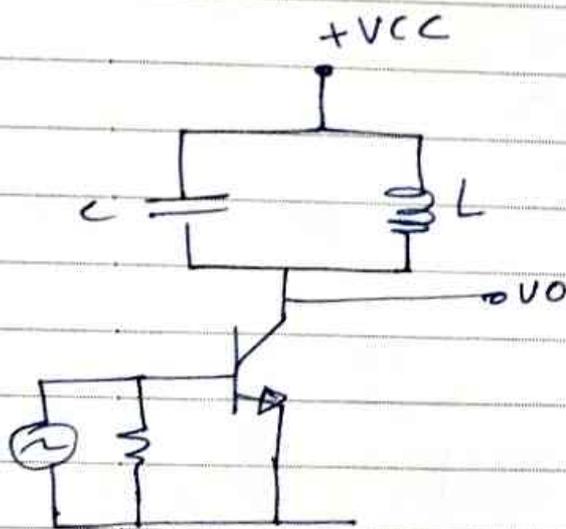
149

## High-Level modulator.

The mod. happens in the final class-c power Amp. in AM Tx.



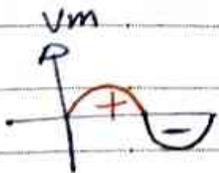
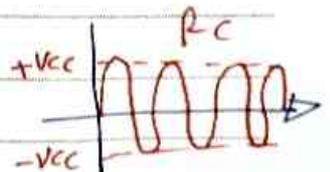
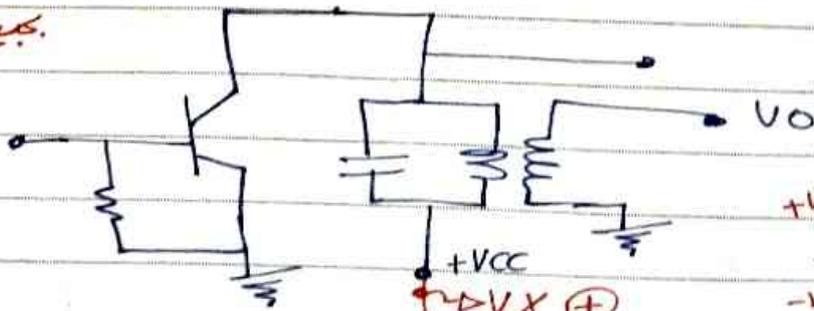
$$f = f_r = \frac{1}{2\pi\sqrt{LC}}$$



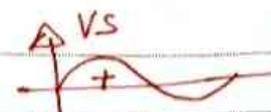
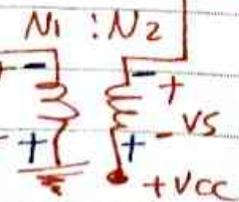
$$P = P_r$$

1) Modulates carrier freq. node

no VC



A.F.P.A.

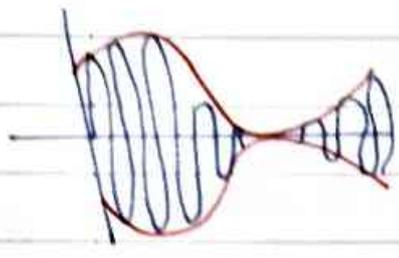


A.F.P.A. → Power Amp of  $v_m$



\* To have modulated Index equal 1 vs should be equal the VCC

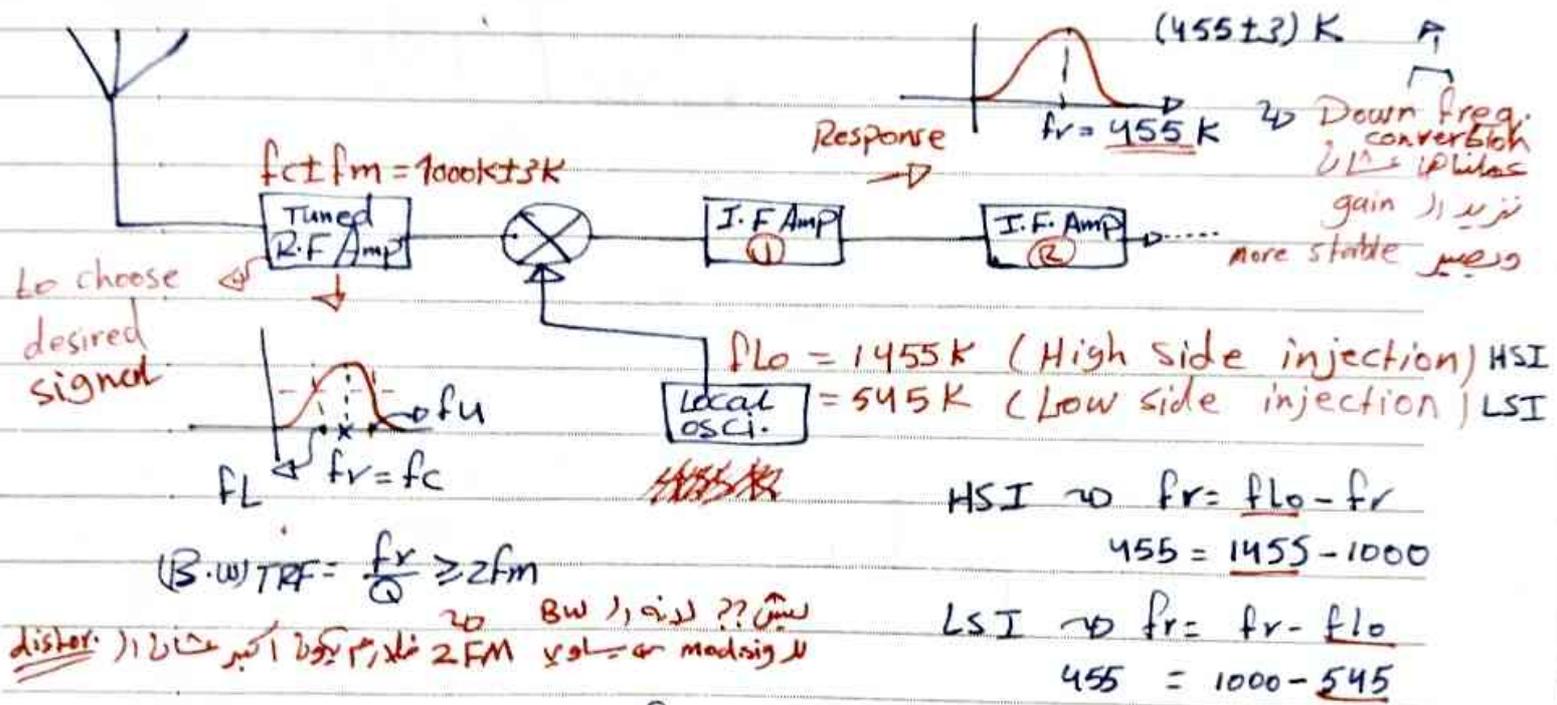
[51]



\* BW must be  $2f_m$  for time ct.

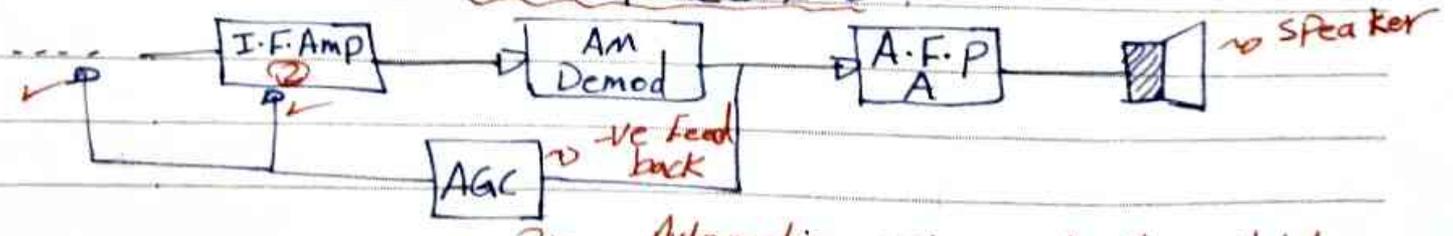
### AM Demodulation

for mod sig = 1000 K



\* 455  $\Rightarrow$  high gain & high stability & image rejection

### AM. sup. het R.t.



controlled the gain reached by the speaker

gain (بیشتر باند بزرگتر 2 FM و یا -ve feed back) و باند بزرگتر 2 FM و یا -ve feed back

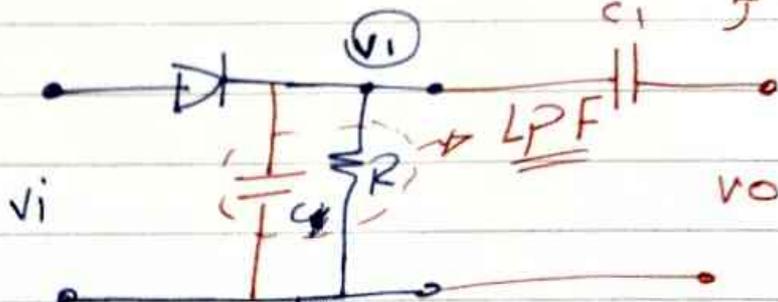
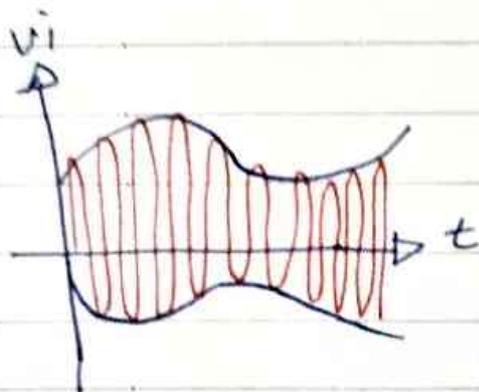
freq  $\downarrow$ , gain  $\uparrow$ , image (problem not solved)

\* operating freq  $\uparrow$ , stability  $\uparrow$  (better), image (problem) solved  
 gain  $\uparrow$

\*the AM demod. receives the sig. from I.F. Amp

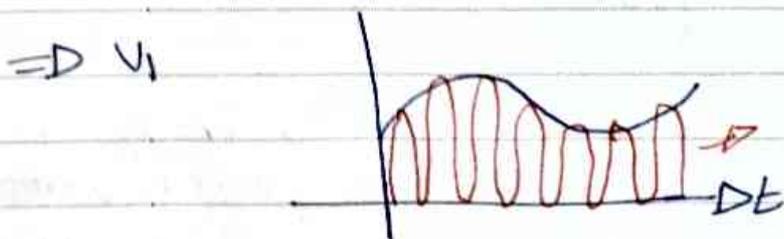
[52]

### AM Demodulator (Diode mod. or Envelop Detector)



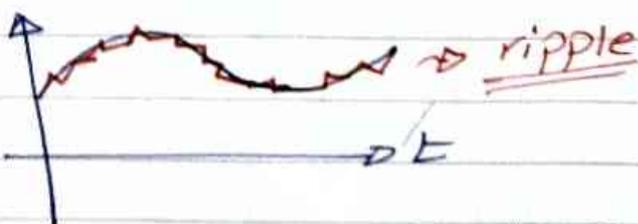
ضبطها على 0  
D.c offset  
C1

بربط ال cap على اشارة  
من ال carr. يمشي ال cap  
بذبح ال and على طريق ال cap  
من خلال اعلى اشارة والتردد



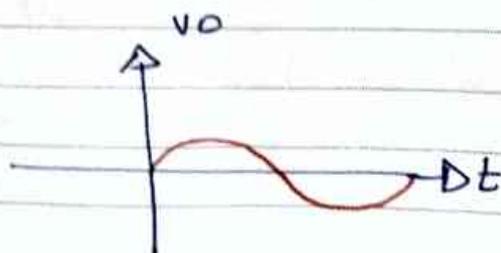
to remove the carr.  
we add C

⇒ after adding C



in HWR  
$$V_r = \frac{V_m}{fCR}$$

⇒ after adding C<sub>1</sub>



diode works as a HWR rectifier, ripple at H.W  
so we use F.W (better) improve bigger than F.W

\* For High operating freq. the ripple must be small so I can detect it  $\rightarrow$  so I use F.W Rectifier.  $\downarrow$

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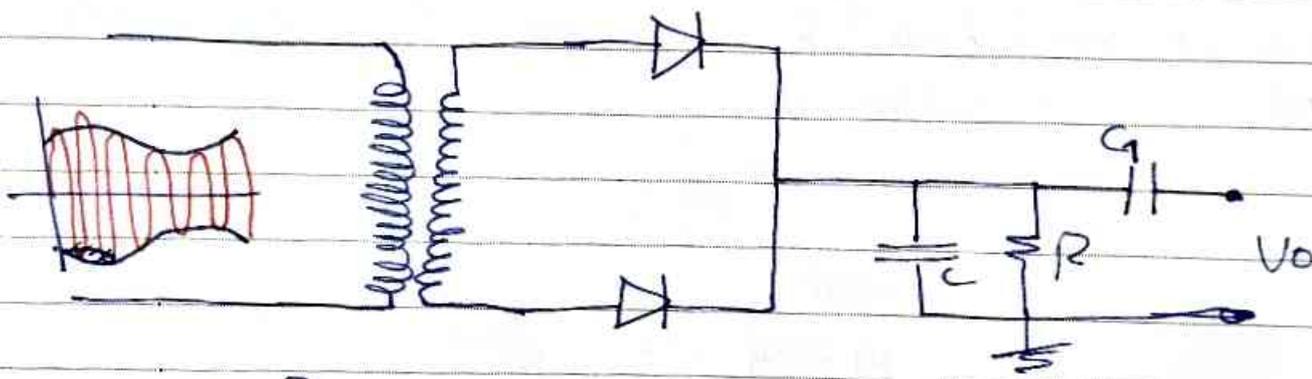
$$V_r \propto \frac{1}{f}$$

