

تقدم لجنة EICoM الاكاديمية

دفتر لمادة:

# الالكترونيات الاتصالات

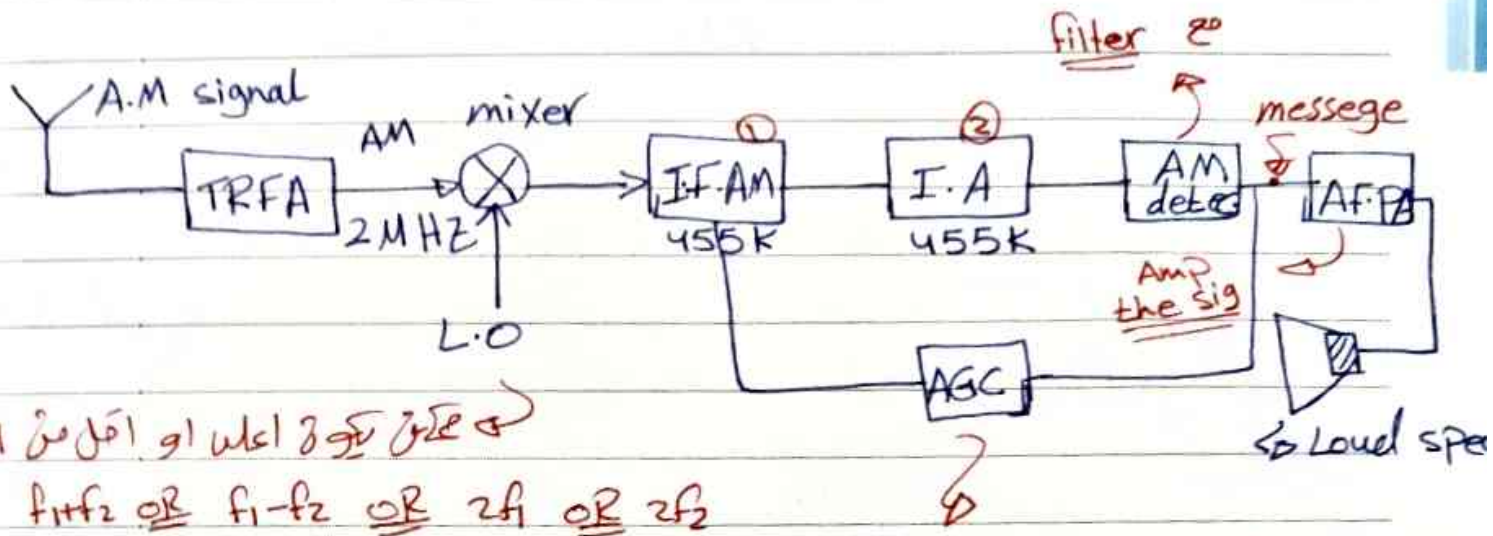
من شرح:

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جزيل الشكر للطالب:

محمد صباح





في 2M  
 $f_1 + f_2$  OR  $f_1 - f_2$  OR  $2f_1$  OR  $2f_2$

Auto Gain Controller

وإذا كان mess. في كبح سرعة بقوة على AGC ويطبق  
 Gain في -ve Feed back ويطبق 1 و 2  
 والرسول إذا في قوة قليلة هذا يدل على  
 DC



oscillators

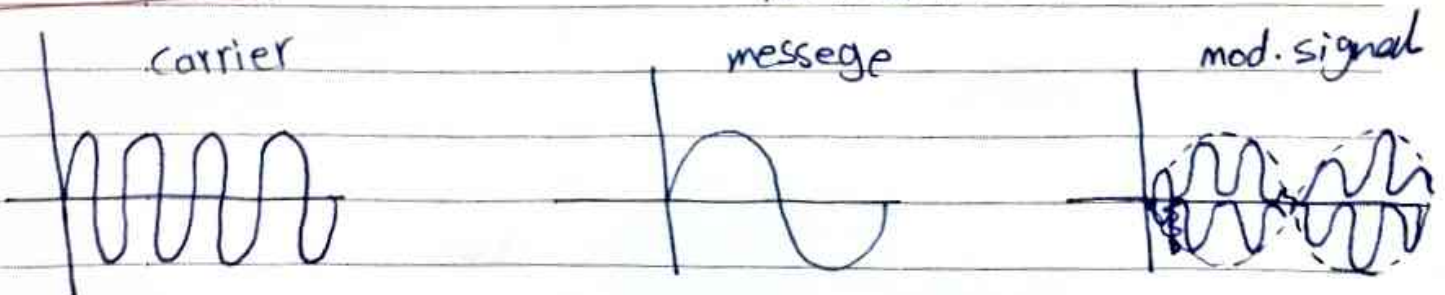
LR osci.

Rc oscill.

crystal osci.

يتأثر بدرجة الحرارة والعمر

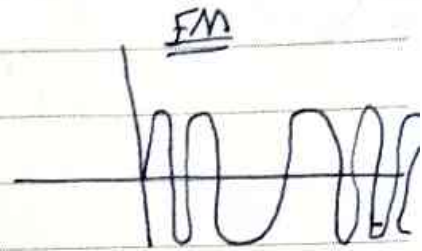
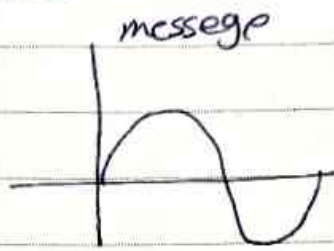
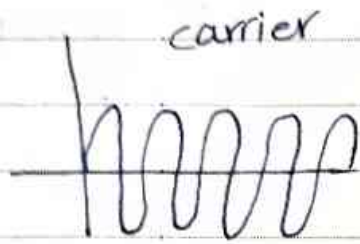
AM-modulation



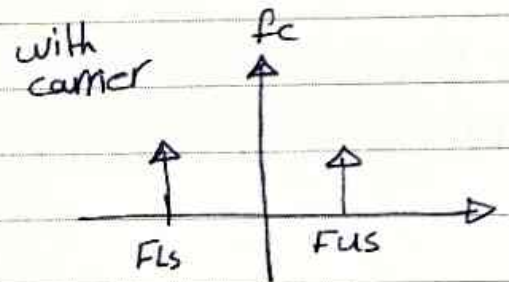
\* crystal oscillator =>

لا يتأثر بدرجة الحرارة ولا بالعمر

FM



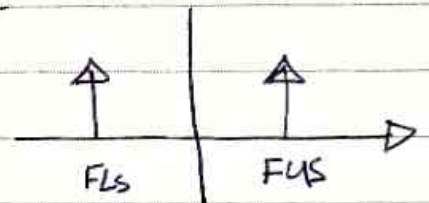
$f_c \Rightarrow 50\%$  Power  $\leftarrow$   
 $f_{ls}$  &  $f_{us} \Rightarrow 25\%$  &  $25\%$



$P_T = 60 W$

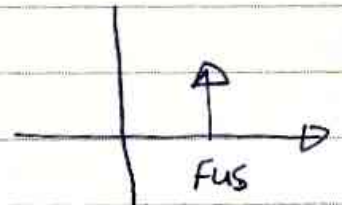
$f_{ls}$  &  $f_{us} \Rightarrow 50\%$  power  $\leftarrow$

DSSC



$f_{us} \Rightarrow 100\%$  Power  $\leftarrow$

SSB

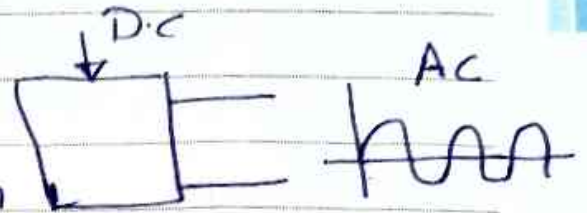


B → function of frequency  
 → frequency dep. element (L or C or R or LC)

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\* Oscillators (signal generator)

① Electronic ckt produces an periodic A.C signal with a certain Amplitude & frequency, without A.C input signal only D.C is required for biasing the Active Devices.



② It is a feedback Amp contains Amplifier & Phase shift Network (The F.B is Positive F.B).

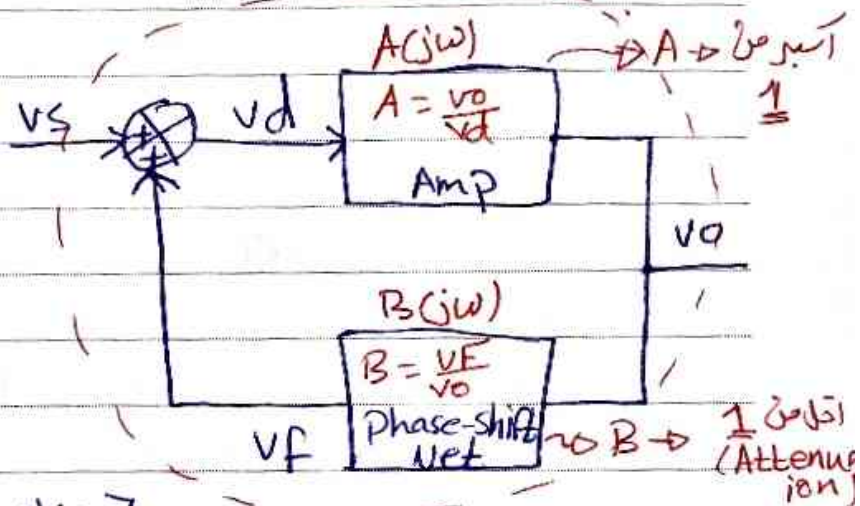
$v_d = v_s + v_f$  (+ve F.B) ✓

$v_d = v_s - v_f$  (-ve F.B)

$v_o = A(j\omega) \cdot v_d$

$v_d = v_s + v_f$

$v_f = B(j\omega) \cdot v_o$



$$\Rightarrow v_o = A(j\omega) [v_s + B(j\omega) v_o]$$

$$= A(j\omega) v_s + A(j\omega) B(j\omega) v_o$$

F.B AMP.  
 A or B  
 ① \* op-amp { non-inv, inv }

$$v_o * (1 - A(j\omega) B(j\omega)) = A(j\omega) \cdot v_s$$

gain for F.B AMP

② \* BJT { DC.E, DC.B }

$$\frac{v_o}{v_s} = A_f = \frac{A(j\omega)}{1 - A(j\omega) B(j\omega)}$$

③ \* mosfet { DC.S, DC.G }

if  $A(j\omega) B(j\omega) = 1$ , then  $A_f = \infty = \frac{v_o}{v_s}$

either  $v_o = \infty$  or  $v_s = 0$

Handwritten notes in Arabic: "A > 1" and "A = 1"

360° or 0° 1 = A B u Amp 1 ckt lna oscillator  
 phase zero or 360 degrees

و، لئلا يكون DC IP  $\neq 0$  IP  $\neq 0$  OR  $\neq 0$   $\Rightarrow$  for biasing.

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but  $V_O$  cannot be 0 so  $V_S$  must be Zero  
i.e. the ckt will give  $V_O$  without  $V_S$  (No I/P).

### \* Oscillation conditions

- ① mag. condition:  $|A(j\omega)| + |B(j\omega)| = 1$ ,  ~~$\neq 1$~~
- ② Phase condition:  $\angle A(j\omega) + \angle B(j\omega) = 0, n2\pi; n: \text{Integer}$   
 $A \rightarrow \text{gain} > 1$   
 $B \rightarrow \text{Attenuation} < 1$

### \* To satisfy oscillation condition

1)  $A = \frac{1}{B}$

2)  $\angle A + \angle B = 360$

either  $A \& B \rightarrow$  Inverting (gives  $180^\circ$ )

or  $A \& B \rightarrow$  non-Inverting (gives zero)

since  $A \rightarrow A(j\omega)$ ,  $B \rightarrow B(j\omega)$

at a certain value of  $\omega$ , The oscillator condition will be satisfied. This value is called Freq of A oscillator ( $\omega_0$ )

### ① RC-oscillator

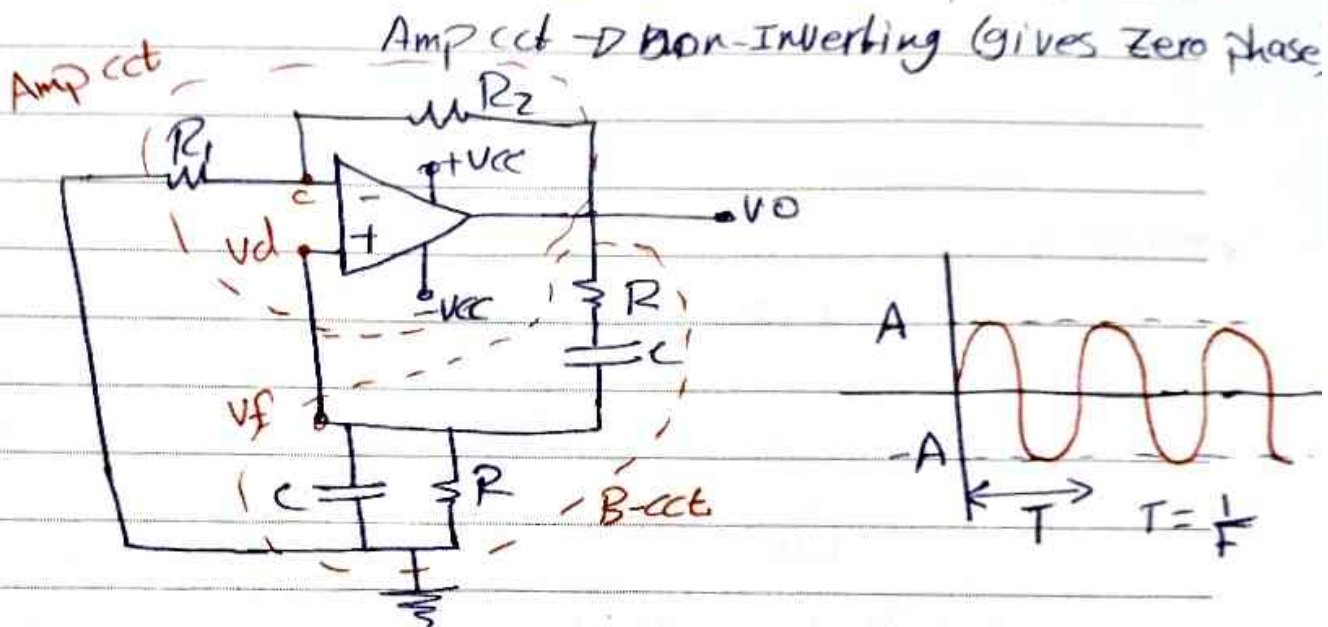
B ckt  $\rightarrow$  RC ckt

Amp ckt  $\rightarrow$  BJT Amp, FET Amp, OP-Amp  $\Rightarrow$

kcl at node  $\ominus \Rightarrow I_1 = I_2 \Rightarrow 0 - V^- = \frac{V^- - V_0}{R_2}$ ,  $V^- = V^+ = V_d$   
 $\Rightarrow 0 - \frac{V_d}{R_1} = \frac{V_d - V_0}{R_2} \Rightarrow \frac{V_0}{V_d} = \left(1 + \frac{R_2}{R_1}\right) \Rightarrow$  non-inv. op-amp. 5

WIEN-Bridge oscillator:-

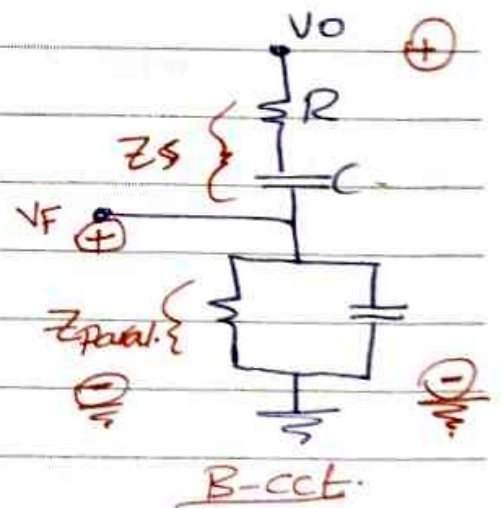
in this oscillator  $\Rightarrow$  B ckt  $\rightarrow$  gives zero phase



$B = \frac{V_f}{V_0} \approx \frac{Z_P}{Z_P + Z_S}$

$Z_S = R + \frac{1}{j\omega C}$

$Z_P = \frac{R \cdot \frac{1}{j\omega C}}{R + \frac{1}{j\omega C}} = \frac{R}{1 + j\omega CR}$



$\Delta B = \frac{\frac{R}{1 + j\omega CR}}{\frac{R}{1 + j\omega CR} + R + \frac{1}{j\omega C}} \cdot \frac{1 + j\omega CR}{1 + j\omega CR} = \frac{R}{R + \left(R + \frac{1}{j\omega C}\right)(1 + j\omega CR)}$

$B = \frac{R}{R + R(1 + j\omega CR) + \frac{1}{j\omega C}(1 + j\omega CR)}$

$\Rightarrow$

$$\text{OR } * 2 \text{ C.E} \Rightarrow 2 * 180 = 360 \checkmark$$

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$$\Rightarrow B = \frac{R}{R+R+j\omega CR^2 + \frac{1}{j\omega C} + R}$$

$$B = \frac{R}{3R + j(\omega CR^2 - \frac{1}{\omega C})}$$

\* Since Amp is Non-inverting & gives  $\phi = 0^\circ$  so  $B$  ckt must give  $\phi = 0^\circ$ , to satisfy phase-condition

\* B-ckt will give Zero phase when J-Term = 0  
 $\Rightarrow \omega CR^2 = \frac{1}{\omega C}$

$$\omega^2 C^2 R^2 = 1 \Rightarrow \omega_0 = \frac{1}{RC}$$

$$\Rightarrow f_0 = \frac{1}{2\pi RC}, \text{ freq of oscillator}$$

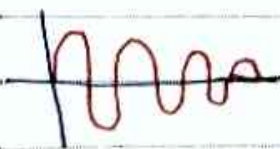
$\hookrightarrow$  at this freq.  $B = \frac{R}{3R} \Rightarrow B = \frac{1}{3}$ , to satisfy  $|BA| = 1 \Rightarrow$  so  $A_{\min} = \underline{\underline{3}}$ .

- For Non-Inverting Amp

$$A = 1 + \frac{R_2}{R_1} = 3 \Rightarrow \left(\frac{R_2}{R_1}\right)_{\min} = 2$$

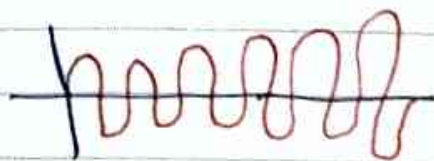
$$\Rightarrow R_2 = 2R_1$$

\* IF  $\square BA < 1$



the signal will (dP)  
be damped

$\square BA \gg 1$



the signal will be  
out of control (unstable)

$\Rightarrow$

\* Practically (for design purpose) we should make  $|A\beta|$  over than 1 by 5% to avoid loss (gain) (بزرگتر از 1 باشد)

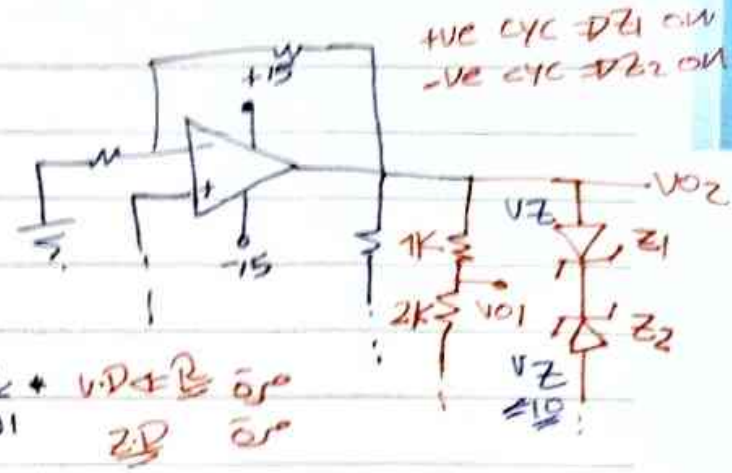
[7]

desired o/p  

$$V_{O1} = \frac{15 \cdot 2K}{3K} = 10K$$

+ve cyc  

$$V_{O2} = V_{Z1} + V_{A2} \quad \text{(Ideal)}$$



این ولت-رجو و ZD یک یک + V.D ± B در o/p ای  
 ولت-رجو و ZD یک یک + V.D ± B در o/p ای

Ex:- Design a WIEN-Bridge oscillator to give 20KHz o/p use op-amp,  $f_o = \frac{1}{2\pi RC}$   
 Let  $C = 0.01 \mu F$ .

B-cct  

$$R = \dots$$

\* IN W.B  $\left(\frac{R_2}{R_1}\right)_{min} = 2$

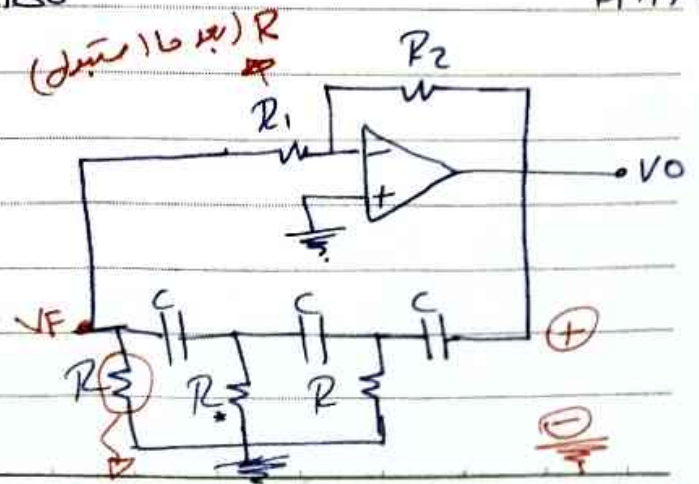
AMP cct  
 Let  $R_1 = 1K \Omega$ ,  $R_2 = 2R_1$   
 $\therefore R_2 = 2K \Omega$

② Phase-shift oscillator

Amp  $\rightarrow 180^\circ$ , B-cct  $\rightarrow 180^\circ$

$R_1 || R = R_2$

در 180 درجه R's ای +  
 60 درجه در هر یک  
 در 90 درجه R's ای  
 90 = max. shift  
 60 درجه ای  
 Ideal



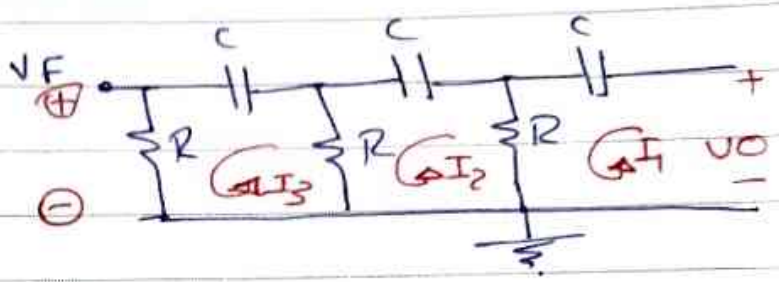
\* در هر یک 60 درجه  
 ① gain for op-amp ② phase shift = 60°



RC)  $\rightarrow$  phase shift  $\rightarrow$   $-VC$   $\rightarrow$   $VF$   $\rightarrow$   $CC$   $\rightarrow$   $o/p \rightarrow$   $Vo$  \*

cct  $\rightarrow$  phase shift  $\rightarrow$   $\rightarrow$   $180^\circ + 180^\circ = 360^\circ$   $\rightarrow$   $\rightarrow$  ve F.B  $\rightarrow$  osc

$$B = \frac{VF}{Vo}$$



$$I_1(R + \frac{1}{j\omega C}) - I_2R = Vo \quad (1)$$

$$I_2(2R + \frac{1}{j\omega C}) - I_1R - I_3R = 0 \quad (2)$$

$$I_3(2R + \frac{1}{j\omega C}) - I_2R = 0 \quad (3)$$

$$VF = I_3R \quad (4)$$

$$\rightarrow \omega_0 = \frac{1}{\sqrt{6}RC}, \quad \therefore f_0 = \frac{1}{2\pi\sqrt{6}RC}$$

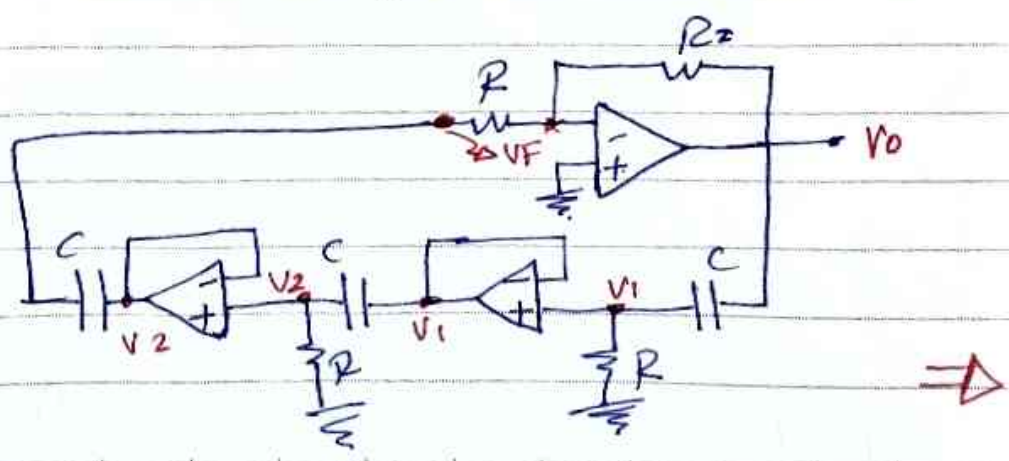
$\rightarrow$  Freq. of oscillator

\* in this cct  $\Rightarrow B = \frac{1}{29}, \quad |B| = \frac{1}{29}$

to satisfy  $|BA| = 1 \Rightarrow A_{min} = 29$

for Inv. Amp  $\rightarrow A = -\frac{R_2}{R_1}, \quad \therefore (\frac{R_2}{R_1})_{min} = 29$

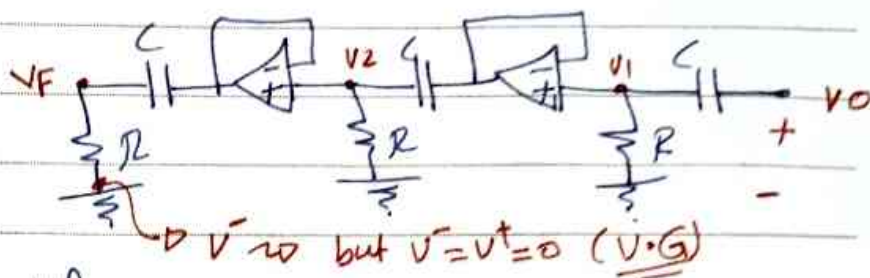
$\rightarrow$  with no load effect a voltage follower (Buffer) is used



$$B = \frac{V_f}{V_o} = \frac{V_f}{V_2} * \frac{V_2}{V_1} * \frac{V_1}{V_o}$$

$$\Rightarrow \frac{V_1}{V_o} = \frac{R}{R + \frac{1}{j\omega C}} \quad (\text{V.D})$$

$$= \frac{1 + j\omega CR}{1 + j\omega CR} = \frac{V_2}{V_1} = \frac{V_f}{V_2}$$



$$\Rightarrow B = \left( \frac{j\omega CR}{1 + j\omega CR} \right)^3 = \frac{j^3 \omega^3 C^3 R^3}{(1 + j\omega CR)(1 + j\omega CR)^2}$$

$$B = \frac{j^3 \omega^3 C^3 R^3}{(1 - 3\omega^2 C^2 R^2) + j(3\omega CR - \omega^3 C^3 R^3)}$$

\* since Amp is inverting & gives  $180^\circ$  so B-cct must give  $180^\circ$  to satisfy  $\angle A + \angle B = 360^\circ$ ; B will give  $180^\circ$  when Real term = 0

$$1 - 3R^2C^2\omega^2 = 0$$

$$\therefore \omega_0 = \frac{1}{\sqrt{3}RC} \Rightarrow \therefore f_0 = \frac{1}{2\pi\sqrt{3}RC} \text{ } \rightarrow \text{freq. of oscillation.}$$

$$\Rightarrow \text{at this frequency } \therefore (\omega_0 = \frac{1}{\sqrt{3}RC})$$

$(-\frac{1}{3})$  answer

$$B = \frac{-\omega^3 R^3 C^3}{(3\omega CR - \omega^3 C^3 R^3)} \div \omega^3 C^3 R^3 = \frac{-1}{\frac{3}{\omega^2 R^2 C^2} - 1}$$

$$= \frac{-1}{\frac{3}{\omega^2 R^2 C^2} - 1} \Big|_{\omega = \omega_0} = \frac{-1}{\left(\frac{1}{\sqrt{3}RC}\right)^2 \cdot \frac{1}{R^2 C^2} - 1} = \frac{-1}{9 - 1} = \boxed{-\frac{1}{8}}$$

$\Rightarrow$

\* To satisfy  $|BA| = 1$

$|A|_{\min} = 8$ , For Inverting Amp:  $|A| = \frac{R_2}{R}$

$$\therefore \left| \frac{R_2}{R} \right|_{\min} = 8 \Rightarrow \underline{R_2 = 8R}$$

Ex:- Design a Phase shift-oscillator to have  
 $f_0 = 20 \text{ KHz}$ . use  $C = 0.01 \mu\text{F}$ .

Sol:-

$$f_0 = \frac{1}{2\pi\sqrt{3}RC} \Rightarrow R = \frac{1}{2\pi f_0 \sqrt{3}C} = \frac{1}{2\pi * 2 * 10^4 * 10^{-8} * \sqrt{3}}$$

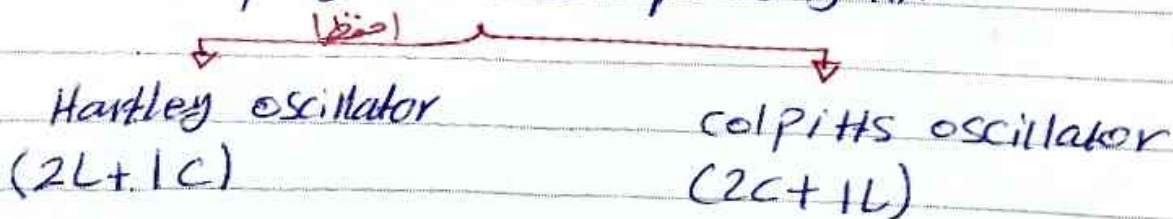
$$= \frac{10^4}{1.72 * 2\pi * 2} = 0.48 \text{ K}\Omega$$

$$|A|_{\min} = 8 \Rightarrow R_2 = 8R = 8 * 0.48 = 3.84 \text{ K}\Omega.$$

## LC-oscillators

① Use LC cct as F.B cct and Amp

② At Resonant, LC cct. gives the required Phase & the Amp. gives the required gain.