$R_c \rightarrow$  Low pass filter

$$T_m \ll R_c \ll T_c$$

$$T_m = \frac{1}{f_m}, \quad T_c = \frac{1}{f_c}$$

\* To reduce ripple in detected message and for High <sup>operating</sup> freq. Full wave Rect. can be used



in FWR

$$V_r = \frac{V_m}{f \cdot 2fcR} = \frac{V_r H}{2}$$

① For the same

$V_m, f, C, R$

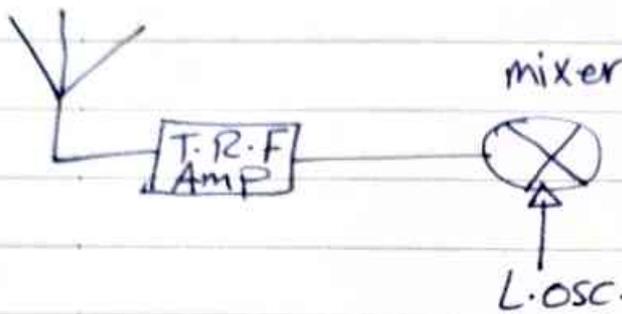
$$V_r f = \frac{1}{2} V_r H$$

② For the same  $V_r, V_m, R$

$$C f = \frac{1}{2} C H \checkmark$$

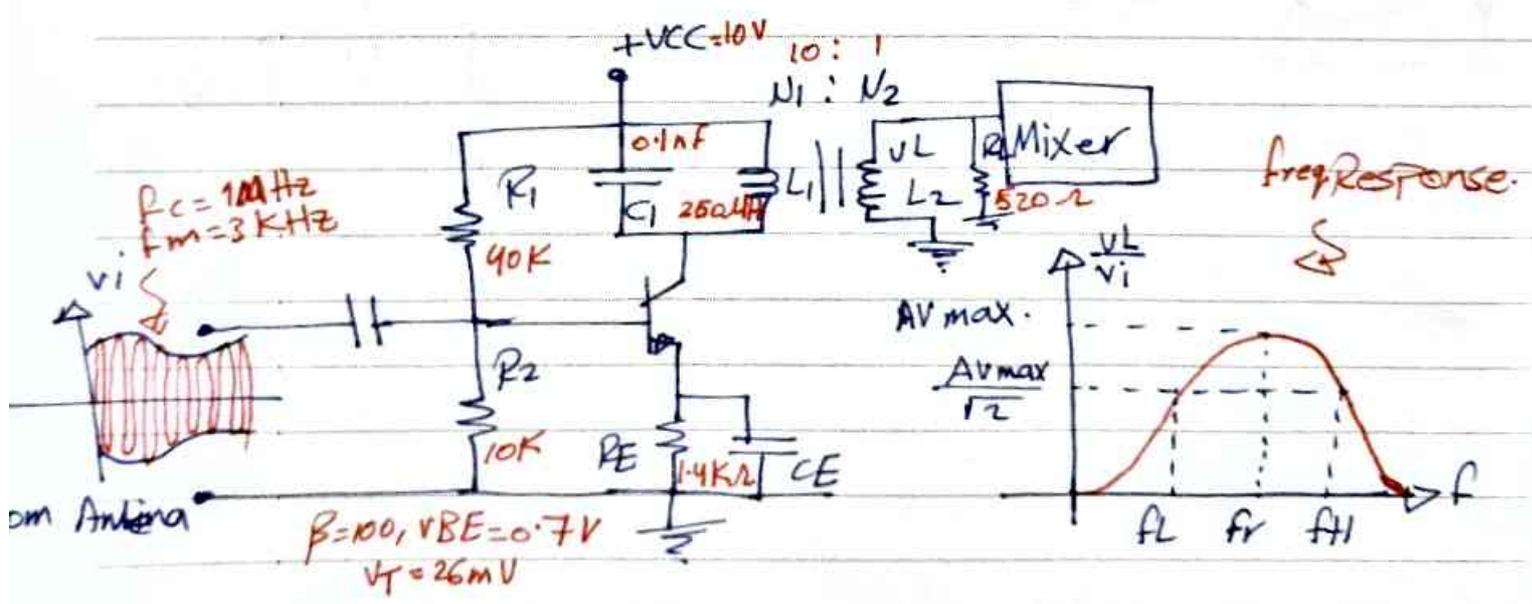
\* receiver selectivity: the ability of select certain freq from group of frequencies

\*  $Q \uparrow \rightarrow BW \downarrow$ ,  $Q = \frac{f_r}{BW}$   
 \* receiver sensitivity:- the min I/P sig which the receiver can detect (limits in micro volt)  
 depends on gain for receiver.  $g \uparrow$ , sens.  $\uparrow$  54



\* Tuned RF Amp.

- ① improve selectivity & sensitivity of Rx
- ② prevent reradiation of local oscillator signal via antenna (Leak through).



$$f_r = \frac{1}{2\pi\sqrt{L_1 C_1}} = f_c$$

$$B.W. = \frac{f_r}{Q} \approx (B.W.)_{f_m}$$

$$(B.W.)_{TRF} \approx 2 f_m \Rightarrow$$

gain (T.R.F.) \* gain (mixer) \* g (T.R.F.) = gain for receiver

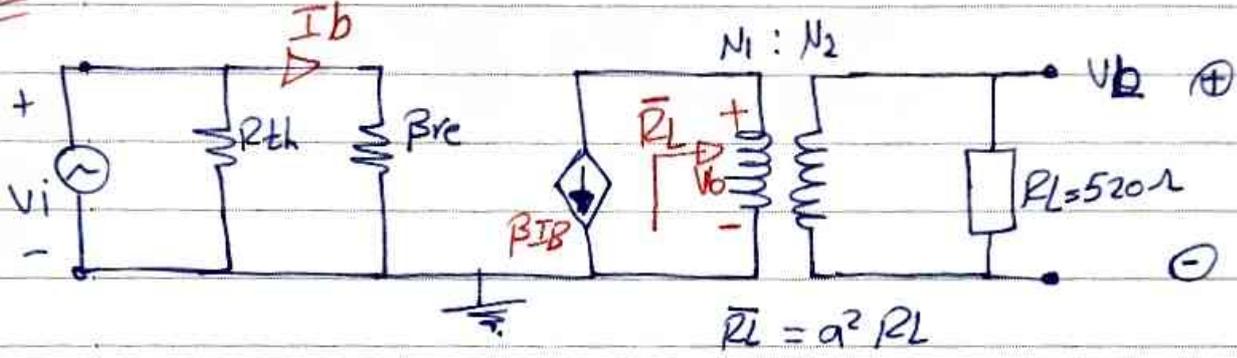
$V_o = -g_m V_{\pi} R_L \Rightarrow A_V = -g_m R_L$  ,  $g_m = \frac{I_{CQ}}{V_T}$  ? B. W. D  
 $V_i = V_{\pi}$   $\Rightarrow A_V = -\frac{I_{CQ} R_L}{V_T}$

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Ex: For the previous figure, Find:

- ① calculate  $A_{Vmax}$ ,  $f_r$ , B.W, Q
- ② Draw freq Response Proc: اذا سئل  
لنفس الاستعداد او لا  
6 kHz
- ③ can this cct. process mod. signal of 3 kHz

Sol:



$$A_{Vmax} = \frac{V_L}{V_i} = \frac{V_L}{V_o} \cdot \frac{V_o}{V_i}$$

$$\frac{V_L}{V_o} = \frac{N_2}{N_1} = \frac{1}{a}$$

$$V_o = -\beta I_b \bar{R}_L \quad , \quad V_i = I_b \cdot \beta r_e$$

$$\frac{V_o}{V_i} = -\frac{\bar{R}_L}{r_e} \Rightarrow \therefore A_V(max) = \frac{1}{a} \left( \frac{\bar{R}_L}{r_e} \right)$$

$$\bar{R}_L = a^2 R_L \quad \Rightarrow \quad A_V = -\frac{R_L I_E}{V_T}$$

$$A_V(max) = -\frac{a R_L}{r_e} \quad \Rightarrow \quad |A_V(max)| = \frac{a R_L}{r_e}$$

$$\Rightarrow r_e = \frac{V_T}{I_E} \quad , \quad I_E = \frac{V_E}{R_E} \quad , \quad V_E = V_B - V_{BE}$$

$$\Rightarrow V_B = \frac{V_{CC} \cdot R_2}{R_1 + R_2} = \frac{10 \cdot 10}{50} = 2V$$

$$V_E = 2 - 0.6 = 1.4V \quad \Rightarrow \quad I_E = \frac{1.4V}{1.4k} = 1mA$$



for design  $f_{resonance} = f_{carrier}$

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$$\textcircled{1} \text{A } j\omega L // \frac{1}{j\omega C} = \frac{j\omega L / j}{1 - \omega^2 LC / j} = \frac{\omega L}{j(\omega^2 LC - 1)}$$

$$\omega_0 = \frac{1}{\sqrt{LC}} \quad ?$$

$$r_e = \frac{26 \text{ mV}}{1 \text{ mA}} = 26 \Omega$$

$$\textcircled{2} \text{A } \omega_0 = \frac{f_0 \cdot 2\pi}{\cancel{2\pi}} = \frac{2\pi}{2\pi \sqrt{LC}} = \frac{1}{\sqrt{LC}}$$

$$|A_V(\max)| = \frac{10 \cdot 520}{26} = \underline{\underline{200}}$$

$$\leadsto Q = \frac{\bar{R}_L}{\omega_0 L} \quad (\text{parallel Tuned cct})$$

$$\leadsto \omega_0 = \frac{1}{\sqrt{LC}} = \frac{1}{\sqrt{250 \cdot 10^{-6} \cdot 10^{-10}}} = \frac{10^8}{\sqrt{250}} = \frac{100 \text{ M rad/sec}}{16}$$

$$\omega_0 = 6.3 \cdot 10^6 \text{ rad/sec}$$

$$\leadsto \bar{R}_L = a^2 R_L = 100 \cdot 520 = 52000 \Omega$$

$$\leadsto Q = \frac{5200}{6.3 \cdot 10^6 \cdot 250 \cdot 10^{-10}} = 33$$

$$\leadsto B.W = \frac{f_0}{Q} \quad \text{and } f_0 = f_c = f_r = \frac{1}{2\pi \sqrt{LC}} = 1 \text{ MHz}$$

$$B.W = \frac{1 \text{ MHz}}{33} \Rightarrow B.W = 30 \text{ KHz}$$

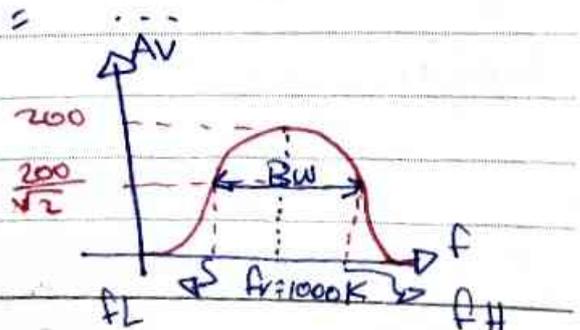
since  $(B.W)_{TC} > (B.W)_{message}$

$$30 \text{ K} > 6 \text{ K}$$

$\therefore$  This cct can process  $\approx \approx$

$$f_L = f_r - \frac{B.W}{2} = 1000 - 15 = 985 \text{ K}$$

$$f_H = f_r + \frac{B.W}{2} = 1000 + 15 = 1015 \text{ K}$$



\* Diode & BJT mixer  $\rightarrow$  they are exponential.

$I_D = I_s e^{\frac{V_D}{nV_T}}$

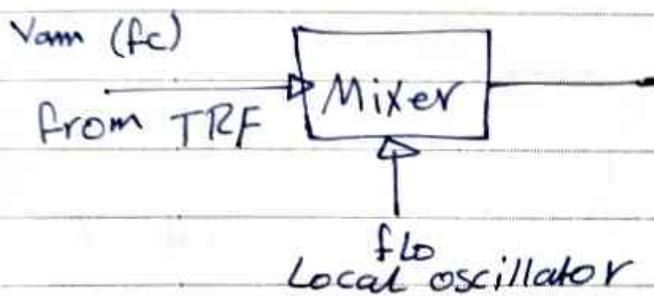
$I_B = I_D = I_{diode}$

device is non-linear

**B7**  $V \propto I$  linear or non-linear of square

## Mixer

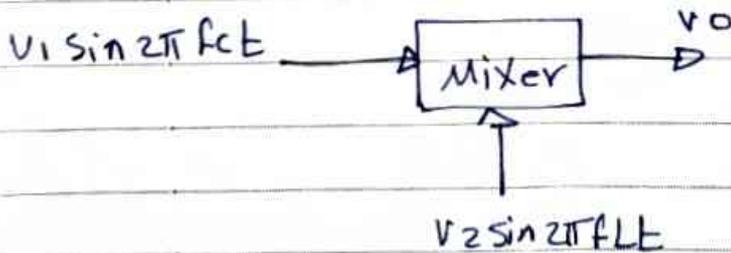
\* Definition:- it is non-linear ckt. receives two freq. ( $f_c, f_{lo}$ ) and produce different freq's. depending on type of mixer.



① Diode & BJT Mixer produces infinite # of freq. because they are exponentially devices.

$(f_{lo}, f_c, f_{lo}-f_c, f_{lo}+f_c, 2f_{lo}, 2f_c, 3f_{lo}, 3f_c, \dots)$

② FET Mixer produces ( $f_c, f_{lo}, f_c+f_{lo}, f_c-f_{lo}, 2f_c, 2f_{lo}$ ) because FET is square-law device ( $I_D = K_n (v_{gs} - V_{TN})^2$ )



$$\begin{aligned} v_o &= A v_i + B v_i^2 \\ &= A(v_1 + v_2) + B(v_1 + v_2)^2 \\ &= A v_1 f_c + A v_2 f_{L0} + \\ &\quad B(v_1^2 \sin^2 f_c + v_2^2 \sin^2 f_{L0}) \end{aligned}$$

$$= f_c + f_{L0} + 2f_c + 2f_{L0} + (f_{L0} - f_c) + (f_{L0} + f_c)$$

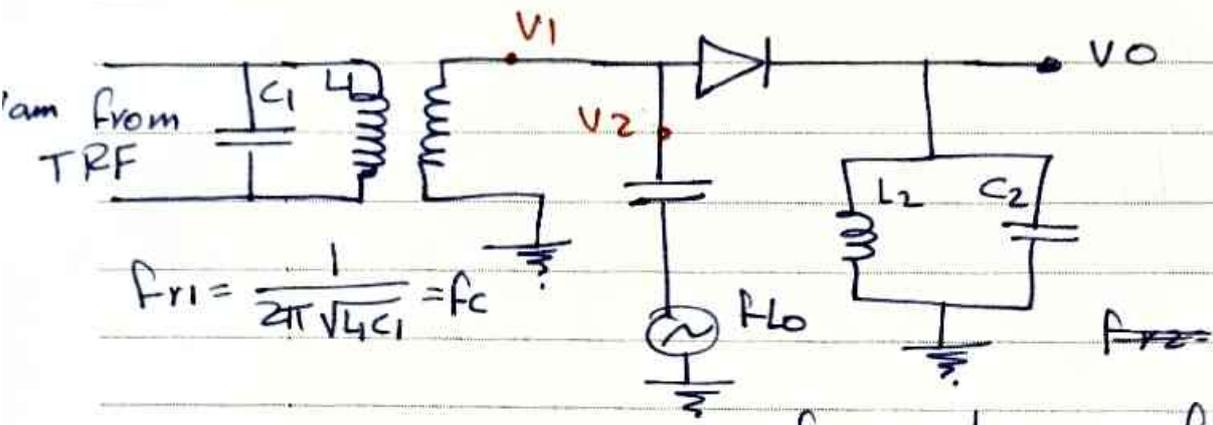
We choose this freq  $\rightarrow$

by (Tuned ckt or Band pass Filter on  $(f_{L0} - f_c)$ )

for gain & stab.

\* In mixers we always use FET Mixer not BJT or diode  
Down freq. conversion.  $\rightarrow$  Tuned ckt. B.P.F.  $(f_{L0} - f_c)$

① Diode Mixer



$$f_{r1} = \frac{1}{2\pi\sqrt{L_1 C_1}} = f_c$$

$$f_{r2} = \frac{1}{2\pi\sqrt{L_2 C_2}} = \begin{cases} f_c - f_{LO} & (LSI) \\ f_{LO} - f_c & (HSI) \end{cases}$$

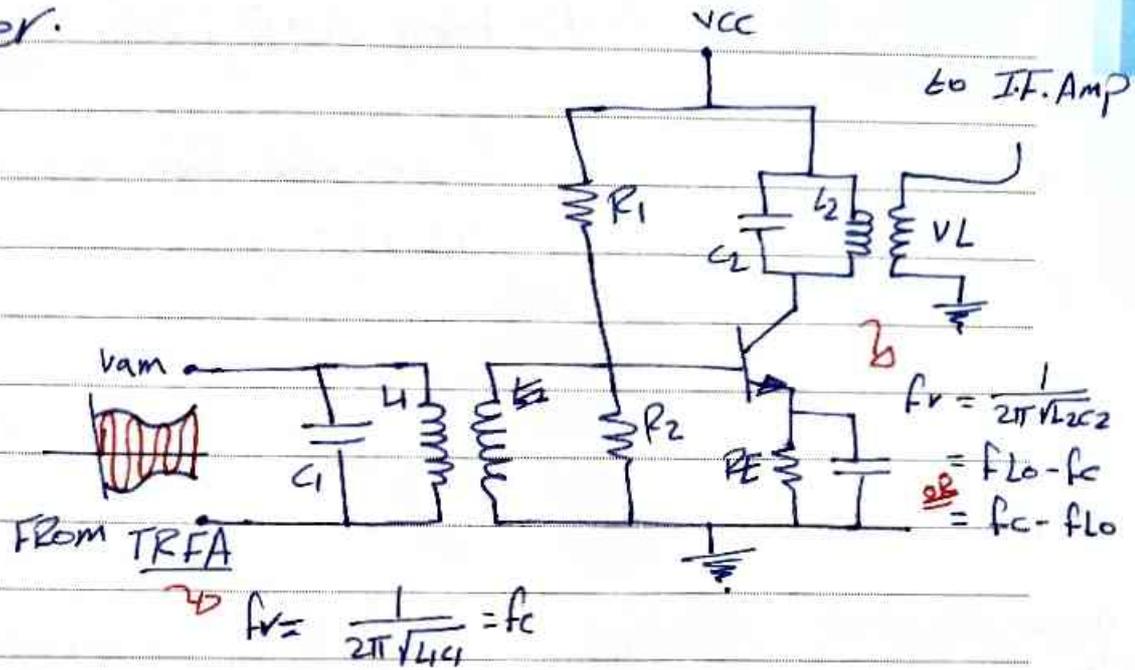
\* Disadvantage :-

- ① No gain
- ② exponential Device
- ③ Noisy Device

\* Advantages :-

- ① simple
- ② No power consumption

② BJT Mixer.



\* Advantages

- ① gain

\* Disadvantages

- ① Noisy
- ② exponential device
- ③ Power consumption.

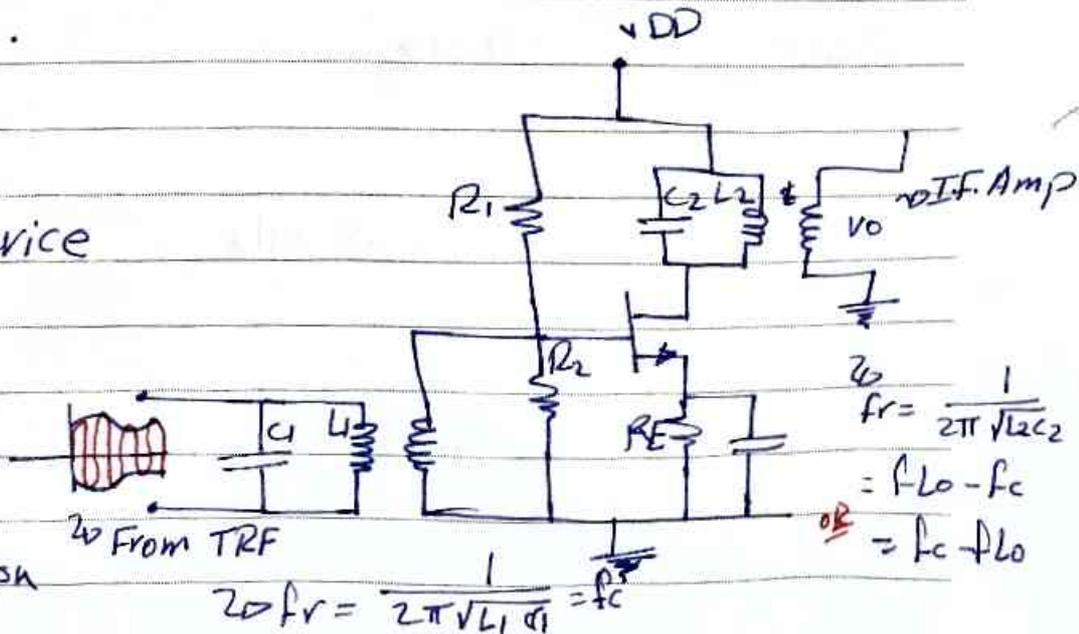
③ FET Mixer.

\* Advantages

- ① Low Noise device
- ② square law
- ③ gain

\* disadvantages

- ① Power consumption



\* FET Mixer ~ best one

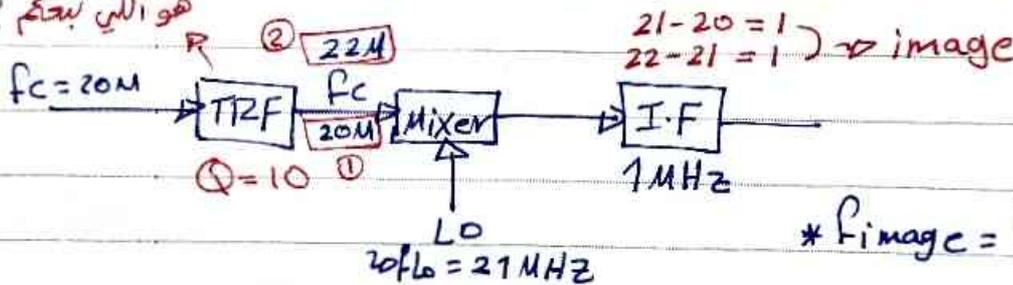
↳ no noise because  $I_G = 0$  (always gate)

## Intermediate Freq. Amp (I.F. Amp)

\* Provides the Bulk size of Rx. gain (Improve Rx sensetivity & selectivity).

\* How to choose I. F. Freq?

we must compromize between high gain & stability (which requires low value of I.F) & good Image Rejection (Requires high value of I.F).



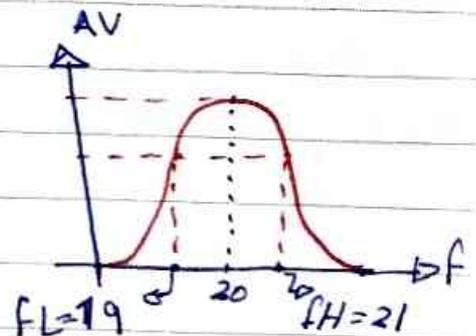
$$* f_{image} = f_{sig.} + 2 f_{I.F}$$

### TRF

$$f_c = 20 \text{ MHz}$$

$$Q = 10$$

$$B.W = \frac{20}{10} = 2 \text{ MHz}$$



\* for I.F = 0.4 MHz

$$f_{image} = 20 + 2 * 0.4 = 20.8 \text{ MHz}$$

تر لا يور ال 19 → 21 B.W

\* For F.I.F = 1 MHz

$$f_{image} = 20 + 2 * 1 = 22 \text{ MHz}$$

22 MHz is out of TRF (B.W), Does not pass to Mixer.  
تر لا

For AM Broadcasting → f I.F = 455 KHz

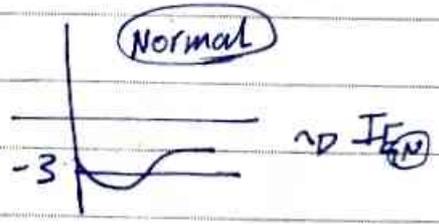
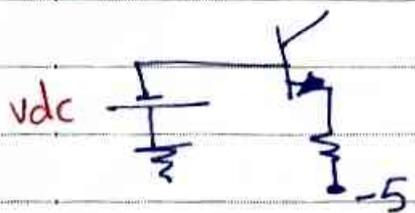
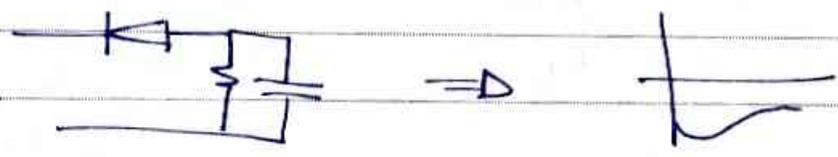
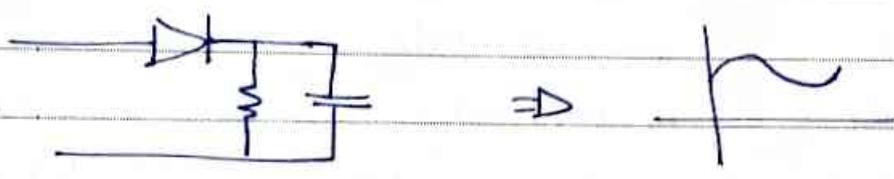
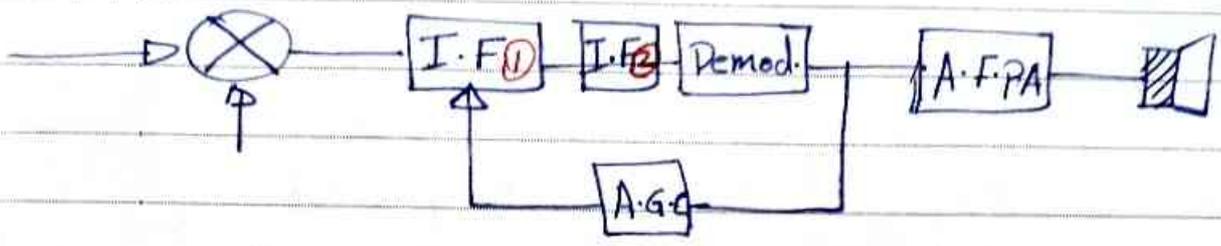
For FM = → f I.F = 10.7 MHz

\* اذا عنى صورة استقبال اسيطة 22 or 20 تر توفد اليه و ما 2 تر توفد اليه لان الفرق بين 22 و 20 2 ترانس 1 و 2 ترانس 2  
الفرق بين 22 و 20 2 ترانس 1 و 2 ترانس 2  
IF بترانس 2 و بترانس 1  
Trans. 1 و Trans. 2

\* A.G.C  $\Rightarrow$  -ve feedback control system

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### Automatic gain control (AGC)

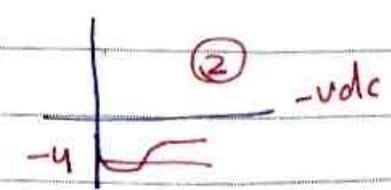
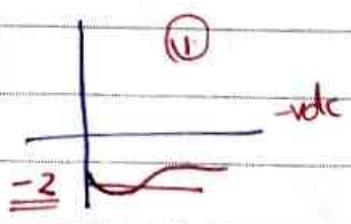


\*  $I_{EN} = \frac{5 - 3 - V_{BE}}{R_E}$

\*  $I_{E1} = \frac{5 - 2 - V_{BE}}{R_E}$

$\Rightarrow I_{E1} > I_{EN} \Rightarrow AV = g_m R$   
 $g_m = \frac{I_C}{V_T}$

$I_{E1} \uparrow, I_C \uparrow, g_m \uparrow, AV \uparrow$  (for weak signal)



\*  $I_{E2} = \frac{5 - 4 - V_{BE}}{R_E}$

$\Rightarrow I_{E2} < I_{EN} \Rightarrow I_{E2} \downarrow, I_C \downarrow, g_m \downarrow, AV \downarrow$

(for strong signal)

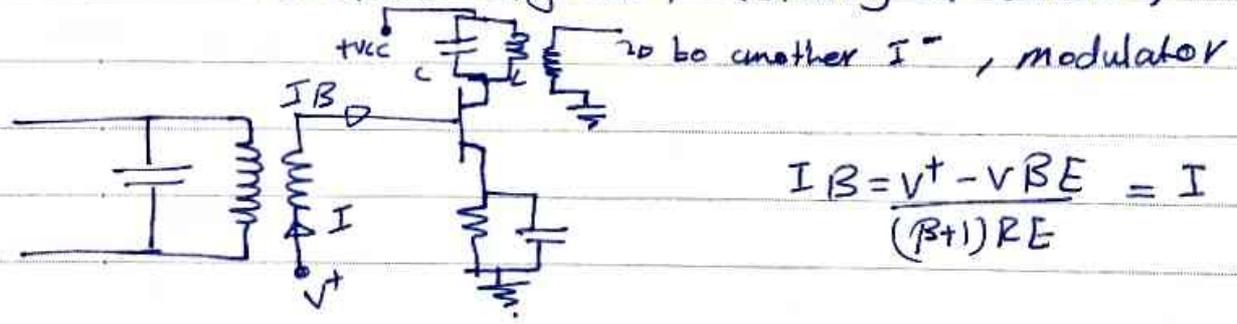
\* A.G.C  $\Rightarrow$  weak signal  $\Rightarrow$  -ve F.B  $\Rightarrow I_{E1} \uparrow, AV \uparrow, (voice \uparrow)$   
 $\Rightarrow$  strong signal  $\Rightarrow$  -ve F.B  $\Rightarrow I_{E2} \downarrow, AV \downarrow, (voice \downarrow)$

dynamic range :- the highest strong signal & the lowest weak signal that the receiver receives.