\*  $R_g \rightarrow$  we put it to protect the gate

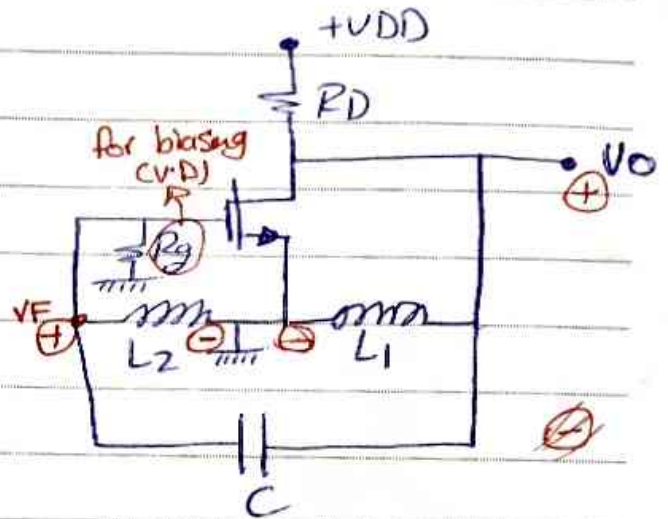
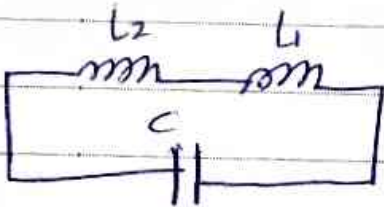
\* LC operates at higher  $f_{req}$  than RC

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⑤ the Amp can be FET, BJT, op-Amp

① Hartley oscillator

\* at Resonant frequency  
LC-circuit gives  $0^\circ$



$$\Rightarrow j(\omega L_1 + \omega L_2) + \frac{1}{j\omega C} = 0$$

$$j\omega(L_1 + L_2) = -\frac{1}{j\omega C} = \frac{jX}{j\omega C}$$

$$V_F = V_{L_2}, \quad V_O = V_{L_1}$$

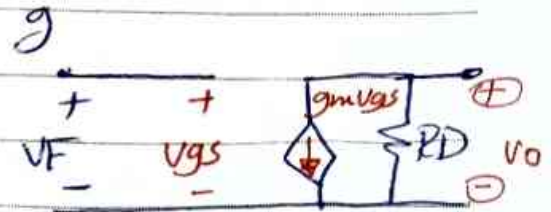
$$\Rightarrow j\omega(L_1 + L_2) = \frac{j}{\omega C} \Rightarrow \omega_0 = \frac{1}{\sqrt{C(L_1 + L_2)}}$$

$$\therefore f_0 = \frac{1}{2\pi \sqrt{C(L_1 + L_2)}}, \quad \text{Areq of oscillator}$$

$$\text{gain of } B = \frac{V_F}{V_O} = \frac{j\omega L_2}{j\omega L_1} = -\frac{L_2}{L_1} \quad \left( V_F = \frac{V_O \cdot j\omega L_2}{j\omega L_1} \right) \quad (V.D) \quad ??$$

\* to satisfy  $|BA| = 1 \Rightarrow |A| = \frac{1}{B} = \frac{L_1}{L_2}$

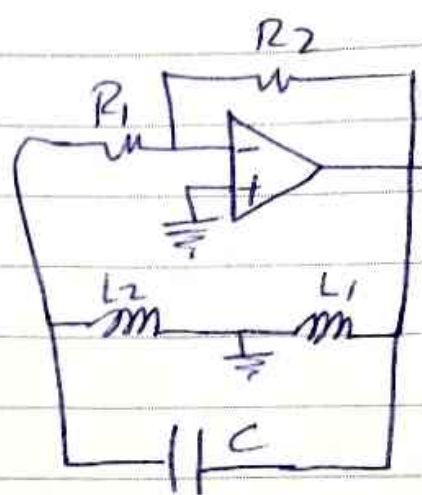
$$A = \frac{V_O}{V_{GS}} = -g_m R_D$$



$$\therefore |g_m R_D| = \frac{L_1}{L_2}, \quad g_m = 2\sqrt{k_n I_D}$$

\*  $A = \frac{V_O}{V_i} = \frac{V_O}{[V_{GS} + V_F]} \Rightarrow \boxed{A = \frac{V_O}{V_F}}, \quad \underline{V_{GS} = V_F}$

$$\Rightarrow \left| \frac{R_2}{R_1} \right| = \frac{L_1}{L_2}$$



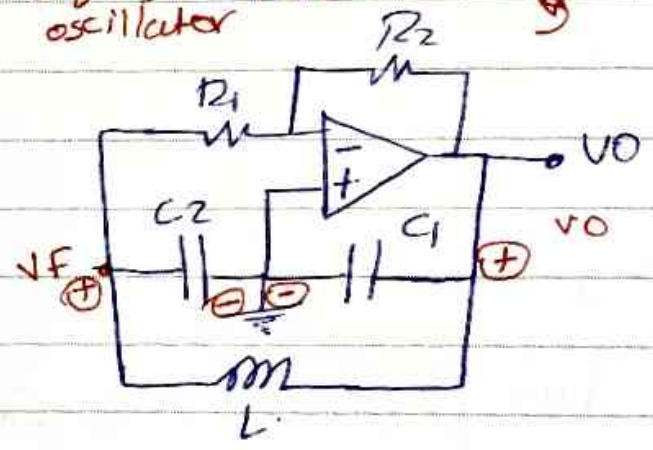
② Colpitts oscillator

هذا هو نموذج دارة التذبذب كولبيتس  
oscillator

\* At Resonance  $\Rightarrow$  Reactive part = 0

$$\frac{1}{j\omega C_1} + \frac{1}{j\omega C_2} + j\omega L = 0$$

$$\Rightarrow \frac{1}{j} \left( \frac{1}{\omega C_1} + \frac{1}{\omega C_2} \right) = +j\omega L$$



$$\Rightarrow \omega_0 = \frac{1}{\sqrt{L C_{eq}}} \Rightarrow f_0 = \frac{1}{2\pi \sqrt{L C_{eq}}}, \text{ Freq of oscillator}$$

$$C_{eq} = \frac{C_1 \cdot C_2}{C_1 + C_2}$$

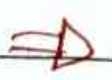
$$\Rightarrow B = \frac{V_f}{V_o} = \frac{\frac{1}{j\omega C_2}}{\frac{1}{j\omega C_1}} \Rightarrow \frac{C_1}{C_2}$$

to satisfy  $|BA| = 1$

$A = \frac{C_2}{C_1}$ , For Inv. Amp.

$$A = -\frac{R_2}{R_1} \Rightarrow |A| = \frac{R_2}{R_1}, \therefore \frac{R_2}{R_1} = \frac{C_2}{C_1}$$

هذا هو نموذج دارة التذبذب كولبيتس  
oscillator



Ex:- Design a colpitts oscillator to oscillate at 50 kHz, The Amp gain must not exceed 10. Calculate all Req. component values, & Draw w.c.H ??

Sol:-

$$\Rightarrow f_0 = \frac{1}{2\pi\sqrt{L C_{eq}}}$$

$$\frac{R_2}{R_1} = \frac{C_2}{C_1} = 10$$

$$\Rightarrow R_2 = 10R_1, \text{ let } R_1 = 1K-\Omega$$

$$R_2 = 10K-\Omega$$

$$\Rightarrow C_2 = 10C_1, \text{ let } C_1 = 0.01 \mu F$$

$$C_2 = 0.1 \mu F$$

$$\Rightarrow C_{eq} = \frac{C_1 \cdot C_2}{C_1 + C_2} = \frac{0.001 \mu F}{0.11}$$

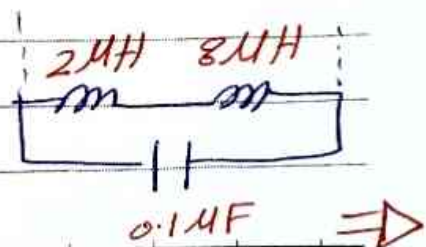
$$f_0 = \frac{1}{2\pi\sqrt{L C_{eq}}} \Rightarrow L \cdot C_{eq} = \frac{1}{4\pi^2 f_0^2}$$

$$\Rightarrow \frac{1}{4 \times 10 \times 25 \times 10^8} = L \cdot C_{eq}$$

$$10^{-11} = L \cdot C_{eq} \Rightarrow L = \dots \text{ } \checkmark$$

Ex:- Given  $K_n = 2 \text{ mA/V}^2$ ,  $I_D = 4.5 \text{ mA}$   
Determine  $A_0$ ,  $R_D$ .

Sol:-



$$f_0 = \frac{1}{2\pi \sqrt{C(L_1 + L_2)}} = \frac{1}{2\pi \sqrt{10^{-7} * 10 * 10^{-6}}}$$

$$= \frac{10^6}{2\pi} = \frac{1000}{2\pi} \text{ KHz} \approx 160 \text{ KHz}$$

$$\Rightarrow |A| = \frac{L_1}{L_2} = 4 \quad \Rightarrow g_m R D$$

$$\Rightarrow g_m = 2\sqrt{f_0 I D} = 2\sqrt{4.5 * 2} = \frac{6 \text{ mA}}{V}$$

$$\Rightarrow R D = \frac{4}{6 * 10^{-3}} = 0.666 \text{ K}\Omega$$

### crystal oscillator

- In RC & LC oscillators  $f_0$  depends on  $L, C, R$  & since these elements are affected by Temp & aging so  $f_0$  of these oscillator are NOT stable or has poor freq. stability. - X-tal

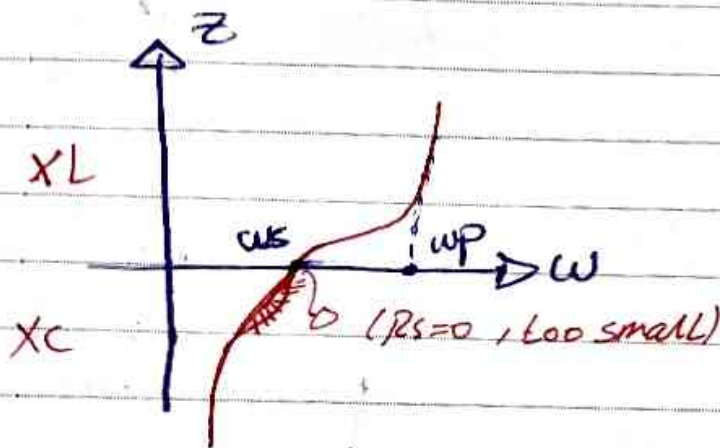
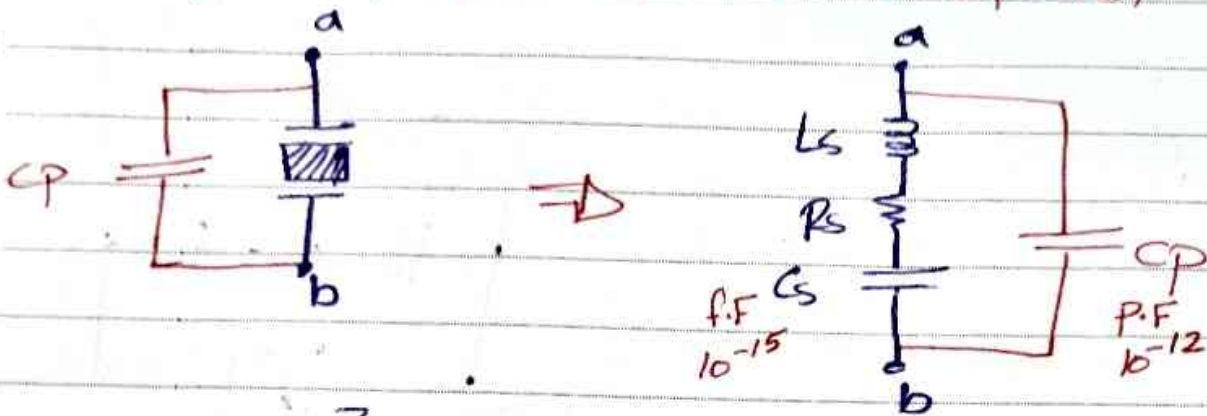
- to have high freq. stability  $\Rightarrow$  oscillators are used.  
 $\Rightarrow$  advantage

\* use the piezoelectric material such as Quartz and it is based on inverse piezoelectric effect. (when Quartz is subjected to E-field from the ckt. it will generate an AC o/p signal), with freq. determined by the parameter of the Quartz crystal ( $C_s, L_s$ ) due to series Resonance ckt.

\*  $C_p \gg C_s \Rightarrow D$  practically

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$C_p$ : - no physical existence (atmosphere)



\*  $\omega_0$  (series)  $\Rightarrow R_s$  (too small  $\approx 0$ )

\*  $\omega_0$  (parallel)  $\Rightarrow \infty \Rightarrow 0.C$

$\Rightarrow$  for  $\omega < \omega_s \rightarrow$  CAP

$\omega_s < \omega < \omega_p \rightarrow$  inductive

$$\omega_s = \frac{1}{\sqrt{L_s \cdot C_s}} \Rightarrow f_s = \frac{1}{2\pi \sqrt{L_s \cdot C_s}} \text{ (series-Resonance freq)}$$

$$\omega_p = \frac{1}{\sqrt{L_s \cdot C_{eq}}} = \frac{1}{\sqrt{L_s \cdot \frac{C_s \cdot C_p}{C_s + C_p}}}$$

$$\Rightarrow f_p = \frac{1}{2\pi \sqrt{L_s \cdot \frac{C_s \cdot C_p}{C_s + C_p}}}$$

- but  $C_p \gg C_s$  (practically) ,  $C_{eq} \approx C_s$

$$\therefore f_0 = f_s = \frac{1}{2\pi \sqrt{L_s \cdot C_s}} \Rightarrow$$



دیسادوانتاجات کریسٹال اوسیلایٹر  
 disadvantages of crys. oscillator

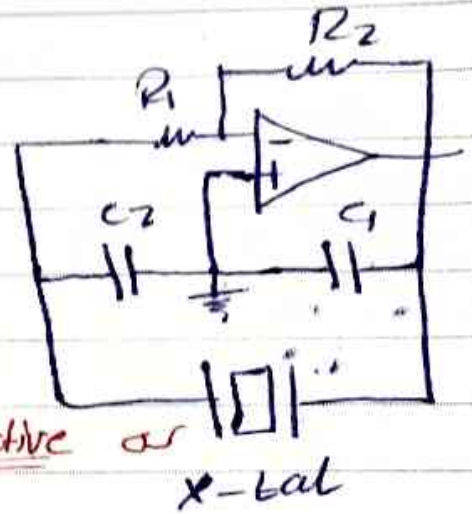
16

$$f_0 = \frac{1}{2\pi\sqrt{L_1 C_1}}$$

(Crystal Colpitts Oscillator)

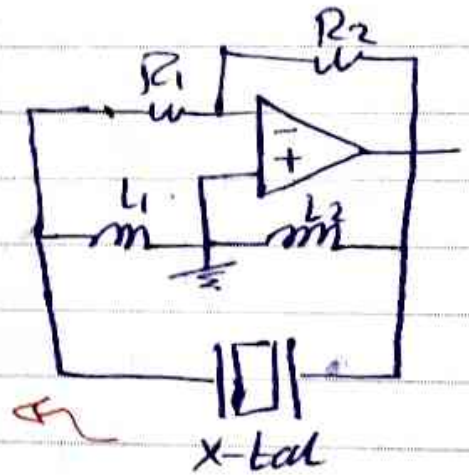
$C_1, C_2 \rightarrow$  +ve feedback

X-tal  $\rightarrow$  Inductive or Capacitive



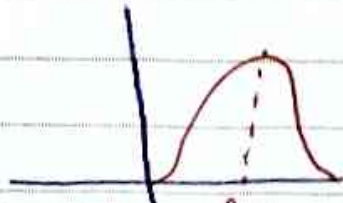
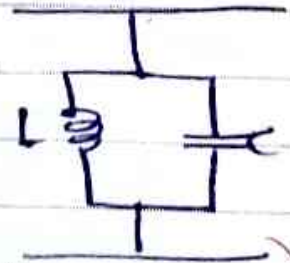
(Crystal Hartley Oscillator)

acts as capacitors



\* Freq multiplier  $\rightarrow$  doubler (II)  
 $\rightarrow$  tripler (III)

$\rightarrow$  I choose L/C to increase the desired Resonance Freq.



دیسادوانتاجات کریسٹال اوسیلایٹر  
 resonant freq. (دہائی)  $\rightarrow$

$\rightarrow$

\* to increase the desired Freq  $\rightarrow$  Freq. multiplier  
 \* to decrease  $\rightarrow$  Down counter Freq

\* crystal osci.  $f_0$  depends on  $C_s, L_s$  which are parameter of X-tal Quartz, each crystal has certain dimension and a certain polcrization so it has certain value, for  $C_s, R_s, L_s$ , but these parameters are not affected by Temp. & time so  $f_0$  is very stable, ② high (small value of  $C_s, L_s$ ).  $\rightarrow$  advantages.

\* Disadvantages

- ① Fixed Freq.
- ② Fragile ( $\sqrt{\pi} \text{ } \mu\text{m}$ )

EX:- calculate  $f_s, f_p, Q$  for a X-tal oscillator with  $R=200\text{-}\Omega, C_s=10\text{pF}, L_s=1\text{H}, C_p=10\text{pF}$ .

Sol:-

$$f_s = \frac{1}{2\pi \sqrt{L_s \cdot C_s}} = \frac{1}{2\pi \sqrt{1 \cdot 10 \cdot 10^{-15}}} = \frac{10^7}{2\pi}$$

$$Q = \frac{\omega_s \cdot L_s}{R_s} = \frac{2\pi \cdot 1.6 \cdot 10^6 \cdot 1}{200}, \quad Q:- \text{selective factor}$$

$$= 1.6 \pi \cdot 10^4$$

$$f_p = \frac{1}{2\pi \sqrt{L_s C_{eq}}}, \quad C_{eq} = \frac{C_s \cdot C_p}{C_s + C_p}$$

$\rightarrow$  osci. freq.  $\approx f_s$  (because  $f_p$  too small)



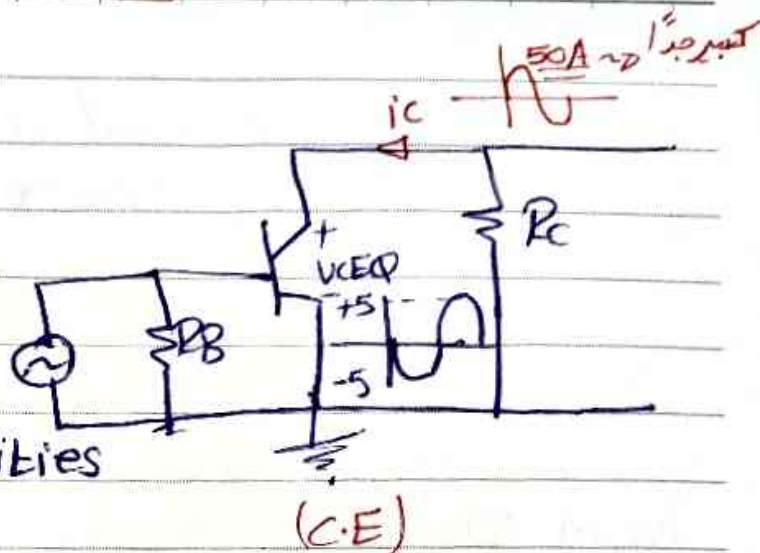
\* Big size trans have a high rating values  
(I, V, P)

19

(I, V, P)

$$\begin{aligned} P_{avg} &= I_c \cdot V_{CEQ} \\ &= I_c^2 \cdot R_c \\ &= \frac{V_{CEQ}^2}{R_c} \end{aligned}$$

What these quantities  
are in RMS



\* compared to SS Amps.

- ① P.A deal with large current & voltage signal and use the hole D.C.L.L
- ② The size of power components are large to handle the high power dissipation.

| ③           | SS BJT   | Power BJT |
|-------------|----------|-----------|
| $I_{cmax}$  | 1A       | 20A       |
| $V_{CEmax}$ | 30V      | 250V      |
| PD          | 1.5W     | 50W       |
| $\beta$     | 40 → 300 | 20 → 50   |

- ④ The most important parameter in P.A is the conversion efficiency

$$\eta = \frac{\bar{P}_L}{\bar{P}_S} * 100\%$$

\* heat sink can used to distribute temp.

class A  $\rightarrow$  max efficiency = 50%  $\rightarrow$  the o/p is full wave  
 $\rightarrow$  one transistor is used  
 class B  $\rightarrow$  we use complementary.

20

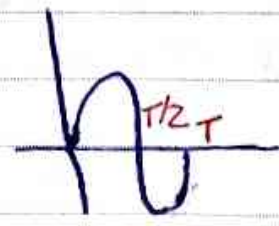
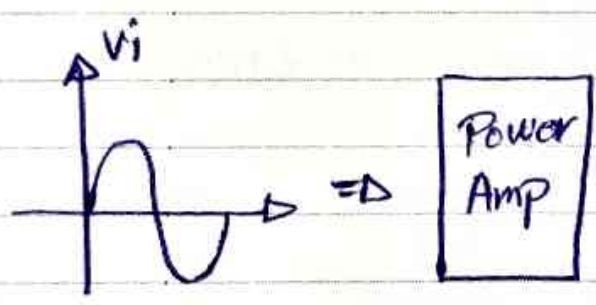
$\bar{P}_L$  :- A.C Average Load Power

$\bar{P}_S$  :- D.C Average Power draw from D.C source

\* In general P.A is used to increase the power of the A.C signal. It draws D.C power from D.C sources and converts some of these power  $\bar{P}_S$  into A.C Average Power delivered to Load.

\* classes of P.A.

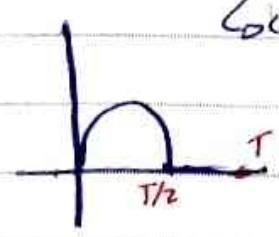
o/p power



\* class-A  $\rightarrow \phi_c = 360^\circ$

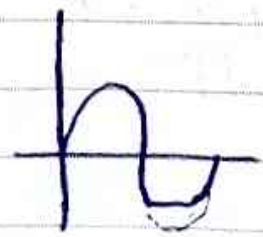
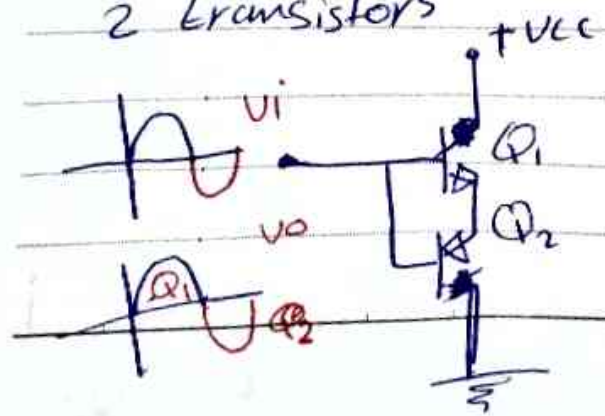
Conduction Angle

\* in class A I used 1 transistor



\* class-B  $\rightarrow \phi_c = 180^\circ$

\* in class B I use 2 transistors



\* class-AB  $\rightarrow 180^\circ < \phi_c < 360^\circ$

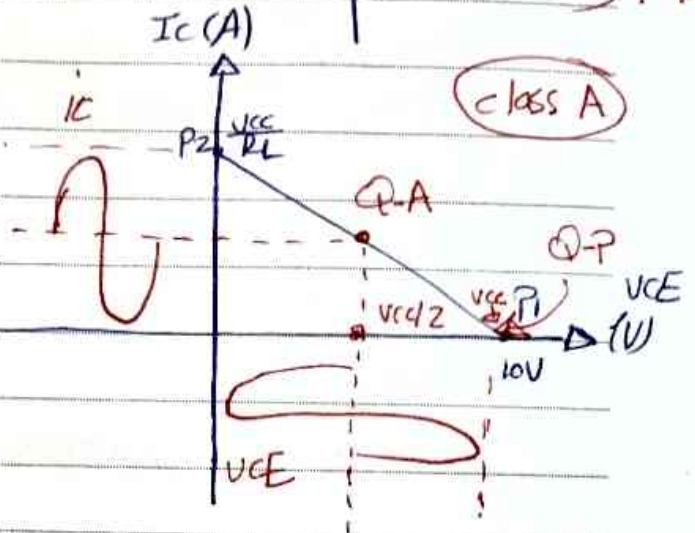
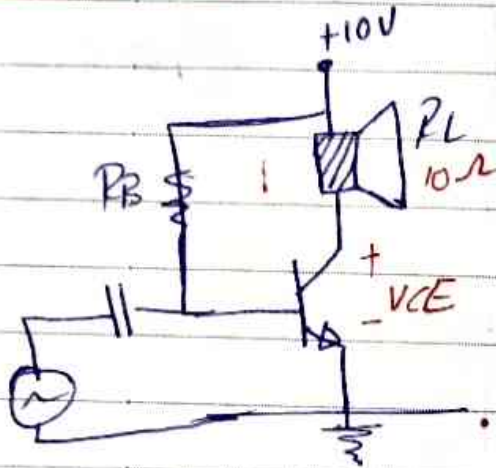
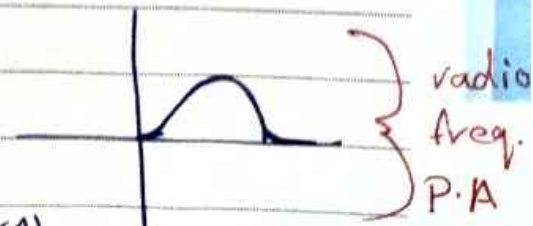
Audio Freq P.A

class AB  $\rightarrow$  we use one transistor

class C  $\rightarrow$  high efficiency

(21)

\* class C  $\rightarrow \phi_c < 180^\circ$



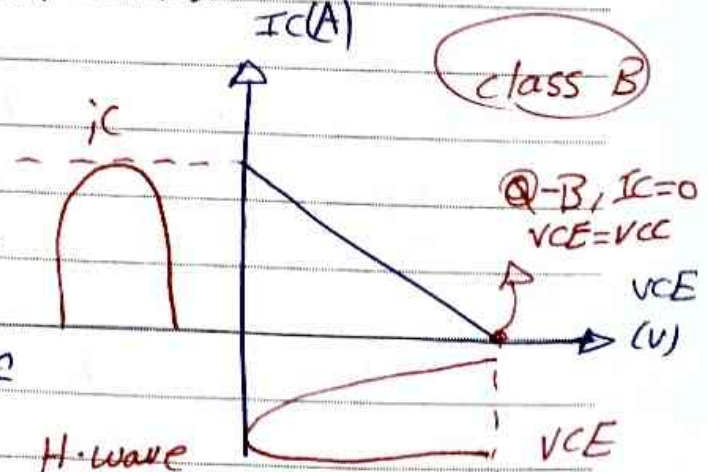
$$= 10 - I_C R_C + V_{CE} = 0$$

$$\Rightarrow V_{CE} = 10 - I_C R_C$$

① For  $I_C = 0$ ,  $V_{CE} = 10V$ ,  $P_1 (10V, 0)$

② For  $V_{CE} = 0$ ,  $I_C = \frac{10}{10} = 1A$ ,  $P_2 (0, 1A)$

① class-A: Q-pt ideally at center of D.C.L.L  
[ $I_C$  flows for  $360^\circ$  (full-cycle)].



② class-B: Q-pt at cut off  
 $I_{CQ} = 0$  [ $I_C$  flows for  $180^\circ$  (half-cycle)]

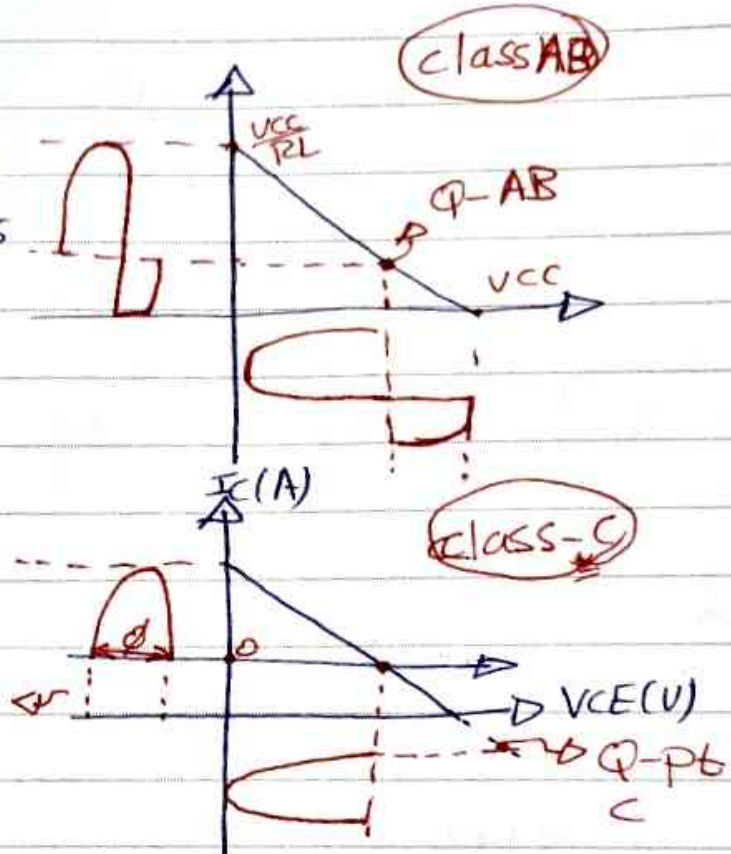
③ class-AB: Q-pt between A & B position  
[ $I_C$  flows for  $> 180^\circ$  &  $< 360^\circ$ ]

\*  $I_{CQ} = 50\% \rightarrow$  class A (Ideal)

\*  $I_{CQ} = 0\% \rightarrow$  class B

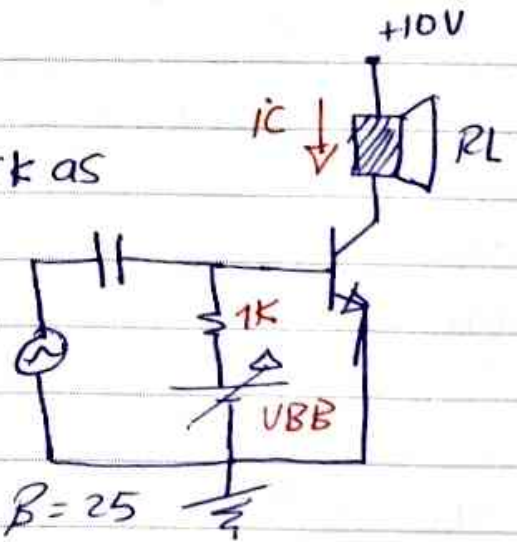
\*  $I_{CQ} \rightarrow$  between Q and 50%  $\rightarrow$  class AB

u) class-C :- Q-pt down the cutoff, i.e.  $I_{CQ}$  for  $< 180^\circ$



نقطة التشغيل لانها لا تو اى اى باش على اوج

\* This ckt can be designed to work as ideal class-A, B or AB, by choosing the proper value of  $I_{CQ}$



① for ideal class-A

$$I_{CQ} = \frac{V_{CC}}{2R_L} = 0.5A$$

$$I_{BQ} = \frac{0.5}{\beta} = \frac{0.5}{25} = 0.02A$$

From D.C  $\Rightarrow -V_{BB} + I_{BQ}R_B + V_{BE} = 0$

=>

\* class-C :- the Q-pt under the cutt of.

[23]

$$I_B = \frac{V_{BB} - V_{BE}}{R_B} = 0.02 \text{ A} \Rightarrow \boxed{V_{BB} = 8.7 \text{ V}}$$

② For ideal class-B,  $I_{CQ} = 0$ ,  $I_{BQ} = 0$

$$\Rightarrow V_{BB} = 0.4 + 0 + 0.7 \text{ V}$$

$$\therefore V_{BB} = 0.7 \text{ V}$$

③ for class-AB

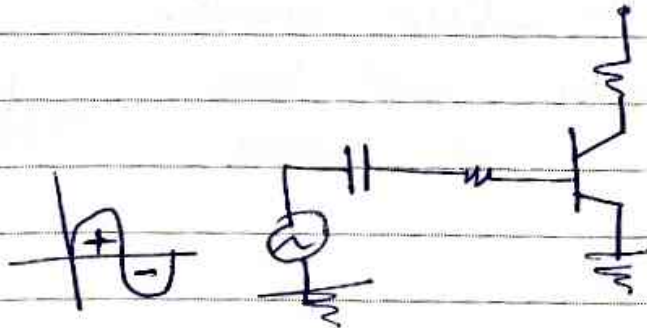
$0 < I_{CQ} < 0.5 \text{ A}$ , let  $I_{CQ} = 0.25 \text{ A}$

$$I_{BQ} = \frac{0.25}{25} = 0.01 \text{ A}$$

$$\Rightarrow V_{BB} = 0.01 + 0.4 + 0.7 = 4.7 \text{ V}$$

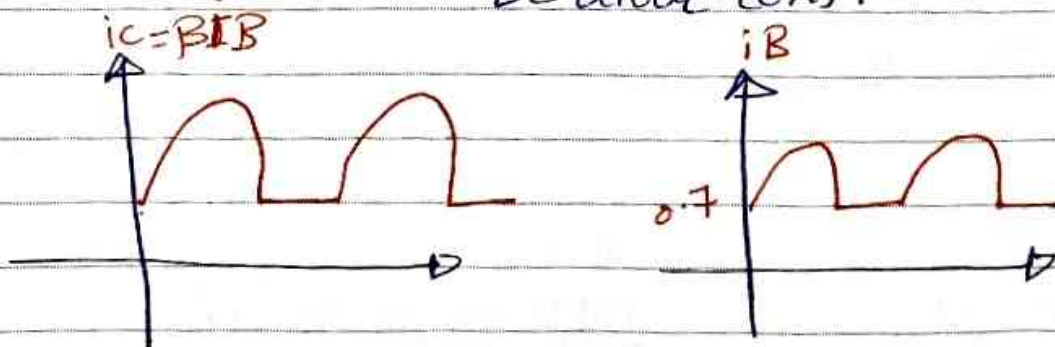
$$I_B = \frac{0 - V_{BE}}{R_B}$$

$$\Rightarrow I_B < 0 \Rightarrow \text{off}$$



$$-v_i + I_B R_B + V_{BE} = 0$$

$\Rightarrow I_B = \frac{v_i - V_{BE}}{R_B}$ ,  $v_i$  must be  $> V_{BE}$  to operate the diode (on).





\*  $\bar{P}_S \rightarrow$  DC source

[24]

### class - A

o/p is present for  $360^\circ$  (full-cycle)

Direct coupled  
(Series-Fed)

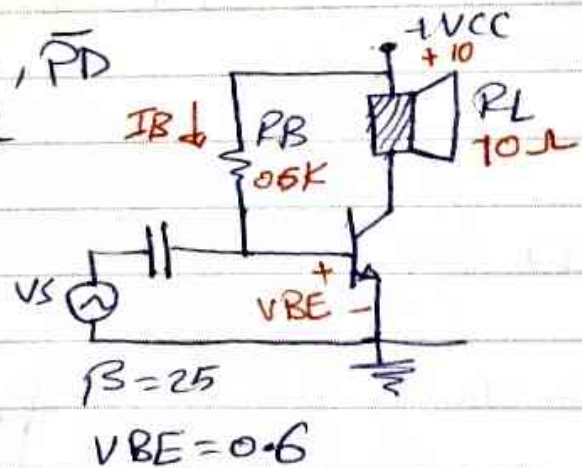
Transformer  
coupled

the load is connected  
directly between  $V_{CC}$  & collector.