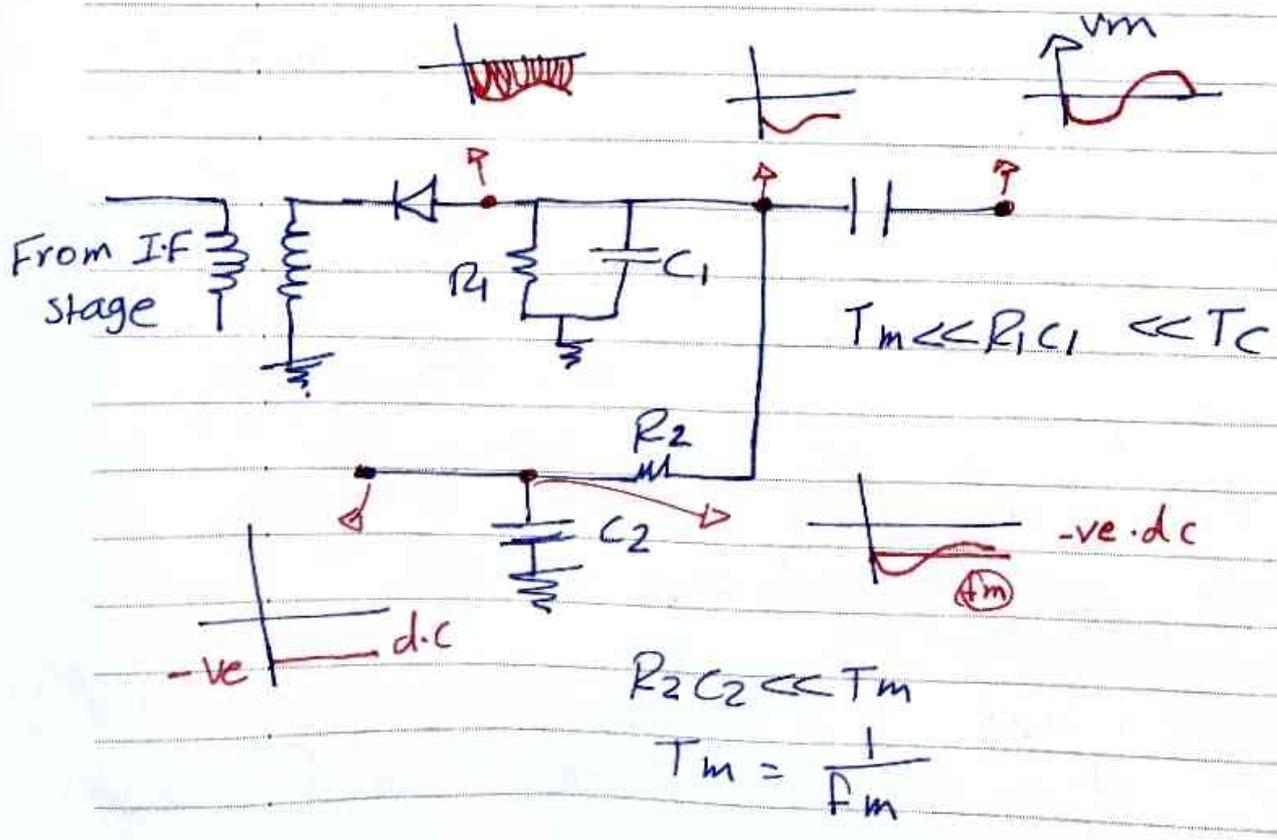
62

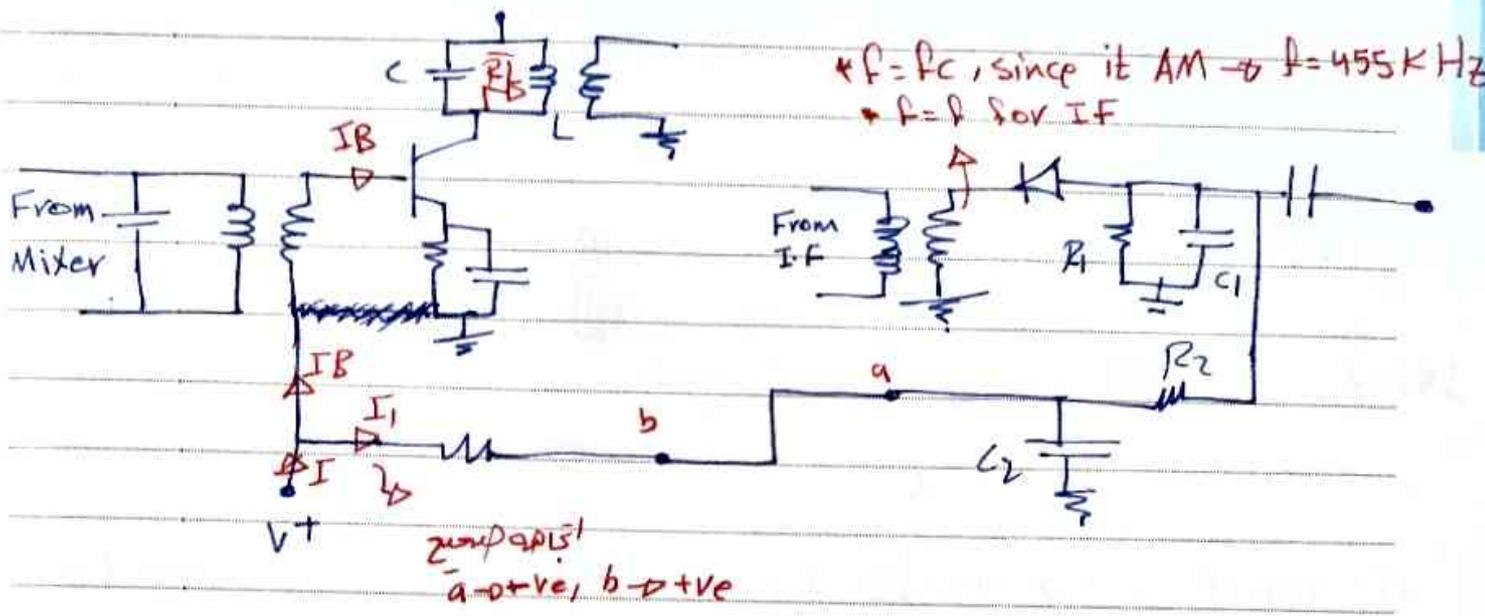
## AGC

\* Definition :- A F.B control system used to automatically control the gain of Rx to receive a strong and weak signal. It improves the dynamic range of Rx. It changes the gain of I.F stage, Mixer, RF Amp. According to the received signal, (strong or weak).



$$I_B = \frac{V^+ - V_{BE}}{(\beta + 1)R_E} = I$$





\* before F.B

$$I_B = \frac{V^+ - V_{BE}}{(\beta + 1)R_E} = I, \quad I_C = \beta I_B, \quad |A_V| = g_m R_L$$

$$g_m = \frac{I_C}{V_T}$$

\* with -ve F.B

$$I = I_1 + I_B$$

$$I_B = I - I_1$$

\* Normally: the mod. signal gives:  $v_{d.c} = -2V$

$$I_B = \frac{V^+ - V_{BE} - 2}{(\beta + 1)R_E} \Rightarrow I_C = \beta I_B, \quad A_V$$

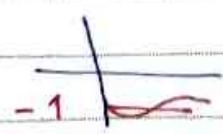
① For strong signal  $v_{d.c} = -3V_{d.c}$

$$I_B \downarrow, I_C \downarrow, g_m \downarrow, A_V \downarrow$$



② For weak signal:  $v_{d.c} = -1V_{d.c}$

$$I_B \uparrow, I_C \uparrow, g_m \uparrow, A_V \uparrow$$



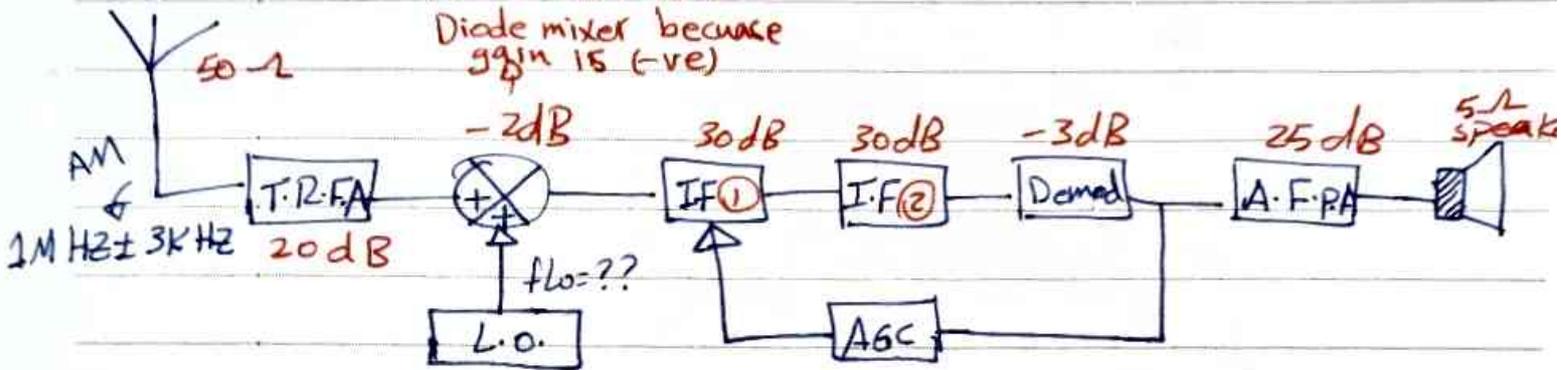
=>

\* I.F :- the main stage that changes the gain.  
 \* function of  $R_1, R_2, C_1, C_2$ ?

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through gain I know  
to the kind

Diode mixer because  
gain is (-ve)



① Total power gain =  $20 - 2 + 30 + 30 - 3 + 25 = 100 \text{ dB}$

② for  $P_o = 5 \text{ W}$ , Find  $V_i$  (rms) min.

soln:

$$PG = 10 \log \frac{P_o}{P_i}$$

$$100 = 10 \log \frac{P_o}{P_i} \Rightarrow \frac{P_o}{P_i} = 10^{10}$$

$$\Rightarrow P_i = \frac{P_o}{10^{10}} = \frac{5}{10^{10}} = 50 \text{ nW}$$

$$\Rightarrow P_i = \frac{V_i^2}{R} \Rightarrow V_i = \sqrt{P_i \cdot R} = 10^{-5} \sqrt{250}$$

$$= 5 \times 10^{-5} \sqrt{10} \Rightarrow V_i (\text{rms})_{\text{min}} = 160 \mu\text{V}$$

③ For  $V_i = 50 \mu\text{V}$  (rms), calculate  $V_o$  (rms).

\*  $P_i \sim P_o \sim P_o = \frac{V_o^2}{R} \Rightarrow V_o = \dots \checkmark$

④ if  $AM = 1 \text{ MHz} \pm 3 \text{ kHz}$  & I.F. fixed at  $450 \text{ kHz}$ , calculate  $f_{lo}$  when it is

\* HSI

\* LSI

$\Rightarrow$

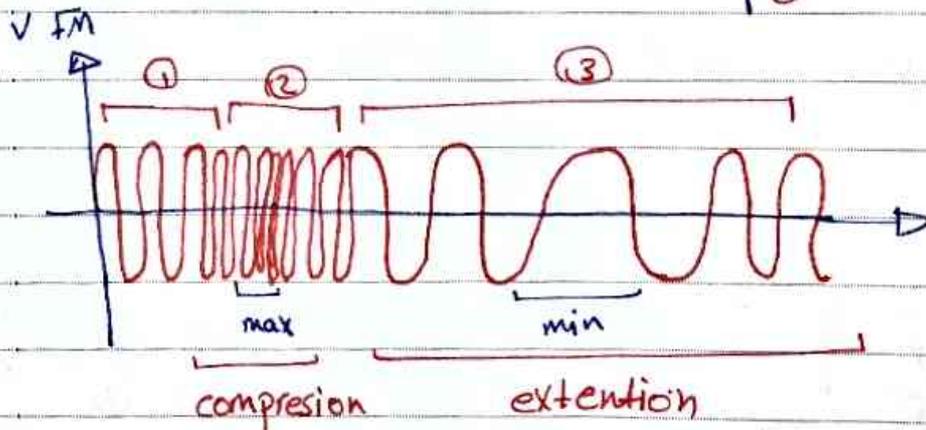
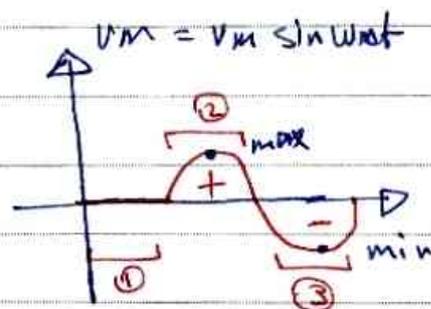
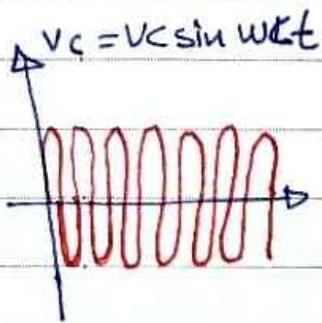
$$\Rightarrow \text{HSI :- I.F} = f_{LO} - f_c \quad \sim f_{LO} = 1450 \text{ KHz}$$

$$\text{LSI :- I.F} = f_c - f_L \quad \sim f_{LO} = 550 \text{ KHz}$$

$$\text{In general I.F} = f_{LO} \pm f_c$$

## Frequency Modulation

FM



$$V_{FM} = V_c \sin (\omega_c t + m_f \sin \omega_m t)$$

-  $V_c =$  carrier Amp.

-  $\omega_c =$  Freq.

-  $m_f = \frac{f_d}{f_m}$

$f_d$ :- Freq. deviation

$f_m$ :- (max freq. in message signal)

$\omega_m \Rightarrow 2\pi f_m$  (message freq.)