EX:- ① calculate  $\bar{P}_S, \bar{P}_L, \eta\%, \bar{P}_D$

② Draw D.C.L.L & A.C.L.L  
with  $i_C$  &  $v_{CE}$  swings.

when the i/p signal drives  
a peak collector current  
 $i_{CQ} = 0.45A$



SOL:-

$\bar{P}_S$ :- Average D.C power drawn from D.C source

$$\bar{P}_S = V_{CC} \cdot I_{CQ}$$

$$I_{CQ} = \beta I_{BQ}$$

$$V_S - V_{CC} + I_B R_B + V_{BE} = 0$$

$$\Rightarrow I_B = \frac{(10 - 0.6)V}{0.5K} = \frac{9.4V}{0.5K} = 18.8 \text{ mA}$$



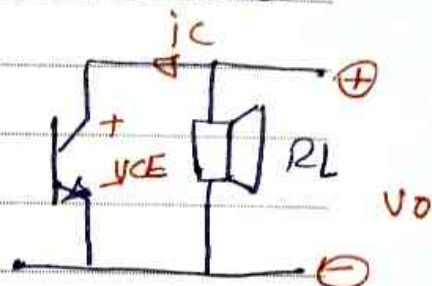
$$\Rightarrow I_{CQ} = \beta I_B = 25 * 18.8 = 0.47 A, V_{CEQ} = 5.3 V$$

$$\bar{P}_S = 10 * 0.47 = 4.7 W.$$

\*  $\bar{P}_L$  :- Average A.c power delivered to Load

$$\bar{P}_L = i_c(\text{rms}) \cdot V_{ce}(\text{rms})$$

$$= \frac{i_{cP}}{\sqrt{2}} \frac{V_{ceP}}{\sqrt{2}} = \frac{i_{cP} \cdot V_{ceP}}{2}$$



$$\bar{P}_L = i_c(\text{rms}) \cdot R_L$$

$$= \left(\frac{i_{cP}}{\sqrt{2}}\right)^2 \cdot R_L$$

$$\Rightarrow \bar{P}_L = \frac{V_{ce}^2(\text{rms})}{R_L}$$

$$= \left(\frac{V_{ceP}}{\sqrt{2}}\right)^2 * \frac{1}{R_L}$$

$$= \left(\frac{0.45}{\sqrt{2}}\right)^2 * 10 = 1.0125 W$$

$$\Rightarrow \eta = \frac{\bar{P}_L}{\bar{P}_S} * 100\% = \frac{1.0125}{4.7} = 21\%$$

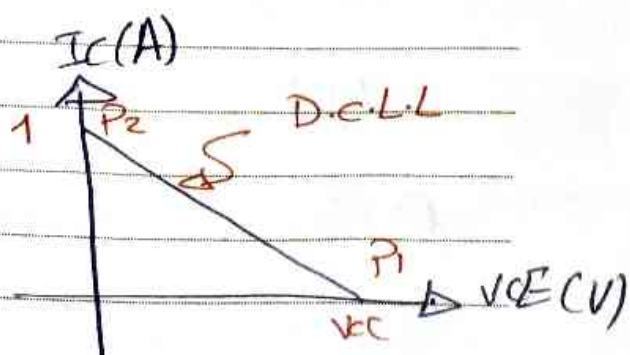
$$\Rightarrow \bar{P}_S = \bar{P}_L + I_{CQ}^2 R_L + P_{Dcr}$$

$$\Rightarrow P_{Dcr} = \bar{P}_S - I_{CQ}^2 R_L = 4.7 - (0.47)^2 * 10 = 1.47 W$$

### \* Transistor ratings

$$-V_{CC} + I_C R_L + V_{CE} = 0$$

$$\Rightarrow V_{CE} = V_{CC} - I_C R_L$$



$\Rightarrow$

$P_D(t_r) = 1.47 \rightarrow$  the power dissipated in the trans. in this cct.

$P_{Dmax} = 2.5 \rightarrow$  the power 26 dissipated in the trans.

$\Rightarrow$  For  $I_C = 0$

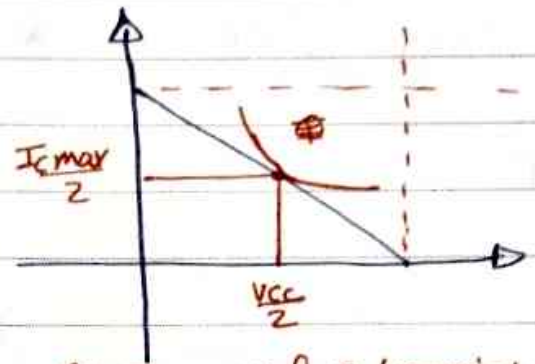
$$V_{CE} = V_{CEmax} = V_{CC}$$

$$\therefore V_{CEmax} = 10V$$

$\Rightarrow$  For  $V_{CE} = 0$

$$I_C = I_{Cmax}$$

$$\therefore I_{Cmax} = \frac{V_{CC}}{R_L} = 1A$$



$\rightarrow$   $P_D$  max for transistor

$\Rightarrow$  Provtment for  $P_{Dmax}$

$$P_D = I_C V_{CE} = I_C (V_{CC} - I_C R_L)$$

$$P_D = I_C V_{CC} - I_C^2 R_L$$

$\rightarrow$   $\hat{c}$  لا يدار الينك الكرية

$$\Rightarrow \frac{\partial P_D}{\partial I_C} = V_{CC} - 2I_C R_L = 0$$

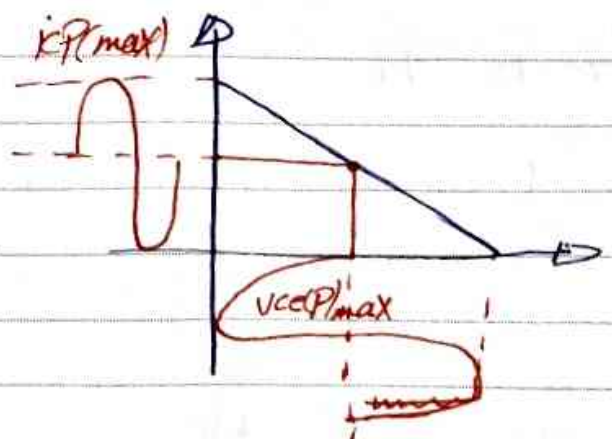
$$I_C = \frac{V_{CC}}{2R_L} \rightarrow V_{CE} = V_{CC} - \frac{V_{CC}}{2R_L} \cdot R_L = \frac{1}{2} V_{CC}$$

$\rightarrow$   $P_{Dmax}$  occurs at centre of D.C.L.L

$$\therefore V_{CE} = \frac{V_{CC}}{2} = 5V$$

$$I_C = \frac{I_{Cmax}}{2} = 0.5A$$

$$\Rightarrow P_{Dmax} = 5 * 0.5 = 2.5 \text{ watt}$$



$\Rightarrow$

\* at Q-pt being in the centre of the D.C.L.L  $\rightarrow$   $\frac{P_D}{P_{Dmax}} = \frac{1}{2}$   $\rightarrow$  at class-A

\* if  $P_L = 10 \rightarrow P_S = 40$   
 $P_S = 100 \rightarrow P_L = 25$

\*  $i_{CP}$  is given

[2]

$P_S(\text{avg}) = \text{const} = I_{CQ} V_{CC}$  (التيار المستمر كفاءة للترانزستور)

$$\eta = \frac{\bar{P}_L}{P_S} = D \quad \eta = \frac{\bar{P}_L(\text{max})}{P_S}$$

$$\bar{P}_L = \frac{V_{CEP}}{\sqrt{2}} \cdot \frac{i_{CP}}{\sqrt{2}}$$

for max  $\bar{P}_L$ :

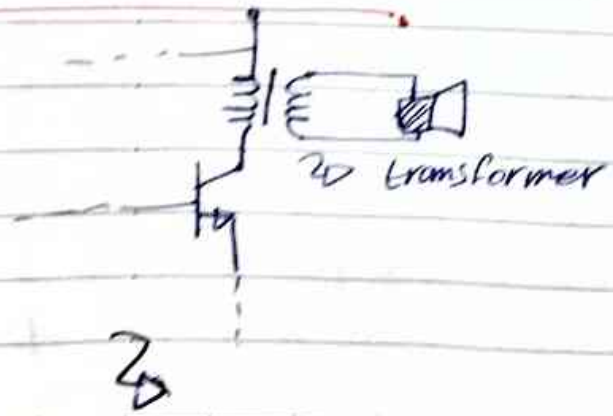
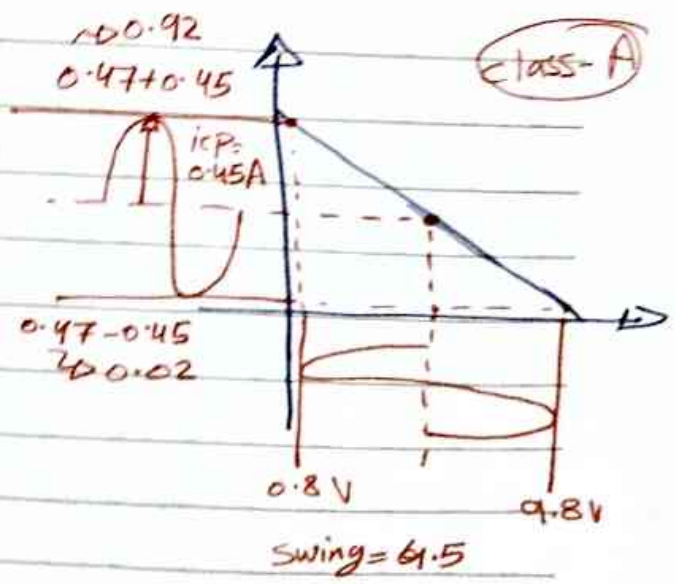
$$V_{CEP}(\text{max}) = \frac{V_{CC}}{2}, \quad i_{CP}(\text{max}) = I_{CQ}$$

$$\bar{P}_L(\text{max}) = \frac{V_{CC}}{2\sqrt{2}} \cdot \frac{I_{CQ}}{\sqrt{2}} = 0.25 V_{CC} I_{CQ}$$

$$\eta = \frac{0.25 V_{CC} I_{CQ}}{V_{CC} I_{CQ}} \times 100\% = \underline{25\% \rightarrow \text{max}}$$

\* Draw  $i_C(\text{opp})$  &  $v_{CE}(\text{opp})$ .

the o/p here is complete sign wave  $\rightarrow$  so this class is class A and it's less using

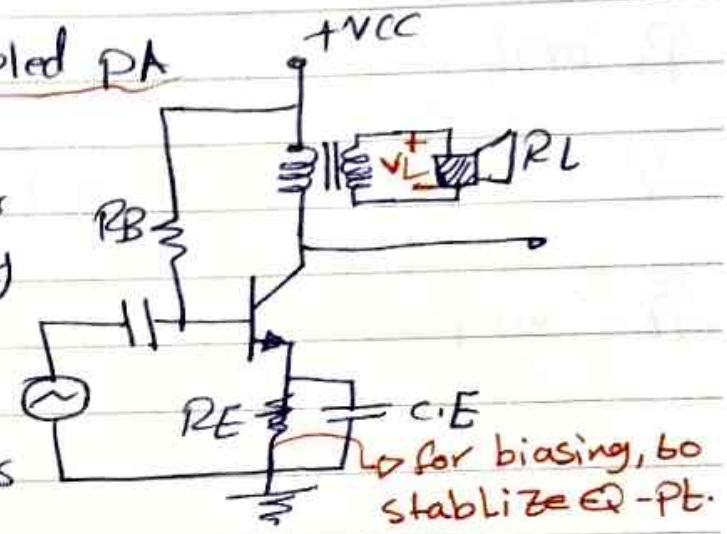


$I_{CQ}^2 + P_{R(\text{coil})} = 0$  because the  $R_C = 0$  because ideally so there is no

\* اذا برى Load سبب 1 watt من 2 watt direct. coup. 1 watt  
 اما في 2 Trans. coup. 2 watt 28

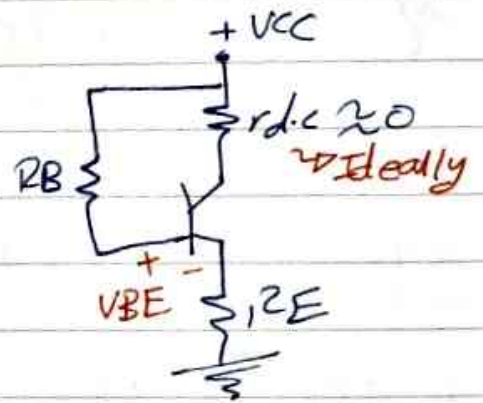
\* Class-A Transformer-coupled PA

In this class, the load is connected in the secondary of transformer, so there is no  $I_{CQ}^2 R_L$  dissipated in load which means less  $\bar{P}_S$  is drawn for the same  $\bar{P}_L$  (compared to direct-coupled).  
 Therefore  $\eta\%$  for this class is  $> \eta\%$  for direct-coupled P.A.



$\Rightarrow \bar{P}_S = V_{CC} \cdot I_{CQ}$   
 $I_{CQ} = \beta I_{BQ} \Rightarrow$

$\rightarrow I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1) R_E}$



$\Rightarrow \bar{P}_L = ??$

\* From secondary side.

$V_L, i_L, R_L$

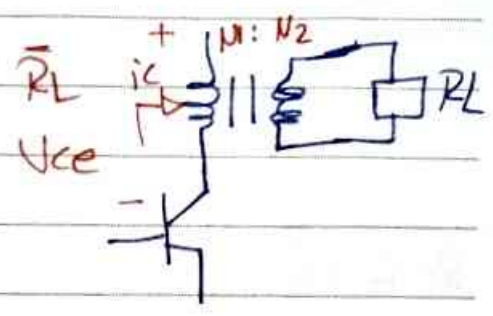
$\Rightarrow P_L = i_L(\text{rms}) \cdot V_L(\text{rms})$   
 $= i_L^2(\text{rms}) \cdot R_L$   
 $= \frac{V_L^2(\text{rms})}{R_L}$

$\bar{P}_L = \frac{V_{LP}}{2} \cdot \frac{i_{LP}}{2} = \frac{i_{LP}^2}{2} R_L = \frac{V_{LP}^2}{2R_L}$



\* From primary side

$$\begin{aligned} \bar{P}_L &= V_{CC}(\text{rms}) \cdot i_C(\text{rms}) \\ &= i_C(\text{rms}) \cdot \bar{R}_L \\ &= \frac{V_{CC}(\text{rms})^2}{\bar{R}_L} \end{aligned}$$



↳  $\bar{R}_L$ : A.C reflected Resistance

\* D.C & A.C.L.L

↳ D.C.L.L

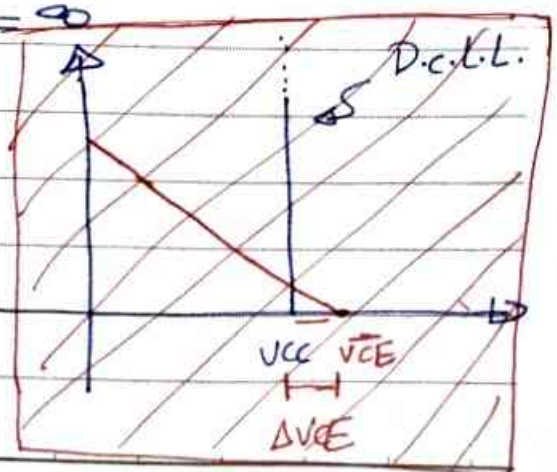
$$\begin{aligned} -V_{CC} + I_C r_{dC} + V_{CE} + I_E R_E &= 0 \\ V_{CE} = V_{CC} - I_C (r_{dC} + R_E) &= 0 \quad (I_C \approx I_E) \end{aligned}$$

↳ for ideal coil,  $r_{dC} = 0$  & for small  $R_E$   
 ->  $V_{CE} \approx V_{CC}$

$$I_C = \frac{V_{CC} - V_{CE}}{r_{dC} + R_E} = b + m x$$

↳ for  $(r_{dC} + R_E) \approx 0$ , slope =  $\infty$

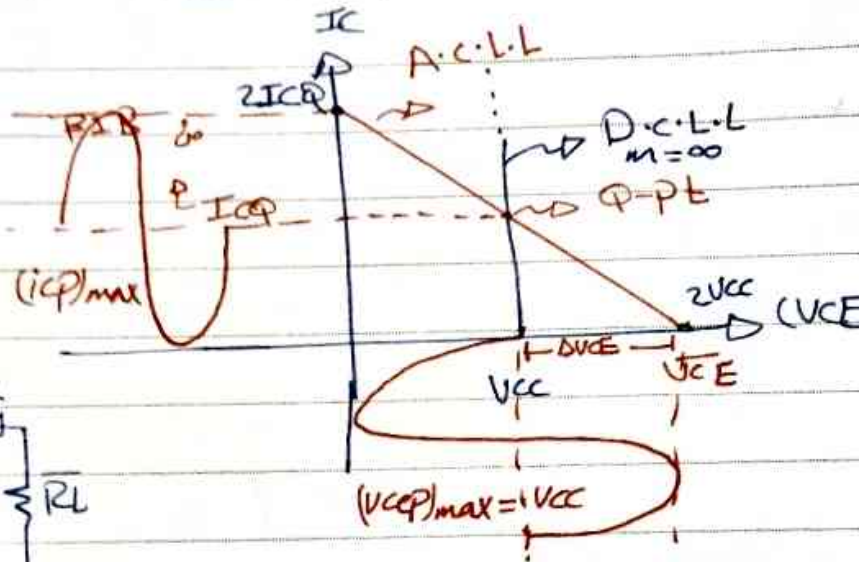
- ① For  $I_C = 0$ ,  $V_{CE} = V_{CC}$   
 $(V_{CC}, 0) P_1$
- ② For  $V_{CE} = 0$ ,  $I_C = \frac{V_{CC}}{r_{dC} + R_E} \approx \frac{V_{CC}}{0}$   
 $(0, \infty) P_2$   
 $= \infty$



Q-pt:-

$$V_{CEQ} = V_{CC}$$

$$I_{CQ} > 0$$

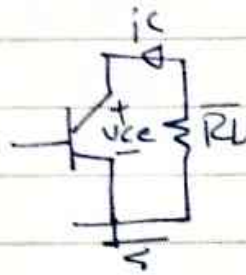


$\Rightarrow$  A.C.L.L

$$v_{ce} + i_c \bar{R}_L = 0$$

$$V_{CC} = -i_c \bar{R}_L$$

$$\Rightarrow \text{slope} = -\frac{1}{\bar{R}_L}$$



$$\Rightarrow \bar{V}_{CE} = V_{CEQ} + \Delta V_{CE}$$

$$|\text{slope}| = \frac{1}{\bar{R}_L} = \frac{\Delta I_C}{\Delta V_{CE}}$$

$$\begin{aligned} \Rightarrow \Delta V_{CE} &= I_C \cdot \bar{R}_L \\ &= I_{CQ} \cdot \bar{R}_L \end{aligned}$$

\* At Q-pt:-

$$I_{CQ} = \frac{V_{CEQ}}{\bar{R}_L} = \frac{V_{CC}}{\bar{R}_L}$$

$$V_{CC} = I_{CQ} \cdot \bar{R}_L$$

$$\therefore \Delta V_{CE} = V_{CC} \Rightarrow V_{CE} = 2V_{CC}$$

\*  $\eta_{max} \%$

$$\eta \% = \frac{P_L}{P_S} * 100\% \Rightarrow \eta_{max} \% = \frac{P_L(\text{max})}{P_S} * 100\%$$

$\Rightarrow$

$$\bar{P}_S = I_{CQ} \cdot V_{CC}$$

$$\bar{P}_L = \frac{V_{CC} P_{iCP}}{2} = D \bar{P}_L(\max) = \frac{V_{CC} \cdot I_{CQ}^{\max}}{2}$$

$$\therefore \xi_{\max} \% = \frac{0.5 V_{CC} \cdot I_{CQ}}{I_{CQ} \cdot V_{CC}} \times 100\% = \underline{\underline{50\%}}$$

\* BJT ratings.

$$\Rightarrow V_{CE \max} = 2V_{CC}$$

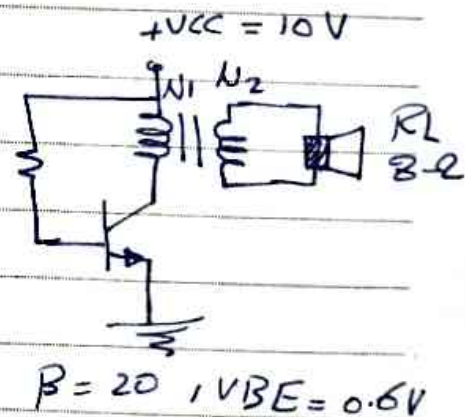
$$\Rightarrow I_{C \max} = 2I_{CQ}$$

EX:- Design the ckt. to give  
Load power,  $P_L = 4W$  &  $\xi = 40\%$

① Find  $(N_1/N_2)$ ,  $R_B$

② Specify the required BJT ratings

③ Sketch D.C., A.C & voltage & current swings.



SOL:-

$$\xi = 0.4 = \frac{\bar{P}_L}{\bar{P}_S} = D \cdot \frac{\bar{P}_L}{\bar{P}_S} = \frac{4}{0.4} = 10W$$

$$\bar{P}_S = I_{CQ} \cdot V_{CC} \Rightarrow I_{CQ} = \frac{10W}{10} = 1A$$

$$I_{BQ} = \frac{I_{CQ}}{\beta} = \frac{1}{20} = 0.05A$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B} \Rightarrow R_B = \frac{V_{CC} - V_{BE}}{I_B}$$

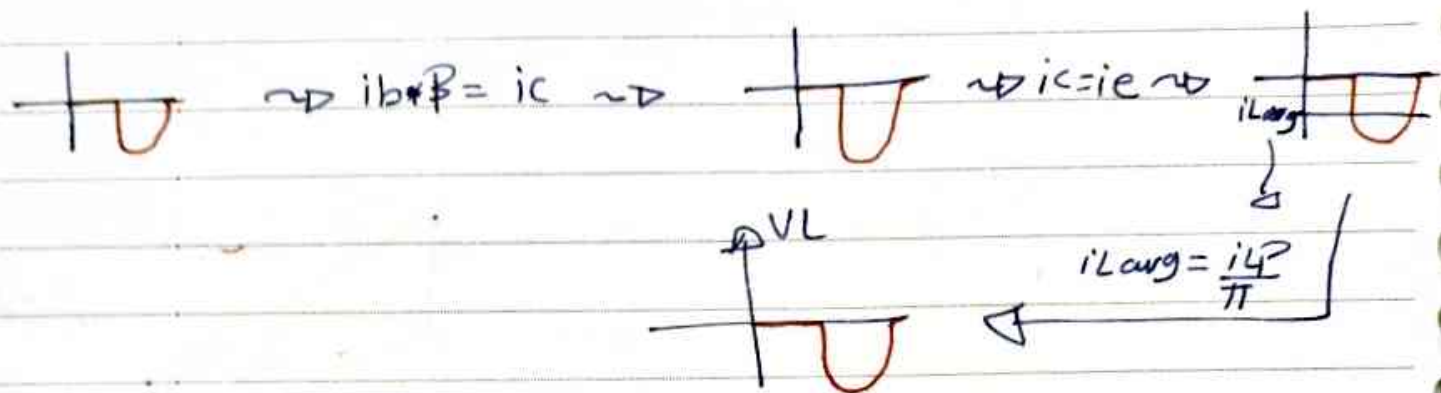








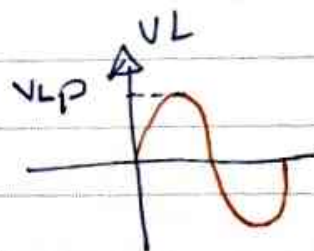
② for -ve H.c



$$\Rightarrow \bar{P}_S \ominus = -\frac{I_{LP}}{\pi} * (-V_{CC})$$

$$= \frac{I_{LP}}{\pi} V_{CC}$$

\*  $V_L$  during the ~~total~~ all period  $\Rightarrow$



$$\Rightarrow \bar{P}_S = \bar{P}_S(+)+\bar{P}_S(-) = \frac{2I_{LP}}{\pi} \cdot V_{CC}$$

$$= \frac{2V_{LP}}{R_L \cdot \pi} \cdot V_{CC}$$

$$\Rightarrow \bar{P}_L = \frac{V_L^2(\text{rms})}{R_L} = \left(\frac{V_{LP}}{\sqrt{2}}\right)^2 * \frac{1}{R_L} = \frac{V_{LP}^2}{2R_L}$$

in general.

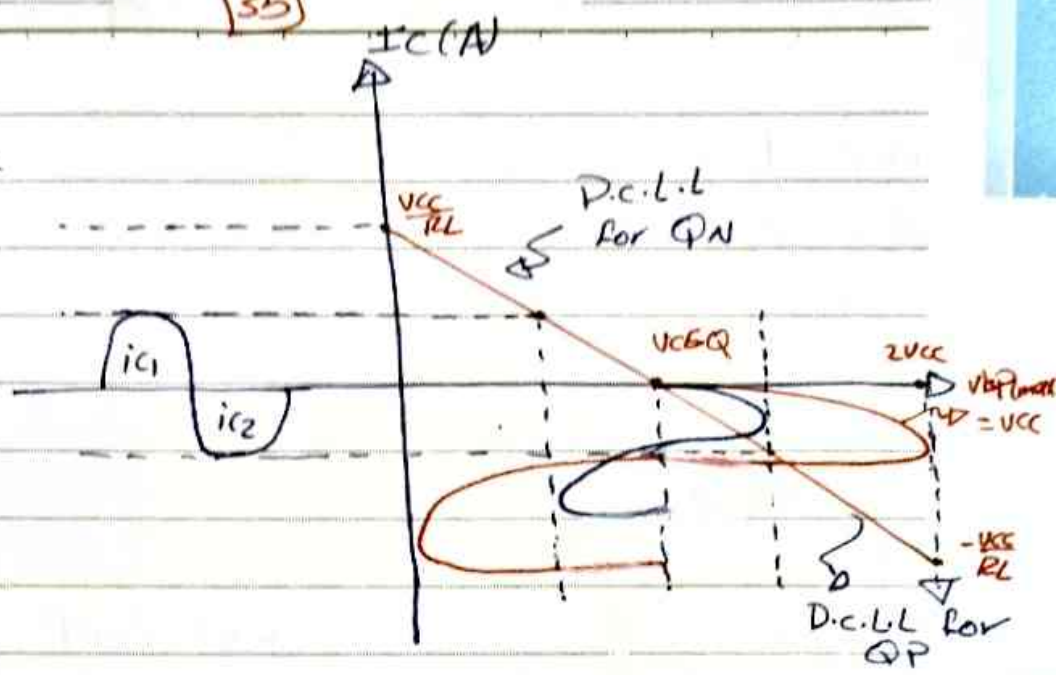
$$\Rightarrow \xi \% = \frac{\bar{P}_L}{\bar{P}_S} * 100\% = \frac{V_{LP}^2}{2R_L} * \frac{R_L \cdot \pi}{2V_{LP} \cdot V_{CC}} = \frac{V_{LP} \cdot \pi}{4V_{CC}} \%$$

$\Rightarrow$

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$i_{C1}$  up From +ve H.c

$i_{C2}$  up From -ve H.c



phase shift because  
C.C (Emitter follower)  
↳ for VCE

\* For  $\gamma_{max}$ ,  $VLP = VCC$

$$\overline{P_L} = \frac{(VCC)^2}{2 R_L}$$

$$\gamma_{max} = \frac{\pi}{4} \times 100\% = 78.5\%$$

① since the ckt is emitter-follower (C.C)

For Max  $\gamma$ ,  $VLP = VCC$

i.e.  $V_{ip} = VCC$

$$② P_D (\text{each trans}) = \frac{\overline{P_B} - \overline{P_L}}{2}$$

EX:-  $VCC = \pm 5V$ ,  $v_i = 4 \sin \omega t$  (v)

$R_L = 4 \Omega$ , (Assume  $v_{be} = 0$ )



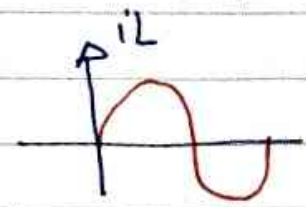
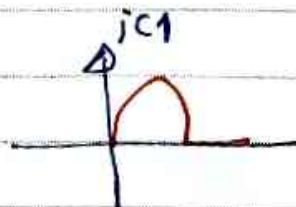
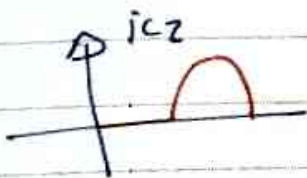
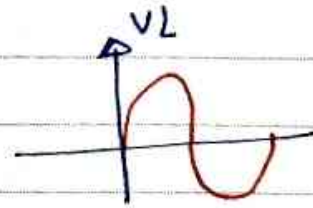
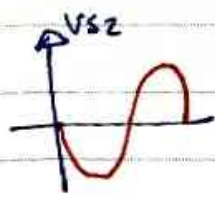
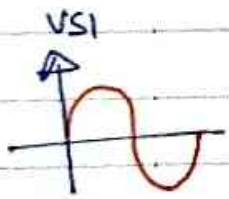
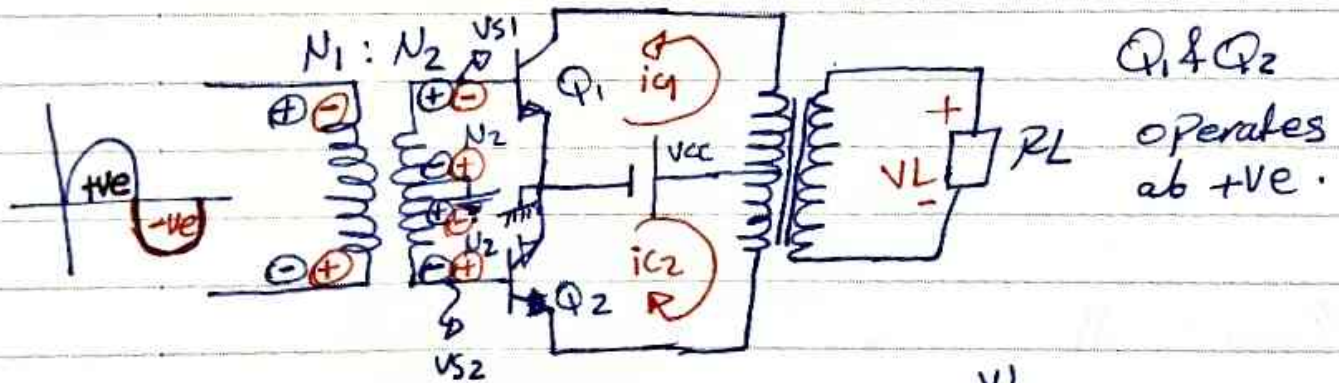
\* class-B  $\Rightarrow$   $\eta$  should be less than 78.5%

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- ① Find  $P_L, P_S, P_D$  (each)
- ② sketch A.c. & D.c. L.L with  $V_L$  &  $i_L$  swing.
- ③ Find peak i/P voltage which gives max  $\eta$  %

class-B push-pull

\* using same-type of Transistor.



$$\Rightarrow i_L = i_{C1} - i_{C2}$$



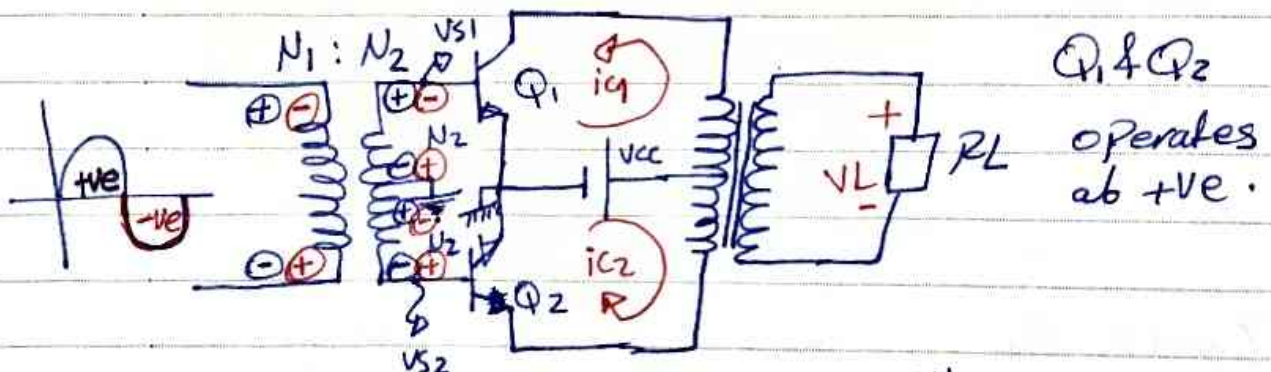
\* class-B  $\eta$  2% should be less than 78.5%

36

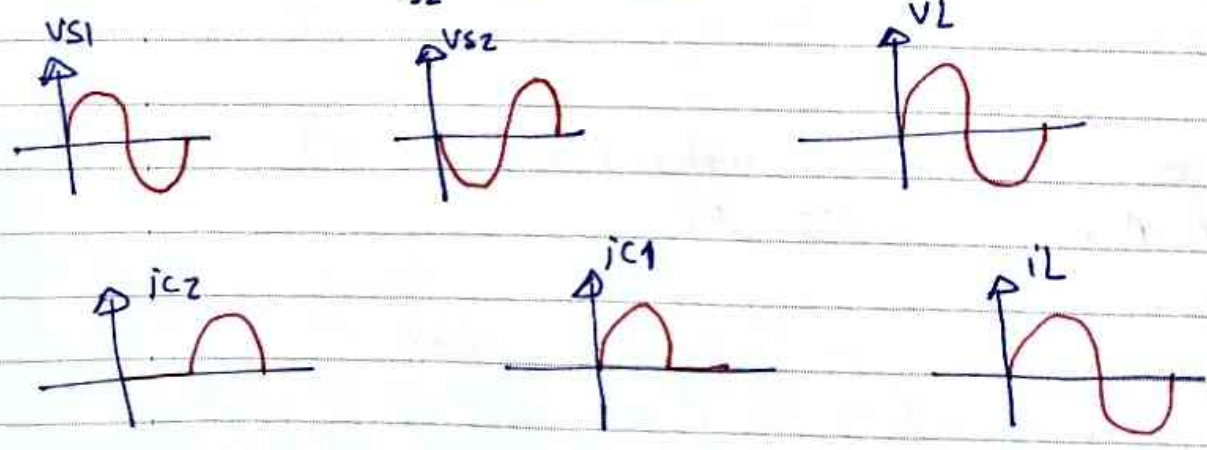
- ① Find  $P_L, \bar{P}_S, P_D$  (each)
- ② sketch A.c. & D.c. L.L with  $v_L$  &  $i_L$  swing.
- ③ Find peak i/P voltage which gives max  $\eta$  %

class-B push-pull

\* using same-type of Transistor.



$Q_1$  &  $Q_2$   
operates  
ab +ve.

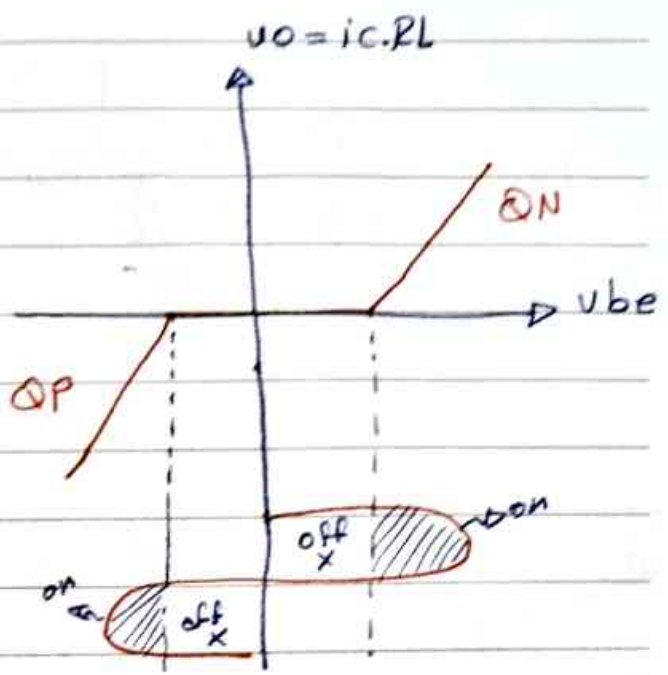
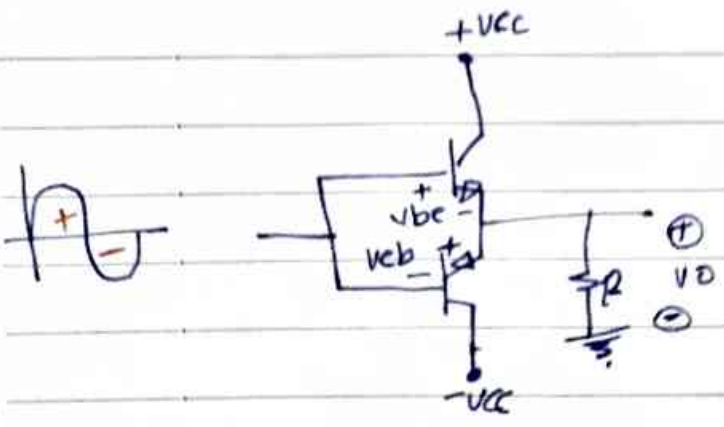


$\Rightarrow i_L = i_{C1} - i_{C2}$

\* class-AB  $\rightarrow$  class-B w/  $0^{\circ}$  distortion  $\rightarrow$  always

\* if  $v_{be} = 0 \rightarrow v_{i/p} = v_{o/p}$

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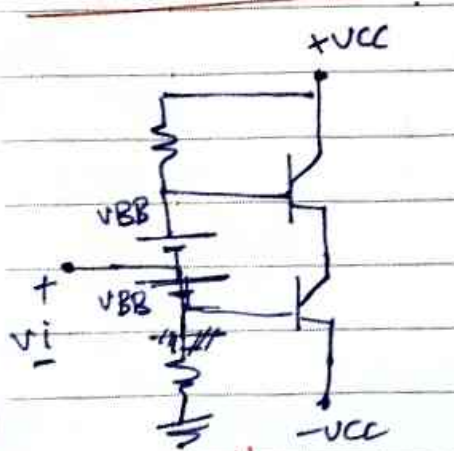
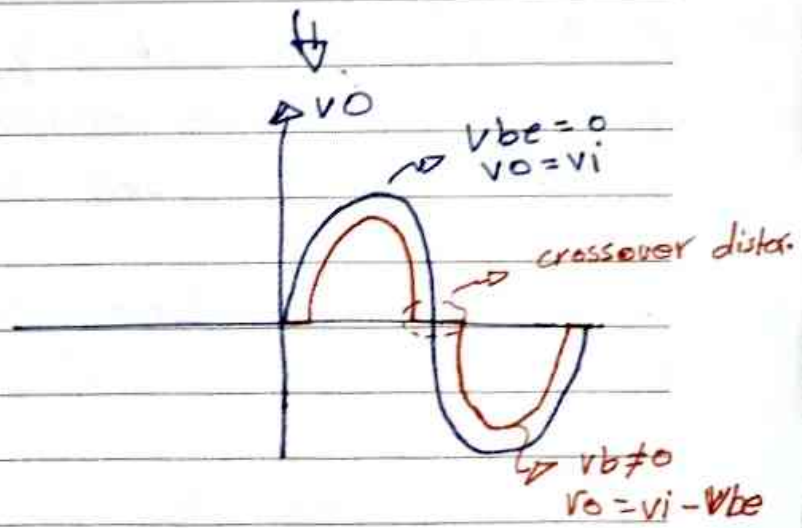


\*  $+ve \Rightarrow -v_i + v_{be} + v_o = 0$

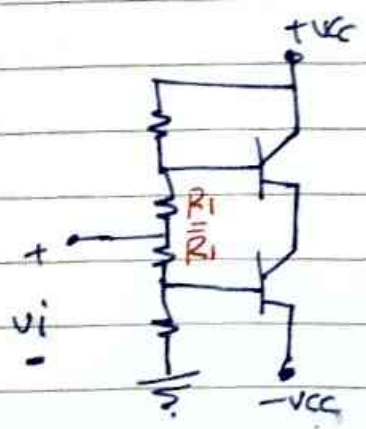
$v_o = v_i - v_{be}$

\*  $-ve \Rightarrow v_i - v_{eb} + v_o$

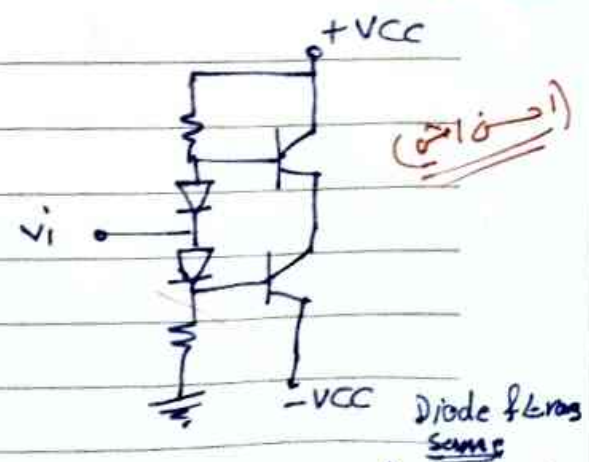
$v_o = -v_i + v_{be}$



2 voltage source (x)



\* R makes voltage drop, but the Res. affected by temp. & has not fixed value



\* so here I used diodes (because they affected equally by Temp.)



because ① finite value of  $v_{be}$  & crossover dist & class-B  $\neq$  \*

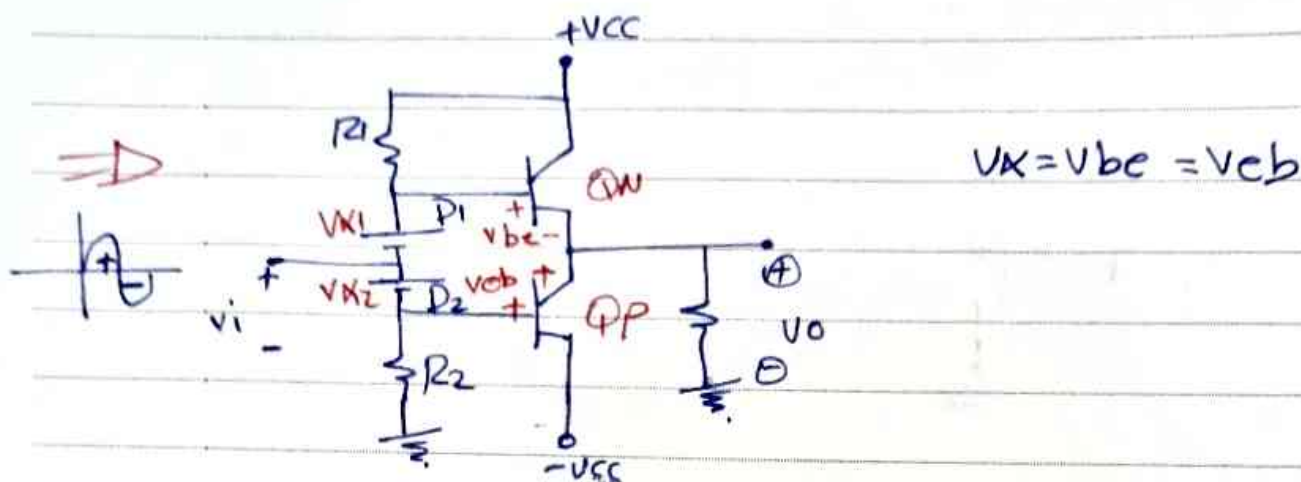
② Q-pt at cutoff

non-linear dist

&  $\cos(\omega t)$  to \*

it happens only when signal cross the X-axis

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- ① Q-pt between A & B position,  $I_{CQ} \neq 0$  (because there are  $I_B$ ).
- ② The o/p  $V_0$  &  $I_0$  flows for  $>180^\circ$  &  $<360^\circ$
- ③  $Z_{AB} > Z_A$  but  $< Z_B$  (very close to class-B)
- ④ Practically two compensating diode (of the same type of BJT) are used with  $V_x = v_{be}$

\* crossover distortion

- ① occurs only in class-B, because Q-pt at cutoff.
- ② it is due to  $v_{be}$  of the BJT which results in distortion at crossover region.
- ③ it could be canceled by applying small D.C. voltage equal opposite to  $v_{be}$
- ④

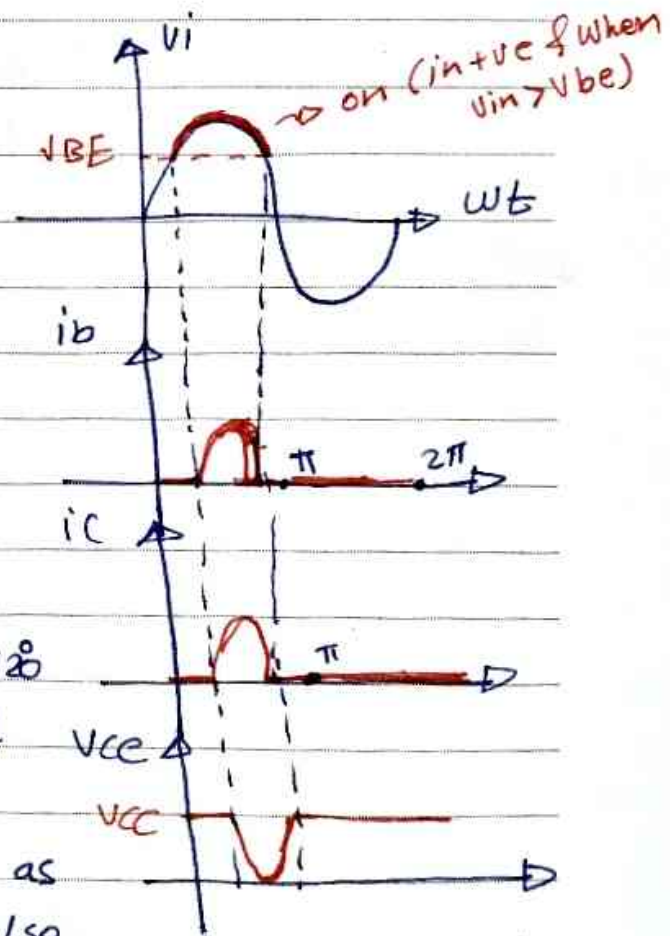
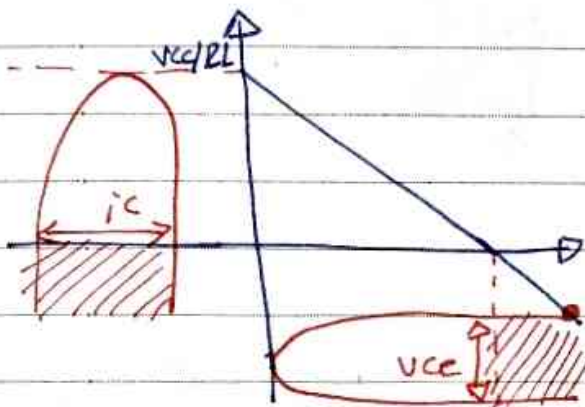
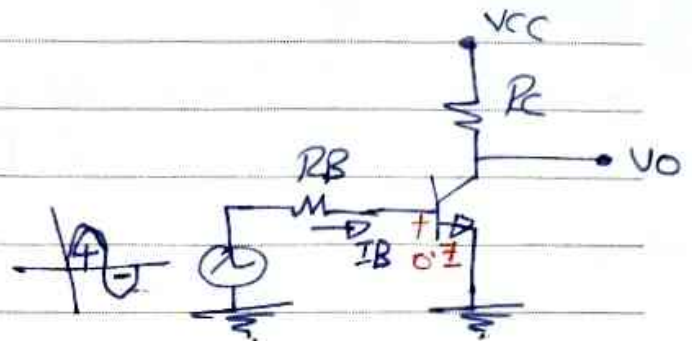
بدون  
فوق

- \* Load  $\rightarrow$  parallel Tuned ckt  $\rightarrow$  (the o/p will be a sine wave not pulse)
- \* BJT  $\rightarrow$  works as a switch
- \* Class-C works as  $\rightarrow$  P.A. 39  
 $\rightarrow$  Modulator.  $\rightarrow$  when the load is R

## Class-C P.A

$$-V_i + I_B R_B + V_{BE} = 0$$

$$I_B = \frac{V_i - V_{BE}}{R_B}$$



- Q-point down the cut-off
- Active device (BJT, FET) conducts for  $< 180^\circ$ ,  $80^\circ < \phi < 120^\circ$
- Normally the load is a parallel Tuned ckt
- the BJT ~~is on (sat)~~ will work as switch, the  $i_c$  form will a pulse form. when BJT is on (sat)  
 $I_C = I_{C(sat)}$ ,  $V_{CE} = V_{CE(sat)}$   
 when it is off  $I_C = 0$ ,  $V_{CE} = V_{CC}$
- At Resonance Freq. of LC ckt,  $f_r = \frac{1}{2\pi\sqrt{LC}}$ , the tuned ckt will produce a sine-wave o/p with Amp  $\pm V_{CC}$

switch  $\rightarrow$  on  $\rightarrow$  sat  
 off  $\rightarrow$  off

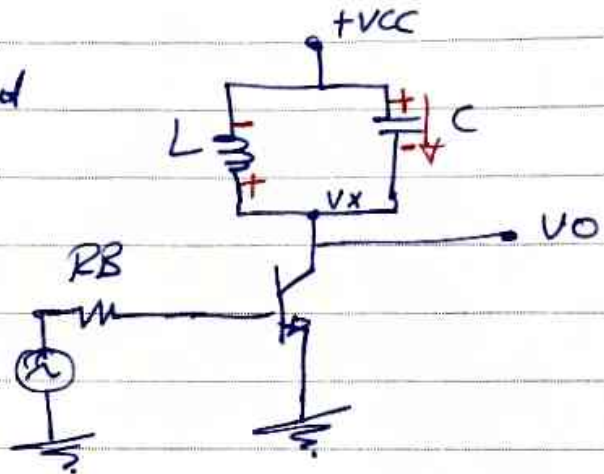
\* flywheel effect of parallel LC (self oscillating)  $\rightarrow$  happens at Resonance  $\rightarrow$  AC o/p sig. with Resonant freq.

\* high level modulation  $\Rightarrow$  mod. Jap & Power

[40]

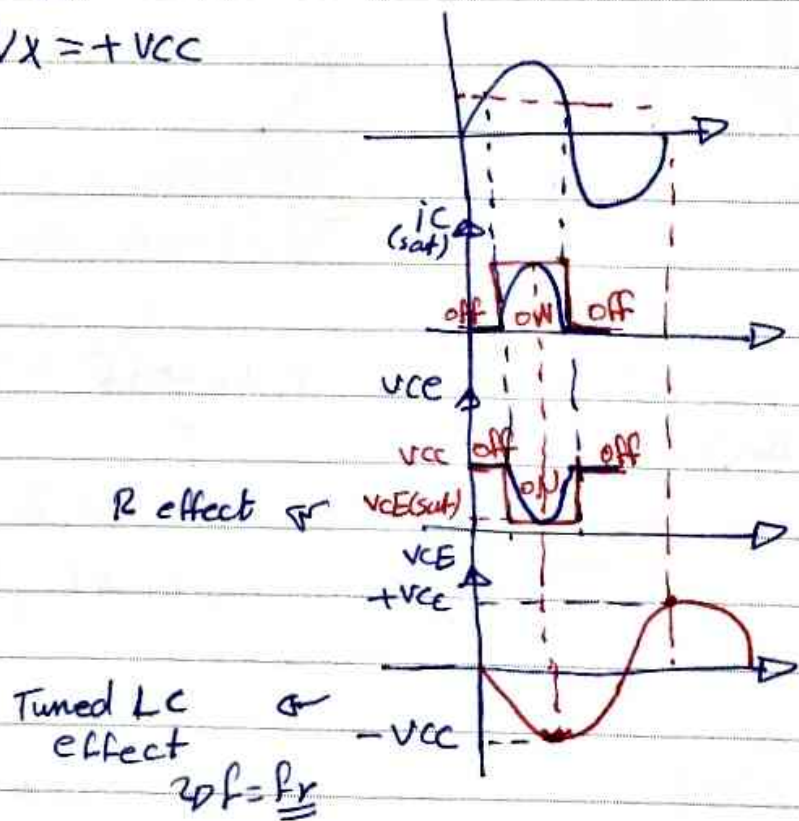
and  $f = f_r = \frac{1}{2\pi\sqrt{LC}}$ , due to flywheel effect.

\* when trans is on the current will through the cap & it will charge until max =  $V_{CC}$   
 $\Rightarrow$  trans(on)  $\rightarrow V_X = +V_{CC}$



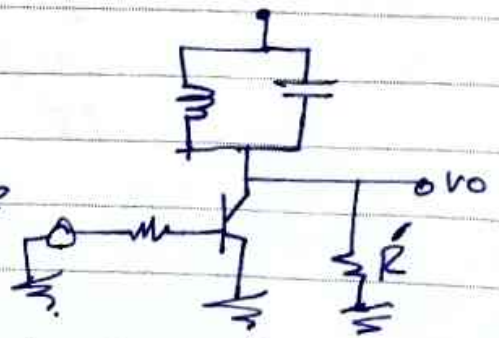
\* when trans is off the cap will discharge in L  
 $\Rightarrow$  so trans(off)  $\rightarrow V_X = +V_{CC}$

~~off~~



$$P_{Lmax} = \left(\frac{V_{CC}}{\sqrt{2}}\right)^2 * \frac{1}{R'}.$$

$\Rightarrow R'$  :- Total effective Resistance across Tuned ckt



$Q_c \downarrow \rightarrow \text{eff} \uparrow$

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$$\bar{P}_{L \max} = \frac{V_{CC}^2}{2R'}$$

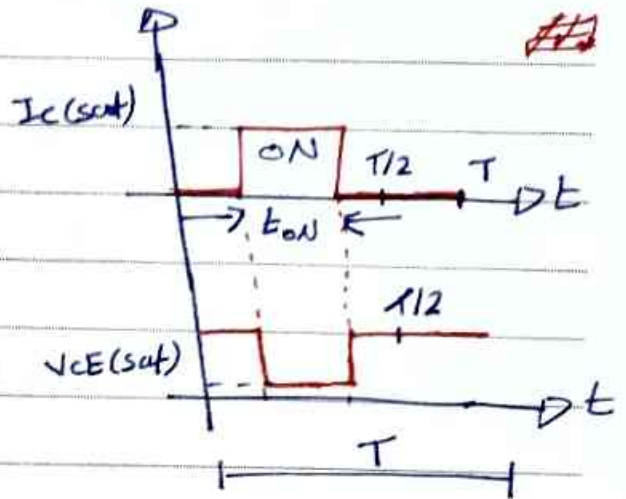
$$\bar{P}_S = \bar{P}_L + P_{D \text{ avg}}(\text{BJT})$$

$$\eta \% = \frac{\bar{P}_L}{\bar{P}_S} \times 100\%$$

$$P_{D \text{ avg}}(\text{BJT}) = \frac{P_D(\text{ON}) t_{\text{ON}}}{T}$$

$$P_D(\text{ON}) = I_C(\text{sat}) \cdot V_{CE}(\text{sat})$$

$$T = \frac{1}{f_{\text{input}}} \rightarrow \text{OFF/ON}$$



EX:- a class-C P.A has input signal of  $f_{\text{req}} = 50 \text{ kHz}$ . The BJT is ON for  $2 \mu\text{s}$ . and has:  $I_C(\text{sat}) = 0.2 \text{ A}$ ,  $V_{CE}(\text{sat}) = 0.3 \text{ V}$ , given  $V_{CC} = 20 \text{ V}$  & the total effective  $R_{\text{es}} = 100 \Omega$ .

① calculate  $\bar{P}_L, \bar{P}_S, \eta\%$

② Design the Tuned ckt to process the i/p signal.

Sol:-

$$R = 100 \Omega$$

$$\bar{P}_L = \frac{V_{CC}^2}{2R'} = \frac{400}{200} = 2 \text{ W}$$

$$P_{D \text{ (avg)}}(\text{BJT}) = P_D(\text{ON}) = \frac{t_{\text{ON}}}{T}$$

$$T = \frac{1}{f} = \frac{1}{50 \times 10^3} = 20 \mu\text{s}$$

$$P_{D \text{ (avg)}} = (0.2 \times 0.3) \frac{2}{20} = 0.06 \times 0.1 = 0.006 \text{ W}$$

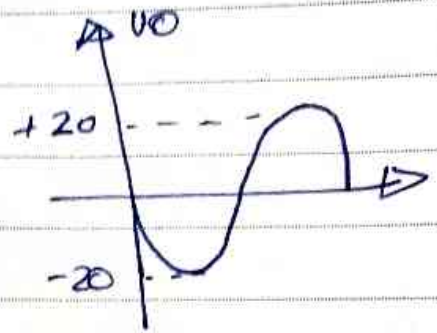
\* if we want it to give double freq or tripple  
 $\Rightarrow n \text{ freq} = \frac{1}{2\pi \sqrt{LC}} \rightarrow \text{Design}$

$$\eta = \frac{2W}{2 + 0.006} \times 100\% = 99\%$$

(2)  $f_r = 50 \text{ kHz}$

$$f_r = \frac{1}{2\pi\sqrt{LC}}, \text{ Let } C = 10 \text{ F}$$

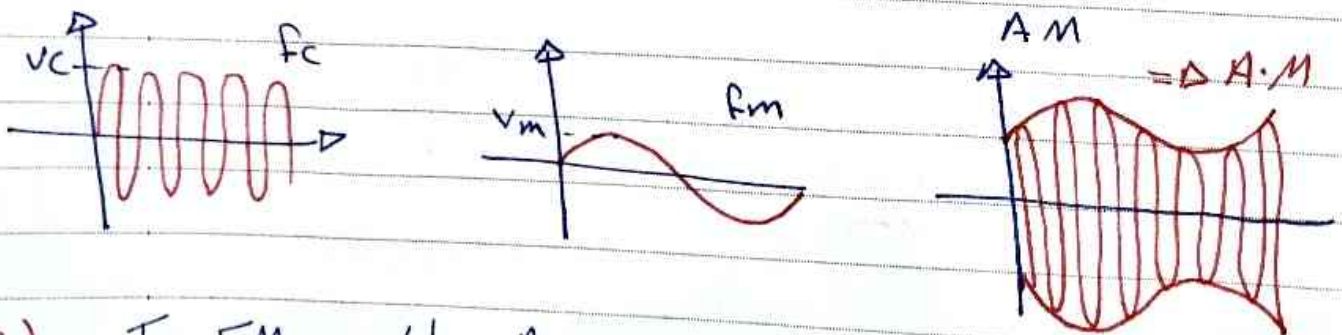
$$L = \frac{1}{2\pi^2 f_r^2 C} = \frac{1}{4 \times 10^8 \times 25 \times 10^{-9} \times 10} = \frac{1}{100} \text{ H} = 10 \text{ mH}$$



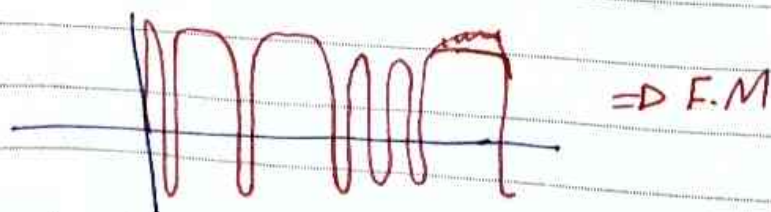
## AM Modulator

\* modulation:- changing certain char's of carrier's according to Amp. of the message signal.

1) - In AM:- the Amp of the message change the Amp of the carrier



2) - In FM:- the Amp of the message signal change the freq of carrier

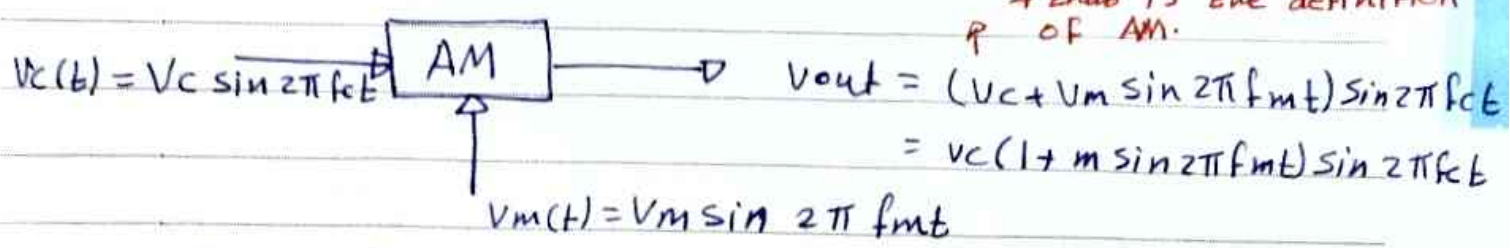


\* LSF & USB  $\rightarrow$  if  $v_m$  has a single freq  $\left\{ m=1 \right.$   $\rightarrow$   $\downarrow$  power  $\downarrow$

\* LSB & USB  $\rightarrow$  = = = a band of ...

$\rightarrow$  Band (group of freq.  $\square$ ) 43

we changed the Amp of carr. & that is the definition of AM.



- \*  $V_c$  :- Amp of carrier
- \*  $m$  :- mod index =  $\frac{V_m}{V_c}$
- \*  $f_c$  :- freq of carrier
- \*  $f_m$  :- = = message

Ex:-  $V_{am} = 5(1 + 0.8 \sin 2\pi 10^3 t) \sin 2\pi 10^6 t$

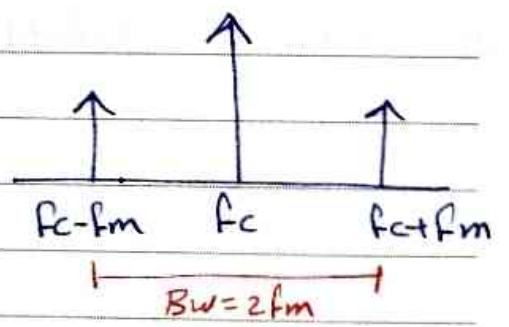
$\downarrow$   $\downarrow$   
 $V_c$   $m$

$V_m = V_c \cdot m = 4$

\* For  $m=1$

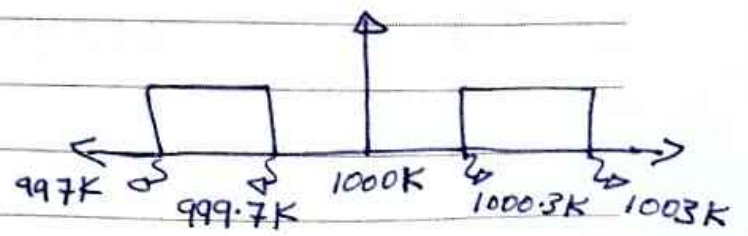
$P_{fc} = \frac{2}{3} P_T$

$P_{LFS} = P_{USF} = \frac{1}{6} P_T$

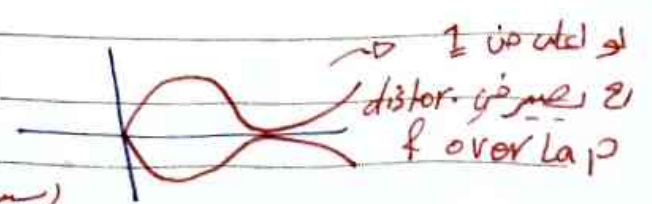


- ☐ If  $v_m(t)$  has a single freq  $f_m$  then  $v_{am}$  has LSF & USB
- ☐ If  $v_m(t)$  has a band of f-freq such as voice signal (0.3  $\rightarrow$  3) K then  $v_{am}$  has USB & LSB

Ex:-  $f_c = 1000$  K Hz  
 $f_m = (0.3 \rightarrow 3)$  K



\*  $m \rightarrow$  maximum = 1



\*  $BW_{AM} = 2f_m \rightarrow \pm f_m$  (as per ...)

$f_m$  :- max freq in message signal.

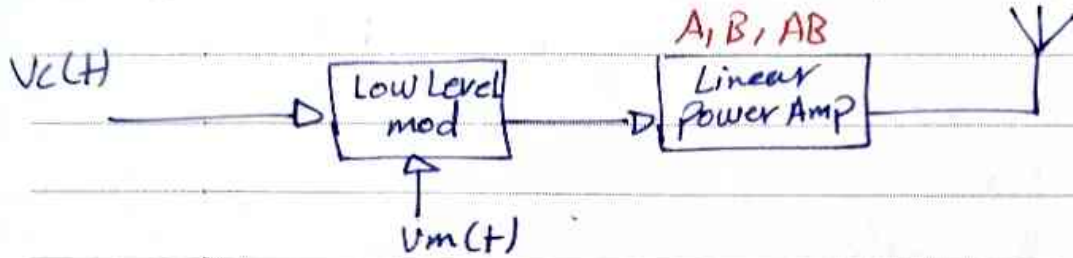
\* we use PIN Diode for High frequency.