\*  $V_{FM} = 10 \sin(10^7 t + 4 \sin 6\pi \times 10^3 t)$

$V_C = 10V$

$f_c = \frac{w_c}{2\pi} = \frac{10^7}{2\pi} = 1.6 \text{ MHz}$

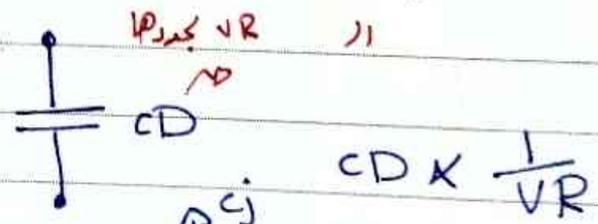
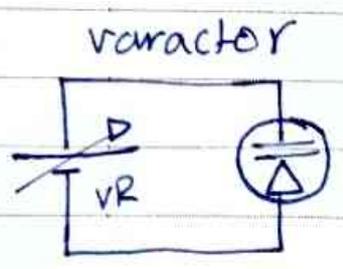
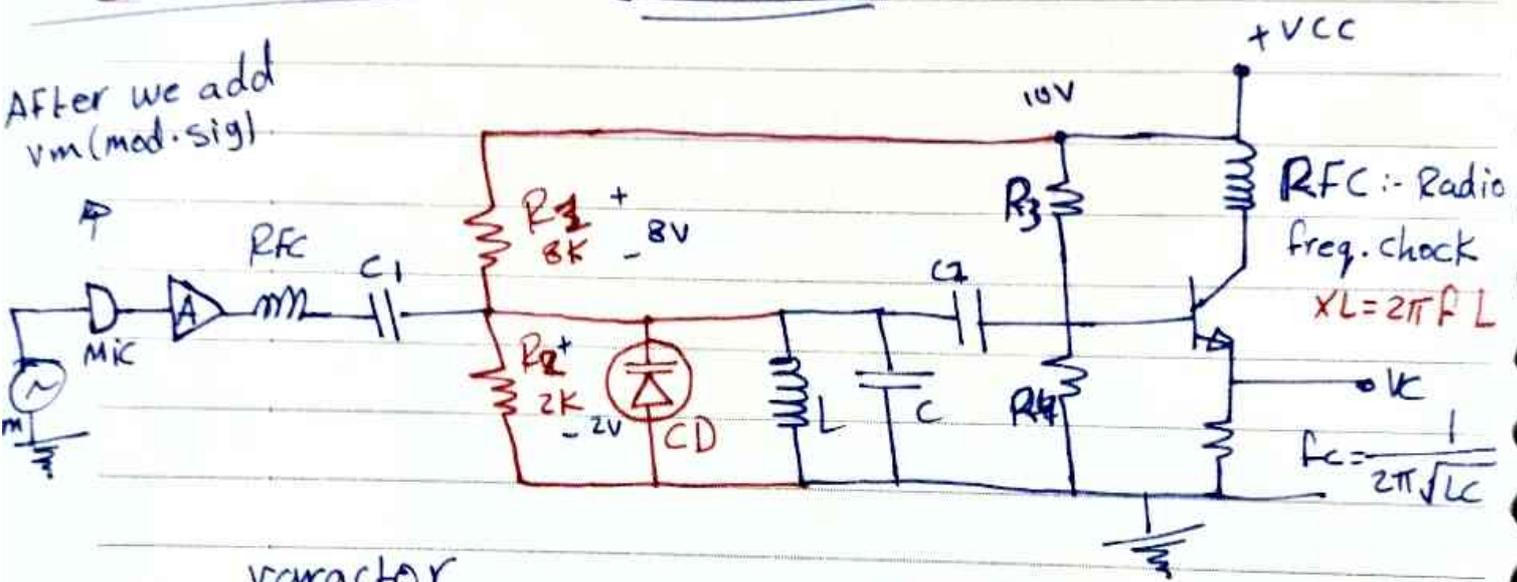
$f_m = 3 \times 10^3 \text{ Hz} = 3 \text{ kHz}$

$m_f = \frac{f_d}{f_m} = 4$

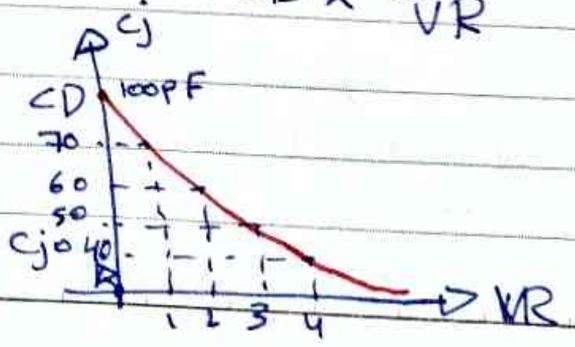
$f_d = m_f \cdot f_m = 4 \cdot 3 = 12 \text{ kHz}$

① LC FM Mod.      FM Mod.

After we add  $v_m$  (mod. sigl)



if I want  $CD = 60 \text{ pF}$   
then  $V_R$  Fixed at 2 Volt.



$C_2$  coupling & blocking  
 $\hookrightarrow$   $\neq$  all voltage across it I give

① without varactor

$$f_c = \frac{1}{2\pi \sqrt{LC}}$$

② with varactor

$$f_c = \frac{1}{2\pi \sqrt{L(C+CD)}}$$

\*  $C_1 \rightarrow$  blocking for D.C

\* RFC  $\rightarrow$  Isolating  $f_c$  from  $f_m$

$\rightarrow$  O.C for  $f_c$

$\rightarrow$  S.C for  $f_m$

\*  $R_1$  &  $R_2 \rightarrow$  biasing for varactor

\* A  $\rightarrow$  Audio Freq. Amp

\* varactor  $\rightarrow$  behaves as a voltage variable cap. (CD)

\* L, C  $\rightarrow$  determine carrier freq.

\*  $R_3$  &  $R_4 \rightarrow$  biasing for BJT

① without varactor

$$f_c = \frac{1}{2\pi \sqrt{LC}}$$

② with varactor (without  $V_m$ )

$$f_c = \frac{1}{2\pi \sqrt{L(CD+C)}}$$

CD :- varactor cap.



\* Poor freq stab. (because  $f_c$  depends on  $L_c$ , and they are dep on aging & temp).  $\rightarrow$  disadvantage

\* good freq. deviation  $\rightarrow$  advantage 68

$\rightarrow$  to make good freq. stab. we replace it by X-tal  $\rightarrow$  small but it also decrease freq deviation

(3) when  $v_m$  is applied

(I) During +ve H.c

$v_m \uparrow, V_R \uparrow, C_D \downarrow, f_c \uparrow \Rightarrow f_c^+$

$\rightarrow$  to solve this prob we use multiplier. to make the new  $f_d = \text{old } f_d * \text{multiplier}$

(II) During -ve H.c

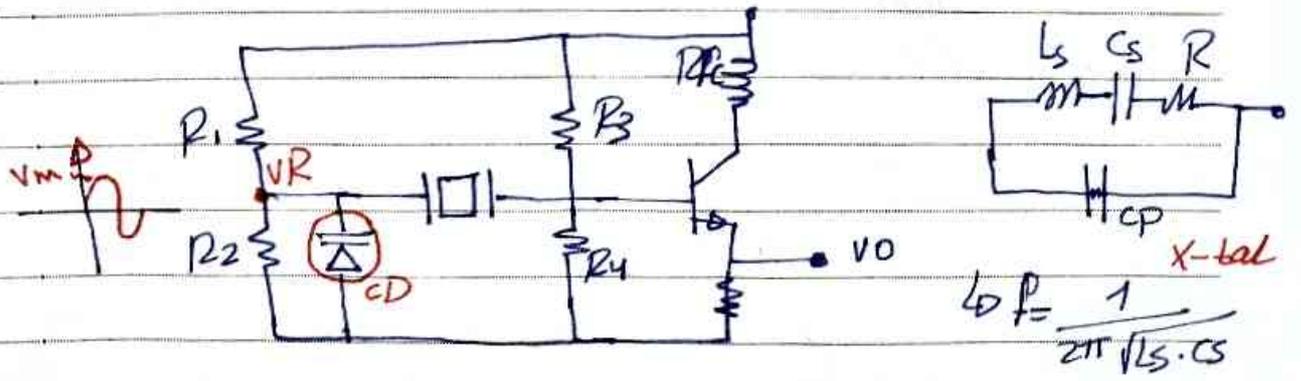
$v_m \downarrow, V_R \downarrow, C_D \uparrow, f_c \downarrow \Rightarrow f_c^-$

$$f_d = f_c^+ - f_c$$

$$f_d = f_c - f_c^-$$

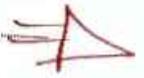
$$* mf = \frac{f_d}{f_m}$$

X-tal FM mod.



(1) without varactor

$$\rightarrow f_c = \frac{1}{2\pi \sqrt{L_s \cdot C_s}}$$



\* it has a low freq. deviation

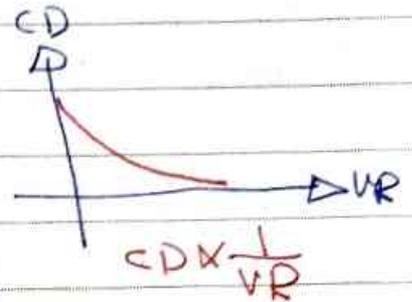
[69]

② with varactor

$$f_c = \frac{1}{2\pi \sqrt{L_s (C_s \parallel C_D)}}$$

$C_{eq}$

series combination  
of parallel C



\* with mod signal. (when I apply  $V_m$  at I/p)

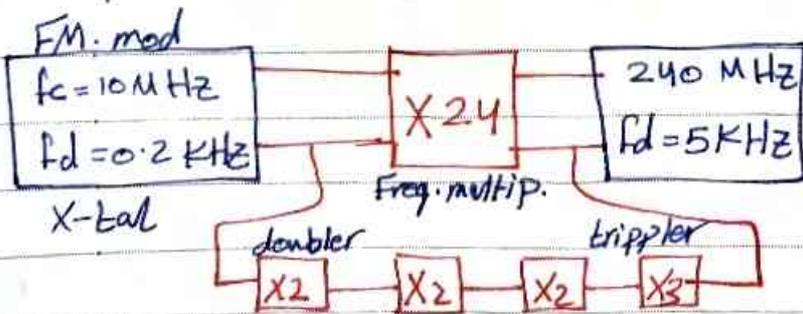
I When  $V_m \uparrow$ ,  $V_R \uparrow$ ,  $C_D \downarrow$ ,  $C_{eq} \downarrow$ ,  $f_c \uparrow$

II When  $V_m \downarrow$ ,  $V_R \downarrow$ ,  $C_D \uparrow$ ,  $C_{eq} \uparrow$ ,  $f_c \downarrow$

ie The freq of carrier will increase & decrease according to mod. signal and an FM signal is generated

\* compared to LC FM mod. (LC vs X-tal)

X-tal FM mod. has a superior freq. stability. but it produces a small freq. deviation (hundred Hz).  
 This problem can be solved by using freq. multiplier.



\* the freq. multiplier are exist in form of Low doubler or trippler. why?? = answer

\* I/P  $\rightarrow$  Tuned ckt & o/P Tuned ckt and tuned at the same freq  
 & there are Air core Trans  $\rightarrow$  so  $V_1$  &  $V_2$  are  $90^\circ$  p.sh. with  $V_i$  &  $V_o$

(71)

(4) To make  $F \uparrow$  with  $V_m \uparrow$  &  $F \downarrow$  with  $V_m \downarrow$   
 So an Inverter can be used.

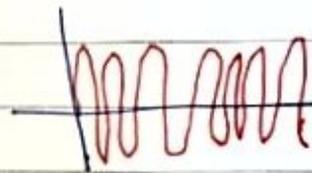
## FM Demodulation

(1) Foster seely discriminator.  
 $\rightarrow$  the figure in the sheet.

- 1] T: Air-core tuned I/P, tuned o/P RF Trans.
- 2]  $C_6$  &  $C_5$  are chosen very large  $\rightarrow$  so  $V_i = V_3$   
 $\rightarrow$  shorted.

\* fm signal

$$f_c \neq f_d \rightarrow \begin{cases} f_c^+ > f_c \\ f_c^- < f_c \end{cases}$$



(3) For  $f_i = f_c$  both I/P & o/P Tuned ckt are  
 tuned at  $f_r = \frac{1}{2\pi\sqrt{L_1C_1}} = \frac{1}{2\pi\sqrt{L_2C_2}} = f_c$

\*  $V_1$  &  $V_2$  are  $180^\circ$  phase-shift (C-T Trans.)

$\rightarrow$  because centre Tapped Trans.

\*  $V_1$  &  $V_2$  are  $90^\circ$  phase shift with  $V_i$   
 (For Air-core Trans. with Tuned I/P & Tuned o/P  
 and at Resonance)

\* Since  $V_i = V_3 \rightarrow$  so  $V_1, V_2$  are  $90^\circ$  phase shift with  $V_i$  &  $V_3$

\*  $D_1$  &  $D_2 \rightarrow$  shorted.

\*  $V_x$  :- is a voltage that proportionally direct with  $f$   
 o/p side  $\propto V_x \propto f \propto$  I/P side

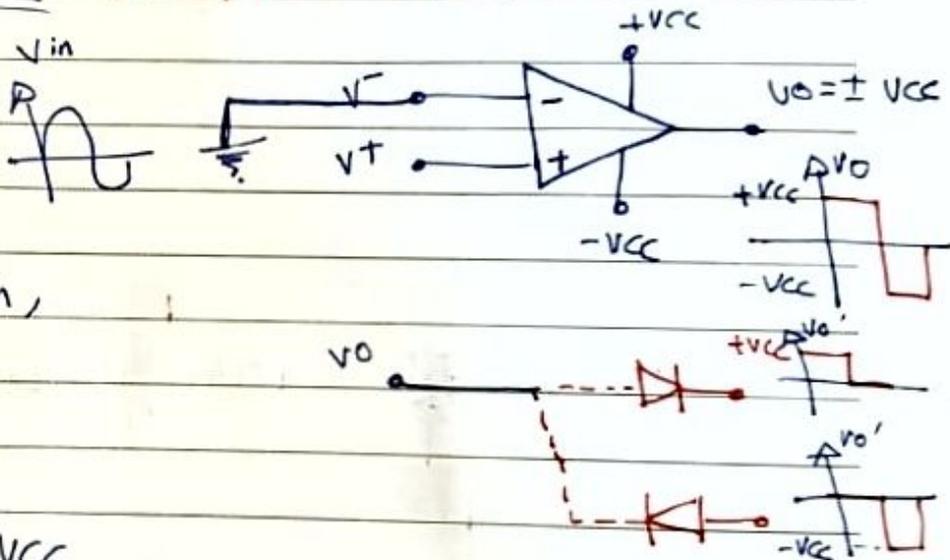
72

\* Disadvantage :-

- ① it is affected by the Amp of I/P signal (sensitive)
- ② it is not exist in form of Integrated ckt.