$V_C > V_m \rightarrow \text{OK } m \leq 1$   
 $V_m > V_C \rightarrow \text{distortion}$

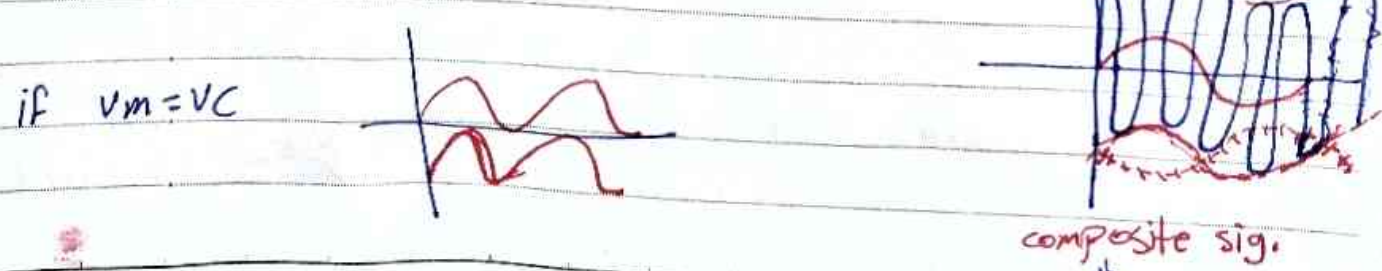
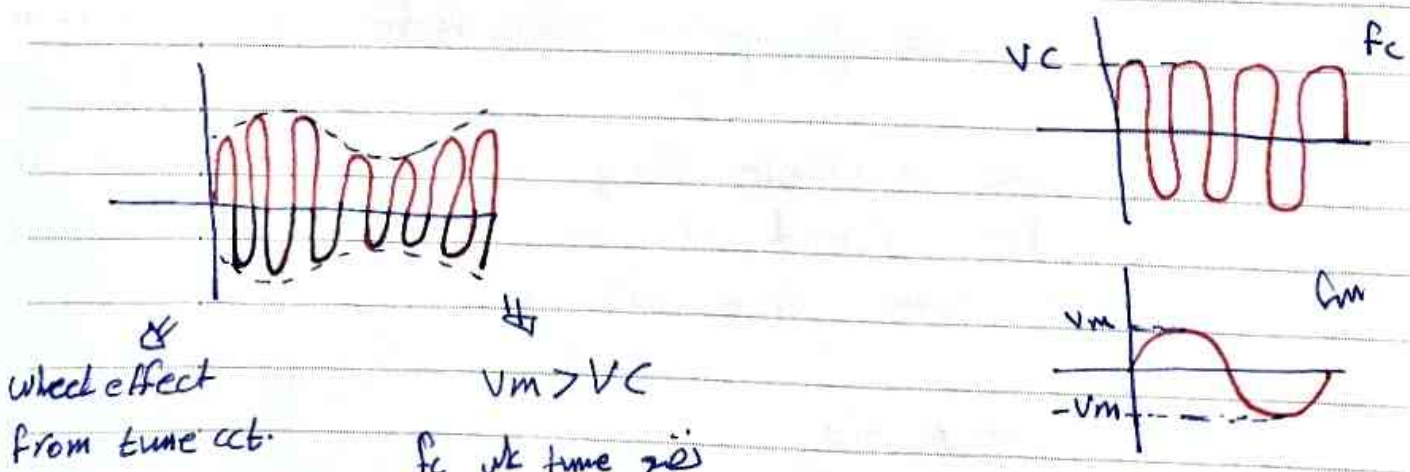
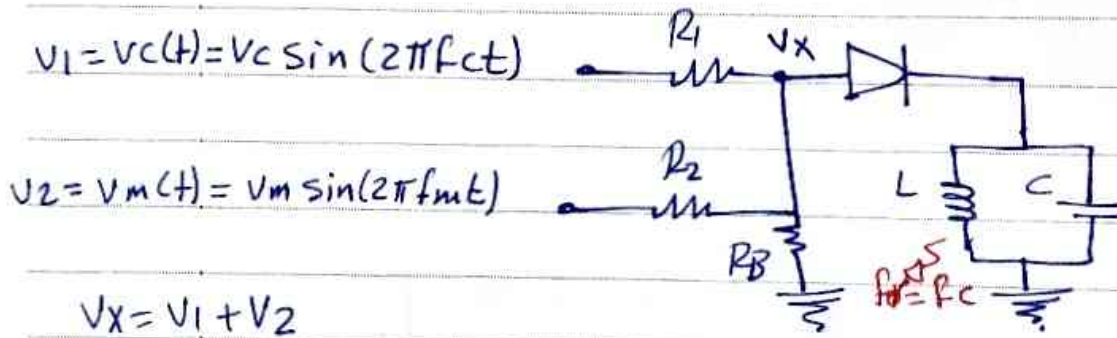
[44] ~ 100%

modulation index  $\rightarrow M = \frac{mP}{A} = \frac{V_m}{V_C} > 1$

\* Low Level modulator:- both amplit. & power of AM signal are Low, so Linear power Amp is required.



### ① Diode modulator



الموجة الباعثة، إشارة Pulse → إشارة في Pulse في

$f_c \Rightarrow \Delta$  must equal  $f_c$

$Q \Rightarrow \Delta$  gives  $2f_m$

$$\sqrt{44} \approx 0$$

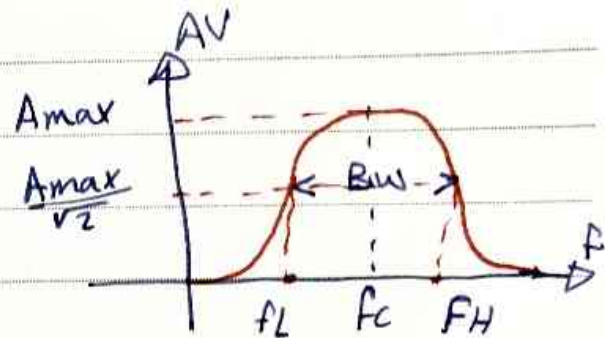
also

in AM there are  $f_c / f_c + f_m / f_c - f_m$

$f_r = \text{resonant}$

$$f_c = \frac{1}{2\pi\sqrt{LC}}$$

$$B.W. = \frac{f_c}{Q}$$



$Q$  must be chosen such that

$$B.W. = \frac{f_c}{Q} \geq 2f_m$$

if  $(B.W.) \geq 2f_m$

• for weak signal we use Diodes with small  $V_K$  as Germanium

\* if  $(B.W.)_{T.C} < 2f_m$

will be freq distortion



$$V_{O1} = A(V_2 - V_1)$$

$$V_{O1} = A(-V_1) \Rightarrow V_{O2} = A(V_1)$$

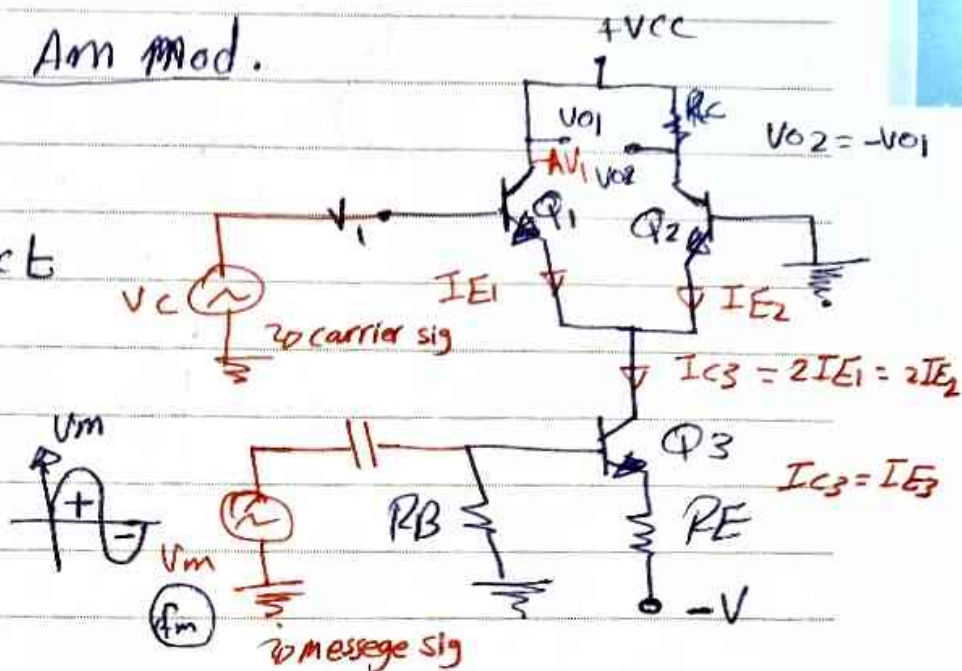
45

## ② Differential Amp Am Mod.

$$* V_{O2} = -V_{O1} = A \cdot V_1$$

$$\text{when } V_1 = V_c = \sin 2\pi f_c t$$

$$V_{O2} = A[V_c \sin 2\pi f_c t]$$



\*  $I_{B3}$  (without modulating sig.)

$$\therefore I_{B3} = \frac{V - V_{BE}}{R_B + (\beta + 1)R_E}$$

$$I_{C3} = \beta I_{B3}$$

\* when modulating sig is applied

↳ ① For +ve H.c of  $V_m$

$$I_{B3} \uparrow = \frac{V_m + V - V_{BE}}{(\beta + 1)R_E}$$

$I_C \uparrow$ ,  $I_E \uparrow$ ,  $A \uparrow$ , Amp of  $V_c \uparrow$

↳ ② For -ve H.c of  $V_m$

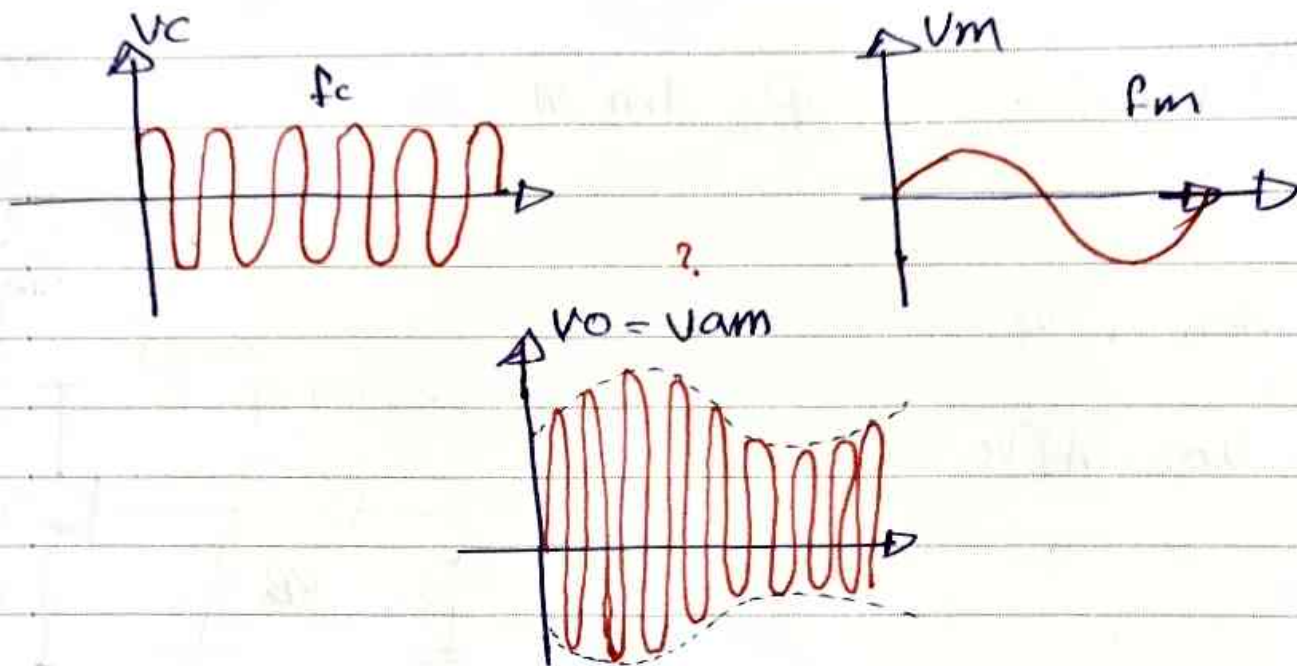
$$I_{B3} \downarrow = \frac{V - (V_m + V_{BE})}{(\beta + 1)R_E}$$

$I_C \downarrow$ ,  $I_E \downarrow$ ,  $A \downarrow$ , Amp of carrier  $\downarrow$

\*  $V_o = \text{carrier multiply by gain}$

- \* its available in IC Form
- \* it has a gain [IE change gain]

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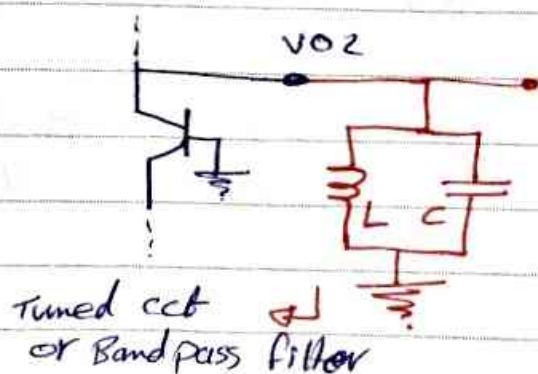
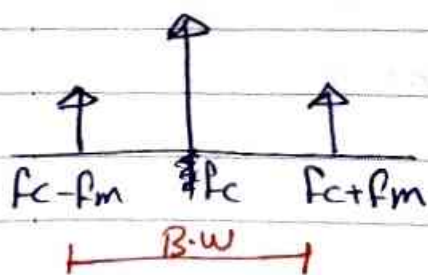


- \* compared to Diode mod, this mod has the advantages of gain & available in I.C form

How

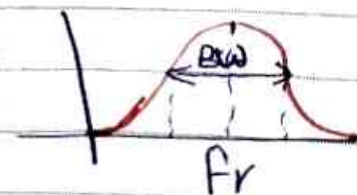
$$A = \frac{R_c \cdot I_E}{K}$$

$R_c \rightarrow \Omega$   
 $I_E \rightarrow mA$



$$f_r = f_c = \frac{1}{2\pi\sqrt{LC}}$$

$$B.W = \frac{f_r}{Q} \geq 2 f_m$$



- \* Bandwidth cutting is causing a distortion signal (B.W  $\neq$   $f_m$ )

\* Def. mod better than Diode mod.

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\* To obtain all the information a tuned ckt must be connected & designed such that

$$f_r = \frac{1}{2\pi\sqrt{LC}} = f_c$$

$$Q = \frac{f_r}{B.W} \text{ (must be chosen)}$$

such that  $(B.W)_{TC} = \frac{f_r}{Q} \geq (B.W)_{AM}$   $f_m = 2f_m$

③ PIN Diode mod.

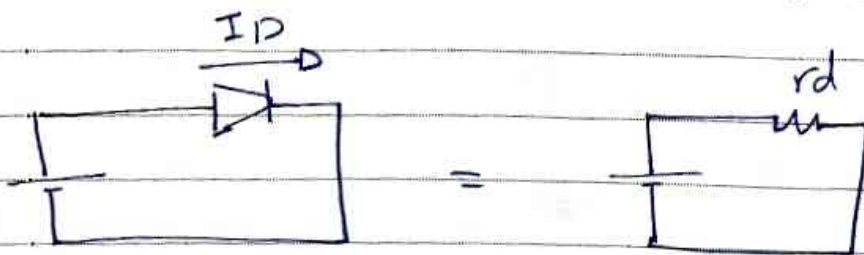
(Very High freq, ultra H.F, microwave freq.)  $> 100\text{MHz}$

\* PIN Diodes :- special type diode

- very high speed diode

- used as a voltage variable resistor for U.H.F.

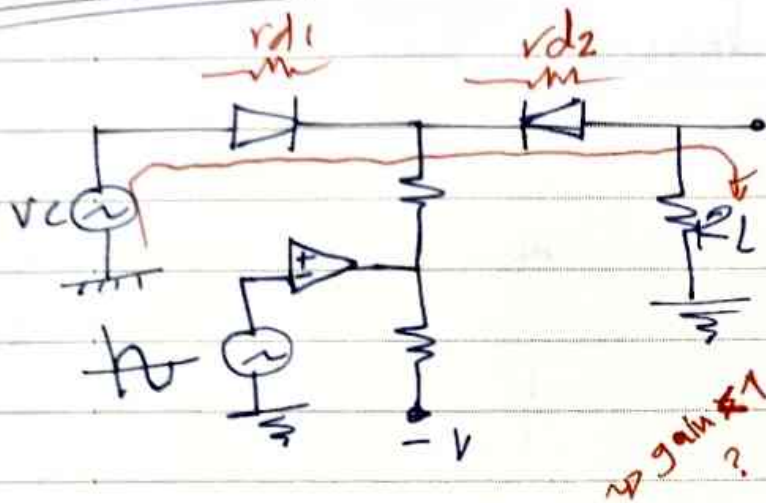
(behaves as a resistance depends on F.W current).



$$r_d \propto \frac{1}{I_D}$$

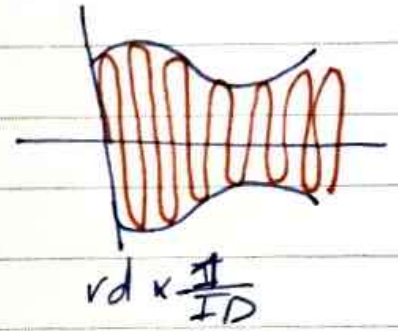


\* The mod ckt :-



(V-D)  

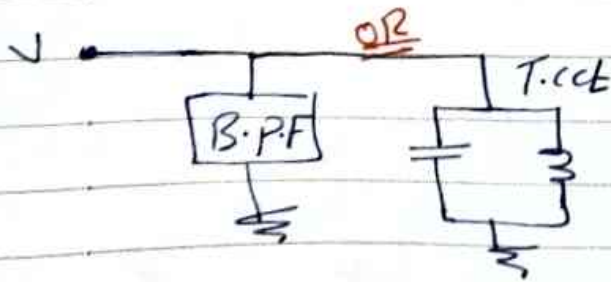
$$V_o = \frac{V_c R_L}{r_{d1} + r_{d2} + R_L}$$



\* This ckt make Attenuator, & the importance of it  $\rightarrow$  modulating

① In this mod :- the Amp of message signal change the value of  $I_D$  &  $r_d$ , so the Amp of o/p will be changed according to Amp of message

② this is an R.F Attenuator.



no can be used & in this ckt we dont need it.

why?

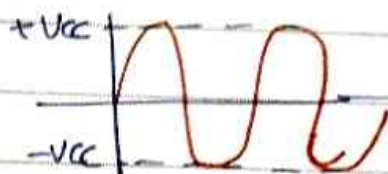
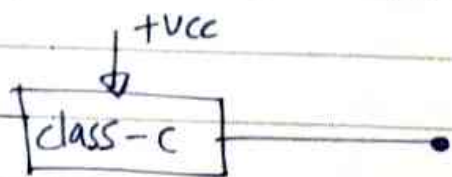
FAM  $\rightarrow f_c = f_m$  , BWAM  $\rightarrow 2f_m$

\* We don't need a linear power Amp.  $\neq$

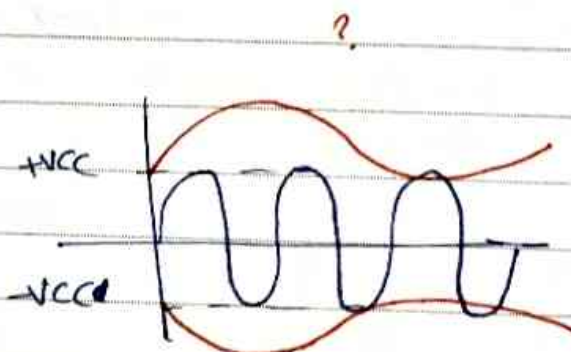
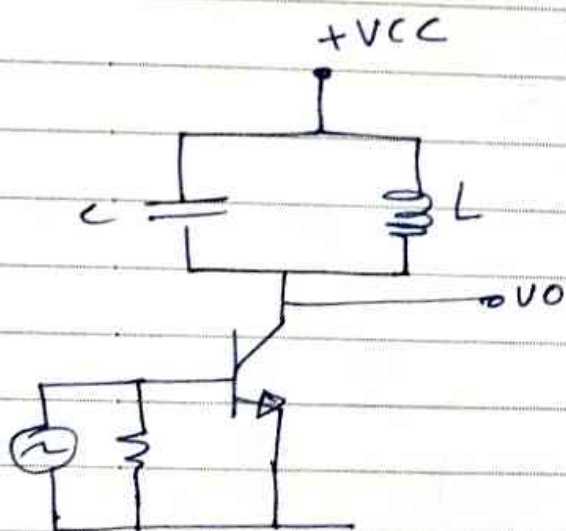
149

## High-Level modulator.

The mod. happens in the final class-c power Amp. in AM Tx.



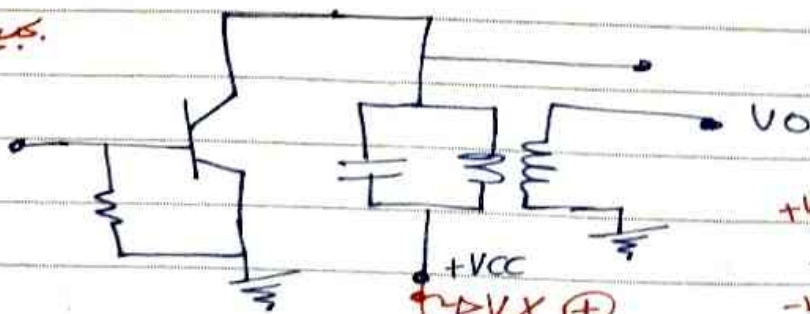
$$f = f_r = \frac{1}{2\pi\sqrt{LC}}$$



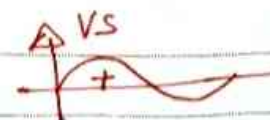
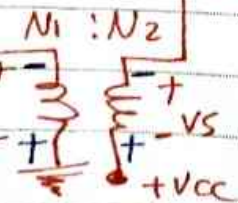
$$P = P_r$$

1) Modulates carrier freq. node

no VC



A.F.P.A

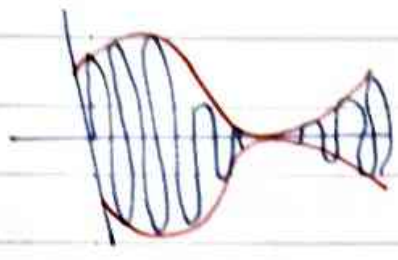


A.F.P.A  $\rightarrow$  Power Amp of  $v_m$



\* To have modulated Index equal 1 vs should be equal the VCC

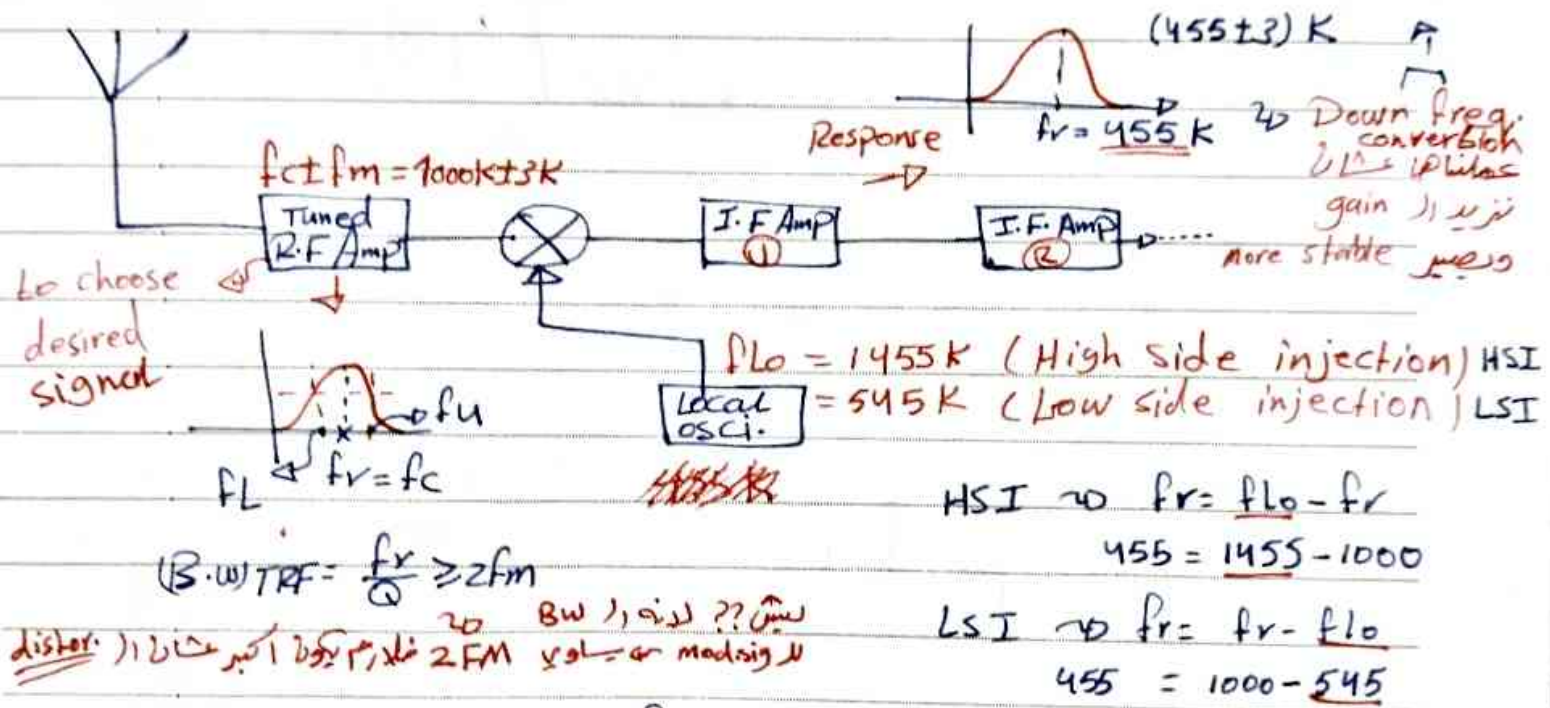
[51]



\* BW must be  $2f_m$  for time ct.

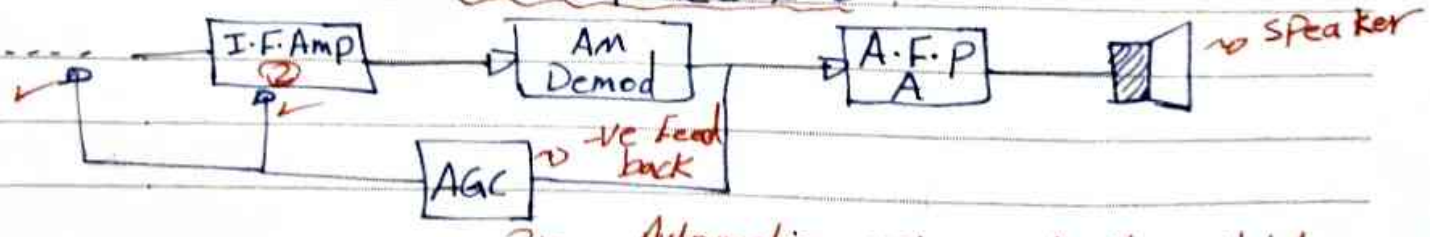
### AM Demodulation

for mod sig = 1000 K



\* 455  $\Rightarrow$  high gain & high stability & image rejection

### AM. sup. het R.t.



Automatic gain control, which controlled the gain reached by the speaker

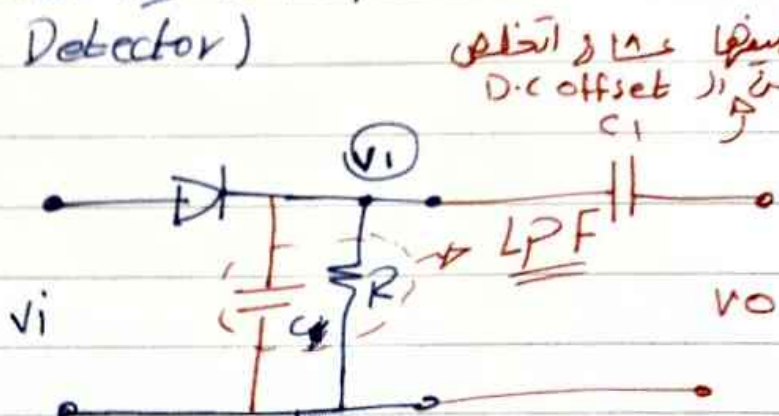
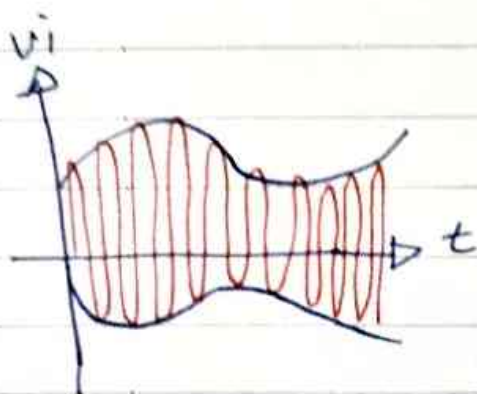
freq  $\downarrow$ , gain  $\uparrow$ , image (problem not solved)

\* operating freq  $\uparrow$ , stability  $\uparrow$  (better), image (problem) solved  
gain  $\uparrow$

\*the AM demod. receives the sig. from I.F. Amp

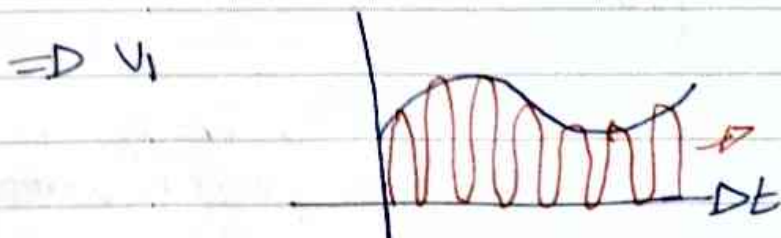
[52]

### AM Demodulator (Diode mod. or Envelop Detector)



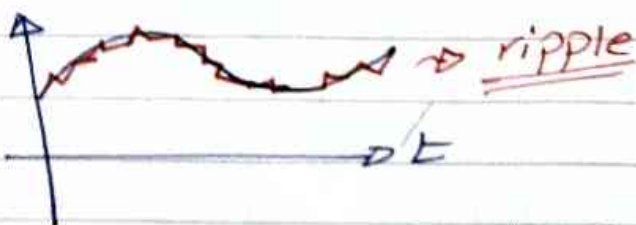
ضبطها على 0  
D.c offset  
C1

بربط ال cap على اشارة  
من ال carr. ال carr. ال  
يذهب ال and على ال cap  
من خلال ال الفولت



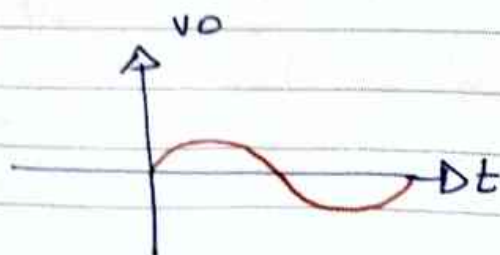
to remove the carr.  
we add C

⇒ after adding C



in HWR  
$$V_r = \frac{V_m}{fCR}$$

⇒ after adding C<sub>1</sub>



diode works as a HWR rectifier, ripple at H.W  
so we use F.W (better) improve bigger than F.W



\* For High operating freq. the ripple must be small so I can detect it  $\rightarrow$  so I use F.W Rectifier.  $\downarrow$

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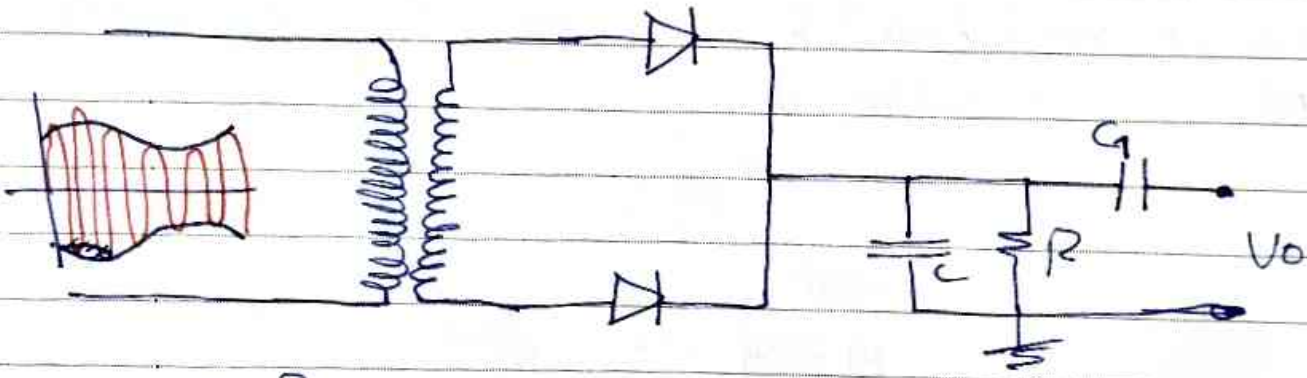
$$V_r \propto \frac{1}{f}$$

$R_c \rightarrow$  Low pass filter

$$T_m \ll R_c \ll T_c$$

$$T_m = \frac{1}{f_m}, \quad T_c = \frac{1}{f_c}$$

\* To reduce ripple in detected message and for High <sup>operating</sup> freq. Full wave Rect. can be used



in FWR

$$V_r = \frac{V_m}{f \cdot 2f_c R} = \frac{V_r H}{2}$$

① For the same

$V_m, f, C, R$

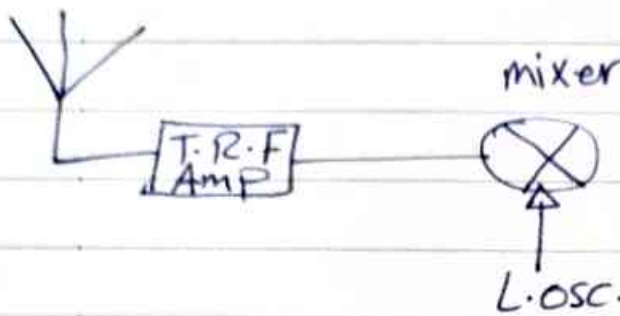
$$V_r f = \frac{1}{2} V_r H$$

② For the same  $V_r, V_m, R$

$$C f = \frac{1}{2} C H \checkmark$$

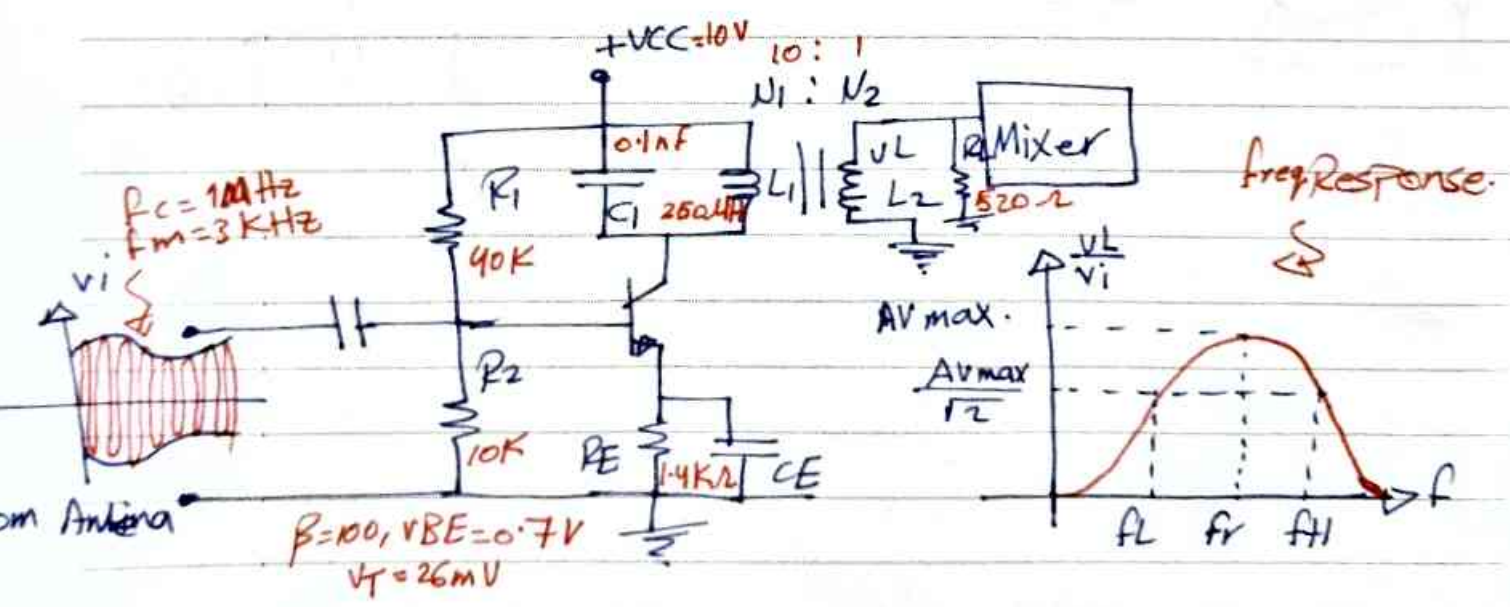
\* receiver selectivity: the ability of select certain freq from group of frequencies

\*  $Q \uparrow \rightarrow BW \downarrow$ ,  $Q = \frac{f_r}{BW}$   
 \* receiver sensitivity:- the min I/P sig which the receiver can detect (limits in micro volt)  
 depends on gain for receiver.  $g \uparrow$ , sens.  $\uparrow$  54



\* Tuned RF Amp.

- ① improve selectivity & sensitivity of Rx
- ② prevent reradiation of local oscillator signal via antenna (Leak through).



$$f_r = \frac{1}{2\pi\sqrt{L_1 C_1}} = f_c$$

$$B.W = \frac{f_r}{Q} \approx (B.W)_{fm}$$

$$(B.W)_{TRF} \geq 2 f_m \Rightarrow$$

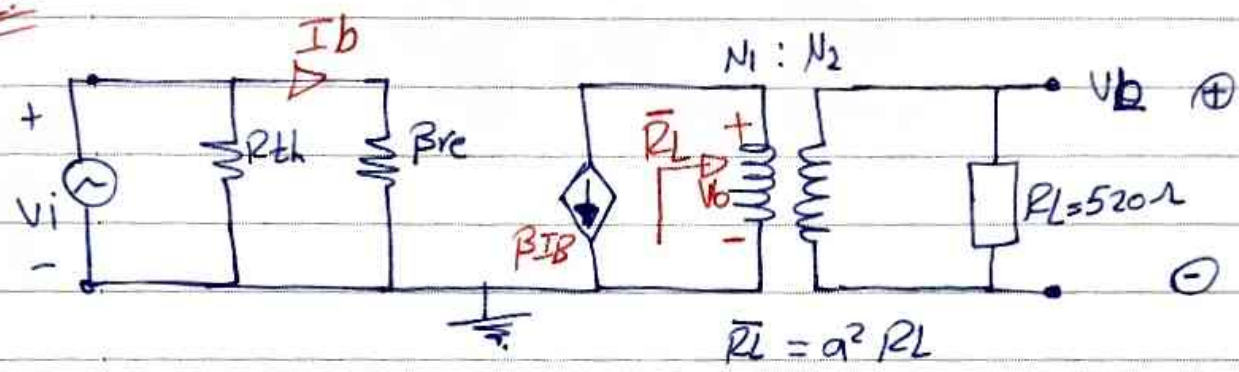
gain (T.R.F) \* gain (mixer) \* g (T.R.F) = gain for receiver

$V_o = -g_m V_{\pi} R_L \Rightarrow A_V = -g_m R_L$  ,  $g_m = \frac{I_{CQ}}{V_T}$  ?  $\beta$   $\frac{I_{CQ}}{I_B}$   
 $V_i = V_{\pi}$   $\Rightarrow A_V = -\frac{I_{CQ} R_L}{V_T}$   
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Ex: For the previous figure, Find:

- ① calculate  $A_{Vmax}$ ,  $f_r$ , B.w, Q
- ② Draw freq Response Proc: اذا سئل  
لنفس الاستعداد او لا  
6 kHz
- ③ can this cct. process mod. signal of 3 kHz

Sol:



$$A_{Vmax} = \frac{V_L}{V_i} = \frac{V_L}{V_o} \cdot \frac{V_o}{V_i}$$

$$\frac{V_L}{V_o} = \frac{N_2}{N_1} = \frac{1}{a}$$

$$V_o = -\beta I_b \bar{R}_L \quad , \quad V_i = I_b \cdot \beta r_e$$

$$\frac{V_o}{V_i} = -\frac{\bar{R}_L}{r_e} \Rightarrow \therefore A_V(max) = \frac{1}{a} \left( \frac{\bar{R}_L}{r_e} \right)$$

$$\bar{R}_L = a^2 R_L \quad \Rightarrow \quad A_V = -\frac{R_L I_E}{V_T}$$

$$A_V(max) = -\frac{a R_L}{r_e} \quad \Rightarrow \quad |A_V(max)| = \frac{a R_L}{r_e}$$

$$\Rightarrow r_e = \frac{V_T}{I_E} \quad , \quad I_E = \frac{V_E}{R_E} \quad , \quad V_E = V_B - V_{BE}$$

$$\Rightarrow V_B = \frac{V_{CC} \cdot R_2}{R_1 + R_2} = \frac{10 \cdot 10}{50} = 2V$$

$$V_E = 2 - 0.6 = 1.4V \quad \Rightarrow \quad \text{So } I_E = \frac{1.4V}{1.4k} = 1mA$$



for design  $f_{resonance} = f_{carrier}$

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$$\textcircled{1} \text{ (A) } j\omega L // \frac{1}{j\omega C} = \frac{j\omega L / j}{1 - \omega^2 LC / j} = \frac{\omega L}{j(\omega^2 LC - 1)}$$

$$\omega_0 = \frac{1}{\sqrt{LC}} \quad ?$$

$$r_e = \frac{26 \text{ mV}}{1 \text{ mA}} = 26 \Omega$$

$$\textcircled{2} \text{ (A) } \omega_0 = \frac{f_0 \cdot 2\pi}{\cancel{2\pi}} = \frac{2\pi}{2\pi \sqrt{LC}} = \frac{1}{\sqrt{LC}}$$

$$|A_V(\text{max})| = \frac{10 \times 520}{26} = \underline{\underline{200}}$$

$$\leadsto Q = \frac{\bar{R}_L}{\omega_0 L} \quad (\text{parallel Tuned cct})$$

$$\leadsto \omega_0 = \frac{1}{\sqrt{LC}} = \frac{1}{\sqrt{250 \times 10^{-6} \times 10^{-10}}} = \frac{10^8}{\sqrt{250}} = \frac{100 \text{ M rad/sec}}{16}$$

$$\omega_0 = 6.3 \times 10^6 \text{ rad/sec}$$

$$\leadsto \bar{R}_L = a^2 R_L = 100 \times 520 = 52000 \Omega$$

$$\leadsto Q = \frac{5200}{6.3 \times 10^6 \times 250 \times 10^{-10}} = 33$$

$$\leadsto B.W = \frac{f_0}{Q} \quad \text{and } f_0 = f_c = f_r = \frac{1}{2\pi \sqrt{LC}} = 1 \text{ MHz}$$

$$B.W = \frac{1 \text{ MHz}}{33} \Rightarrow B.W = 30 \text{ KHz}$$

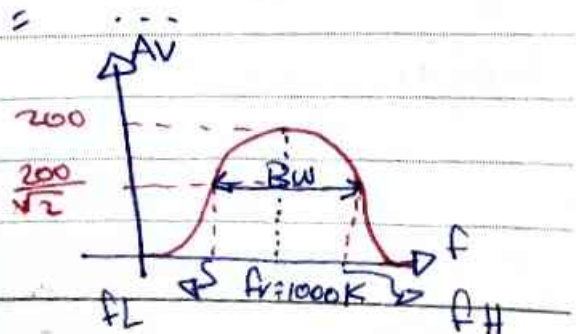
since  $(B.W)_{TC} > (B.W)_{\text{message}}$

$$30 \text{ K} > 6 \text{ K}$$

$\therefore$  This cct can process  $\approx \approx$

$$f_L = f_r - \frac{B.W}{2} = 1000 - 15 = 985 \text{ K}$$

$$f_H = f_r + \frac{B.W}{2} = 1000 + 15 = 1015 \text{ K}$$



\* Diode & BJT mixer  $\rightarrow$  they are exponential.

$I_D = I_s e^{\frac{V_D}{nV_T}}$

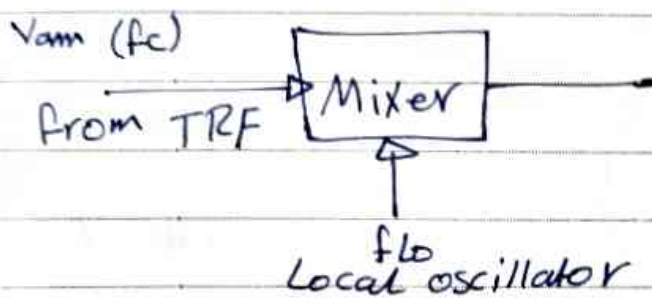
$I_B = I_D = I_{diode}$

device is non-linear

**B7** V & I relationship is non-linear

## Mixer

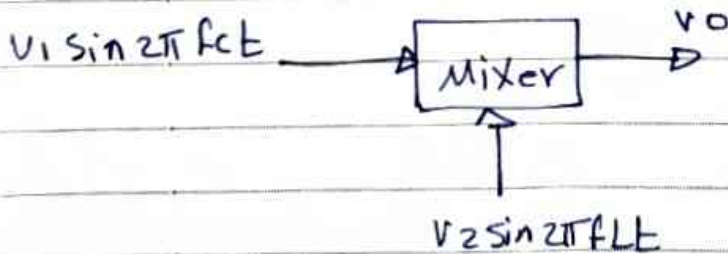
\* Definition:- it is non-linear ckt. receives two freq. ( $f_c, f_{lo}$ ) and produce different freq's. depending on type of mixer.



① Diode & BJT Mixer produces infinite # of freq. because they are exponentially devices.

$(f_{lo}, f_c, f_{lo}-f_c, f_{lo}+f_c, 2f_{lo}, 2f_c, 3f_{lo}, 3f_c, \dots)$

② FET Mixer produces ( $f_c, f_{lo}, f_c+f_{lo}, f_c-f_{lo}, 2f_c, 2f_{lo}$ ) because FET is square-law device ( $I_D = K_n (V_{gs} - V_{TN})^2$ )



$$\begin{aligned}
 v_o &= A v_i + B v_i^2 \\
 &= A(v_1 + v_2) + B(v_1 + v_2)^2 \\
 &= A v_1 f_c + A v_2 f_{L0} + \\
 &\quad B(v_1^2 \sin^2 f_c + v_2^2 \sin^2 f_{L0})
 \end{aligned}$$

$$= f_c + f_{L0} + 2f_c + 2f_{L0} + (f_{L0} - f_c) + (f_{L0} + f_c)$$

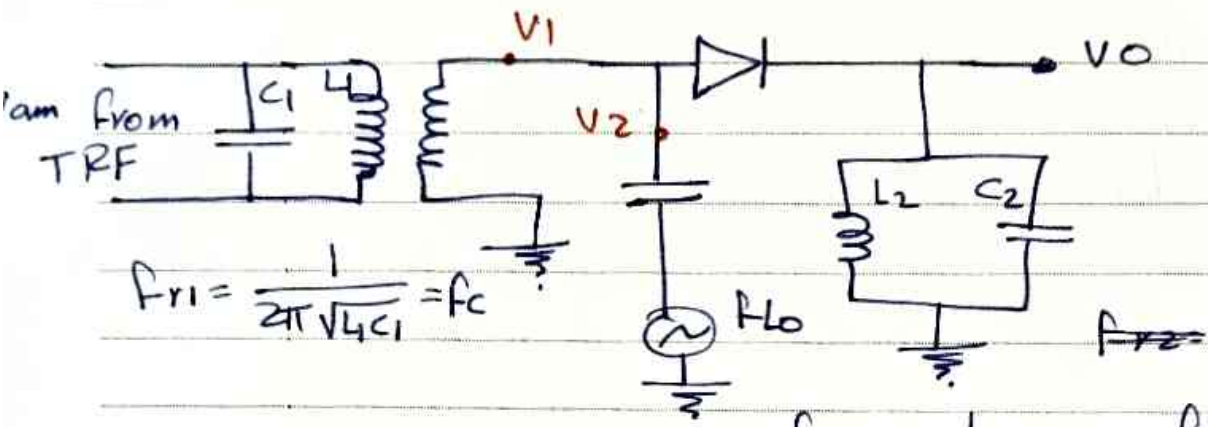
We choose this freq  $\rightarrow$

by (Tuned ckt or Band pass Filter on  $(f_{L0} - f_c)$ )

for gain & stab.

\* In mixers we always use FET Mixer not BJT or diode  
Down freq. conversion.  $\rightarrow$  Tuned ckt. B.P.F.  $(f_{L0} - f_c)$

# ① Diode Mixer



$$f_{r1} = \frac{1}{2\pi\sqrt{4C_1}} = f_c$$

$$f_{r2} = \frac{1}{2\pi\sqrt{L_2C_2}} = \begin{cases} f_c - f_{Lo} & (LSI) \\ f_{Lo} - f_c & (HSI) \end{cases}$$

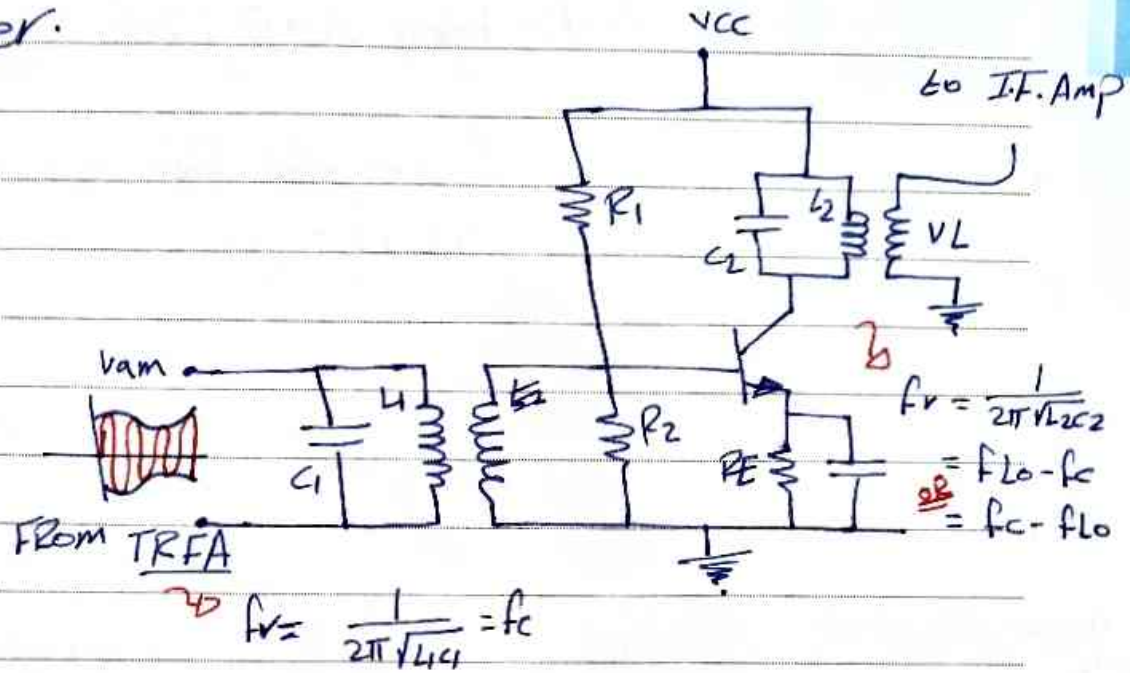
## \* Disadvantage :-

- ① No gain
- ② exponential Device
- ③ Noisy Device

## \* Advantages :-

- ① simple
- ② No power consumption

② BJT Mixer.



\* Advantages

- ① gain

\* Disadvantages

- ① Noisy ② exponential device ③ Power consumption.

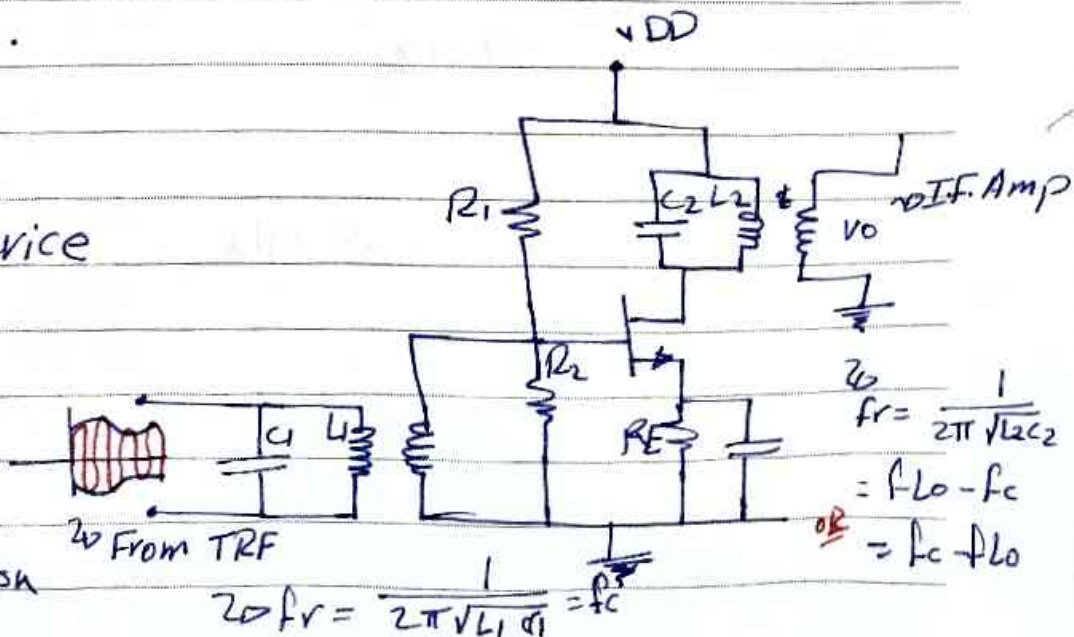
③ FET Mixer.

\* Advantages

- ① Low Noise device
- ② square law  $\epsilon$
- ③ gain

\* disadvantages

- ① Power consumption



\* FET Mixer  $\rightarrow$  best one

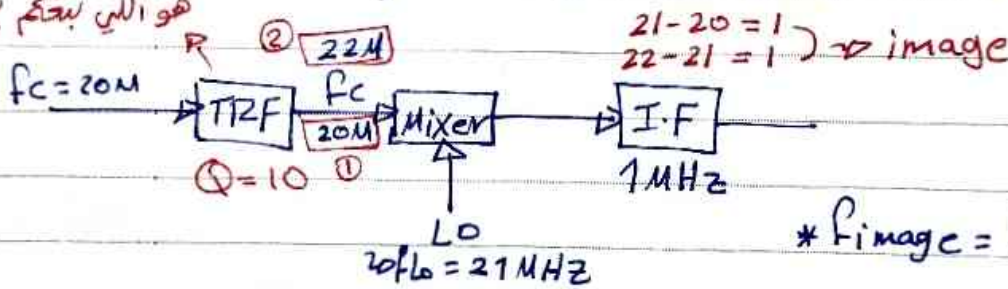
$\rightarrow$  no noise because  $I_G = 0$  (always gate)

## Intermediate Freq. Amp (I.F. Amp)

\* Provides the Bulk size of Rx. gain (Improve Rx sensetivity & selectivity).

\* How to choose I. F. Freq?

we must compromize between high gain & stability (which requires low value of I.F) & good Image Rejection (Requires high value of I.F).



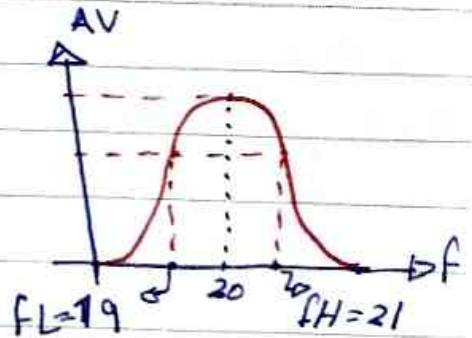
\*  $f_{image} = f_{sig} + 2f_{I.F}$

### TRF

$f_c = 20MHz$

$Q = 10$

$B.W = \frac{20}{10} = 2MHz$



\* For I.F = 0.4 MHz

$f_{image} = 20 + 2 * 0.4 = 20.8 MHz$  تر لا زال 19 → 21 B.W

\* For F.I.F = 1 MHz

$f_{image} = 20 + 2 * 1 = 22 MHz$  22MHz is out of TRF (B.W), Does not pass to Mixer. تر لا

For AM Broadcasting →  $f_{I.F} = 455 KHz$

For FM →  $f_{I.F} = 10.7 MHz$

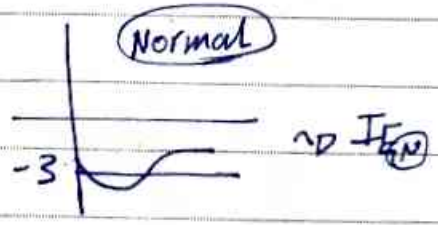
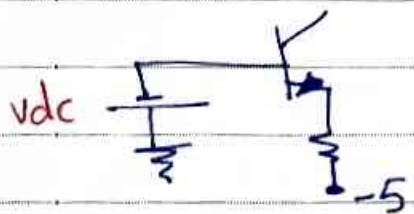
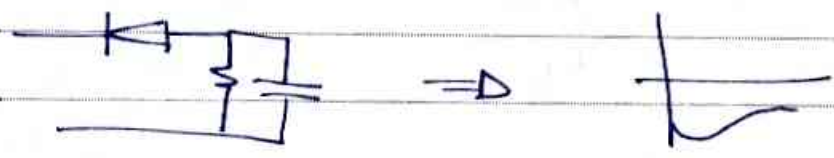
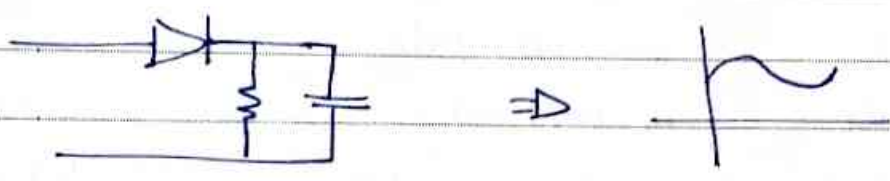
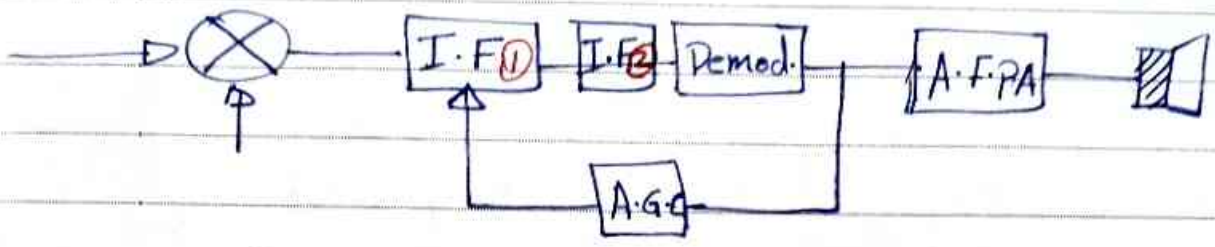
\* اذا عنده اقبال اسيات 22 او 20 تر توفد اليه و ما تر توفد لانه الفرق بين 1 و 2 ترانس 1 و 2 ترانس 2



\* A.G.C  $\Rightarrow$  -ve feedback control system

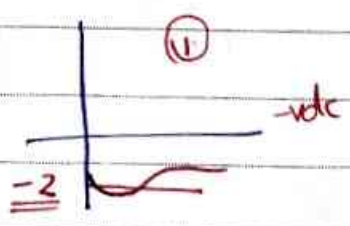
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### Automatic gain control (AGC)



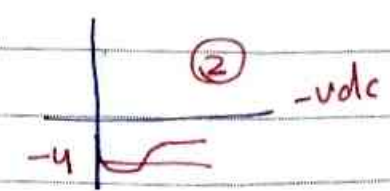
\*  $I_{E1} = \frac{5 - 3 - V_{BE}}{R_E}$

\*  $I_{E2} = \frac{5 - 2 - V_{BE}}{R_E}$



$\Rightarrow I_{E1} > I_{E2} \Rightarrow g_m = \frac{I_C}{V_T}$

$I_{E1} \uparrow, I_C \uparrow, g_m \uparrow, A_V \uparrow$  (for weak signal)



\*  $I_{E2} = \frac{5 - 4 - V_{BE}}{R_E}$

$\Rightarrow I_{E2} < I_{E1} \Rightarrow I_{E2} \downarrow, I_C \downarrow, g_m \downarrow, A_V \downarrow$

(for strong signal)

\* A.G.C  $\Rightarrow$  weak signal  $\Rightarrow$  -ve F.B  $\Rightarrow I_{E1} \uparrow, A_V \uparrow, (voice \uparrow)$   
 $\Rightarrow$  strong signal  $\Rightarrow$  -ve F.B  $\Rightarrow I_{E2} \downarrow, A_V \downarrow, (voice \downarrow)$

dynamic range :- the highest strong signal & the lowest weak signal that the receiver receives.

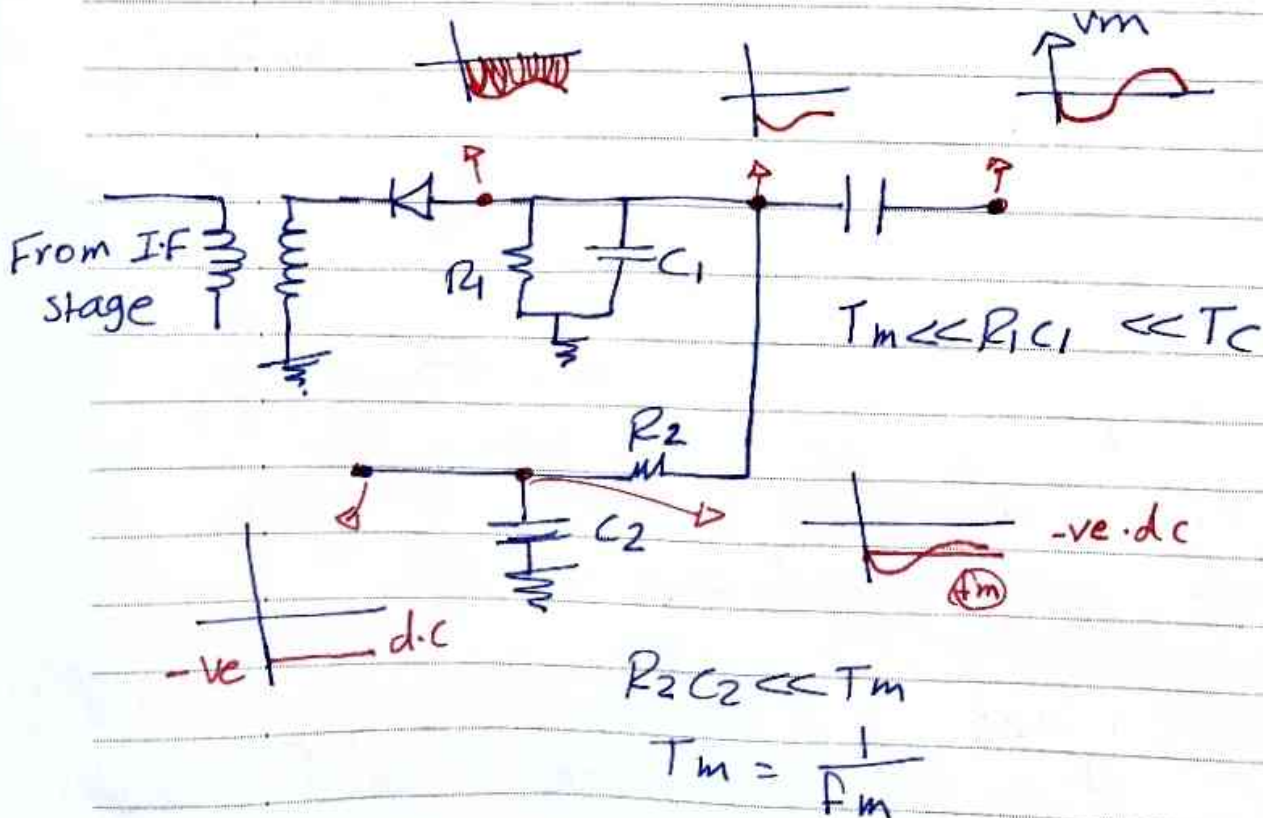
[62]

## AGC

\* Definition :- A F.B control system used to automatically control the gain of Rx to receive a strong and weak signal. It improves the dynamic range of Rx. It changes the gain of I.F stage, Mixer, RF Amp. According to the received signal, (strong or weak).