### ② Pulse Averaging FM Demod.

Zero-crossing Detector (comparator, open loop).



$$V_O = A_{od}(V^+ - V^-)$$

$A_{od}$  is very high, ideally  $\infty$

① for  $V^+ > V^-$

$$V_O = +V_{CC}$$

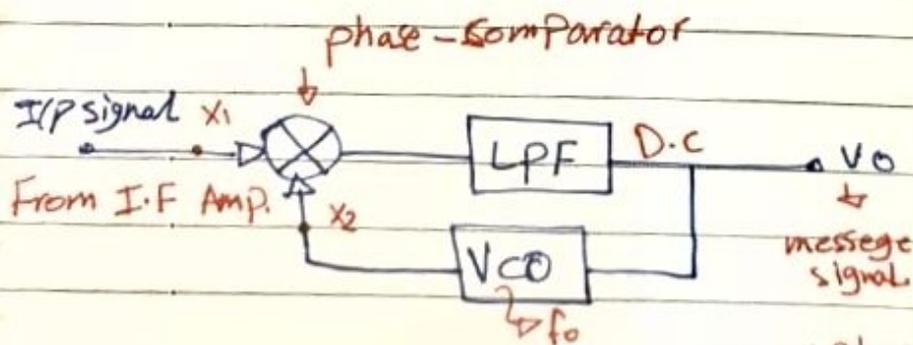
② for  $V^- > V^+$ ,  $V_O = -V_{CC}$

### ③ PLL FM Demod.

\* VCO carries  $\omega_c$

so the I/P of VCO

OR the o/p of LPF should equal the message sig



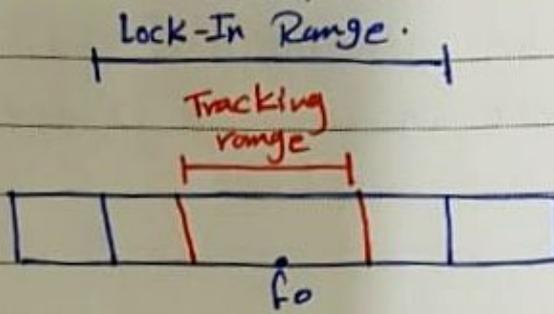
\* if the freq's are equal  $\Rightarrow$  there is no o/p

\* if there is a difference in freq's  $\Rightarrow$  there will be o/p that through the LPF  $\Rightarrow$  D.C voltage

- \* its insensitive with Amp with I/P signal.
- \* its exist in form of Integrated cct. } disadvantages

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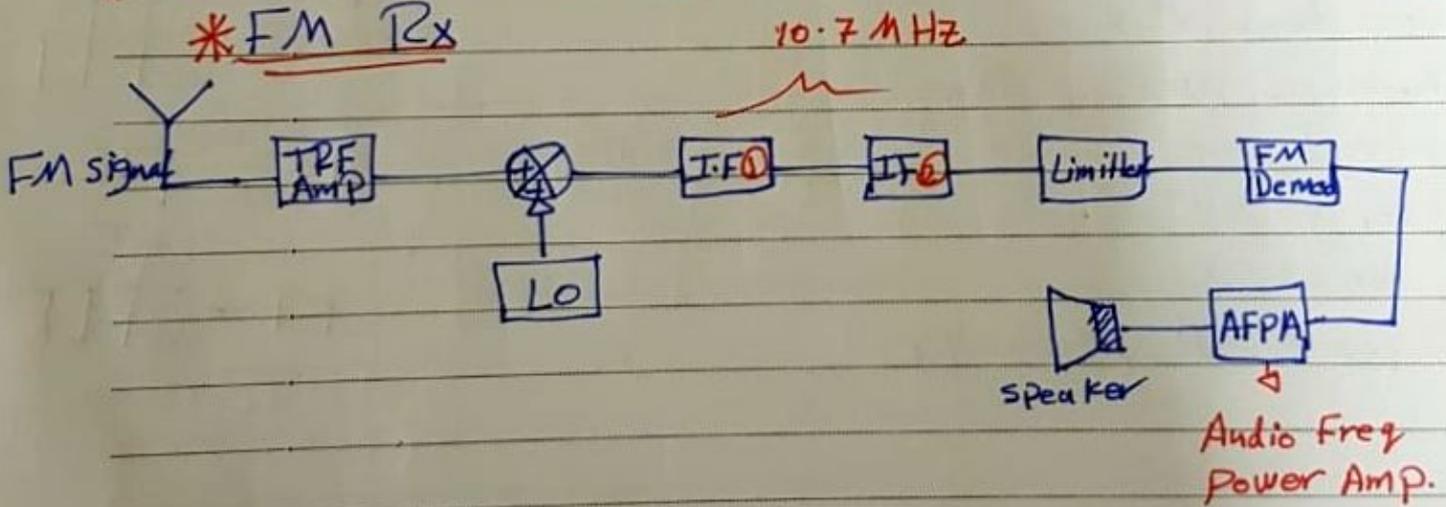
① For No I/P, VCO will operate in Free running mode  $f_0$



\* when PLL is in Tracking Range (o/p freq of VCO = Freq. of I/P FM signal.)

↳ this means the I/P to VCO is a message signal

\* FM Rx



\* operating freq for fm > operating freq for AM

\*  $X_1 \rightarrow I/P = \text{message} + \text{carrier}$  /  $X_2 \rightarrow$  should equal I/P  
 message. sig.  $\rightarrow$  I/P  $\rightarrow$  carr.  $\rightarrow$  VCO



\* there is 2 way to calculate (B.w)<sub>FM</sub>

$$\textcircled{1} (B.w)_{FM} = 2(f_m + f_d) \\ = 2f_m(1 + mf)$$

$f_m$  :- max freq of message

$f_d$  :- Freq. Deviation

$$\textcircled{2} (B.w)_{FM} = 2N.f_m$$

$N$  = we choose the #  
of B  $> 1\%$ .

mf	B <sub>1</sub>	B <sub>2</sub>	B <sub>3</sub>	B <sub>4</sub>	B <sub>5</sub>	B <sub>6</sub>
2	0.5	0.3	0.2	0.1	0.25	0.0
5						

⊕ من معادله ١ و ٢

\* enhance the high freq comp. of messg. & improves SNR  
 ↳ pre-emphasis

76

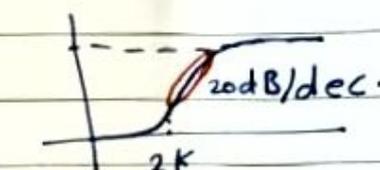
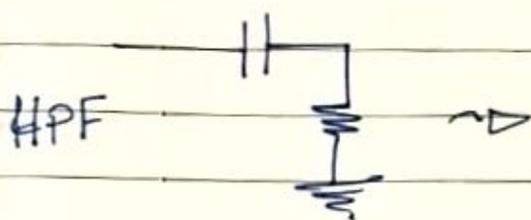
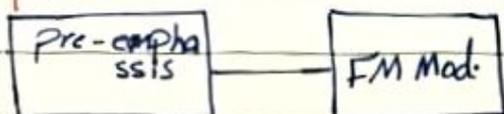
## Pre-emphasis & De-emphasis ccts

\* Voice - signal

10.3 - 15 KHz

↳ the noise effect on the high freq comp (3K) causing a poor SNR

↳ exist in trans.



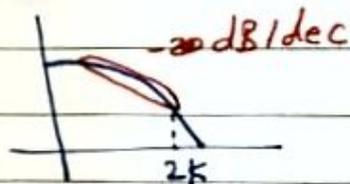
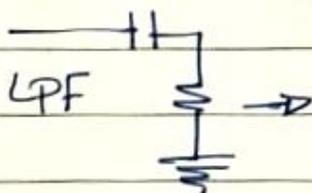
$$20 \text{ dB} = 20 \log_{10} |A|$$

$$\Rightarrow A = 10$$

↳ so the gain

$$= 10$$

so I multiply the Amp of High freq by the gain & that improves SNR



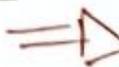
$$-20 \text{ dB} = 20 \log_{10} |A|$$

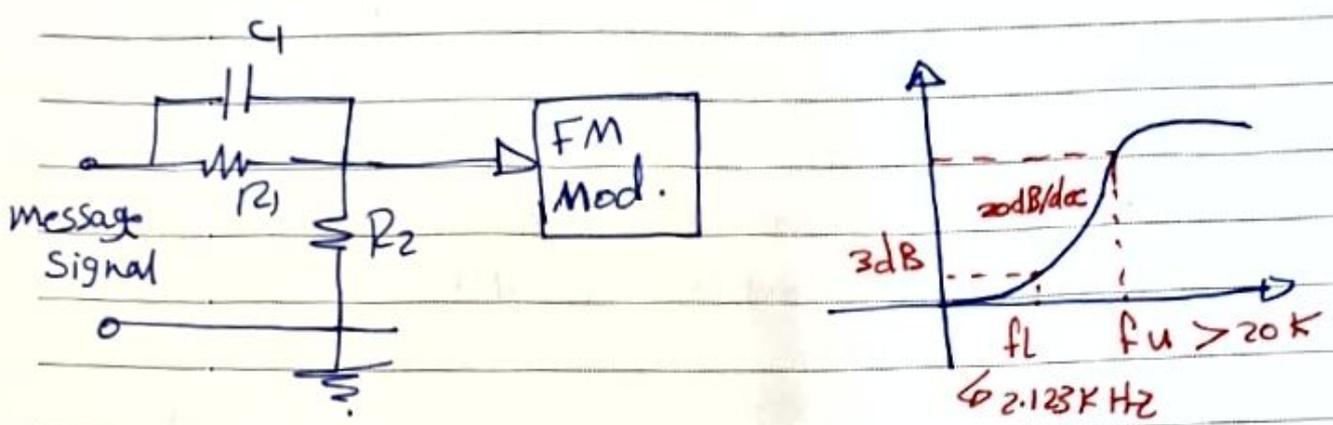
$$\Rightarrow A = \frac{1}{10}$$

\* Pre-emphasis cct.

a HPF connected before FM Mod. used to enhance H-F components of message signal & improve the SNR ratio of transmitted FM signal. It is in Tx side.

For commercial FM broadcasting it is designed for  
 Freq > 2.123 KHz





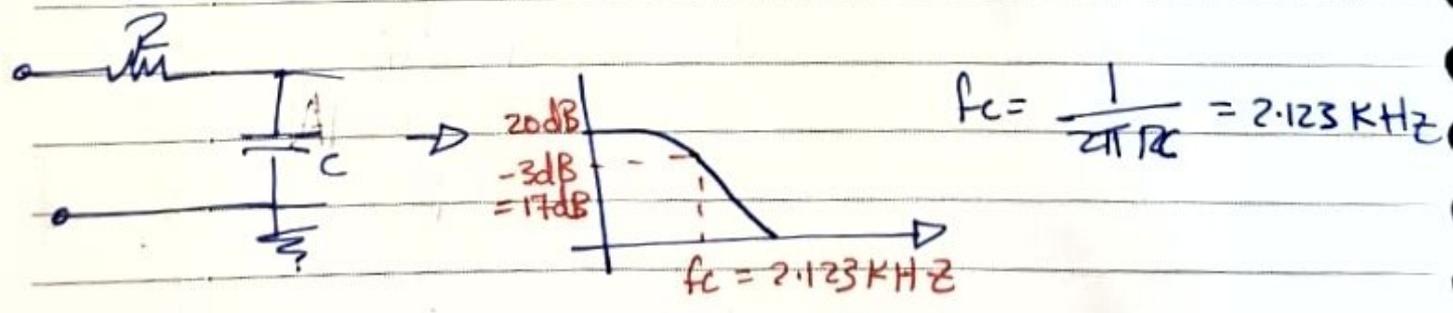
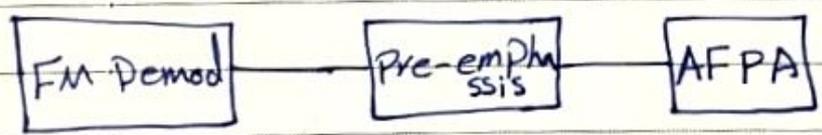
$$R_{eq} = R_1 \parallel R_2$$

$$f_L = \frac{1}{2\pi C_1 R_1} = 2.123 \text{ KHz}$$

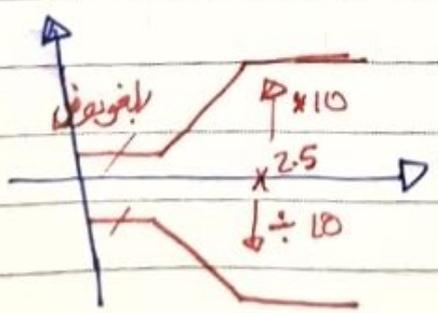
$$f_u = \frac{1}{2\pi C_1 R_{eq}} > 20 \text{ K}$$

\* de-emphasis cct

a LPF used in FM Rx. to offset the effect of pre-emphasis cct. in FM Tx.