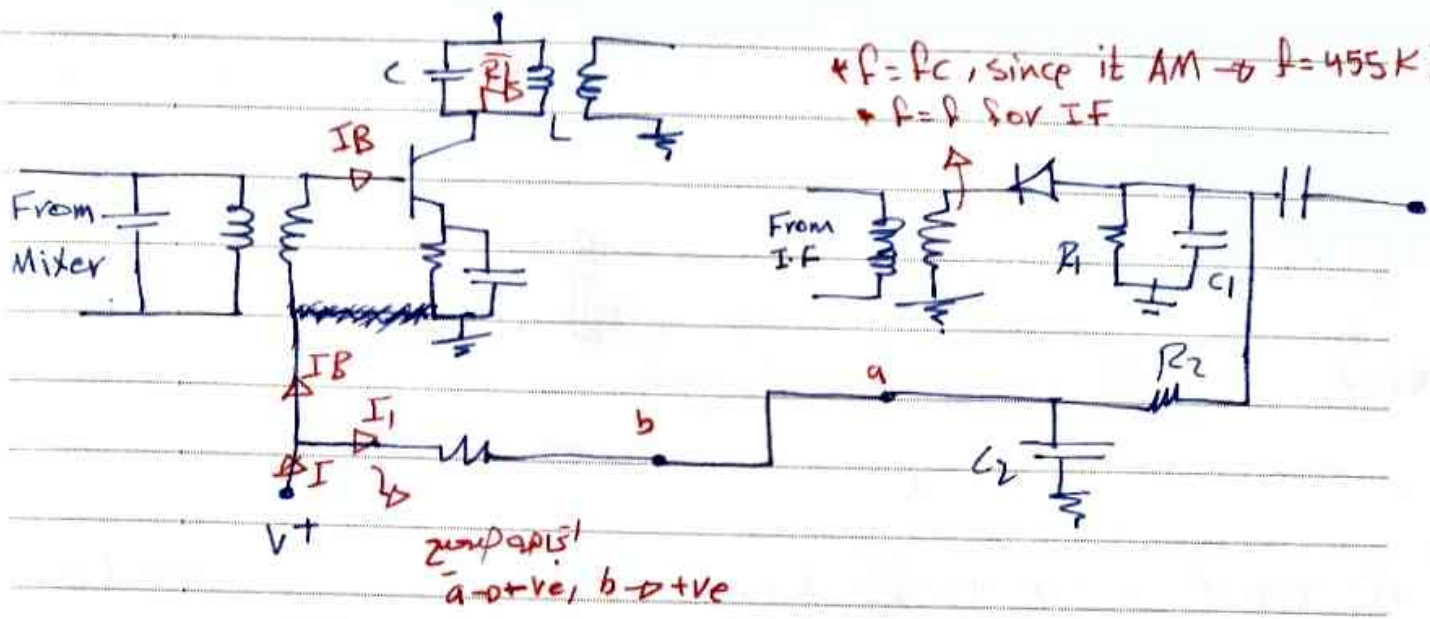
$$I_B = \frac{V_t - V_{BE}}{(\beta + 1) R_E} = I$$



$$T_m \ll R_1 C_1 \ll T_c$$

$$R_2 C_2 \ll T_m$$

$$T_m = \frac{1}{f_m}$$



\* before F.B

$$I_B = \frac{V^+ - V_{BE}}{(\beta + 1)R_E} = I, \quad I_c = \beta I_B, \quad |A_V| = g_m R_L$$

$$g_m = \frac{I_c}{V_T}$$

\* with -ve F.B

$$I = I_1 + I_B$$

$$I_B = I - I_1$$

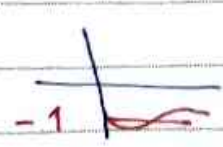
\* Normally: the mod. signal gives:  $v_{dc} = -2V$

$$I_B = \frac{V^+ - V_{BE} - 2}{(\beta + 1)R_E} \Rightarrow I_c = \beta I_B, \quad A_V$$

① For strong signal  $v_{dc} = -3V_{dc}$   
 $I_B \downarrow, I_c \downarrow, g_m \downarrow, A_V \downarrow$



② For weak signal:  $v_{dc} = -1V_{dc}$   
 $I_B \uparrow, I_c \uparrow, g_m \uparrow, A_V \uparrow$

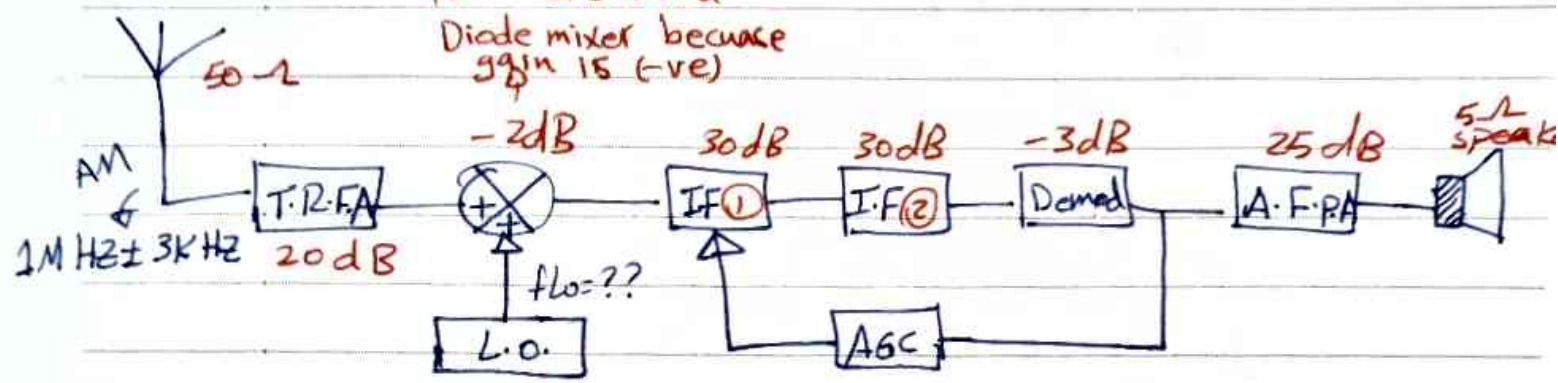


=>

\* I.F :- the main stage that changes the gain.  
 \* function of  $R_1, R_2, C_1, C_2$ ?

64

through gain I know  
 the kind  
 Diode mixer because  
 gain is (-ve)



① Total power gain =  $20 - 2 + 30 + 30 - 3 + 25 = 100 \text{ dB}$

② for  $P_o = 5 \text{ W}$ , Find  $V_i$  (rms) min.

soln:

$$PG = 10 \log \frac{P_o}{P_i}$$

$$100 = 10 \log \frac{P_o}{P_i} \Rightarrow \frac{P_o}{P_i} = 10^{10}$$

$$\Rightarrow P_i = \frac{P_o}{10^{10}} = \frac{5}{10^{10}} = 50 \text{ nW}$$

$$\Rightarrow P_i = \frac{V_i^2}{R} \Rightarrow V_i = \sqrt{P_i \cdot R} = 10^{-5} \sqrt{250}$$

$$= 5 \times 10^{-5} \sqrt{10} \Rightarrow V_i \text{ (rms) min} = 160 \mu\text{V}$$

③ For  $V_i = 50 \mu\text{V}$  (rms), calculate  $V_o$  (rms).

\*  $P_i \sim P_o \sim P_o = \frac{V_o^2}{R} \Rightarrow V_o = \dots$

④ if  $AM = 1 \text{ MHz} \pm 3 \text{ kHz}$  & I.F fixed at  $450 \text{ kHz}$ , calculate  $f_{lo}$  when it is

\* HSI

\* LSI

$\Rightarrow$

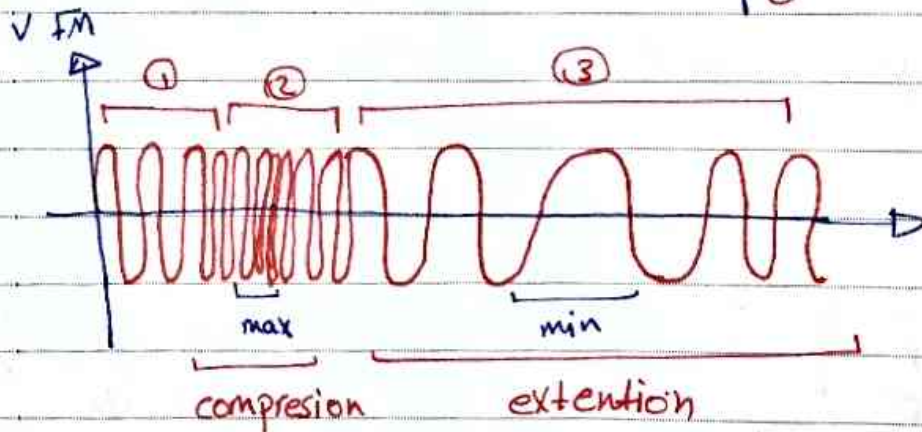
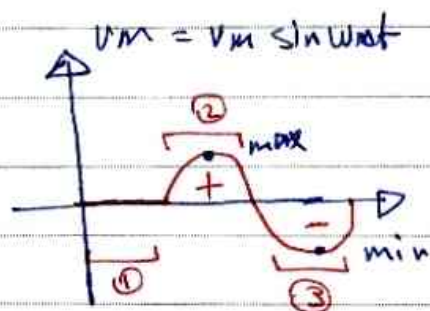
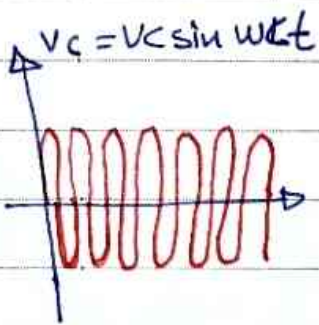
$$\Rightarrow \text{HSI :- I.F} = f_{LO} - f_c \quad \sim f_{LO} = 1450 \text{ KHz}$$

$$\text{LSI :- I.F} = f_c - f_L \quad \sim f_{LO} = 550 \text{ KHz}$$

$$\text{In general I.F} = f_{LO} \pm f_c$$

## Frequency Modulation

FM



$$V_{FM} = V_c \sin (\omega_c t + m_f \sin \omega_m t)$$

-  $V_c =$  carrier Amp.

-  $\omega_c =$  Freq.

-  $m_f = \frac{f_d}{f_m}$

$f_d$  :- Freq. deviation

$f_m$  :- (max freq. in message signal)

$\omega_m \Rightarrow 2\pi f_m$  (message freq.)



\*  $V_{FM} = 10 \sin(10^7 t + 4 \sin 6\pi \times 10^3 t)$

$V_C = 10V$

$f_c = \frac{w_c}{2\pi} = \frac{10^7}{2\pi} = 1.6 \text{ MHz}$

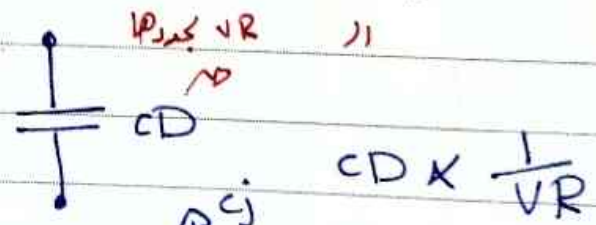
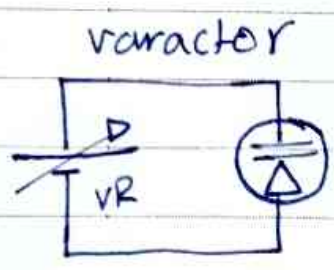
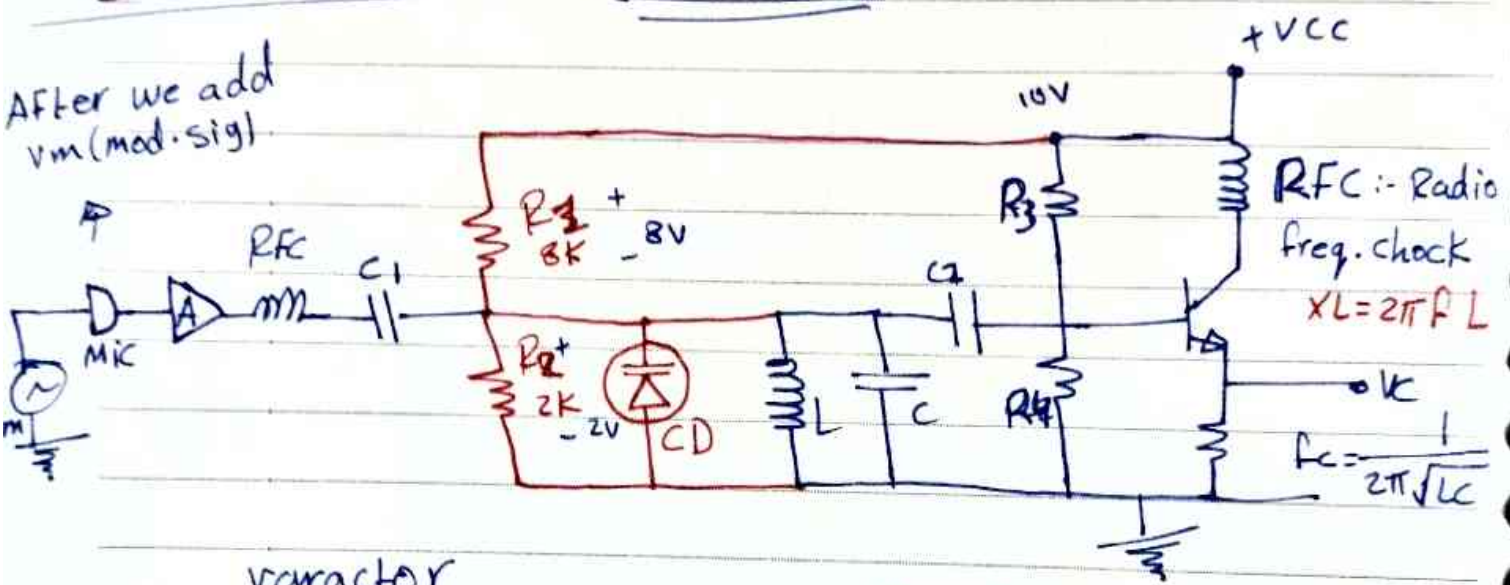
$f_m = 3 \times 10^3 \text{ Hz} = 3 \text{ kHz}$

$m_f = \frac{f_d}{f_m} = 4$

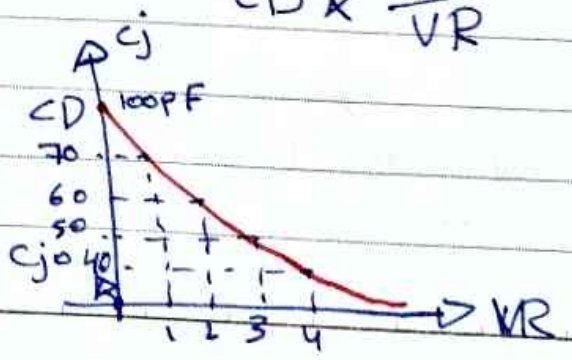
$f_d = m_f \cdot f_m = 4 \cdot 3 = 12 \text{ kHz}$

① LC FM Mod.      FM Mod.

After we add  $v_m$  (mod. sigl)



if I want  $CD = 60 \text{ pF}$   
 then  $V_R$  Fixed at 2 Volt.



$C_2 \rightarrow$  coupling & blocking  
 $\rightarrow$   $\frac{1}{\omega C_2} \ll Z_{in}$

① without varactor

$$f_c = \frac{1}{2\pi \sqrt{LC}}$$

② with varactor

$$f_c = \frac{1}{2\pi \sqrt{L(C+CD)}}$$

\*  $C_1 \rightarrow$  blocking for D.C

\* RFC  $\rightarrow$  Isolating  $f_c$  from  $f_m$

$\rightarrow$  O.C for  $f_c$

$\rightarrow$  S.C for  $f_m$

\*  $R_1$  &  $R_2 \rightarrow$  biasing for varactor

\* A  $\rightarrow$  Audio Freq. Amp

\* varactor  $\rightarrow$  behaves as a voltage variable cap. (CD)

\* L, C  $\rightarrow$  determine carrier freq.

\*  $R_3$  &  $R_4 \rightarrow$  biasing for BJT

① without varactor

$$f_c = \frac{1}{2\pi \sqrt{LC}}$$

② with varactor (without  $V_m$ )

$$f_c = \frac{1}{2\pi \sqrt{L(CD+C)}}$$

CD :- varactor cap.



\* Poor freq stab. (because  $f_c$  depends on  $L, C$ , and they are dep on aging & temp).  $\rightarrow$  disadvantage

\* good freq. deviation  $\rightarrow$  advantage 68

$\rightarrow$  to make good freq. stab. we replace it by X-tal  $\rightarrow$  small but it also decrease freq deviation

(3) when  $v_m$  is applied

(I) During +ve H.c

$v_m \uparrow, V_R \uparrow, C_D \downarrow, f_c \uparrow \Rightarrow f_c^+$

$\rightarrow$  to solve this prob we use multiplier. to make the new  $f_d = \text{old } f_d * \text{multiplier}$

(II) During -ve H.c

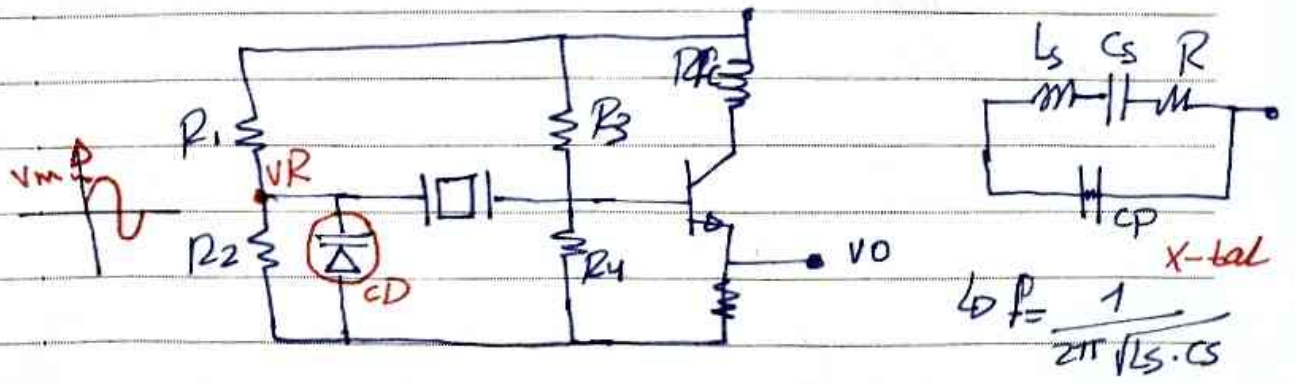
$v_m \downarrow, V_R \downarrow, C_D \uparrow, f_c \downarrow \Rightarrow f_c^-$

$$f_d = f_c^+ - f_c$$

$$f_d = f_c - f_c^-$$

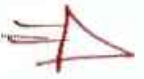
$$* mf = \frac{f_d}{f_m}$$

X-tal FM mod.



(1) without varactor

$$\rightarrow f_c = \frac{1}{2\pi\sqrt{L_s \cdot C_s}}$$





\* it has a low freq. deviation

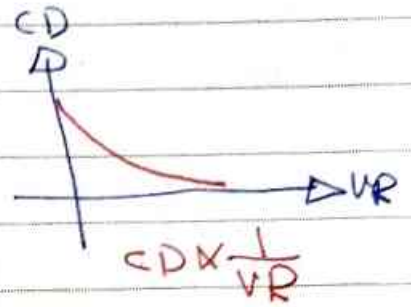
[69]

② with varactor

$$f_c = \frac{1}{2\pi \sqrt{L_s (C_s \parallel C_D)}}$$

$C_{eq}$

series  $\rightarrow$   $C_{eq} = \frac{1}{\frac{1}{C_s} + \frac{1}{C_D}}$



\* with mod signal. (when I apply  $V_m$  at I/p)

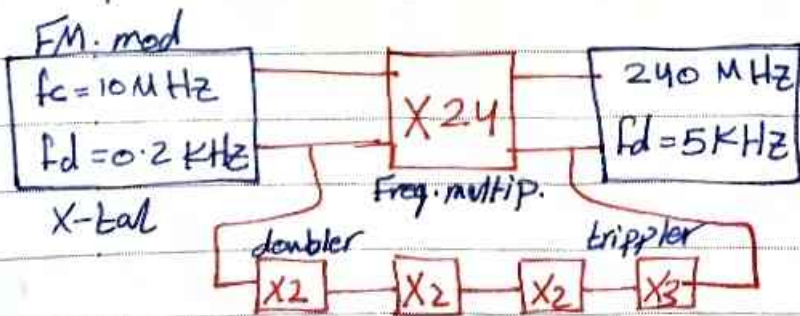
I When  $V_m \uparrow$ ,  $V_R \uparrow$ ,  $C_D \downarrow$ ,  $C_{eq} \downarrow$ ,  $f_c \uparrow$

II When  $V_m \downarrow$ ,  $V_R \downarrow$ ,  $C_D \uparrow$ ,  $C_{eq} \uparrow$ ,  $f_c \downarrow$

ie The freq of carrier will increase & decrease according to mod. signal and an FM signal is generated

\* compared to LC FM mod. (LC vs X-tal)

X-tal FM mod. has a superior freq. stability. but it produces a small freq. deviation (hundred Hz).  
 This problem can be solved by using freq. multiplier.



\* the freq. multiplier are exist in form of Low doubler or trippler. why?? = answer

\* I/P  $\rightarrow$  Tuned ckt & o/P Tuned ckt and tuned at the same freq  
 & there are Air core Trans  $\rightarrow$  so  $V_1$  &  $V_2$  are  $90^\circ$  p.sh. with  $V_i$  &  $V_o$

(71)

(4) To make  $P \uparrow$  with  $V_m \uparrow$  &  $P \downarrow$  with  $V_m \downarrow$   
 So an Inverter can be used.

## FM Demodulation

(1) Foster seely discriminator.  
 $\rightarrow$  the figure in the sheet.

- 1] T: Air-core tuned I/P, tuned o/P RF Trans.
- 2]  $C_6$  &  $C_5$  are chosen very large  $\rightarrow$  so  $V_i = V_o$   
 $\rightarrow$  shorted.

\* fm signal

$$f_c \neq f_d \rightarrow \begin{cases} f_c^+ > f_c \\ f_c^- < f_c \end{cases}$$



(3) For  $f_i = f_c$  both I/P & o/P Tuned ckt are  
 tuned at  $f_r = \frac{1}{2\pi\sqrt{L_1C_1}} = \frac{1}{2\pi\sqrt{L_2C_2}} = f_c$

\*  $V_1$  &  $V_2$  are  $180^\circ$  phase-shift (C-T Trans.)

$\rightarrow$  because centre Tapped Trans.

\*  $V_1$  &  $V_2$  are  $90^\circ$  phase shift with  $V_i$   
 (For Air-core Trans. with Tuned I/P & Tuned o/P  
 and at Resonance)

\* Since  $V_i = V_o$   $\rightarrow$  so  $V_1, V_2$  are  $90^\circ$  phase shift with  $V_i$  &  $V_o$

\*  $D_1$  &  $D_2 \rightarrow$  short.

\*  $V_x$  :- is a voltage that proportionally direct with  $f$   
 o/p side  $\propto V_x \propto f \propto$  I/P side

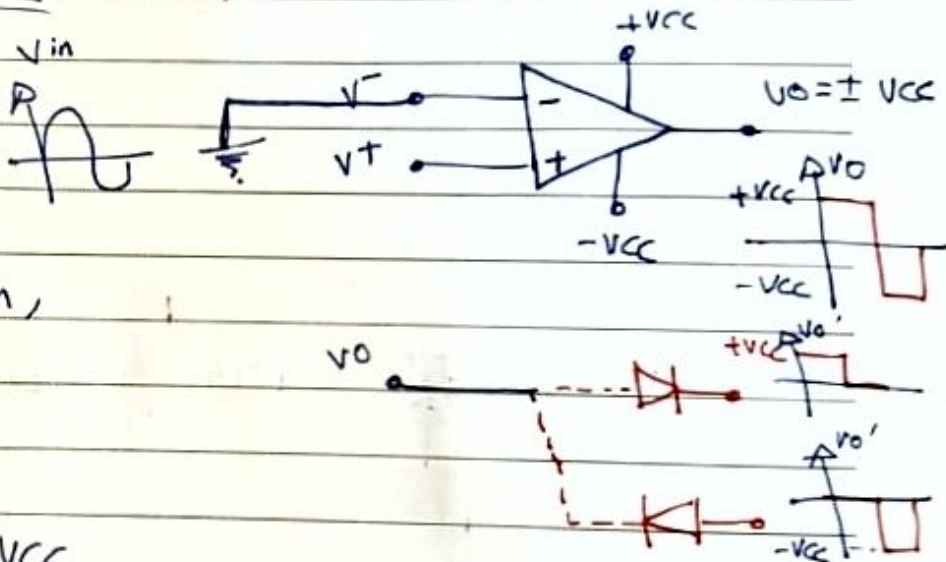
72

\* Disadvantage :-

- ① it is affected by the Amp of I/P signal (sensitive)
- ② it is not exist in form of Integrated ckt.

### ② Pulse Averaging FM Demod.

Zero-crossing Detector (comparator, open loop).



$$V_O = A_{od} (V^+ - V^-)$$

$A_{od}$  is very high, ideally  $\infty$

① for  $V^+ > V^-$

$$V_O = +V_{CC}$$

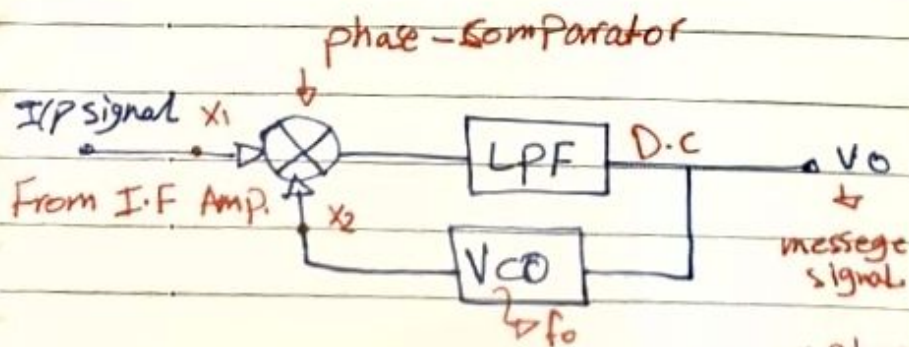
② for  $V^- > V^+$ ,  $V_O = -V_{CC}$

### ③ PLL FM Demod.

\* VCO carries  $\omega_c$

so the I/P of VCO

OR the o/p of LPF should equal the message sig



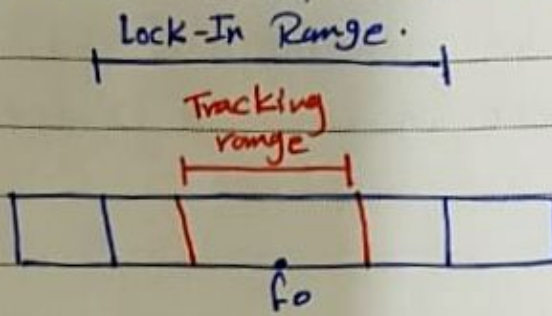
\* if the freq's are equal  $\Rightarrow$  there is no o/p

\* if there is a difference in freq's  $\Rightarrow$  there will be o/p that through the LPF  $\Rightarrow$  D.C voltage

- \* its insensitive with Amp with I/P signal.
- \* its exist in form of Integrated cct. } disadvantages

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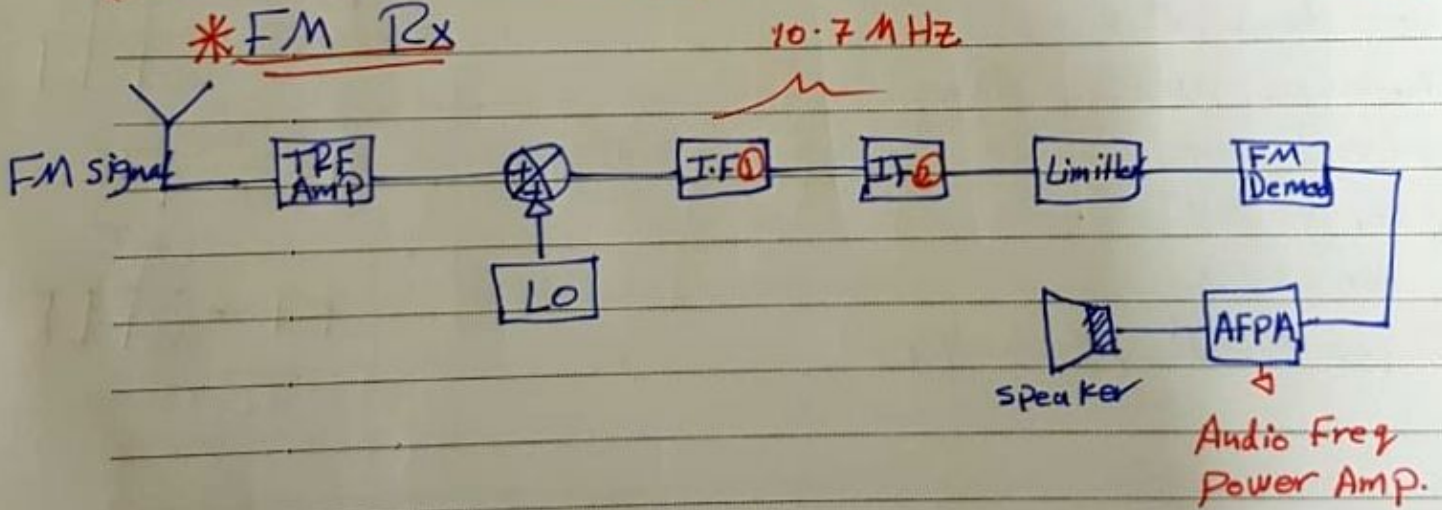
① For No I/P, VCO will operate in Free running mode  $f_0$



\* when PLL is in Tracking Range (o/p freq of VCO = Freq. of I/P FM signal.)

↳ this means the I/P to VCO is a message signal

\* FM Rx



\* operating freq for fm > operating freq for AM

\*  $X_1 \rightarrow I/P = \text{message} + \text{carrier}$  /  $X_2 \rightarrow$  should equal I/P  
 message. sig.  $\rightarrow$   $I/P$   $\rightarrow$   $\text{carrier} \rightarrow$   $VCO$



\* there is 2 way to calculate (B.w)<sub>FM</sub>

$$\textcircled{1} (B.w)_{FM} = 2(f_m + f_d) \\ = 2f_m(1 + mf)$$

$f_m$  :- max freq of message

$f_d$  :- Freq. Deviation

$$\textcircled{2} (B.w)_{FM} = 2N.f_m$$

$N$  = we choose the #  
of  $B > 1\%$ .

| mf | $B_1$ | $B_2$ | $B_3$ | $B_4$ | $B_5$ | $B_6$ |
|----|-------|-------|-------|-------|-------|-------|
| 2  | 0.5   | 0.3   | 0.2   | 0.1   | 0.25  | 0.0   |
| 5  |       |       |       |       |       |       |

$\textcircled{3}$  من معادله  $\dot{u}$   $\dot{u}$

\* enhance the high freq comp. of messag. & improves SNR  
 ↳ pre-emphasis

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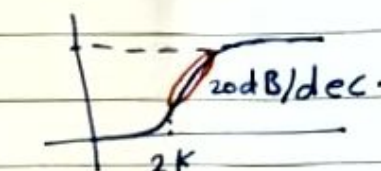
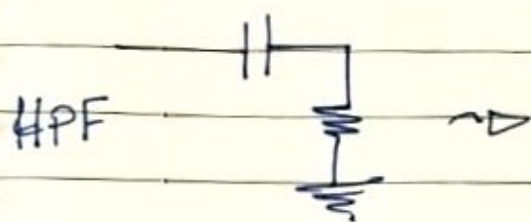
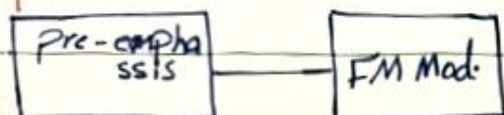
## Pre-emphasis & De-emphasis ccts

\* Voice - signal

10.3 - 15 KHz

↳ the noise effect on the high freq comp (3K) causing a poor SNR

↳ exist in trans.



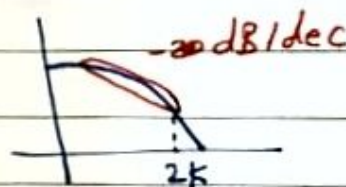
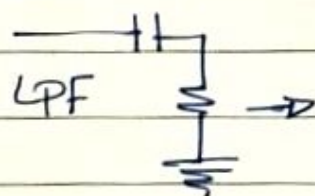
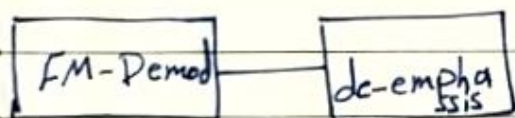
$$20 \text{ dB} = 20 \log_{10} |A|$$

$$\Rightarrow A = 10$$

↳ so the gain

$$= 10$$

so I multiply the Amp of High freq by the gain & that improves SNR



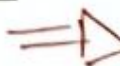
$$-20 \text{ dB} = 20 \log_{10} |A|$$

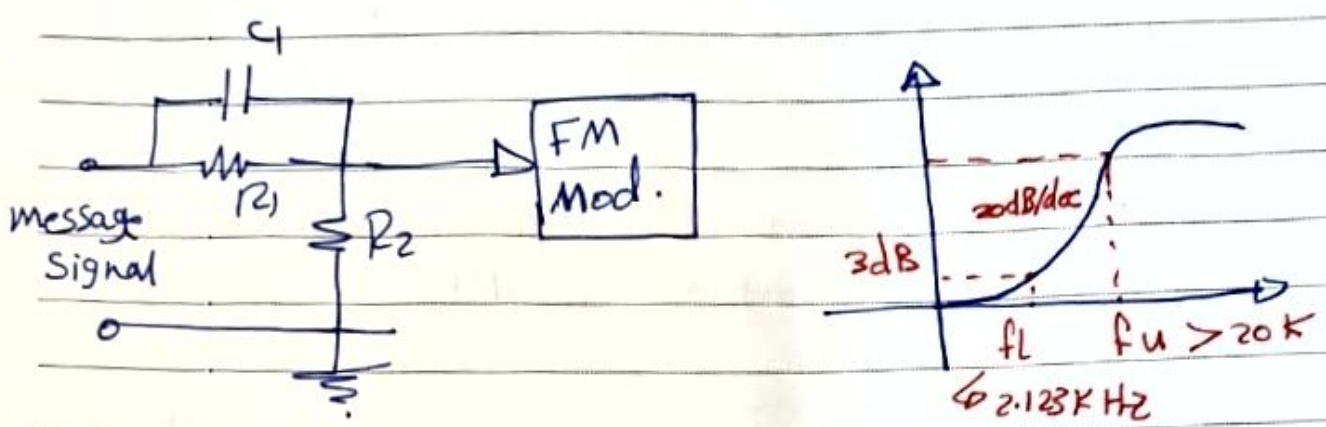
$$\Rightarrow A = \frac{1}{10}$$

\* Pre-emphasis cct.

a HPF connected before FM Mod. used to enhance H-F components of message signal & improve the SNR ratio of transmitted FM signal. It is in Tx side.

For commercial FM broadcasting it is designed for  
 Freq > 2.123 KHz





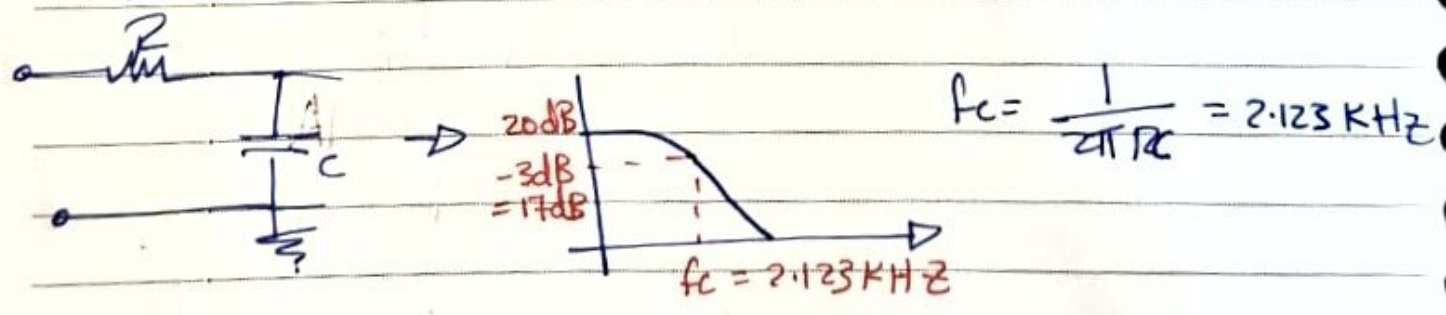
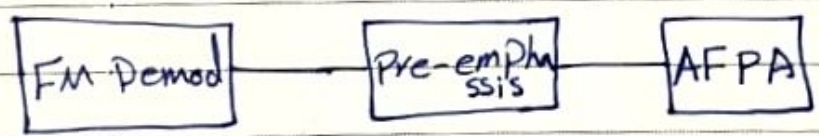
$$R_{eq} = R_1 \parallel R_2$$

$$f_L = \frac{1}{2\pi C_1 R_1} = 2.123 \text{ KHz}$$

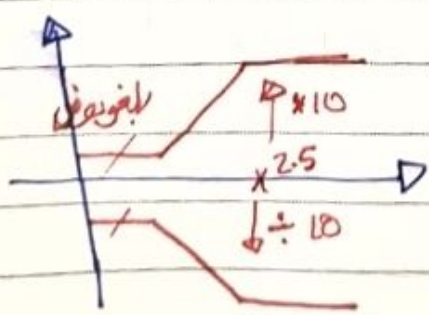
$$f_u = \frac{1}{2\pi C_1 R_{eq}} > 20 \text{ K}$$

\* deemphasis cct

a LPF used in FM Rx. to offset the effect of pre-emphasis cct. in FM Tx.



$$f_c = \frac{1}{2\pi RC} = 2.123 \text{ KHz}$$

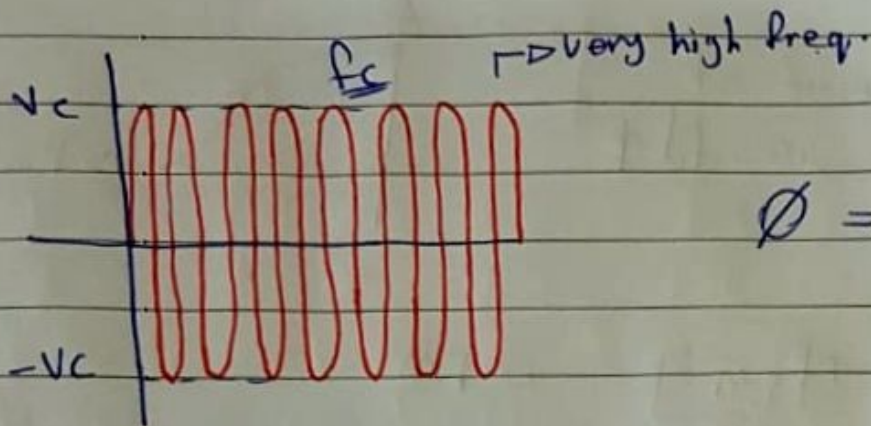


ال فرقة 2، تمرر 2.5  
 $2.5 \times 10 \div 10 = 2.5$

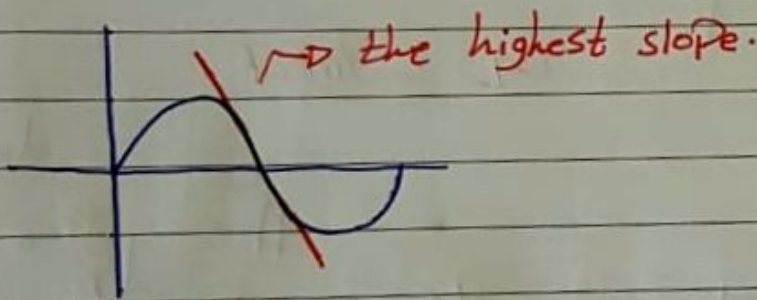


\* Phase Modulation :- (Indirect FM generation)

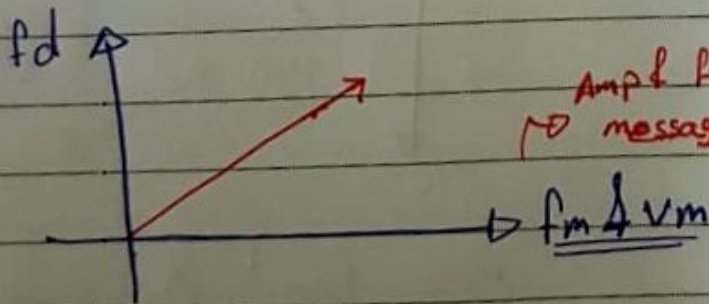
In PM, the Phase of carrier is changed according to Amplitude of Mod. signal



$$\phi = \frac{\Delta V}{\Delta t}$$

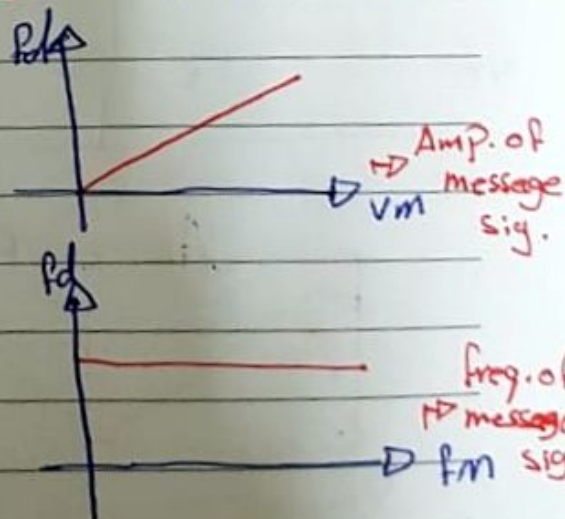


\* In PM



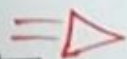
Amp & freq. of message sig.

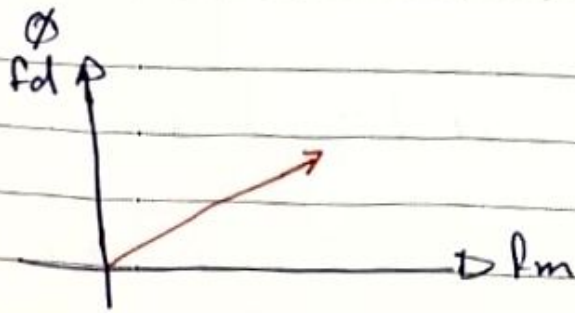
\* In FM



freq. of message sig.

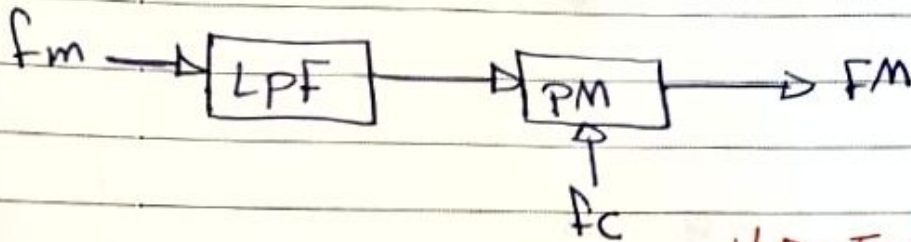
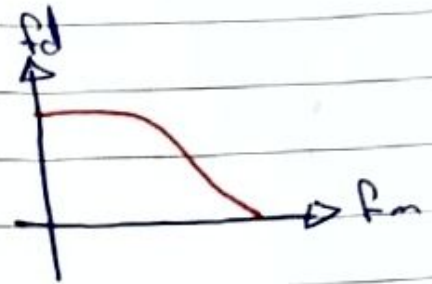
\* in PM the modulation depends on v\_m & f\_m



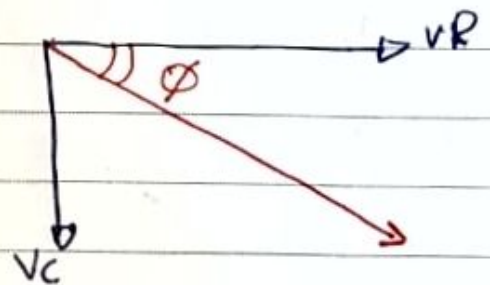
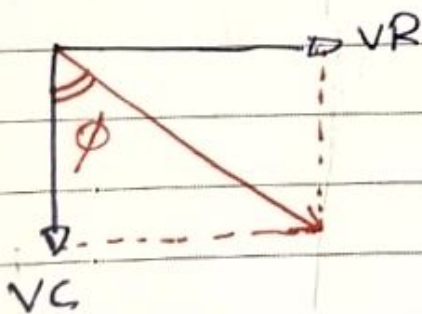
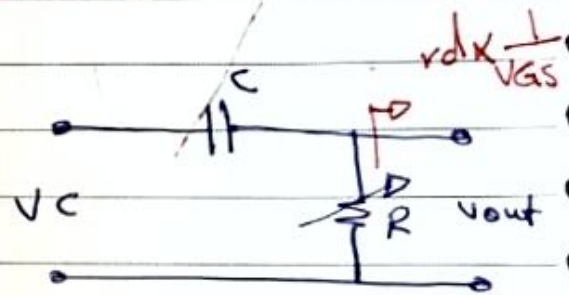
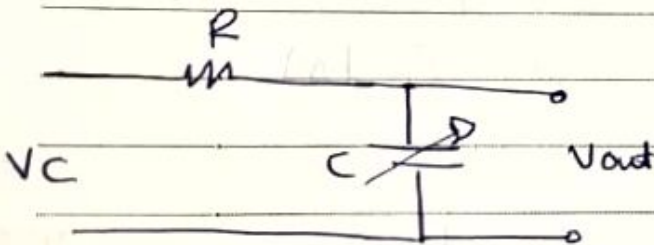


FM is linear to freq. deviation  
 and low pass filter is used to remove high freq. components  
 Amp. deviation is not a problem

⇒ High freq. component of modulating signal, gives  $f_d \uparrow$



⇒ Indirect



$$\phi_c = \tan^{-1} \frac{R}{X_C}$$

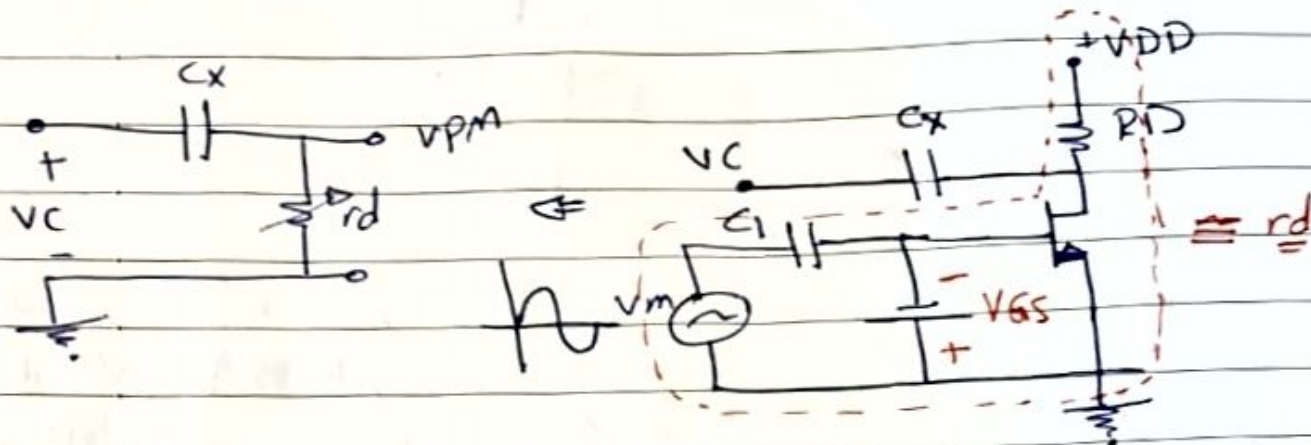
$$\phi_c = \tan^{-1} \frac{X_C}{R}$$

FET phase shifter

Amplitude modulation is not a problem  
 sig.

① Armstrong PM :-

JFET is biased in Linear Region,  $r_d \propto \frac{1}{V_{GS}}$   
 $\therefore$  behaves as a Volt. variable. resis.



① In +ve H.c of  $v_m$ ,  $V_{GS} \uparrow$ ,  $r_d \downarrow \rightarrow \phi_c \uparrow$

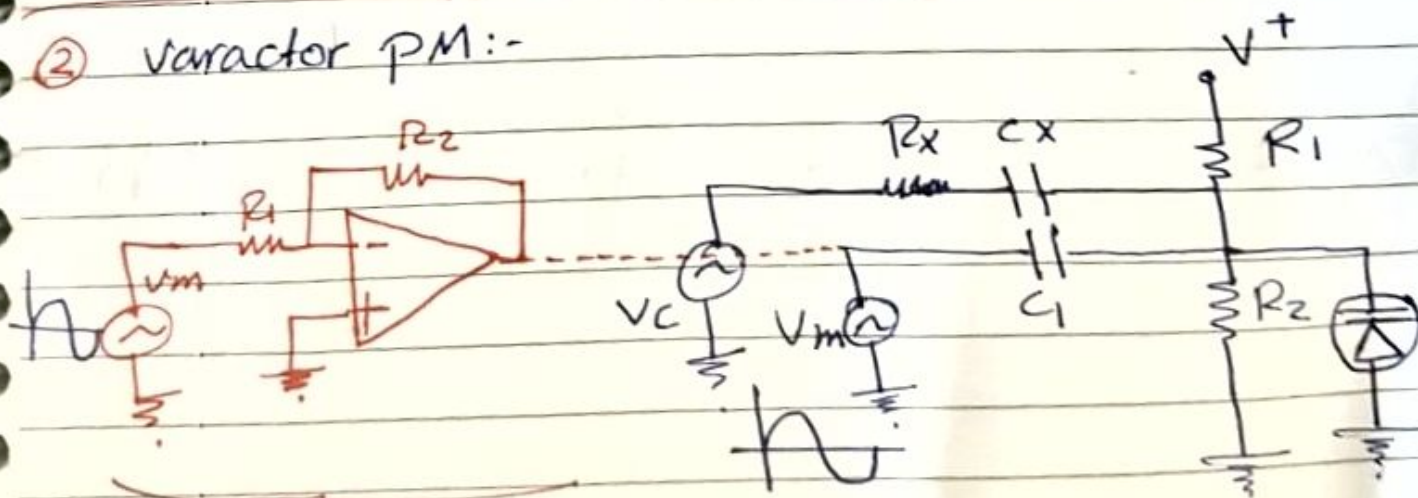
② In -ve H.c of  $v_m$ ,  $V_{GS} \downarrow$ ,  $r_d \uparrow$ ,  $\phi_c \uparrow$

③ The phase of carrier ( $\phi_c$ ) increasing & decreasing according to the Amp. of message signal.

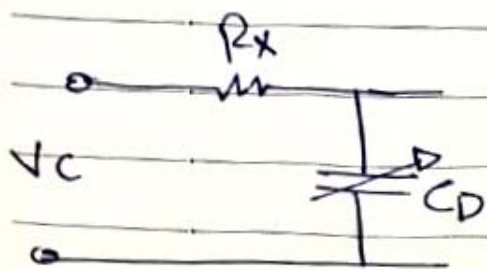
$$\phi_c = \tan^{-1} \frac{X_C}{r_d}$$

$$\begin{cases} 45^\circ = \tan^{-1} 1 \\ 30^\circ = \tan^{-1} \frac{1}{2} \end{cases} \quad \phi_c \propto \frac{1}{r_d}$$

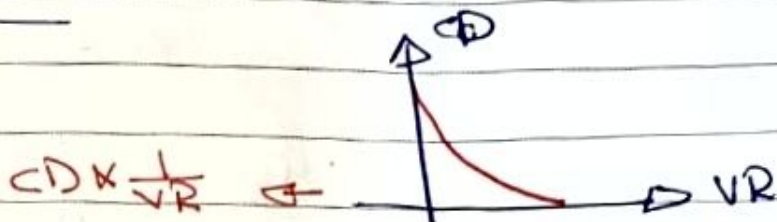
② Varactor PM :-



Inverter (we add it)



$$\Rightarrow \phi_c = k \omega^{-1} \frac{R}{X_{CD}}$$



- 1] when  $V_M \uparrow \rightarrow V_R \uparrow, C_D \downarrow, X_{CD} \uparrow, \phi_c \downarrow$
- 2] when  $V_M \downarrow \rightarrow V_R \downarrow, C_D \downarrow, X_{CD} \downarrow, \phi_c \downarrow$
- 3] To make  $\phi_c \uparrow$  with  $V_M \uparrow$  &  $\phi_c \downarrow$  with  $V_M \downarrow$  then, message signal is applied via an Inverting Amp.

\*  $X_C = \frac{1}{2\pi f C}$

\*  $C_X \rightarrow$  S.C for  $f_c$  & O.C for  $f_m$  and  $D_c$

\*  $C_1 \rightarrow$  S.C for  $f_m$  & O.C for  $f_c$  and  $D_c$

FM  $\rightarrow$   $\omega_c$   $\rightarrow$   $\omega_c + \omega_m \cos \omega_m t$   $\rightarrow$  LPF  $\rightarrow$   $V_m$   $\rightarrow$   $\omega_c$  \*





III In -ve A.C of  $V_m$

$D_2$  &  $D_4$  are ON

$D_1$  &  $D_3$  are off

↳ No current in  $T_2$  Primary, No flux & No vout

2 if  $V_c$  is applied only ( $V_m=0$ )

I for +ve A.C of  $V_c$

$D_1$  &  $D_2$  → ON

$D_3$  &  $D_4$  → off

↳  $I_{D_1} = -I_{D_2}$  (opposes each other)

↳ the resultant flux is zero, No vout ( $V_o=0$ )

II for -ve A.C

$D_3$  &  $D_4$  → ON

↳  $I_{D_3} = -I_{D_4}$  so the resultant flux = 0 & No vout ( $V_o=0$ )

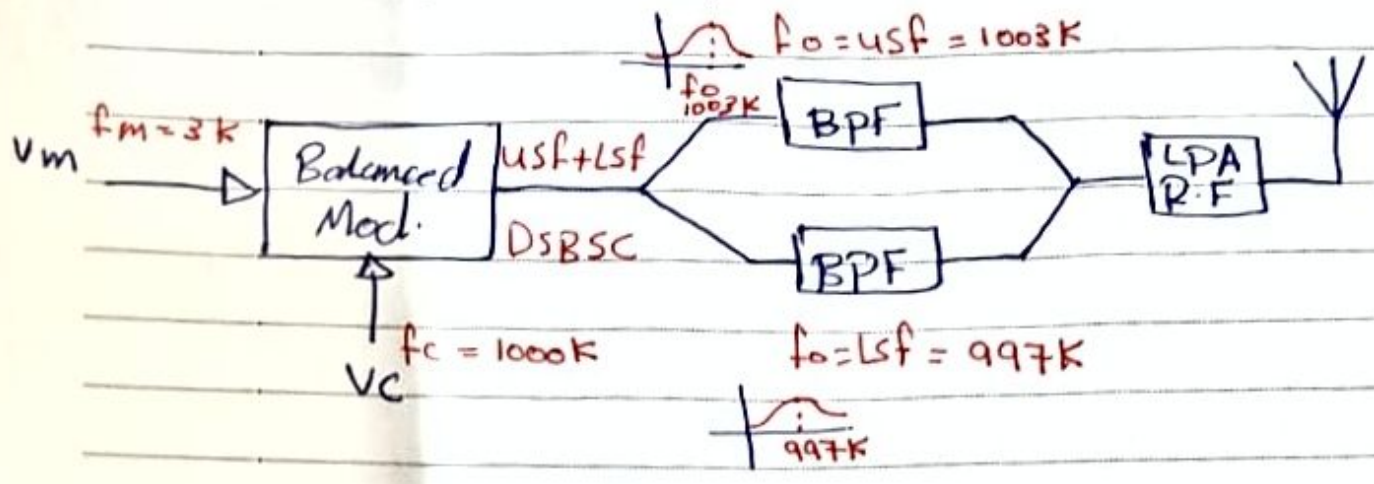
SSB Generation

1 Filter Methode ::   
{
▷ 2 band pass filter  
▷ single BPF & 2 carrier

2 Phasing Methode ::

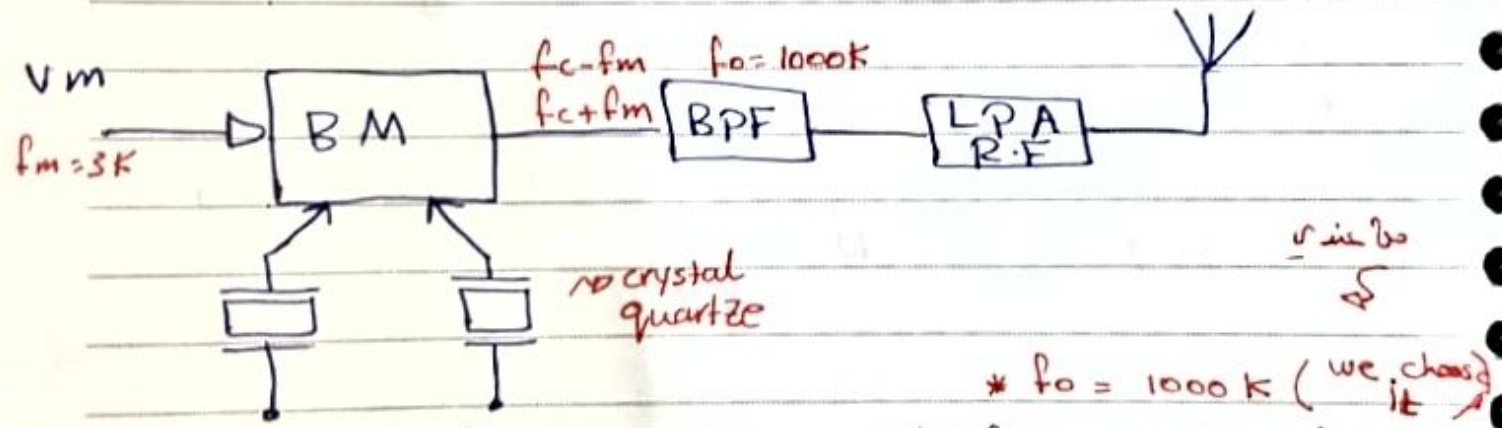


\* Filter Methode (2 BPF)



\* we use switches (choose one BPF)

\* Filter Method (1 BPF & 2 carrier)



$f_{c1} = 997K$   
USB

$f_{c2} = 1003K$   
LSF

\*  $f_o = 1000K$  (we choose it)  
 $\hookrightarrow f_{c1} = 997K, f_m = 3K$   
 $\hookrightarrow f = 1000K, f = 994K$

=>



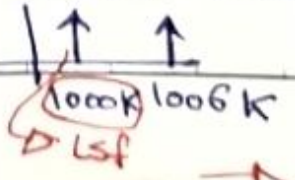
\* we use filters of crystal to achieve High freq. & stability.

$\hookrightarrow f_{c2} = 1003K, f_m = 3K$   
 $\hookrightarrow f = 1006K, f = 1000K$

for BPF:

1)  $\rightarrow$  USB & LSF

2)  $\rightarrow$   $\rightarrow$   $\rightarrow$



=>



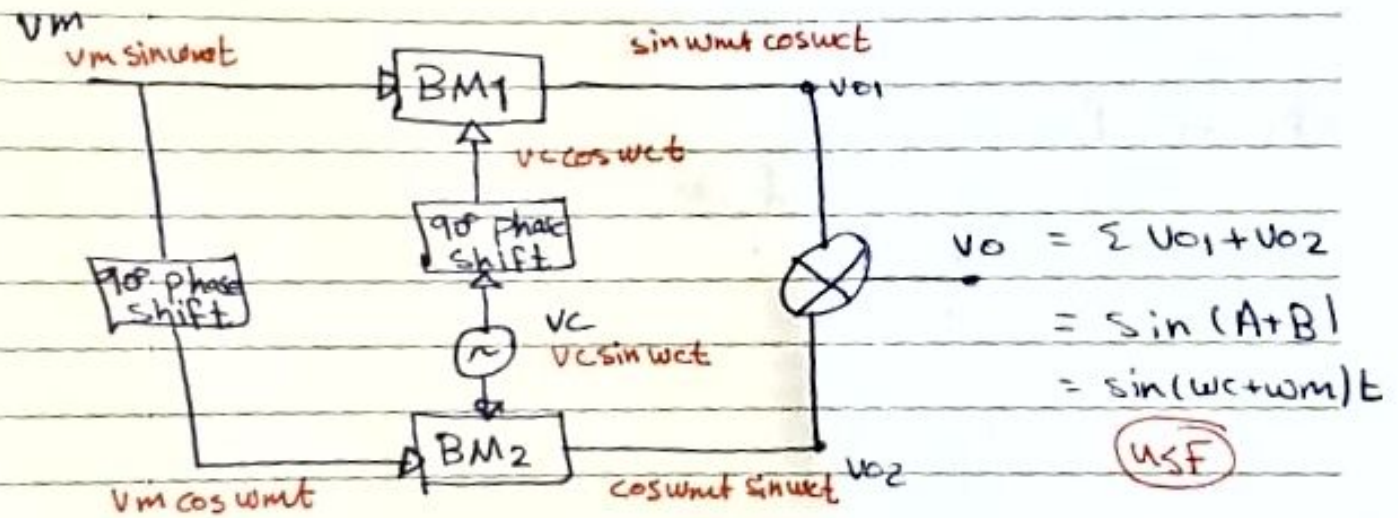
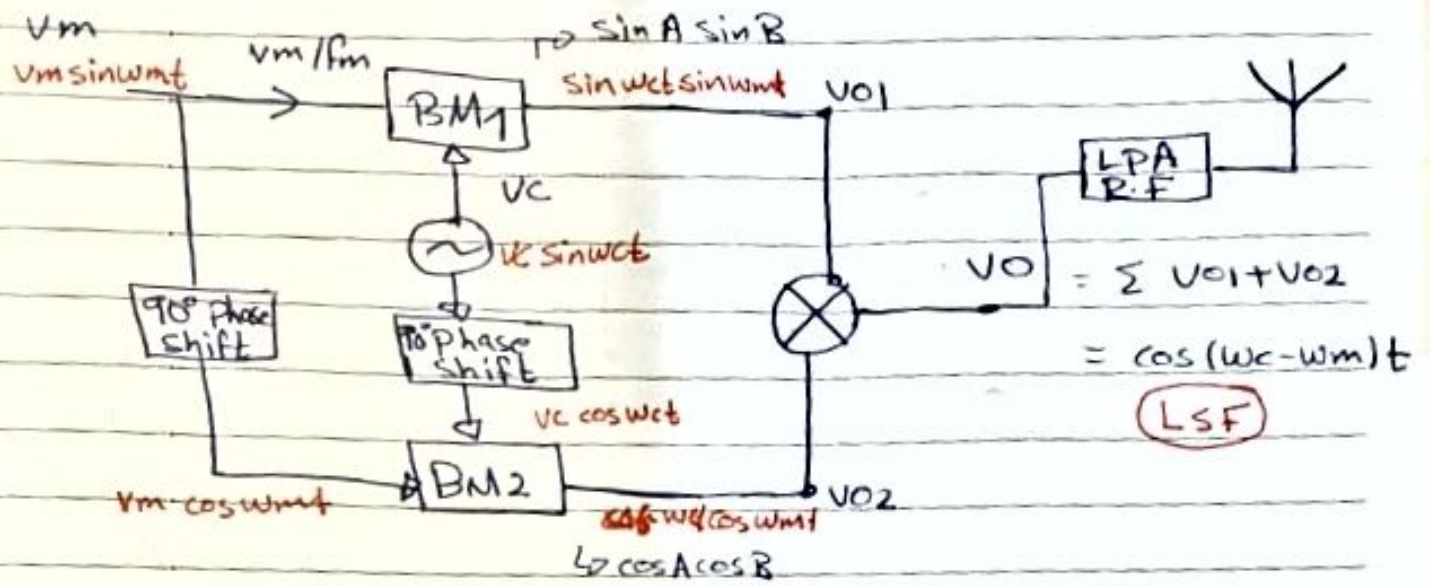
$$\cos A \cos B = \frac{1}{2} [\cos(A-B) + \cos(A+B)]$$

$$\sin A \sin B = \frac{1}{2} [\cos(A-B) - \cos(A+B)]$$

$$\cos A \sin B = \frac{1}{2} [\sin(A+B) - \sin(A-B)]$$

مشتق  
الزاوية

**2** Phasing Methode :-



USB <sup>منه</sup>  $\frac{1}{2} \cos(A-B) + \frac{1}{2} \cos(A+B)$   $\frac{1}{2} \sin(A+B) + \frac{1}{2} \sin(A-B)$   
 4 terms  $\frac{1}{2} \cos(A-B) + \frac{1}{2} \cos(A-B) + \frac{1}{2} \sin(A+B) + \frac{1}{2} \sin(A+B)$   
 $= \cos(wc - wm)t + \sin(wc + wm)t$

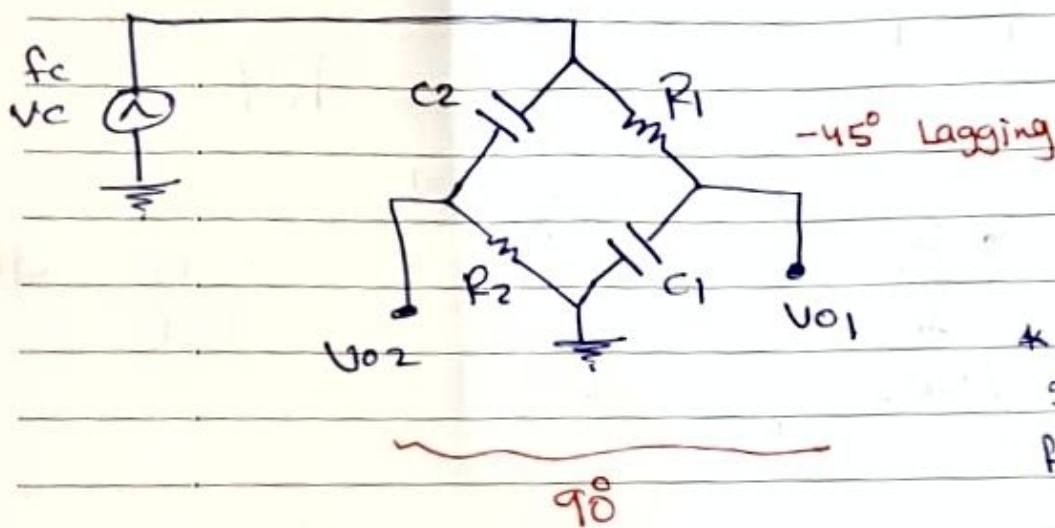
$\equiv$  DSBSC



\* any LCR ckt. gives  $\rightarrow 0 < \phi < 90$  Phase shift.

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\* Phase shifter. (RF phase shifter).



$\Rightarrow$  at  $f = f_c$

when  $X_{C1} = R_1$  &  $X_{C2} = R_2$

then  $\phi_1 = -45^\circ$

$\phi_2 = 45^\circ$

$$X_{C1} = \frac{1}{2\pi f_c C_1} = R_1$$

$$X_{C2} = \frac{1}{2\pi f_c C_2} = R_2$$