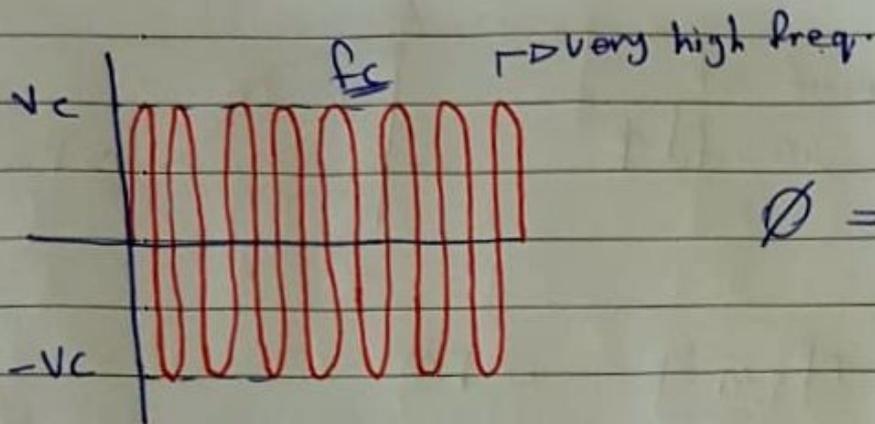
$$f_c = \frac{1}{2\pi RC} = 2.123 \text{ KHz}$$



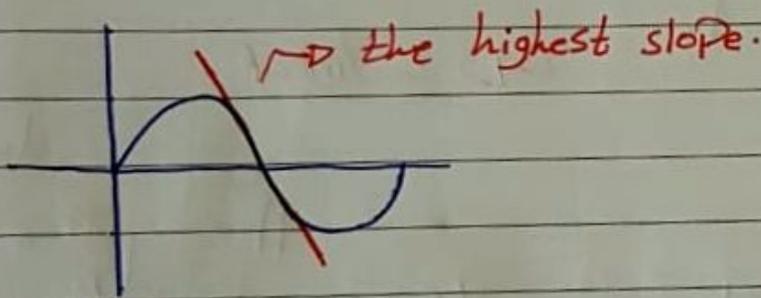
ال فرقة 2، تمرر 2، فreq  
 $2.5 \times 10 \div 10 = 2.5$

\* Phase Modulation :- (Indirect FM generation)

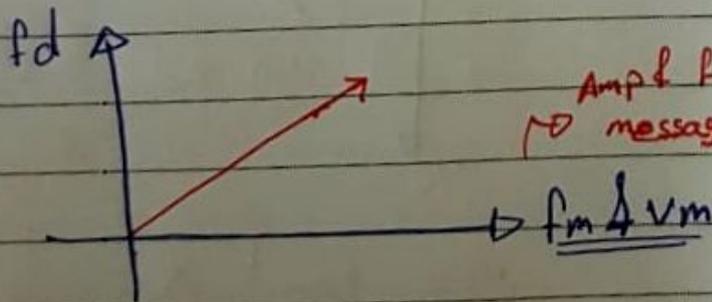
In PM, the Phase of carrier is changed according to Amplitude of Mod. signal



$$\phi = \frac{\Delta V}{\Delta t}$$

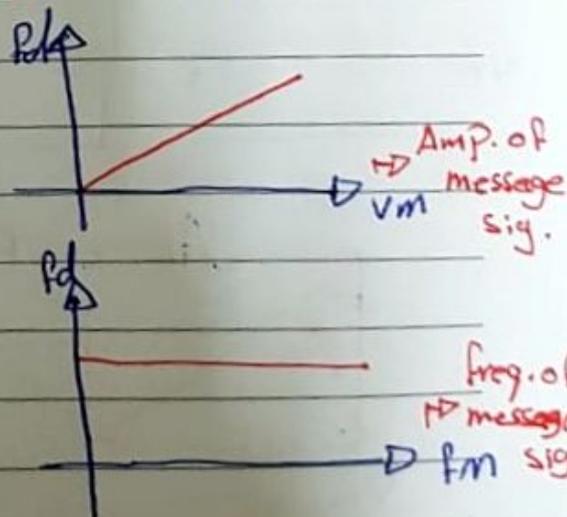


\* In PM

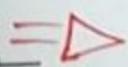


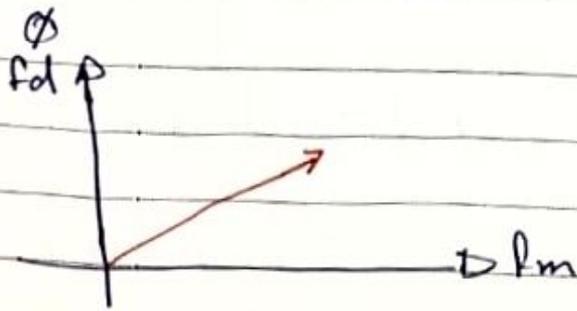
Amp & freq. of message sig.

\* In FM



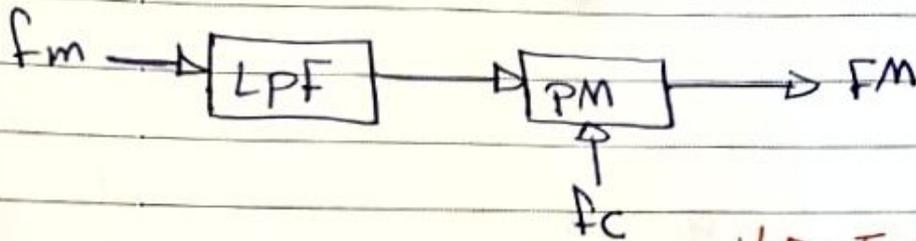
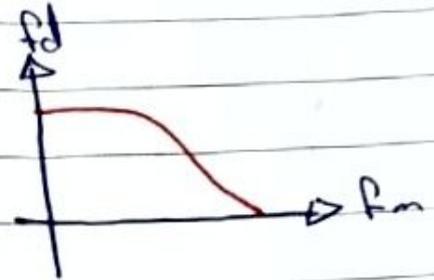
\* in PM the modulation depends on Vm & fm



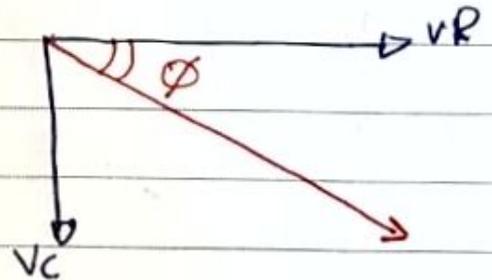
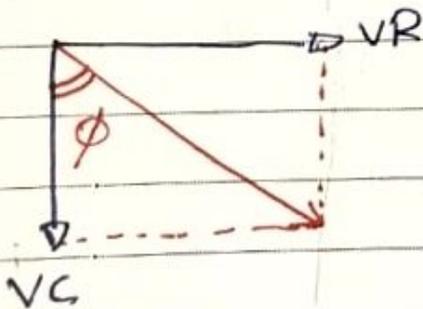
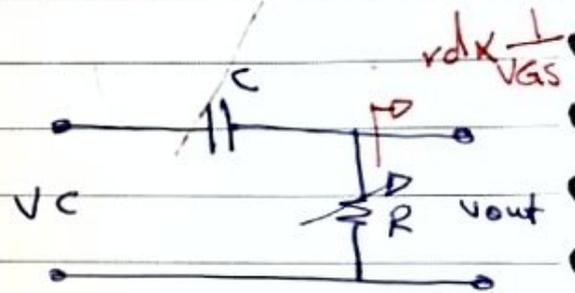
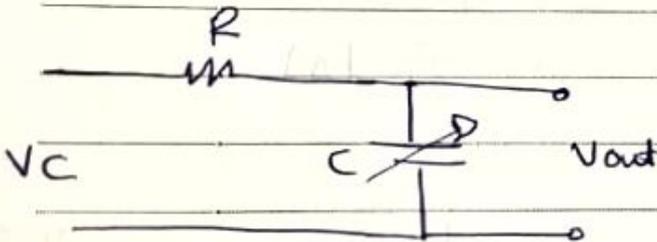


FM is a linear function of frequency deviation. It is a linear function of frequency deviation.   
 FM is a linear function of frequency deviation.   
 Amp. deviation is a linear function of frequency deviation.

⇒ High freq. component of modulating signal, gives  $f_d \uparrow$



⇒ Indirect



$$\phi_c = \tan^{-1} \frac{R}{X_C}$$

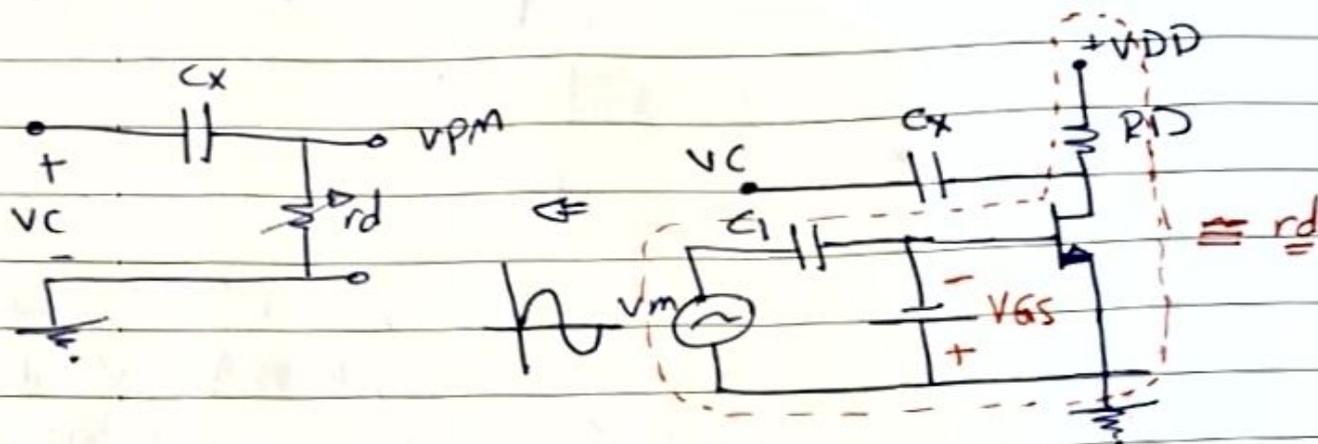
$$\phi_c = \tan^{-1} \frac{X_C}{R}$$

FET phase shifter

Amp for msg. sig.  $\leq$  1

① Armstrong PM :-

JFET is biased in Linear Region,  $r_d \propto \frac{1}{V_{GS}}$   
 $\therefore$  behaves as a Volt. variable. resis.



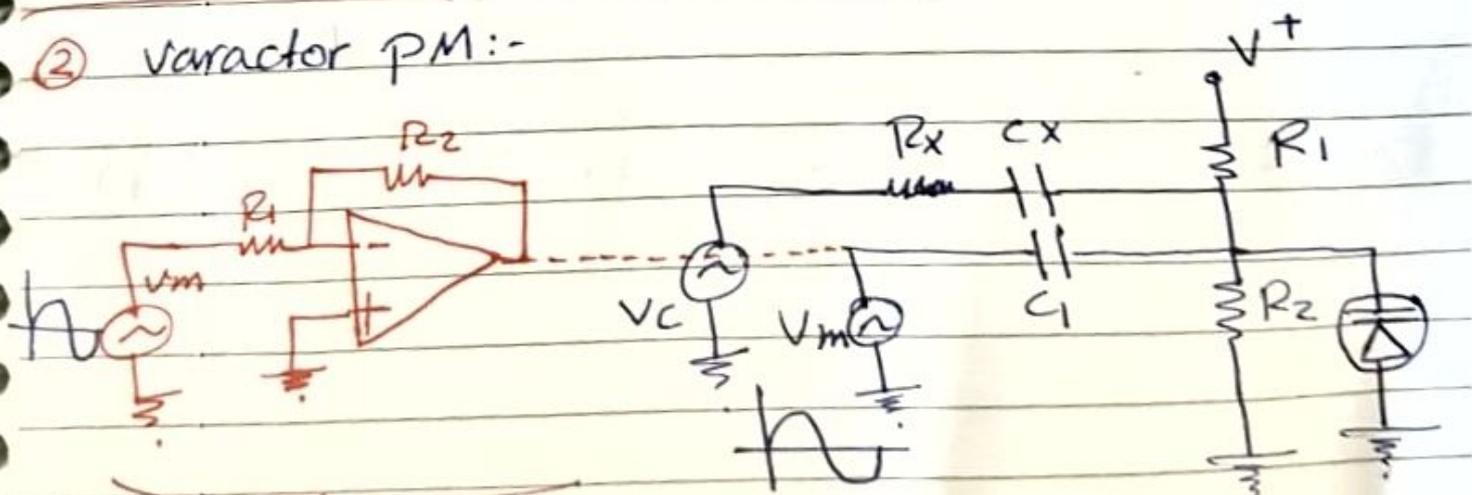
① In +ve H.c of  $v_m$ ,  $V_{GS} \uparrow$ ,  $r_d \downarrow \rightarrow \phi_c \uparrow$

② In -ve H.c of  $v_m$ ,  $V_{GS} \downarrow$ ,  $r_d \uparrow$ ,  $\phi_c \uparrow$

③ The phase of carrier ( $\phi_c$ ) increasing & decreasing according to the Amp. of message signal.

$$\phi_c = \tan^{-1} \frac{X_c}{r_d} \quad \left[ \begin{array}{l} 45^\circ = \tan^{-1} 1 \\ 30^\circ = \tan^{-1} \frac{1}{2} \end{array} \right] \quad \phi_c \propto \frac{1}{r_d}$$

② Varactor PM :-



Inverter (we add it)





\* fading ⇒  $\rightarrow$  الفلاحة (فقدان الإشارة) في استقبال الموجة في مستقبلات SSB بل في استقبالها في مستقبلات الفري (frequency) في Transmitted sig.

83  $\rightarrow$  Interference

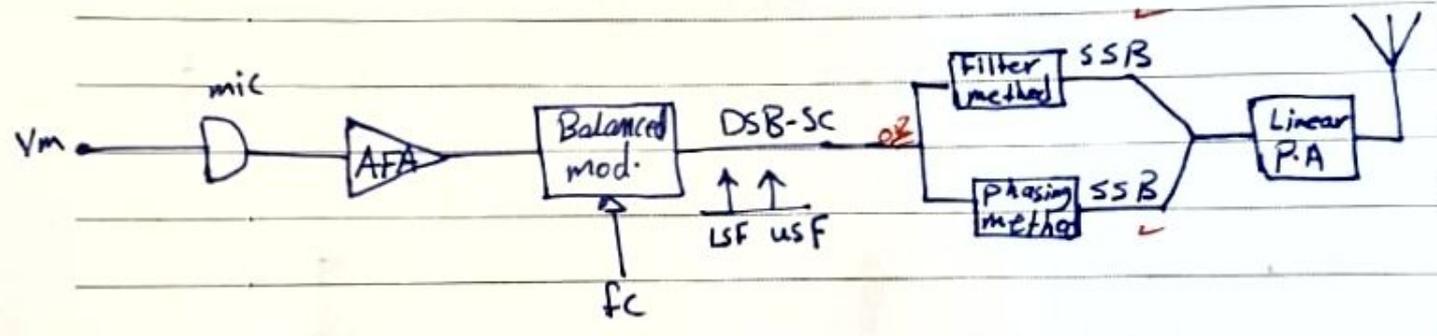
SSB c/c/s

(Because small B.W  $\rightarrow$  SNR  $\downarrow$ )

- ① small B.W & small noise
- ② high spectral efficiency
- ③ high power & long distance Transmissior
- ④ No fading

البرودة بعد استقبالها  $\rightarrow$  SNR  $\downarrow$

SSB Generator



\* (Ring), (Lattice), Balanced modulator.

① if  $v_m$  is applied only ( $v_c=0$ )

② In +ve A.C of  $v_m$

$D_1$  &  $D_3 \rightarrow ON$

$D_2$  &  $D_4 \rightarrow OFF$

$\rightarrow$  No current in  $T_2$  Primary, No flux & No  $v_{out}$ .

$\Rightarrow$

③ In -ve H.C of  $V_m$

$D_2$  &  $D_4$  are ON

$D_1$  &  $D_3$  are off

∴ No current in  $T_2$  Primary, No flux & No vout

② if  $V_c$  is applied only ( $V_m=0$ )

① for +ve H.C of  $V_c$

$D_1$  &  $D_2$  → ON

$D_3$  &  $D_4$  → off

∴  $I_{D_1} = -I_{D_2}$  (opposes each other)

∴ the resultant flux is zero, No vout ( $V_o=0$ )

② for -ve H.C

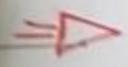
$D_3$  &  $D_4$  → ON

∴  $I_{D_3} = -I_{D_4}$  , so the resultant flux = 0 & No vout ( $V_o=0$ )

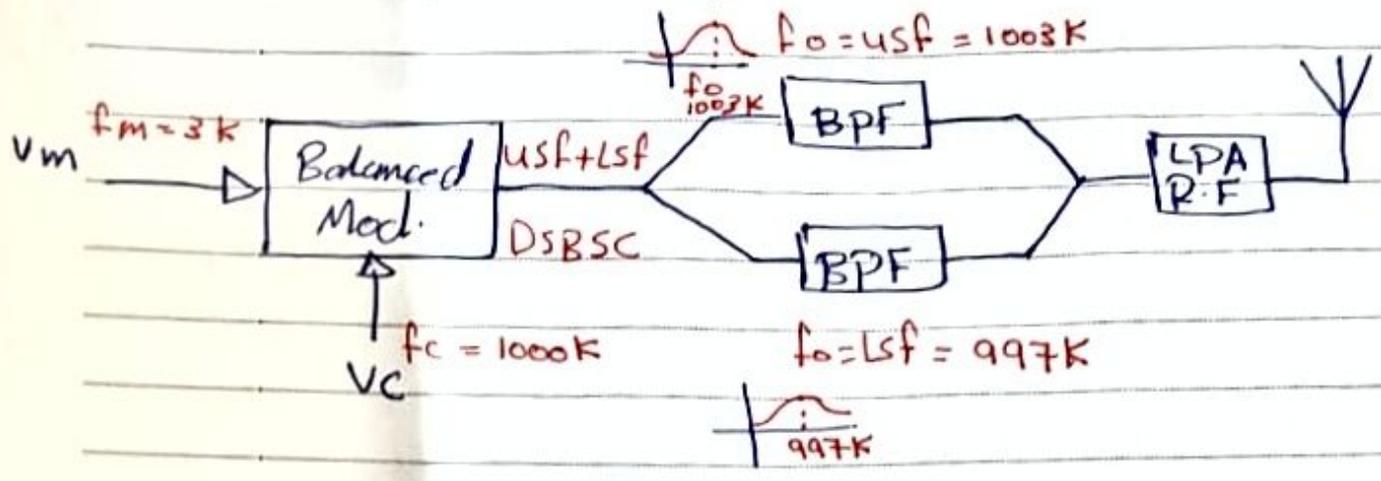
SSB Generation

① Filter Methode :  
 { 2 band pass filter  
 } single BPF & 2 carrier

② Phasing Methode :

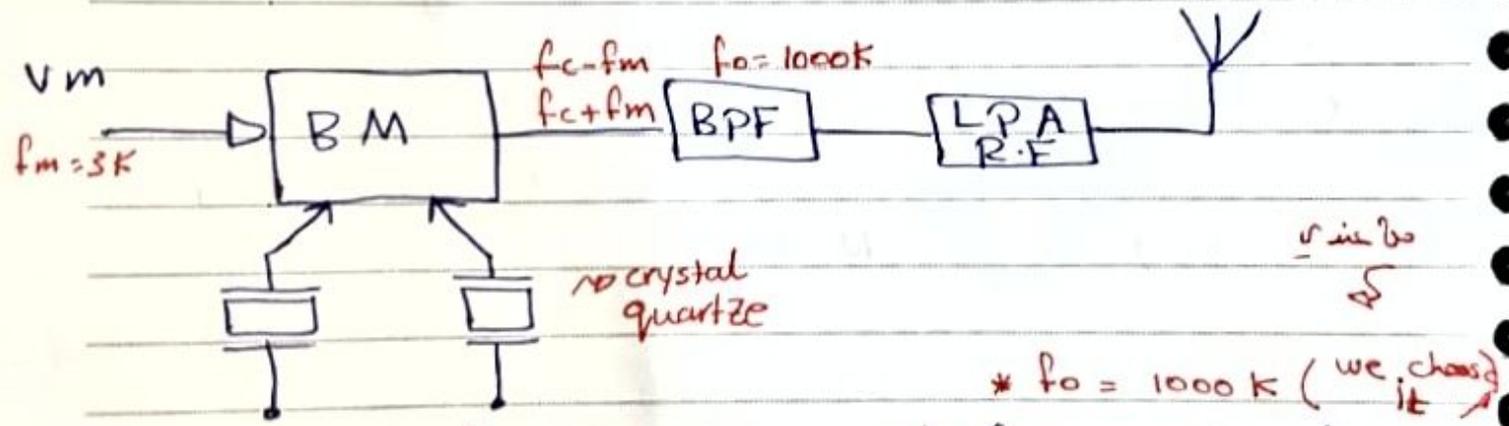


\* Filter Methode (2 BPF)



\* we use switches (choose one BPF)

\* Filter Method (1 BPF & 2 carrier)



no crystal quartz  
 $f_{c1} = 997K$  USF  
 $f_{c2} = 1003K$  LSF  
 $f_o = 1000K$  (we choose it)  
 $f_{c1} = 997K, f_m = 3K$   
 $f = 1000K, f = 994K$

\* we use filters of crystal to achieve High freq. & stability.

$f_{c2} = 1003K, f_m = 3K$   
 $f = 1006K, f = 1000K$

for BPF:  
 $f_o$  ) ) USF & LSF ) )

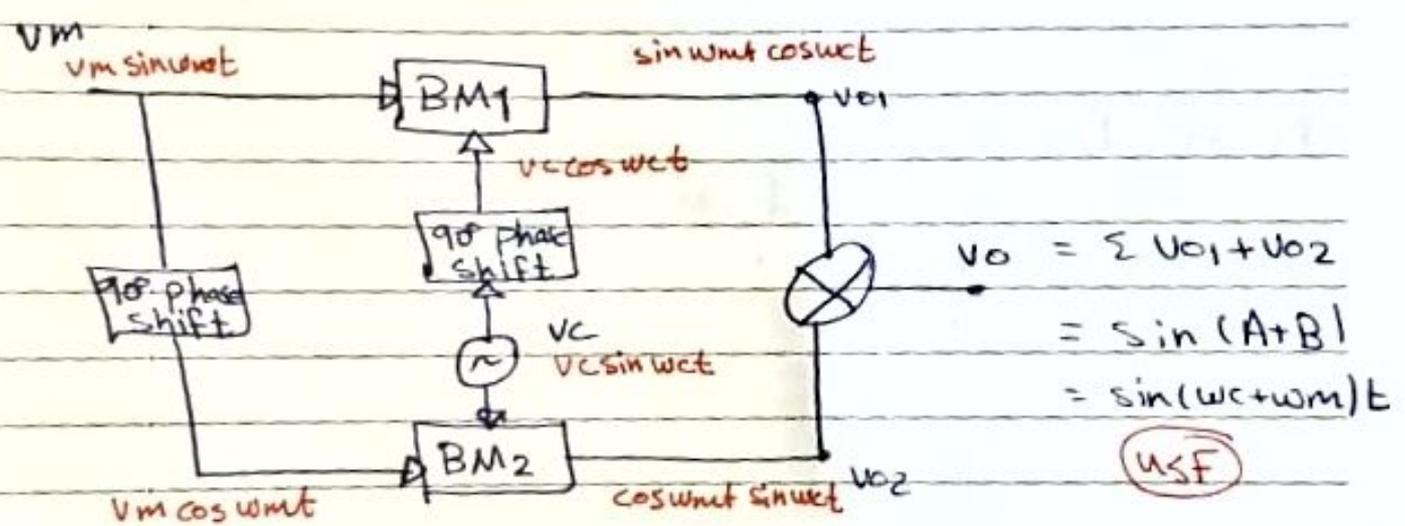
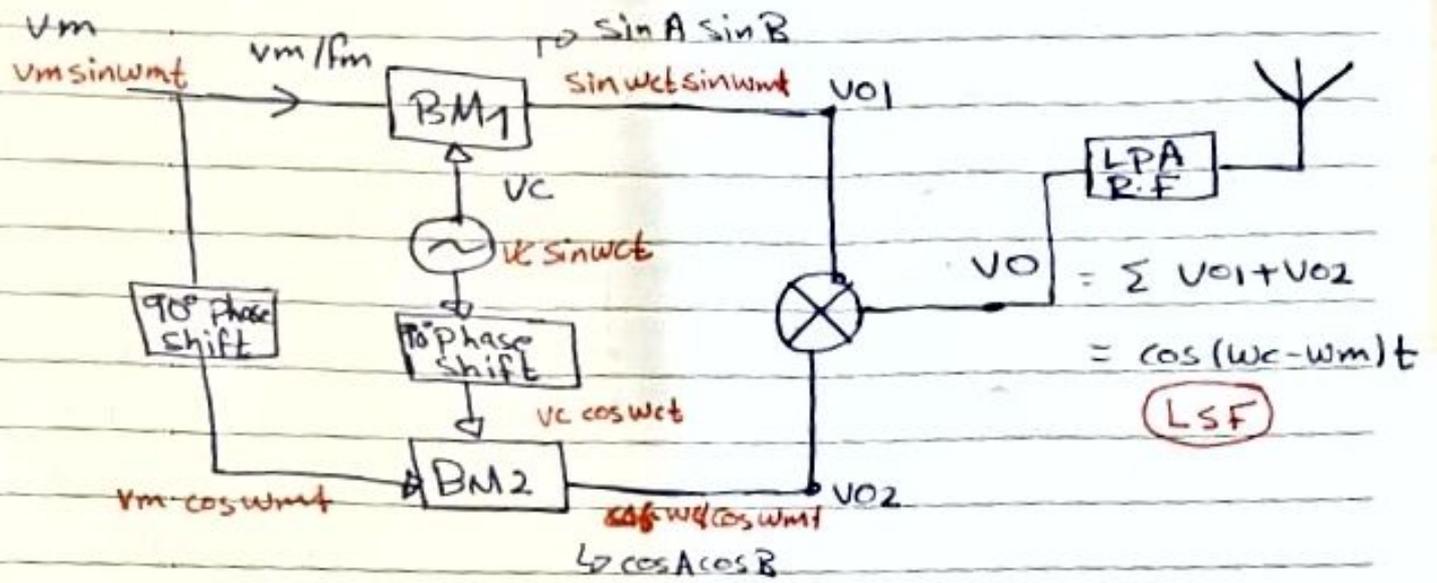
$$\cos A \cos B = \frac{1}{2} [\cos(A-B) + \cos(A+B)]$$

$$\sin A \sin B = \frac{1}{2} [\cos(A-B) - \cos(A+B)]$$

$$\cos A \sin B = \frac{1}{2} [\sin(A+B) - \sin(A-B)]$$

مشتق  
الزاوية

2 Phasing Methods :-



USB <sup>منه</sup>  $\frac{1}{2} \cos(A-B) + \frac{1}{2} \sin(A+B)$   $\frac{1}{2} \cos(A-B)$   $\frac{1}{2} \sin(A+B)$   $\frac{1}{2} \cos(A-B) + \frac{1}{2} \sin(A+B)$   
 4 terms  $\frac{1}{2} \cos(A-B) + \frac{1}{2} \cos(A-B) + \frac{1}{2} \sin(A+B) + \frac{1}{2} \sin(A+B)$   
 $= \cos(wc - wm)t + \sin(wc + wm)t$

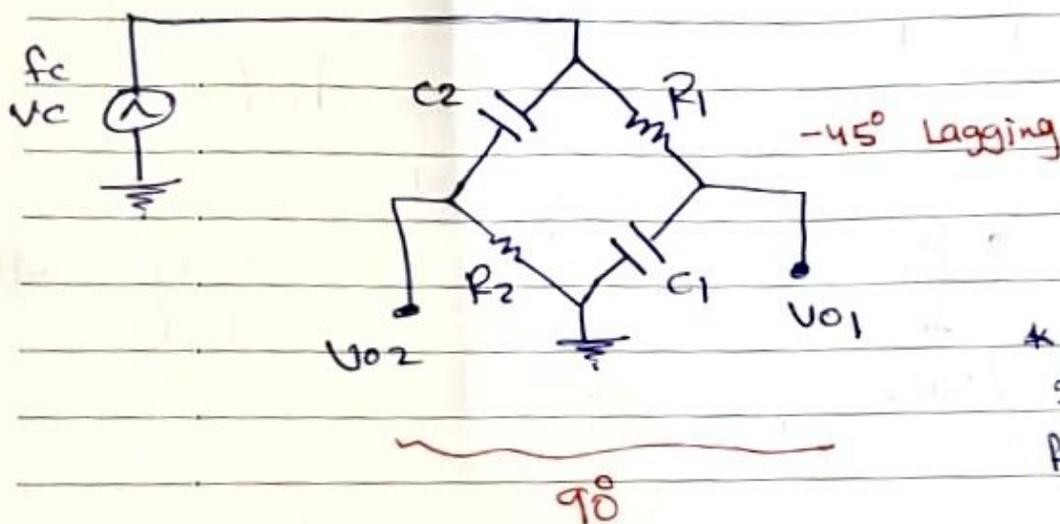
$\equiv$  DSBSC



\* any LCR ckt. gives  $\rightarrow 0 < \phi < 90$  Phase shift.

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\* Phase shifter. (RF phase shifter).



$V_m$   
(0.3  $\rightarrow$  0.3k)

\* we want it to  
gives phase shift  
for certain  
freq.

$\Rightarrow$  at  $f = f_c$

when  $X_{C1} = R_1$  &  $X_{C2} = R_2$

then  $\phi_1 = -45^\circ$

$\phi_2 = 45^\circ$

$$X_{C1} = \frac{1}{2\pi f_c C_1} = R_1$$

$$X_{C2} = \frac{1}{2\pi f_c C_2} = R_2$$